

NLO corrections to general scalar singlet models and dark matter

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Planck 2017, Warsaw

Acknowledgments

■ Collaborators:

J. E. Camargo-Molina, A. P. Morais, R. Pasechnik, M.O.P.S., J. Wessén,
JHEP 1608 (2016) 073.

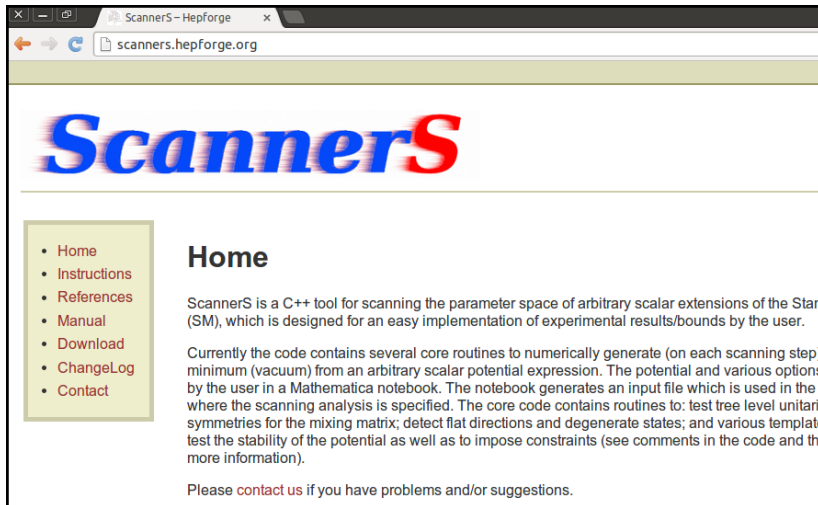
R. Costa, M.O.P.S., R. Santos, arXiv:1704.02327.

■ Funding & Institutions



BPD/UI97/5528/2017 and UID/MAT/04106/2013

Pre-talk Advertisement!



The image shows a screenshot of a web browser displaying the homepage of the ScannerS project. The browser's address bar shows the URL "scanners.hepforge.org". The page features a large, stylized logo for "ScannerS" in blue and red. On the left side, there is a navigation menu with links to Home, Instructions, References, Manual, Download, ChangeLog, and Contact. The main content area has a "Home" heading followed by a paragraph describing ScannerS as a C++ tool for scanning the parameter space of arbitrary scalar extensions of the Standard Model (SM). It also mentions that the code contains routines for numerical generation of minima, Mathematica notebook integration, and various analysis routines like unitarity tests and stability checks. A final line of text invites users to contact the developers if they have any issues or suggestions.

ScannerS - Hepforge

scanners.hepforge.org

ScannerS

- Home
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Home

ScannerS is a C++ tool for scanning the parameter space of arbitrary scalar extensions of the Standard Model (SM), which is designed for an easy implementation of experimental results/bounds by the user.

Currently the code contains several core routines to numerically generate (on each scanning step) a minimum (vacuum) from an arbitrary scalar potential expression. The potential and various options are provided by the user in a Mathematica notebook. The notebook generates an input file which is used in the scanning process where the scanning analysis is specified. The core code contains routines to: test tree level unitarity, test symmetries for the mixing matrix; detect flat directions and degenerate states; and various template tests to test the stability of the potential as well as to impose constraints (see comments in the code and the manual for more information).

Please [contact us](#) if you have problems and/or suggestions.

- **RxSM-dark**: 1 Higgs + 1 Dark (\mathbb{Z}_2) – No MicrOmegas yet!
- **RxSM-broken**: 2 Higgs mixing (\mathbb{Z}_2 spont.broken)
- **CxSM-dark**: 2 Higgs mixing + 1 Dark
- **CxSM-broken**: 3 Higgs mixing
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- **NTHDM-broken**: THDM + Real singlet \mathbb{Z}_2 spont. broken
- **NTHDM-dark**: THDM + Real singlet \mathbb{Z}_2 UNDER DEV.
- **C2HDM**: NOT PUBLIC YET.

Pheno3 tomorrow \Rightarrow Rui Santos': Higgs sectors comparison

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General scalar singlets & the Higgs portal

- Scalar sector prone to **coupling** to hidden sectors!

Only SM singlets with dimension < 4 are: $H^\dagger H$, $B_{\mu\nu}$, HL

$$V_{\text{GxSM}} = V_{\text{SM}}(H^\dagger H) + H^\dagger H \times \Delta(S) + V_{\text{New}}(S)$$

$$H = \frac{1}{\sqrt{2}} \begin{pmatrix} G^+ \\ v + h + iG^0 \end{pmatrix} \quad \text{and} \quad S_k = v_k + s_k .$$

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- Some s_k may mix with Higgs, otherwise they are dark.
- LO **couplings to SM** through mixing (dilutes higgs):

$$\text{Higgs fluctuation} \leftarrow h = \sum_a \kappa_a H_a, \quad \sum_a |\kappa_a|^2 = 1$$

Our benchmarks – RxSM

A. Datta, A. Raychaudhuri, Phys.Rev., D57:2940-2948, 1998

R. Schabinger, J. D. Wells, Phys.Rev., D72:093007, 2005 + . . . lots

SM plus S (real field) \mathbb{Z}_2 symmetry $S \rightarrow -S$

$$V = \frac{m^2}{2} H^\dagger H + \frac{\lambda}{4} (H^\dagger H)^2 + \frac{\lambda_{HS}}{2} H^\dagger H S^2 + \frac{m_S^2}{2} S^2 + \frac{\lambda_S}{4!} S^4$$

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$$\begin{pmatrix} h_1 \\ h_{DM} \end{pmatrix} = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \begin{pmatrix} h \\ S \end{pmatrix}$$

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for a study with a complex singlet see

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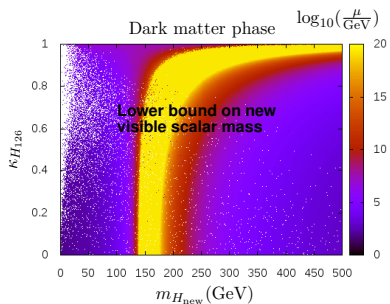
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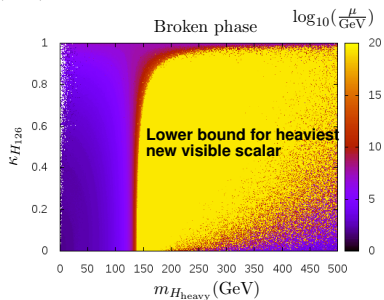
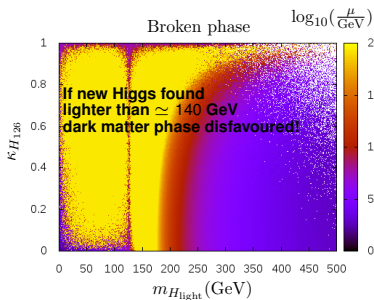
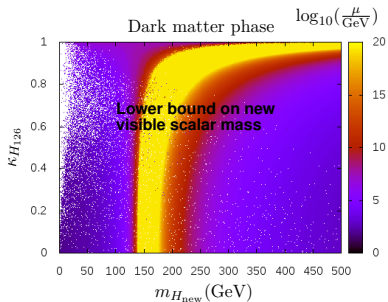
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LHC HE runs → start probing Higgs self couplings
⇒ **opportunity also to probe extended Higgs sectors**

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New Higgs production and decays

In singlet models, various LO (in EW corrections) observables, related to SM by a factor of κ^2 :

■ Production cross sections:

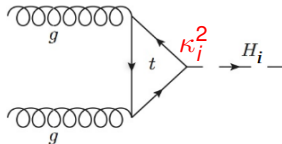
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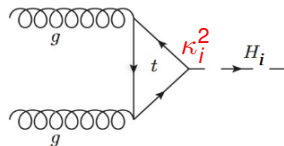
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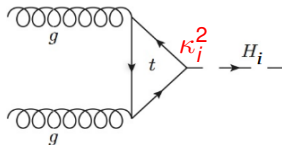
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Phenomenological constraints

A. Djouadi, J. Kalinowski, M. Spira, *Comput.Phys.Commun.*, 108:56-74, 1998.

sHDECAY: Implemented **the 4 models** in a modified HDECAY
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www.itp.kit.edu/~maggie/sHDECAY

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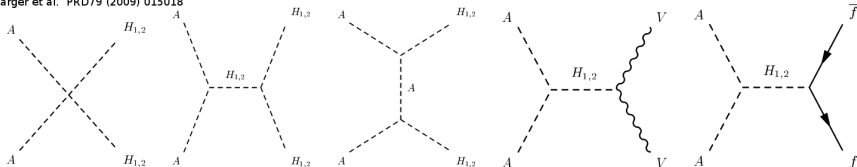
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Pheno constraints (CxSM & RxSM) imposed in ScannerS:

- Electroweak precision observables – STU
- Collider bounds (LEP, Tevatron, LHC) HiggsBounds
- Used ATLAS+CMS global signal rate $\mu_{h_{125}} = 1.09 \pm 0.11$
- Dark matter relic density below Planck measurement & bounds from LUX2016 on σ_{SI} (micrOMEGAS)

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Why go NLO-EW?

- The LHC has only found 125 GeV Higgs
- If no new states measured, can we probe them through radiative corrections of Higgs observables?
- We focus on corrections to **gluon fusion** production
- But SM couplings of new mixing scalars suppressed by $\kappa_h^2 - 1$
- What about contributions from new scalar sector couplings? In particular dark loops?

Previous studies focusing on other effects

- Couplings & Decay widths:

 - S. Kanemura, M. Kikuchi, K. Yagyu, arXiv:1511.06211.

 - F. Bojarski, G. Chalons, D. Lopez-Val, T. Robens, arXiv:1511.08120.

- Interference effects:

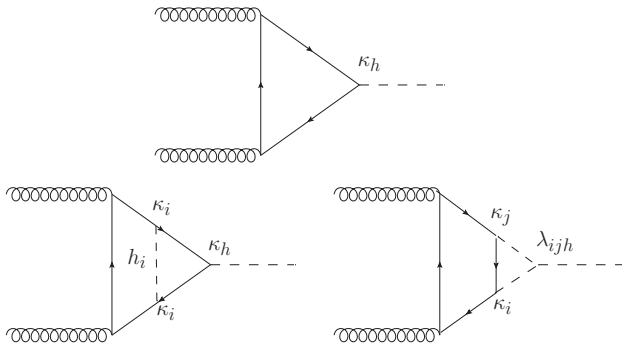
 - E. Maina arXiv:1501.02139.

 - N. Kauer, C. OBrien, arXiv:1511.06211.

- W boson mass corrections:

 - D. López-Val and T. Robens, arXiv:1406.1043.

Near decoupling limit approximation $\kappa_h^2 \rightarrow 1$



Then

$$\sigma_{ggF}^{(NLO)} = \sigma_{ggF}^{(LO)} (1 + \delta_{SM} + \delta_{GxSM})$$

with

$$\delta_{GxSM} \simeq \left(\frac{\kappa_h \lambda_{hhh}}{\lambda_{hhh}^{SM}} - 1 \right) C_{hhf} + \delta Z_h - \delta Z_h^{SM}$$

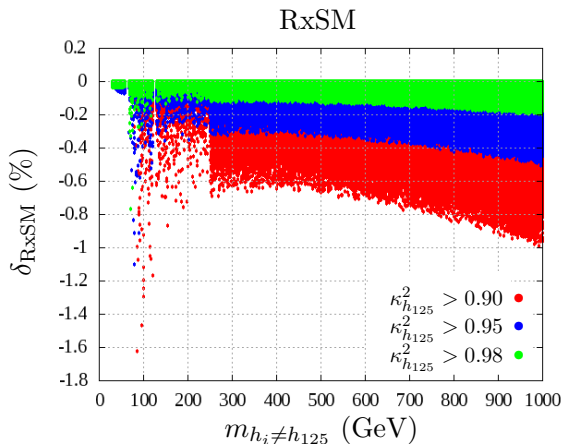
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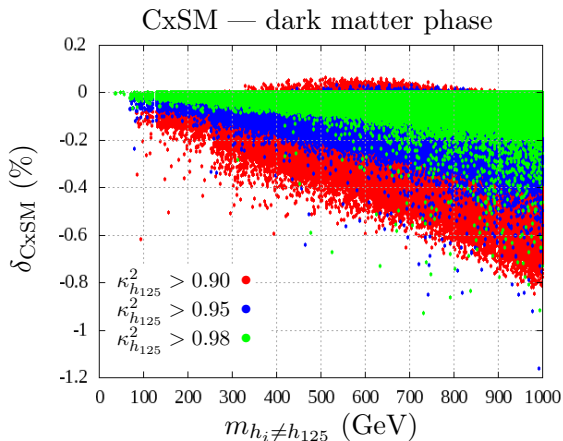
Corrections to gluon fusion – RxSM

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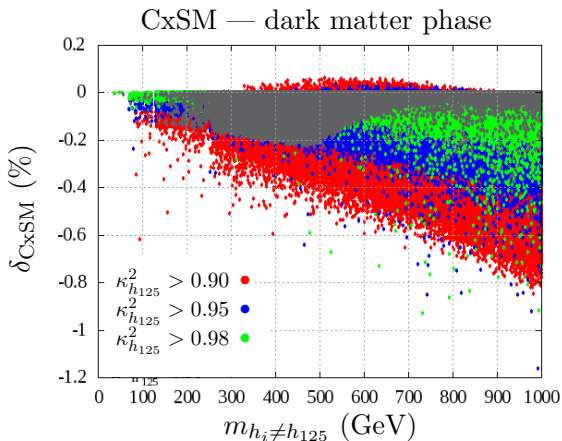
Corrections to gluon fusion – CxSM dark

$$\delta_{\text{CxSM}} \simeq \left(\frac{\kappa_h \lambda_{hhh}}{\lambda_{hhh}^{\text{SM}}} - 1 \right) C_{hhf} + \delta Z_h - \delta Z_h^{\text{SM}}$$



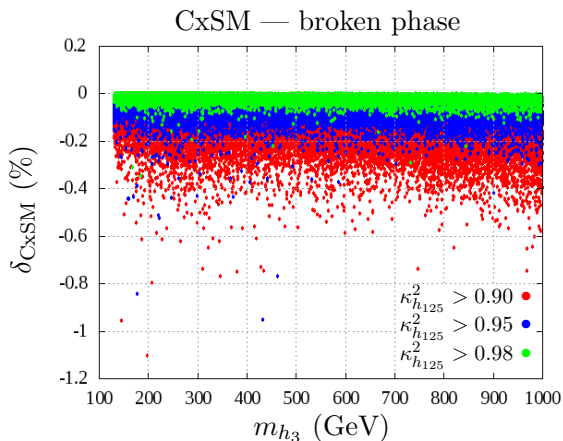
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Corrections to gluon fusion – CxSM broken

$$\delta_{\text{GxSM}} \simeq \left(\frac{\kappa_h \lambda_{hhh}}{\lambda_{hhh}^{\text{SM}}} - 1 \right) C_{hhf} + \delta Z_h - \delta Z_h^{\text{SM}}$$



Summary

- 1 The **RxSM** and **CxSM** are interesting benchmarks which can provide **dark matter** candidates
- 2 They may also assist with solving other BSM problems and provide interesting signatures at colliders
- 3 When evaluating **NLO-EW** corrections to gluon fusion single Higgs production:
 - Radiative corrections without dark matter are vanishingly small when we approach the decoupling limit
 - Despite larger corrections being possible due to the dark loops the CxSM-dark is very constrained and corrections are at most of order a few percent.
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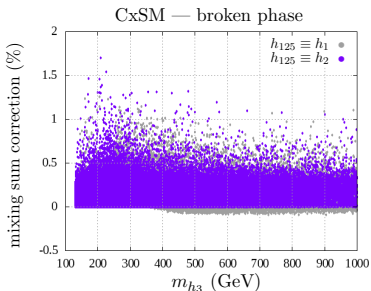
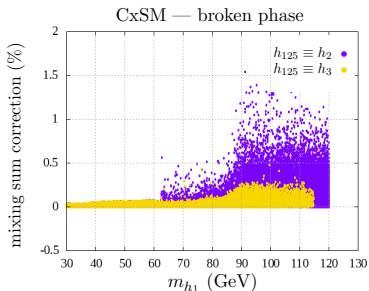
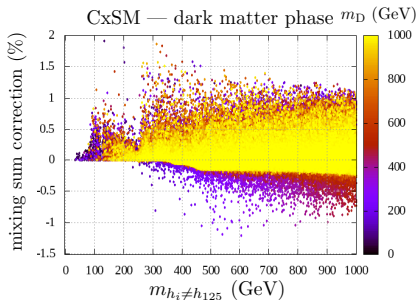
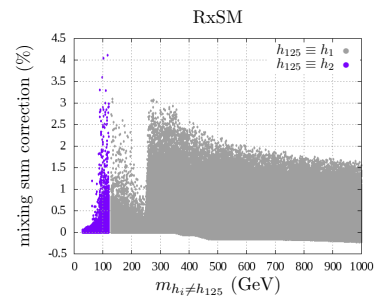
BACKUP

At the level of the scalar propagator corrections we can assess **magnitude of NLO corrections** by looking at ($\varepsilon \equiv \hbar/(4\pi)^2$):

$$\sum_x \kappa_x^2 - 1 = \frac{\varepsilon}{2} \sum_{x,j \neq x} \kappa^{(0)j} \kappa^{(0)x} \frac{\Re \left[\Delta \Sigma_{jx}^{(1)} - \Delta \Sigma_{xj}^{(1)} \right]_{\text{tree}}}{m_x^{2(0)} - m_j^{2(0)}} + \mathcal{O}(\varepsilon^2).$$

- **Fixed** within schemes with normalised pole eigenstates.
- Measures **deviations from tree level mixing sum**.
- Good **indicator of magnitude NLO** corrections.

Mixing sum shifts



micrOMEGAS – relic density & direct detection

Implemented **micrOMEGAS interface** \Rightarrow present relic density

Involves:

- Creating LanHep model file
- Link and compile micrOMEGAS routines with **ScannerS**

Physical idea:

- Only 1 dark A out of equilibrium
- A non-relativistic (CDM)
- relic number density n_A governed by the Boltzmann eq.

$$\frac{dn_A}{dt} + 3H n_A = - \langle \sigma_A |v| \rangle \left(n_A^2 - (n_A^{EQ})^2 \right)$$

Barger et al. PRD79 (2009) 015018

