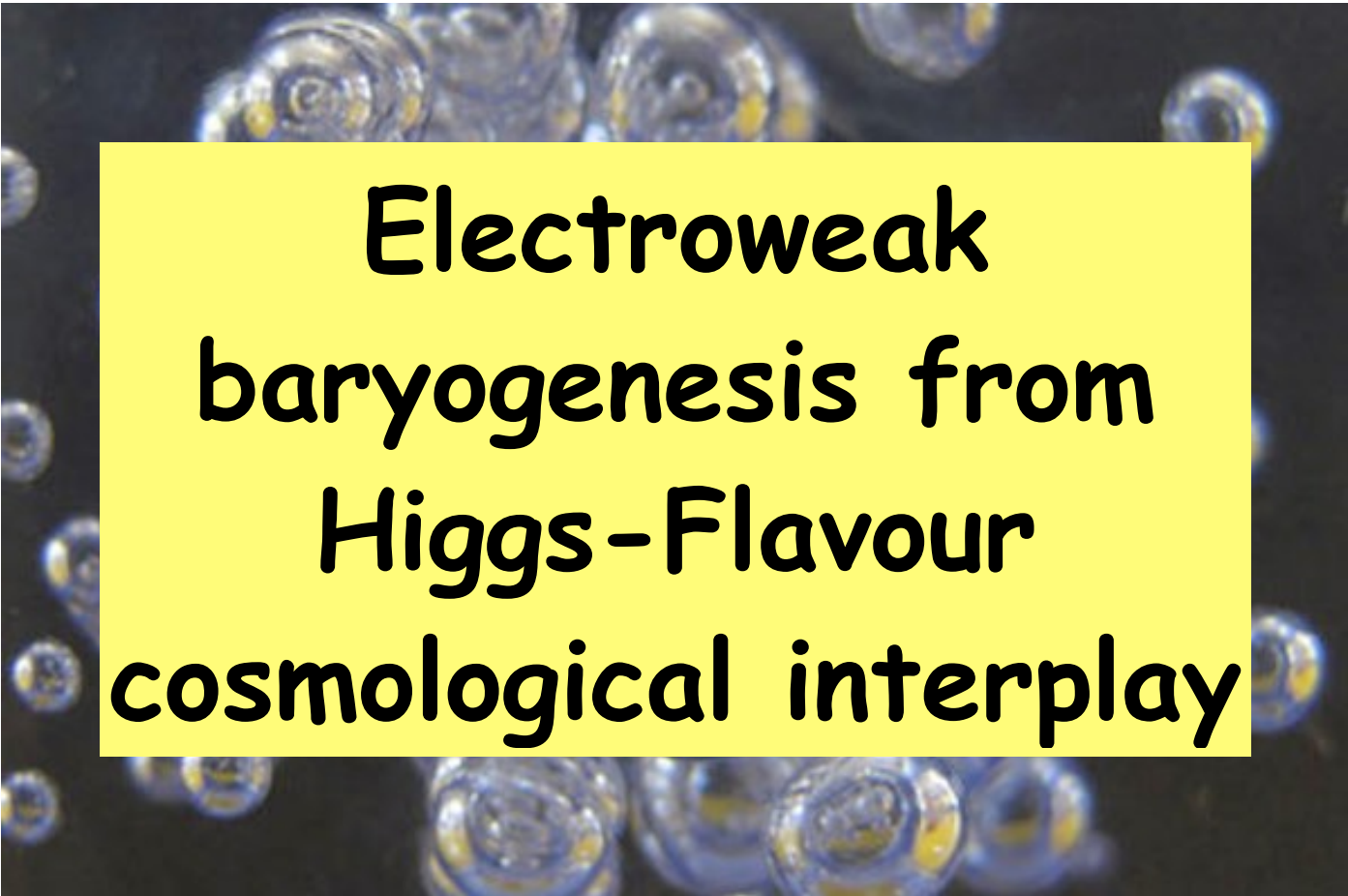




Electroweak baryogenesis from Higgs-Flavour cosmological interplay

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DESY/U.Hamburg

“20th Planck conference”

Warsaw,

May 26 2017

Aim: Exploring the cosmological interplay between Flavour dynamics and Electroweak baryogenesis

A rich programme

- Effect of varying Yukawas on EW phase transition
Baldes, Konstandin, Servant, 1604.04526
- Implementation in Froggatt-Nielsen
Baldes, Konstandin, Servant, 1608.03254
- Natural realisation of Yukawa variation in Randall-Sundrum
Von Harling, Servant, 1612.02447
- Calculation of baryon asymmetry in models of variable Yukawas
Bruggisser, Konstandin, Servant, to appear

see parallel talks by
Bruggisser and Von Harling

Matter Anti-matter asymmetry of the universe

$$\eta = \frac{n_B - n_{\bar{B}}}{n_\gamma} \equiv \eta_{10} \times 10^{-10}$$

$$5.7 \leq \eta_{10} \leq 6.7 \text{ (95\%CL)}$$

η remains unexplained within the Standard Model

double failure:

- lack of out-of-equilibrium condition
- so far, no baryogenesis mechanism that works with only SM CP violation (CKM phase)

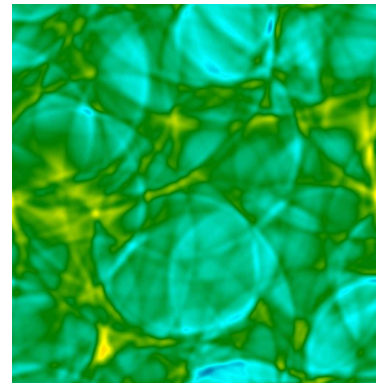
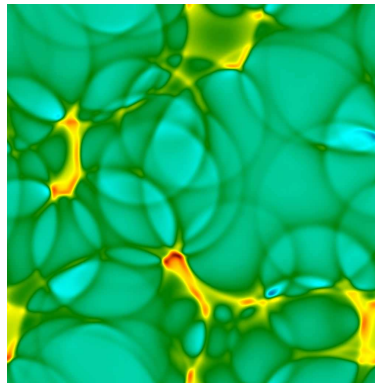
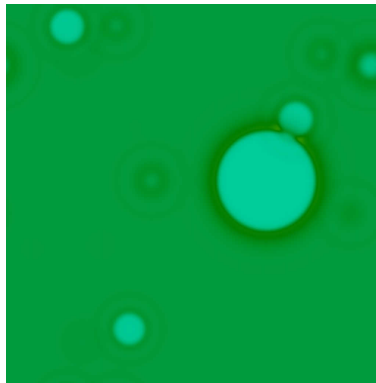
proven for standard
EW baryogenesis

Gavela, P. Hernandez, Orloff, Pene '94
Konstandin, Prokopec, Schmidt '04

attempts in cold EW
baryogenesis

Tranberg, A. Hernandez, Konstandin, Schmidt '09
Brauner, Taanila, Tranberg, Vuorinen '12

Baryogenesis at a first-order EW phase transition

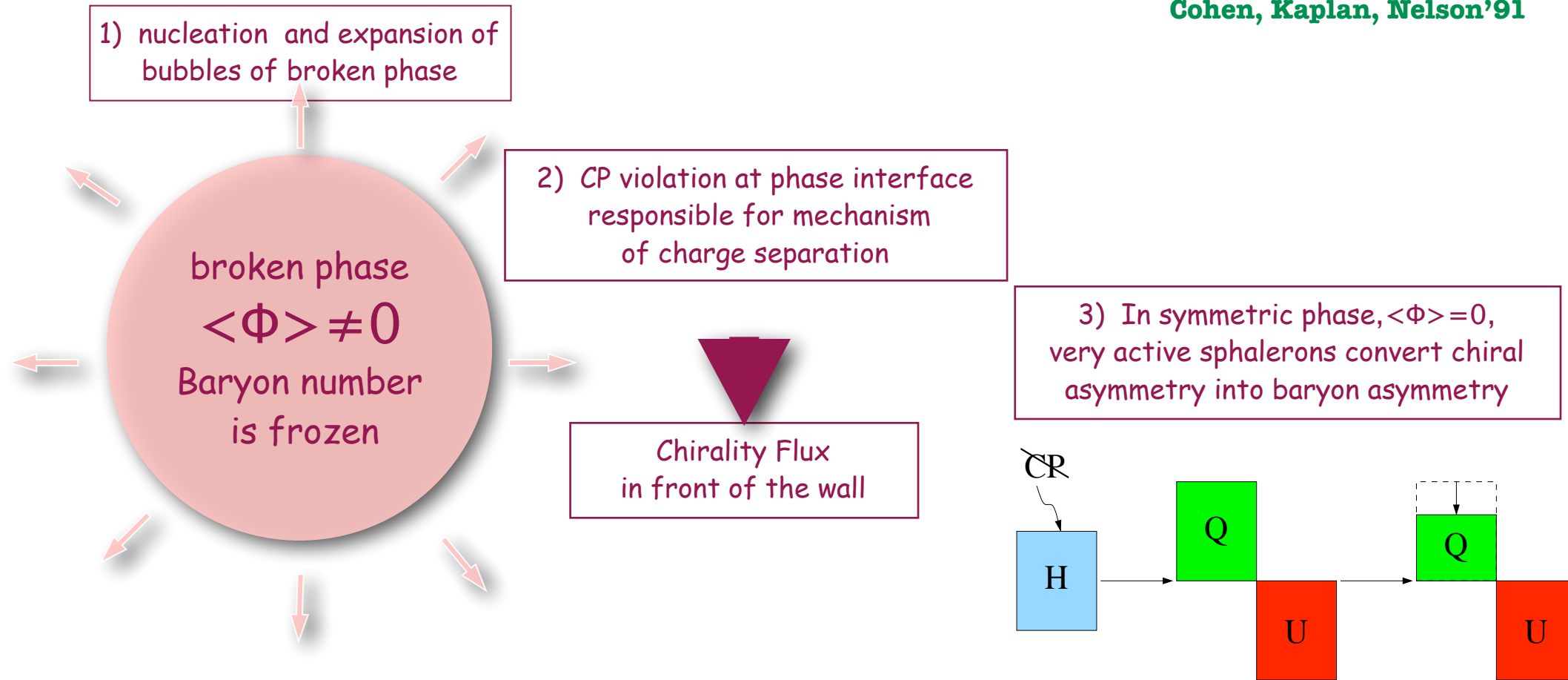


[image credit:1304.2433]

Baryon asymmetry and the EW scale

Kuzmin, Rubakov, Shaposhnikov'85

Cohen, Kaplan, Nelson'91

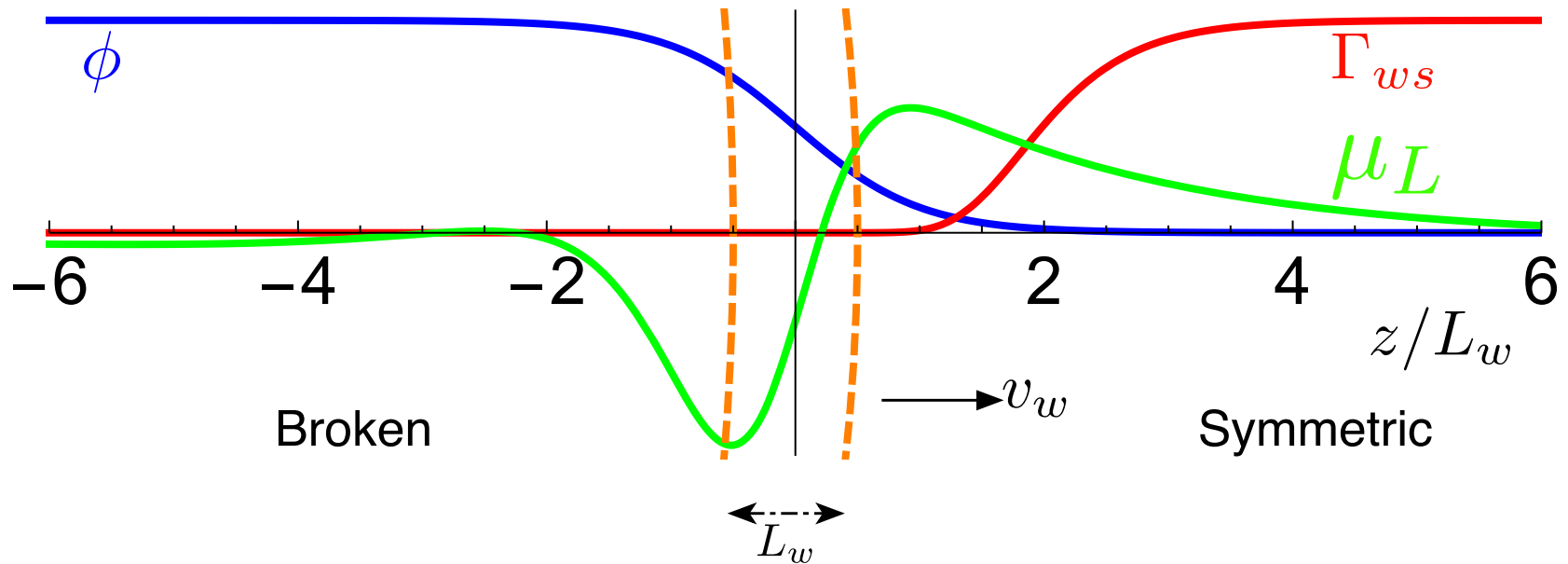


Electroweak baryogenesis mechanism relies on a first-order phase transition satisfying $\frac{\langle \Phi(T_n) \rangle}{T_n} \gtrsim 1$

The Electroweak Baryogenesis Miracle:

$$\eta_B = \frac{n_B(-\infty)}{s} = \frac{135 N_c}{4\pi^2 v_w g_* T} \int_{-\infty}^{+\infty} dz \Gamma_{ws} \mu_L \text{Exp} \left[-\frac{3}{2} A \frac{1}{v_w} \int_{-\infty}^z dz_0 \Gamma_{ws} \right]$$

$$\Gamma_{ws} = 10^{-6} T e^{-\frac{E_{sph}}{T} \frac{\phi(T)}{v}}$$



The Electroweak Baryogenesis Miracle:

$$\eta_B = \frac{n_B(-\infty)}{s} = \frac{135 N_c}{4\pi^2 v_w g_* T} \int_{-\infty}^{+\infty} dz \Gamma_{ws} \mu_L \text{Exp} \left[-\frac{3}{2} A \frac{1}{v_w} \int_{-\infty}^z dz_0 \Gamma_{ws} \right]$$

$$\Gamma_{ws} = 10^{-6} T e^{-\frac{E_{sph}}{T} \frac{\phi(T)}{v}}$$

$$\eta_B \sim \frac{\Gamma_{ws} \mu_L L_w}{g_* T}$$

$$\mu_L \sim M'' M \sim \frac{\delta_{CP}}{L_w^2 T}$$

$$L_w \sim \frac{1}{T}$$

$$\eta_B \sim \frac{\Gamma_{ws} \delta_{CP}}{g_* L_w T^2} \sim \frac{10^{-6} \delta_{CP}}{g_*} \sim 10^{-8} \delta_{CP}$$

All parameters fixed by electroweak physics. If new CP violating source of order 1 then we get just the right baryon asymmetry.

Objective # I

Strong 1st-order EW phase transition

An easy way: dilaton-like potential

naturally leads to supercooling

not a polynomial

$$V = V(\sigma) + \frac{\lambda}{4}(\phi^2 - c\sigma^2)^2$$

$$c = \frac{v^2}{\langle\sigma\rangle^2}$$

Higgs vev controlled by dilaton vev

(e.g. Randall-Sundrum scenario)

$$V(\sigma) = \sigma^4 \times f(\sigma^\epsilon)$$

Creminelli, Nicolis, Rattazzi'01

Randall, Servant'06

Nardini, Quiros, Wulzer'07

Konstandin, Nardini, Quiros'10

Hassanain, March-Russell, Schwelling'07

Konstandin, Servant I and II, '1

Servant'1

Bunk, Hubisz, Jain'1

a scale invariant function modulated by a slow evolution through the σ^ϵ term
for $|\epsilon| \ll 1$

similar to Coleman-Weinberg mechanism where a slow Renormalization Group evolution of potential parameters can generate widely separated scales

**Nucleation temperature can be parametrically
much smaller than the weak scale**

Application:

Baryogenesis from strong CP violation and the QCD axion

A coupling of the type $\sim \frac{a(t)}{f_a} F \tilde{F}$  EW field strength

will induce from the motion of the axion field a chemical potential for baryon number given by

$$\frac{\partial_t a(t)}{f_a}$$

This is non-zero only once the axion starts to oscillate after it gets a potential around the QCD phase transition.

Time variation of axion field can be CP violating source for baryogenesis if EW phase transition is supercooled

Servant, 1407.0030



Cold Baryogenesis

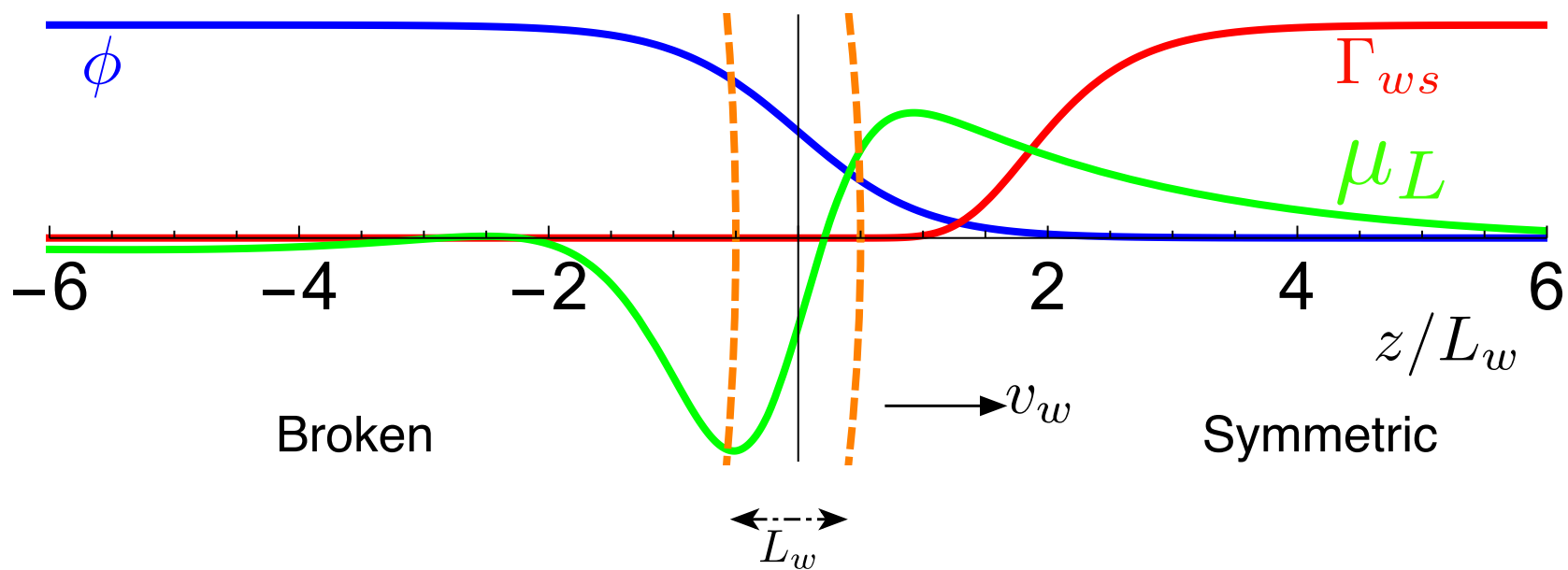
requires a coupling between the Higgs and an additional light scalar: testable @ LHC & compatible with usual QCD axion Dark matter predictions

Objective # II

New large sources of *CP* violation

$$\eta_B = \frac{n_B(-\infty)}{s} = \frac{135 N_c}{4\pi^2 v_w g_* T} \int_{-\infty}^{+\infty} dz \Gamma_{ws} \mu_L \text{Exp} \left[-\frac{3}{2} A \frac{1}{v_w} \int_{-\infty}^z dz_0 \Gamma_{ws} \right]$$

$$\Gamma_{ws} = 10^{-6} T e^{-\frac{E_{sph}}{T} \frac{\phi(T)}{v}}$$



Kinetic equations

$$\left(k_z \partial_z - \frac{1}{2} \left(\left[V^\dagger (m^\dagger m)' V \right] \right)_{ii} \partial_{k_z} \right) f_{L,i} \approx \mathbf{C} + \mathcal{S}$$

$$\left(k_z \partial_z - \frac{1}{2} \left(\left[V^\dagger (m^\dagger m)' V \right] \right)_{ii} \partial_{k_z} \right) f_{R,i} \approx \mathbf{C} - \mathcal{S}$$

collisions

source

$$\eta_B = \sum_i \int_{-\infty}^{+\infty} dy K_i(y) \bar{\mathcal{S}}_i(y)$$

diffusion effects
& sphalerons

CP-violating
source

Usual CP-violating sources in EW baryogenesis:

-Charginos/neutralinos (MSSM)

Cline et al,
Carena et al...

-Varying phase in effective Top quark Yukawa

SM+singlet,

Fromme-Huber

Composite Higgs, Espinosa, Gripaios, Konstandin, Riva, '11

2-Higgs doublet model Konstandin et al, Cline et al

- two recent alternatives: strong CP

QCD axion (Servant '14)

and CP in DM sector (e.g. Cline'17)

the CKM matrix as the CP-violating source

In the SM: $\eta_B \lesssim 10^{-2} \Delta_{CP}$

Farrar, Shaposhnikov '93

$$\Delta_{CP} \sim (M_W^6 T_c^6)^{-1} \prod_{\substack{i>j \\ u,c,t}} (m_i^2 - m_j^2) \prod_{\substack{i>j \\ d,s,b}} (m_i^2 - m_j^2) J_{CP}$$

Gavela, *et al.* '93
Huet, Sather '94

Jarlskog constant

Based solely on
reflection coefficients

$$J = s_1^2 s_2 s_3 c_1 c_2 c_3 \sin(\delta) = (3.0 \pm 0.3) \times 10^{-5},$$

If large masses during EW phase transition
->no longer suppression of CKM CP violation

Berkooz, Nir, Volansky '04

New idea: Varying SM Yukawas as CP violating source

$$S \sim \text{Im} \left[V_{CKM}^\dagger m^{\dagger''} m V_{CKM} \right]$$

$$m = y(z) \cdot \frac{\phi(z)}{\sqrt{2}}$$

For constant y :

$$S \sim \underbrace{\text{Im} \left[V_{CKM}^\dagger y^\dagger y V_{CKM} \right]}_{=0} \phi'' \phi$$

1-Flavour case

$$m = |m|e^{i\theta}$$

$$S \propto \text{Im} \left[V^\dagger m^{\dagger''} m V \right] = (|m|^2 \theta')'$$

requires variation of phase

More than 1 flavour: no need for variation of phase

Flavour-EW symmetry breaking cosmological interplay

Baldes, Konstandin, Servant, 1604.04526

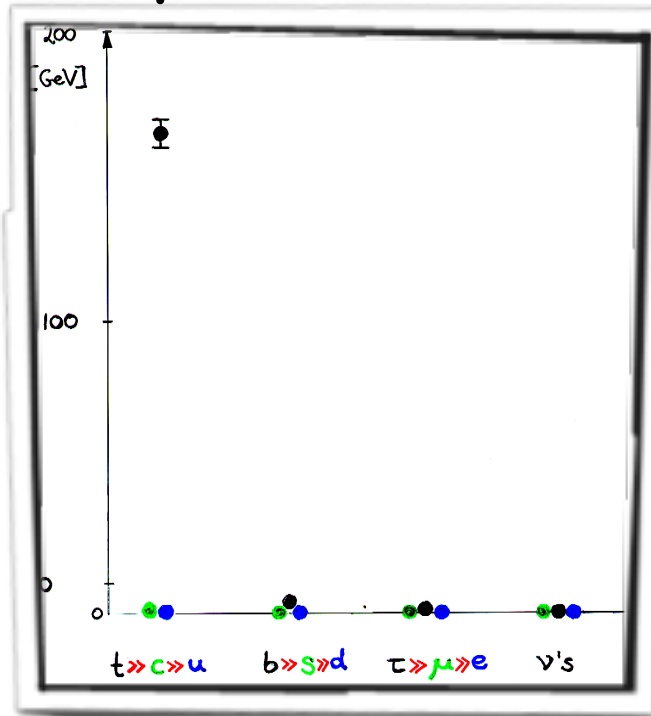
Baldes, Konstandin, Servant, 1608.03254

Von Harling, Servant, 1612.02447

Bruggisser, Konstandin, Servant, to appear

Origin of the fermion mass hierarchy?

the mass spectrum of the fermions is intriguing



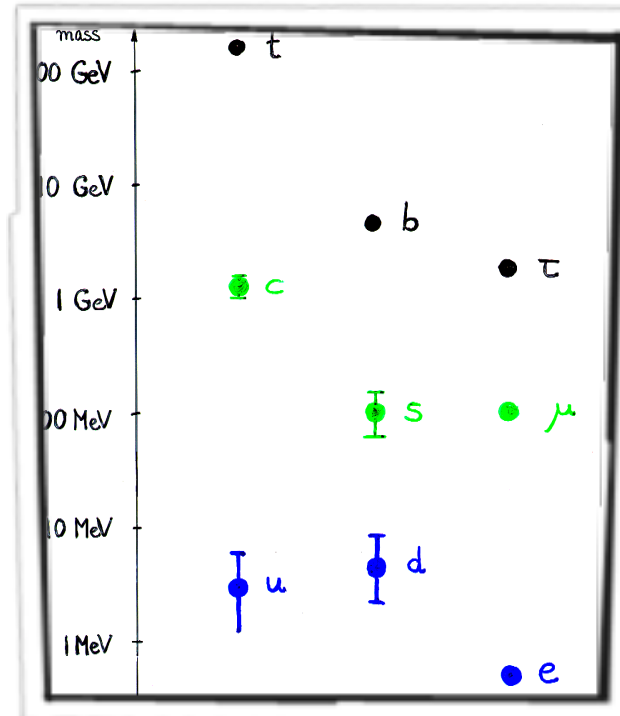
fermion Yukawas

$$y_{ij} \bar{f}_L^i \Phi^{(c)} f_R^j$$

$$\langle \Phi \rangle = v/\sqrt{2}$$

fermion masses

$$m_f = y_f v/\sqrt{2}$$



There are three main mechanisms to describe fermion masses

$$m_f = y_f v / \sqrt{2}$$

1) Spontaneously broken abelian flavour symmetries
as originally proposed by Froggatt and Nielsen

2) Localisation of the profiles of the fermionic zero
modes in extra dimensions

3) Partial fermion compositeness in composite
Higgs models

**may be
related by
holography**

The scale at which the flavour structure emerges is not known.

Usually assumed to be high but could be at the EW scale.

Origin of the fermion mass hierarchy?

Fermion Yukawas

$$y_{ij} \bar{f}_L^i \Phi^{(c)} f_R^j$$

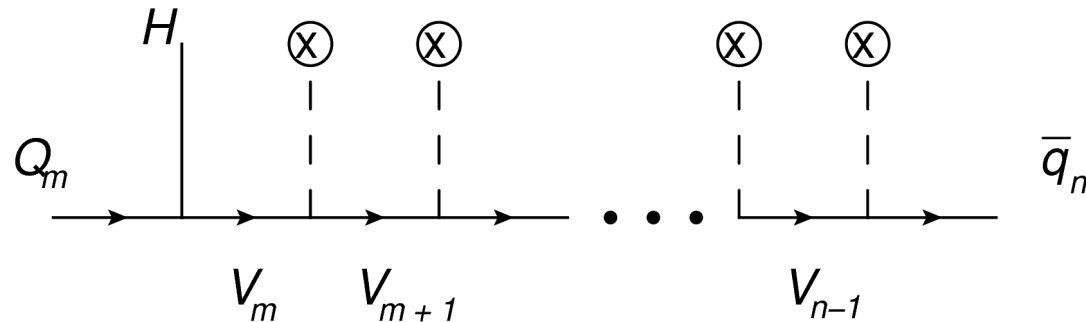
In Froggatt Nielsen constructions, the Yukawa couplings are controlled by the breaking parameter of a flavour symmetry. A scalar field “flavon” χ carrying a negative unit of the abelian charge develops a vacuum expectation value (VEV) and:

$$y_{ij} \sim (\langle \chi \rangle / M)^{-q_i + q_j + q_H} \quad \leftarrow \text{flavor charges of the fermions}$$

Froggatt-Nielsen

Fermion Yukawas

$$y_{ij} \bar{f}_L^i \Phi^{(c)} f_R^j$$



$$y_{ij} \sim (\langle \chi \rangle / M)^{-q_i + q_j + q_H} \longleftarrow \text{flavor charges of the fermions}$$

$$\lambda = \langle \chi \rangle / M \sim 0.22 \quad \longrightarrow \quad \begin{array}{lll} Y_t \sim 1, & Y_c \sim \lambda^3, & Y_u \sim \lambda^7, \\ Y_b \sim \lambda^2, & Y_s \sim \lambda^4, & Y_d \sim \lambda^6, \\ s_{12} \sim \lambda, & s_{23} \sim \lambda^2, & s_{13} \sim \lambda^3. \end{array}$$

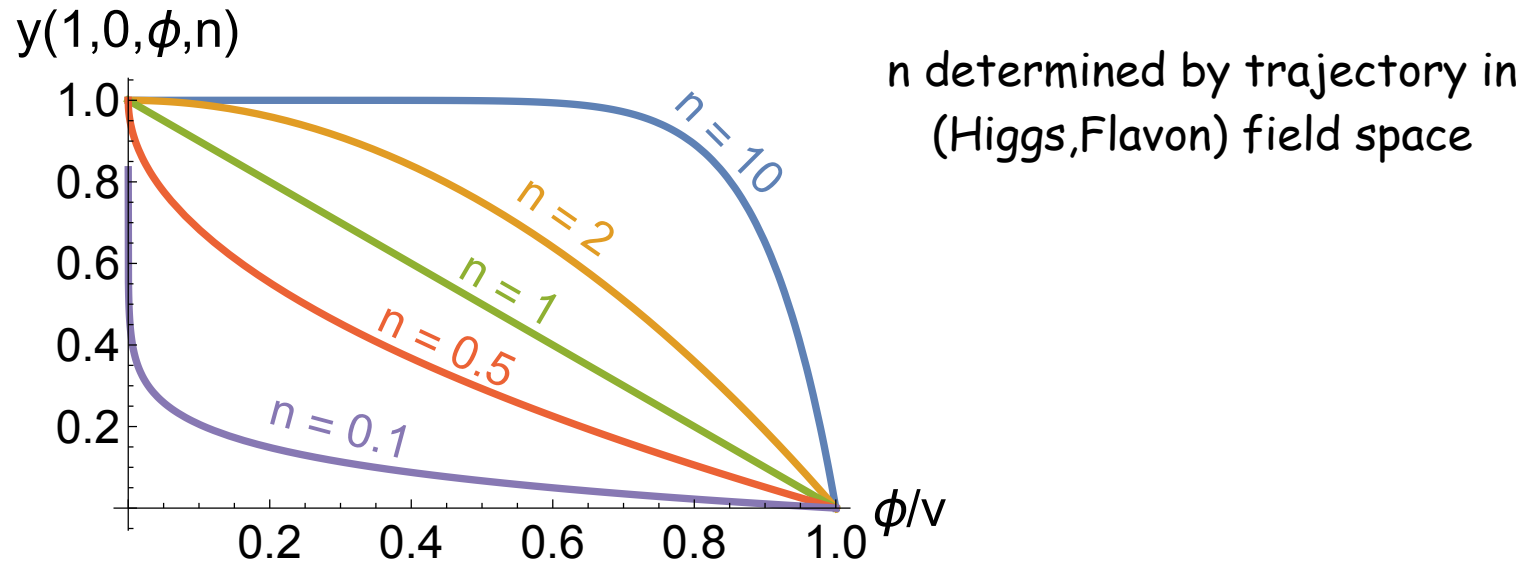
The scale M is usually assumed close to the GUT scale

Emerging Flavour during Electroweak symmetry breaking

Flavour structure could emerge during electroweak symmetry breaking if the “Flavon” field dynamics is linked to the Higgs field, e.g. via

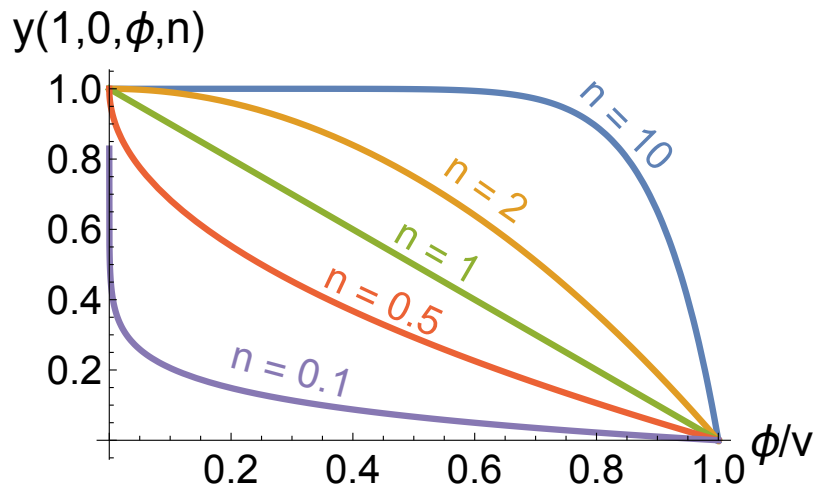
$$\lambda_{\phi\chi}\phi^2\chi^2$$

Induced Yukawa coupling variation across the bubble wall



Not an EFT!

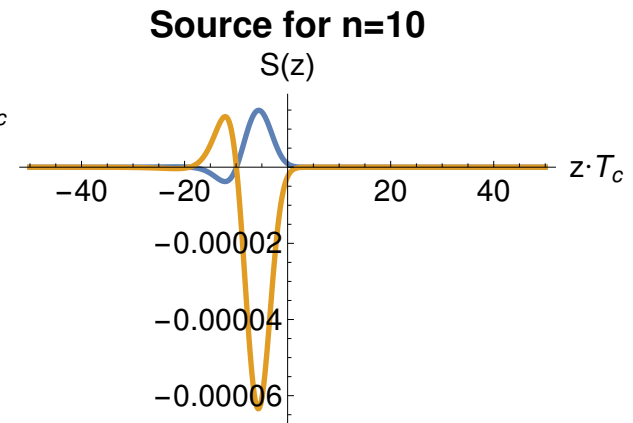
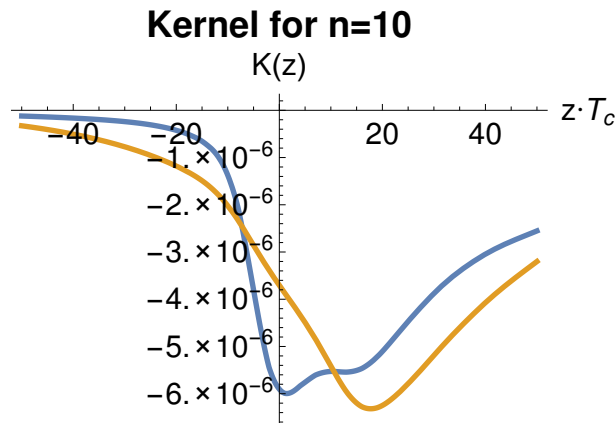
Yukawa does not depend on Φ today
Dependence induced only during EW phase transition.



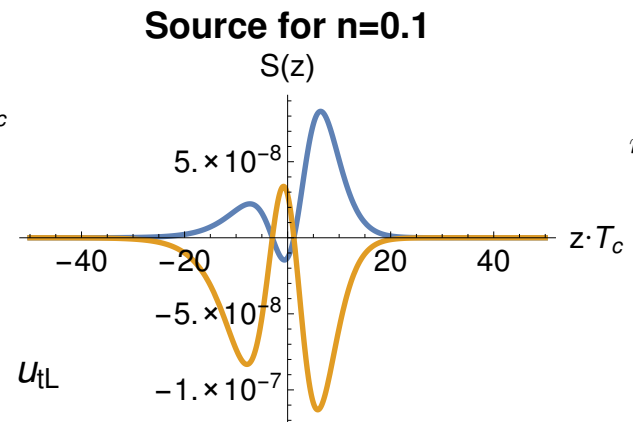
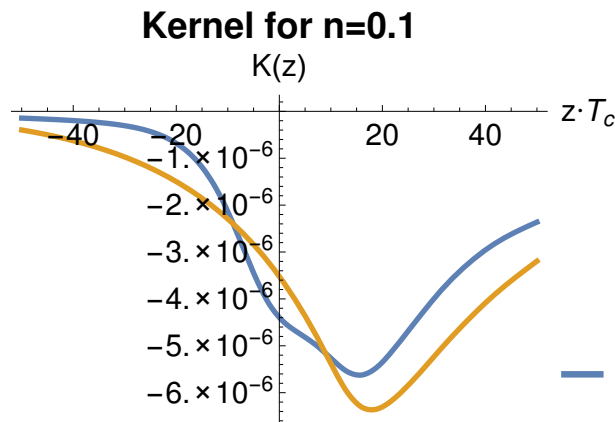
$$\eta_B = \sum_i \int_{-\infty}^{+\infty} dy K_i(y) \bar{\mathcal{S}}_i(y)$$

kernel does not
depend much on
Yukawa profile

source term gets
shifted towards broken
phase for large n



$$\eta_B \approx 5.5 \cdot 10^{-10}$$



$$\eta_B \approx 2.1 \cdot 10^{-12}$$

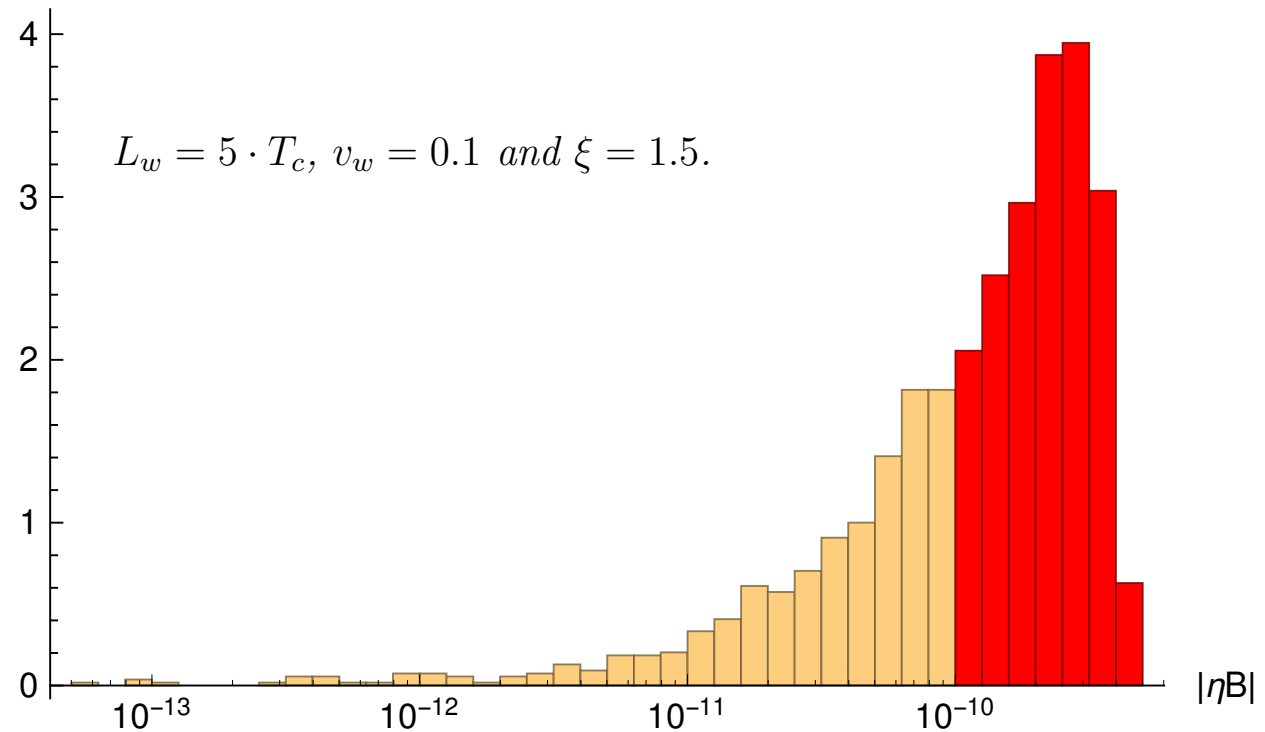
— U_{tL}
— U_{bL}

Baryon asymmetry for random distribution of n_i

(between 0 and 10)

$$Y(n_1, n_2, n_3, n_4) = \begin{pmatrix} e^{i3.17}y(1, 0, \phi, n_1) & e^{i4.92}y(1, 0, \phi, n_2) \\ e^{i5.29}y(1, 0, \phi, n_3) & e^{i2.04}y(1, 0, \phi, n_4) \end{pmatrix}$$

Counts (arbitrary units)



Bruggisser, Konstandin, Servant, to appear

A first-order Electroweak Phase Transition in the Standard Model from Varying Yukawas

**Baldes, Konstandin,
Servant, 1604.04526**

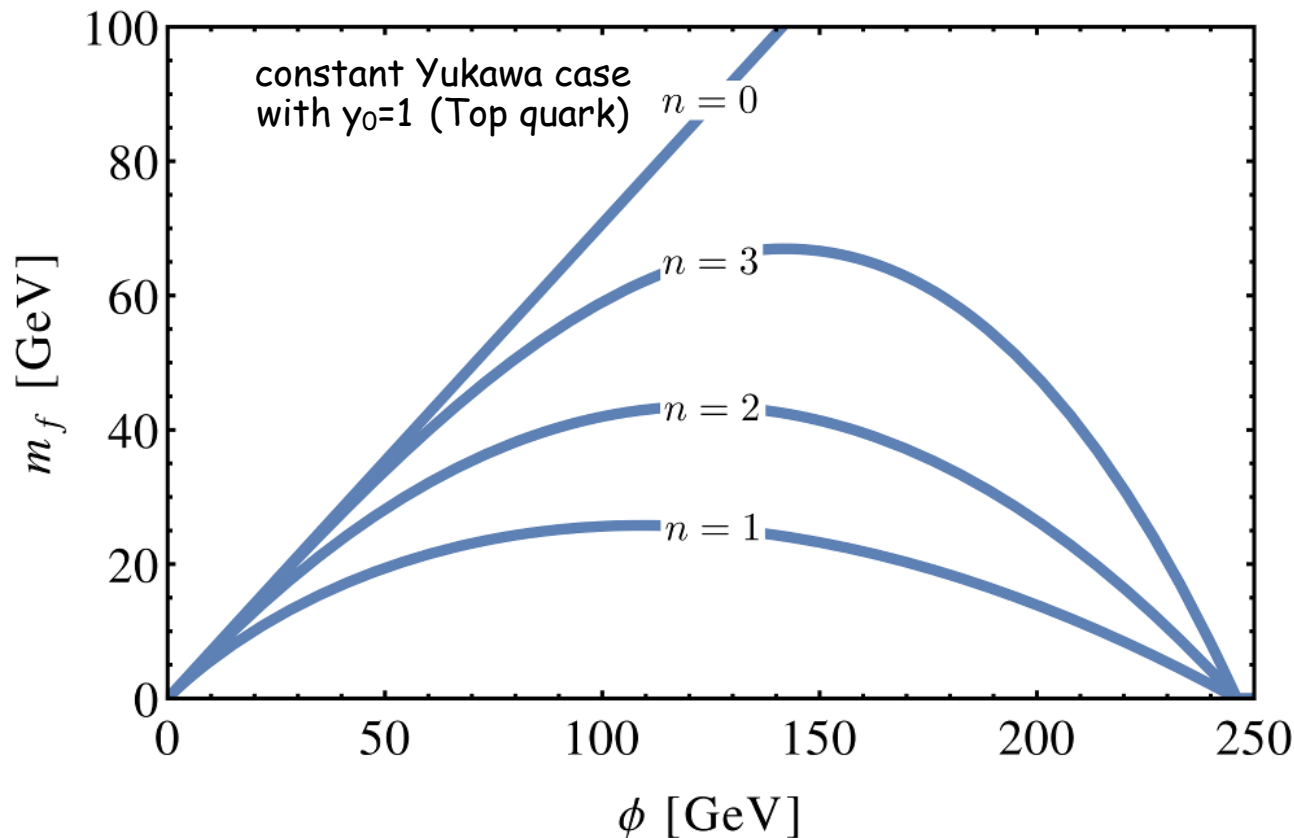
The nature of the EW phase transition is strongly modified when the Standard Model Yukawas vary at the same time as the Higgs is acquiring its vacuum expectation value.

FLAVOUR COSMOLOGY

Mass of fermionic species for varying Yukawas

$$m_f = \frac{y(\phi)\phi}{\sqrt{2}}$$

$$y(\phi) = \begin{cases} y_1 \left(1 - \left[\frac{\phi}{v}\right]^n\right) + y_0 & \text{for } \phi \leq v, \\ y_0 & \text{for } \phi \geq v. \end{cases}$$



y_0 : Yukawa value today
 y_1 : Yukawa value before
the EW phase transition
 $\sim O(1)$

High Temperature Effective Higgs Potential

At one-loop:

$$V_{\text{eff}} = V_{\text{tree}}(\phi) + V_1^0(\phi) + V_1^T(\phi, T) + V_{\text{Daisy}}(\phi, T).$$

tree
level
piece

1-loop
T=0
piece

1-loop
T≠0
piece

Daisy
resummation
piece

2) Barrier from the $T \neq 0$ one-loop potential:

$$V_1^T(\phi, T) = \sum_i \frac{g_i (-1)^F T^4}{2\pi^2} \times \int_0^\infty y^2 \text{Log} \left(1 - (-1)^F e^{-\sqrt{y^2 + m_i^2(\phi)/T^2}} \right) dy.$$

$$V_f^T(\phi, T) = -\frac{gT^4}{2\pi^2} J_f \left(\frac{m_f(\phi)^2}{T^2} \right)$$

High-T expansion:

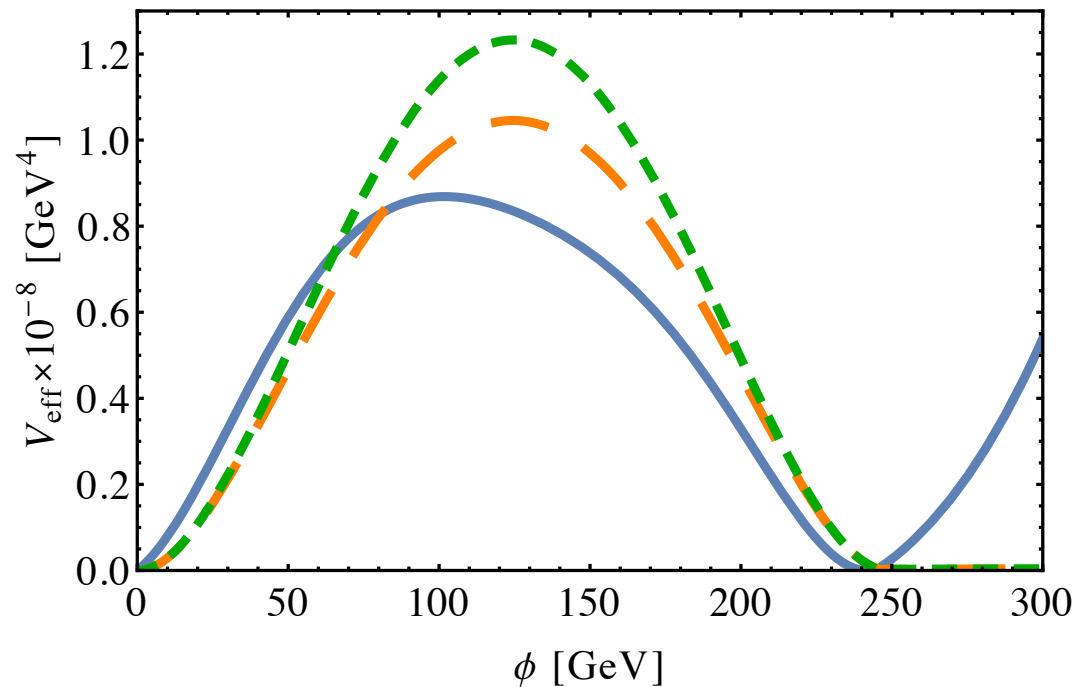
$$J_f(x^2) \approx \frac{7\pi^4}{360} - \frac{\pi^2}{24} x^2 - \frac{x^4}{32} \text{Log} \left[\frac{x^2}{13.9} \right]$$

$$\delta V \equiv V_f^T(\phi, T) - V_f^T(0, T) \approx \frac{gT^2 \phi^2 [y(\phi)]^2}{96}$$

Fermionic fields create a barrier!

This leads to a cubic term in ϕ , e.g. for $y(\phi) = y_1(1 - \phi/v)$:

$$\delta V \approx \frac{gy_1^2\phi^2T^2}{96} \left(1 - 2\frac{\phi}{v} + \frac{\phi^2}{v^2} \right)$$



— full potential

— — — thermal contribution only

- - - thermal contribution only with high-T expansion

3) Effects from the Daisy correction:

come from resumming Matsubara zero-modes for the bosonic degrees of freedom

$$V_{\text{Daisy}}(\phi, T) = \sum_i \frac{\bar{g}_i T}{12\pi} \left\{ m_i^3(\phi) - [m_i^2(\phi) + \Pi_i(T)]^{3/2} \right\}$$

sum is over bosons


thermal mass

Consider the contribution from the Higgs:

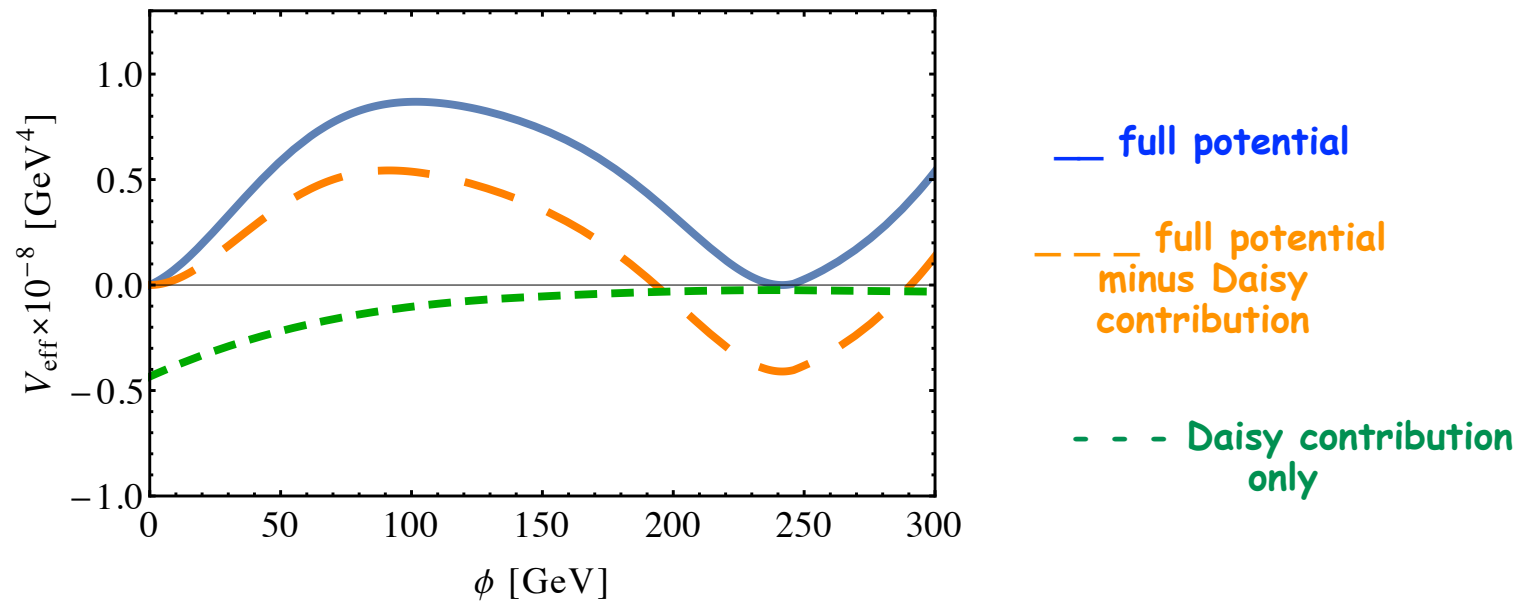
$$V_{\text{Daisy}}^\phi(\phi, T) = \frac{T}{12\pi} \left\{ m_\phi^3(\phi) - [m_\phi^2(\phi) + \Pi_\phi(\phi, T)]^{3/2} \right\}$$
$$\Pi_\phi(\phi, T) = \left(\frac{3}{16} g_2^2 + \frac{1}{16} g_Y^2 + \frac{\lambda}{2} + \frac{y_t^2}{4} + \frac{gy(\phi)^2}{48} \right) T^2$$

The novelty is the dependence of the thermal mass on Φ , which comes from the Φ -dependent Yukawa couplings

3) Effects from the Daisy correction:

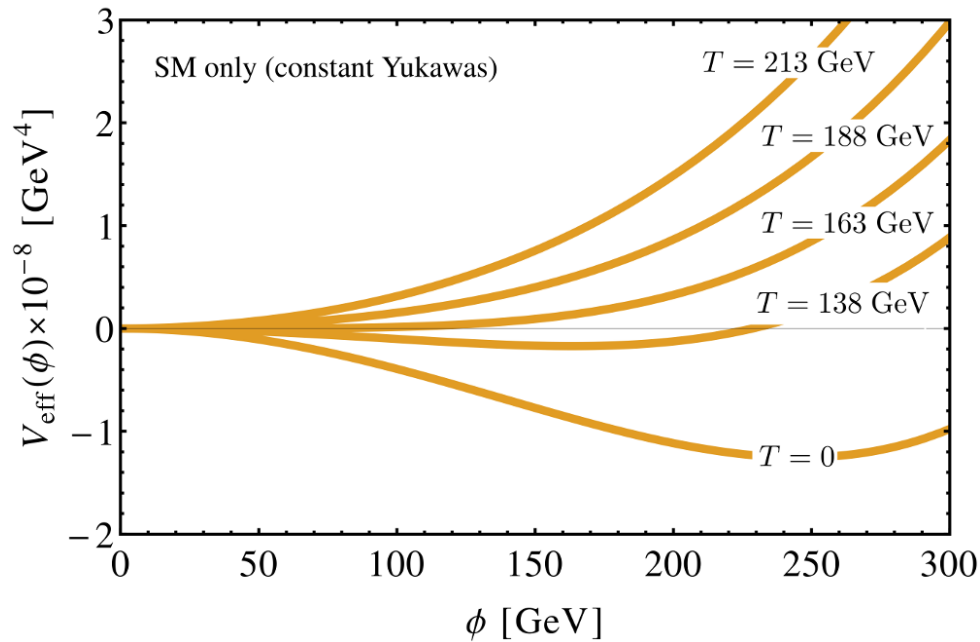
The effect is to lower the effective potential at $\Phi = 0$, with respect to the broken phase minimum.

By lowering the potential at $\Phi = 0$, the phase transition is delayed and strengthened.

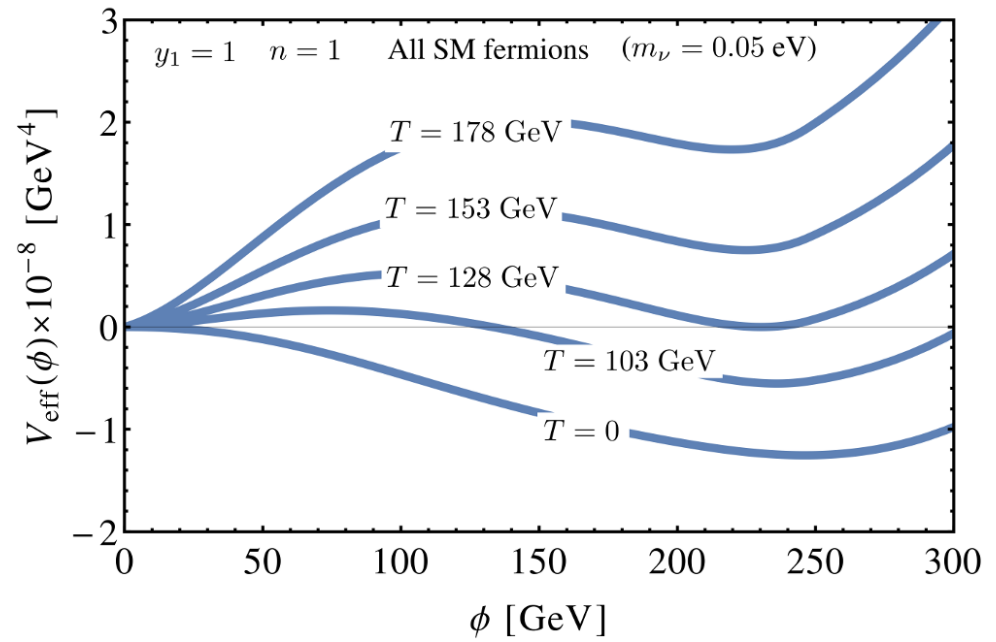


Full one-loop effective Higgs potential with Daisy Resummation

Standard Case (Constant Yukawas)



With varying Yukawas



Summary

Variation of the Yukawas of SM fermions from $O(1)$ to their present value during the EW phase transition leads to a strong first-order EW phase transition

This offers new routes for generating the baryon asymmetry at the electroweak scale, strongly tied to flavour models.

Naturally varying Yukawas: The Froggatt-Nielsen case

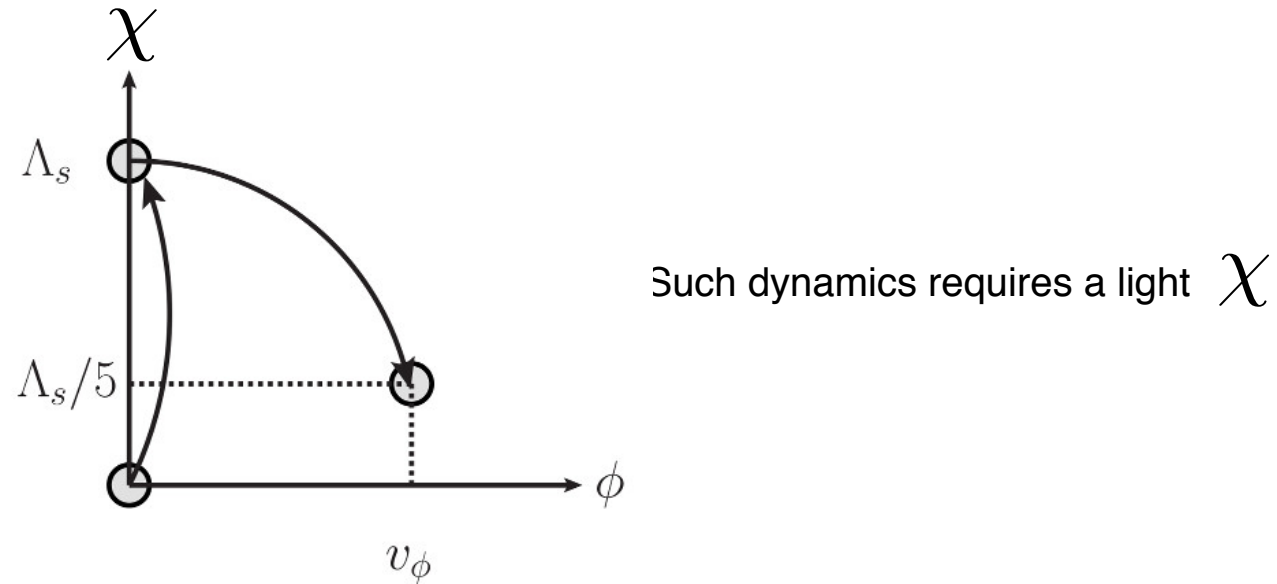
In simplest implementation: Tension between requirement of very light flavon (for sufficient Yukawa variation) and Flavour constraints (meson oscillations)

Baldes, Konstandin, Servant, 1608.03254

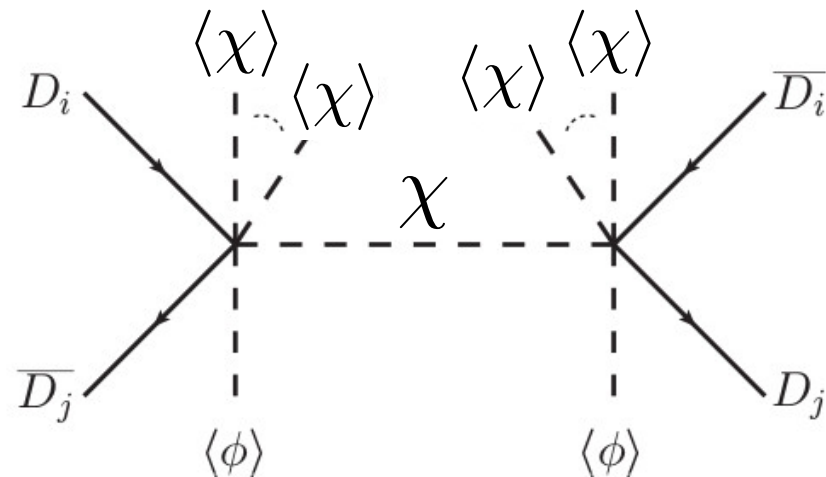
But: We did not take into account dynamics of Froggatt-Nielsen fermions. Follow-up study in progress.

Baldes, Servant, Suresh, in progress.

The tension in low-scale Froggatt-Nielsen models

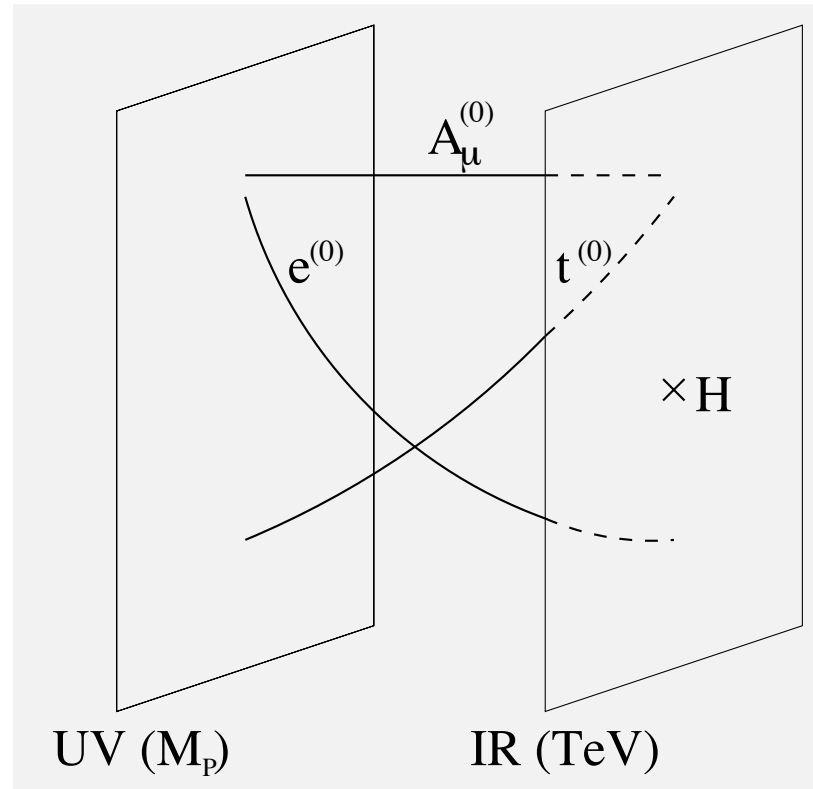


But a light χ induces large B-meson oscillations



Naturally varying Yukawas: The Randall-Sundrum case

Von Harling, Servant '16



AdS₅ metric

$$ds^2 = e^{-2ky} \eta_{\mu\nu} dx^\mu dx^\nu - dy^2$$

$$S \supset \int d^4x \left(\eta^{\mu\nu} \partial_\mu H^\dagger \partial_\nu H - e^{-2ky_{\text{IR}}} M_P^2 |H|^2 + \lambda |H|^4 \right)$$

$$\text{radion } \sigma \equiv e^{-ky_{\text{IR}}}$$

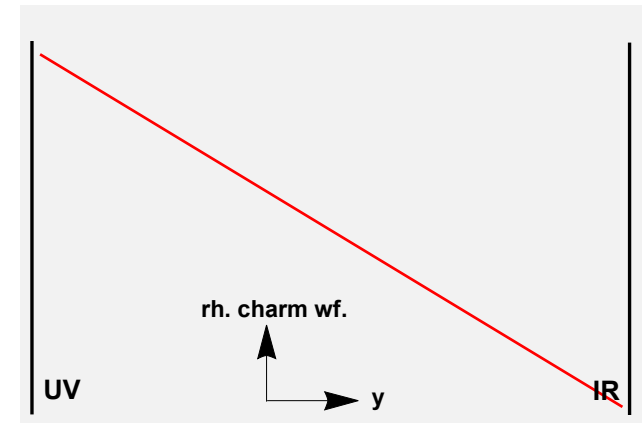
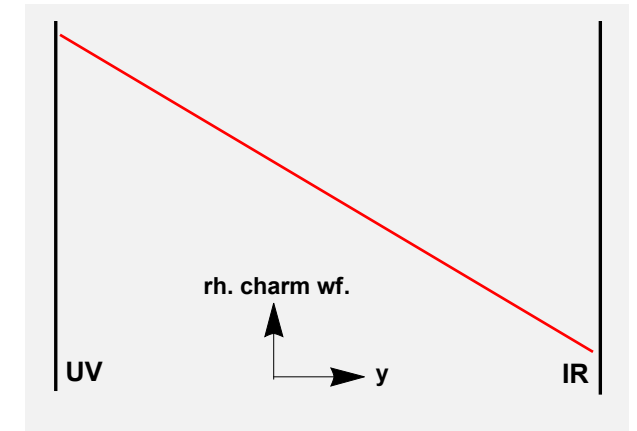
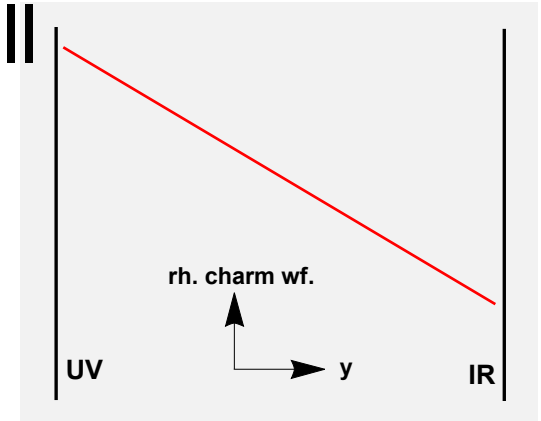
In minimal Randall-Sundrum models, Yukawas decrease across the bubble wall

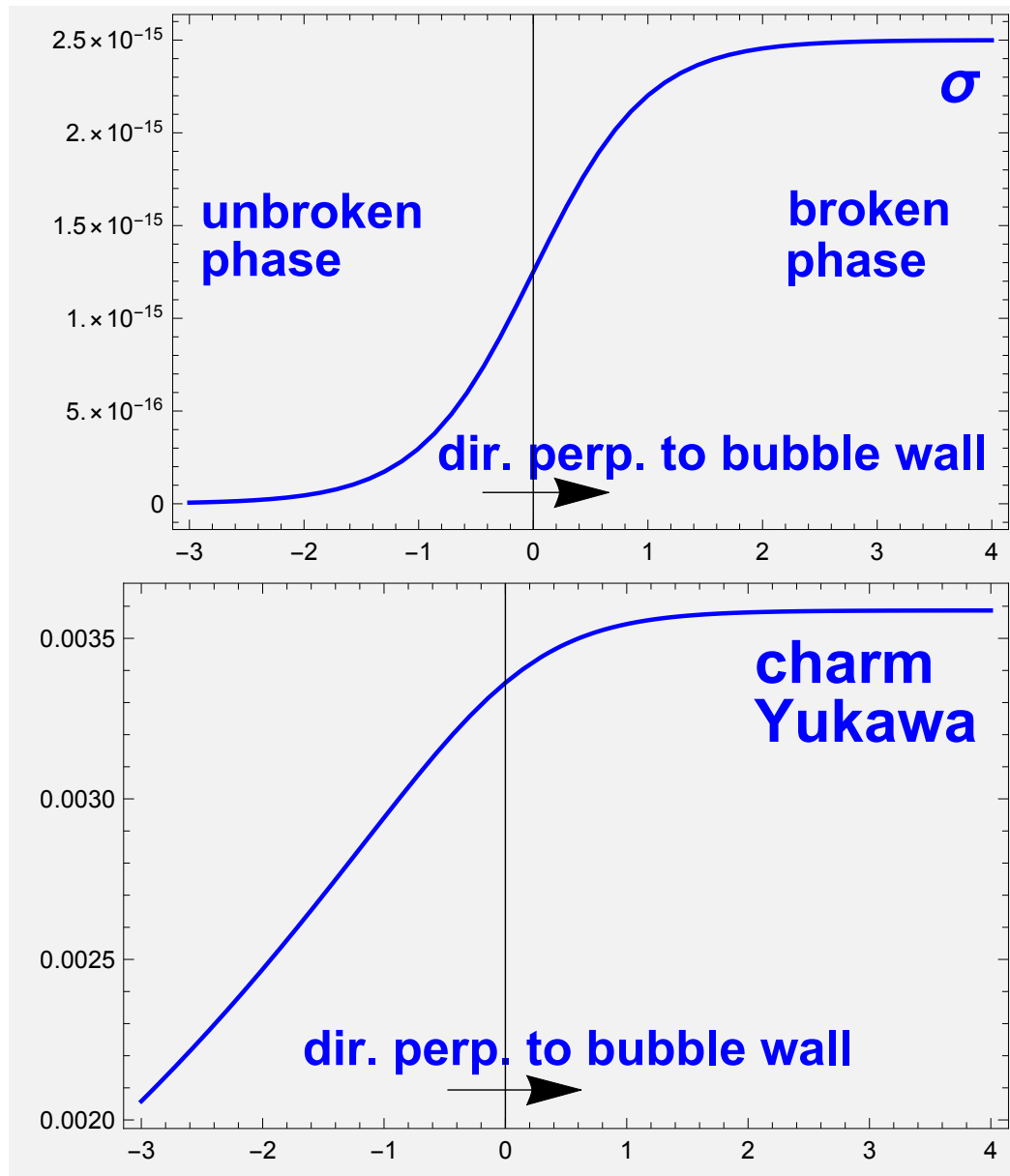
CONSTANT bulk fermion
mass term:

$$S \supset - \int d^5x \sqrt{g} \, c \, k \, \bar{\psi} \psi$$

resulting 4D effective
Yukawas:

$$y(\sigma) = \lambda \sqrt{\frac{1 - 2c_L}{1 - \sigma^{1-2c_L}}} \sqrt{\frac{1 - 2c_R}{1 - \sigma^{1-2c_R}}}$$





$\Rightarrow$ Yukawas decrease along bubble wall
 $\Rightarrow$ not enough CP -violation from $S_{CP} \propto \text{Im} [V^\dagger M^{t''} M V]$

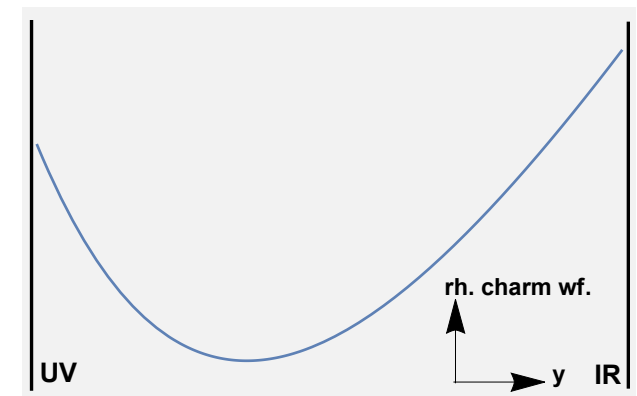
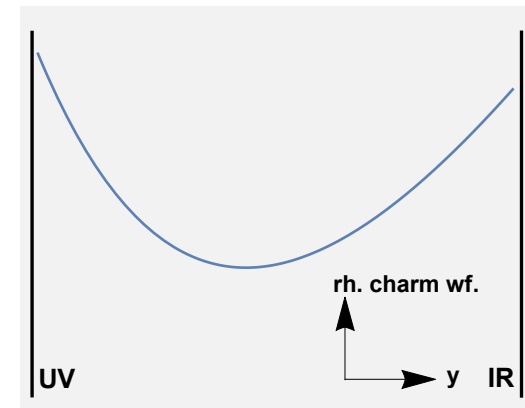
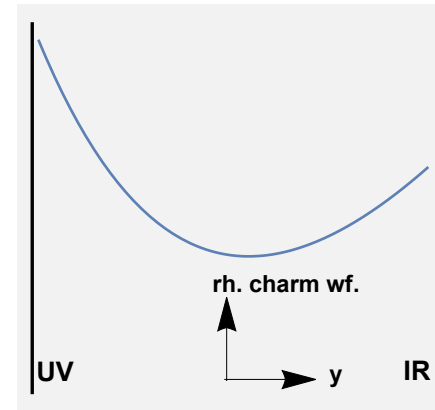
Now, assume following natural possibility:
bulk fermion mass term comes from Yukawa
coupling with Goldberger-Wise scalar:

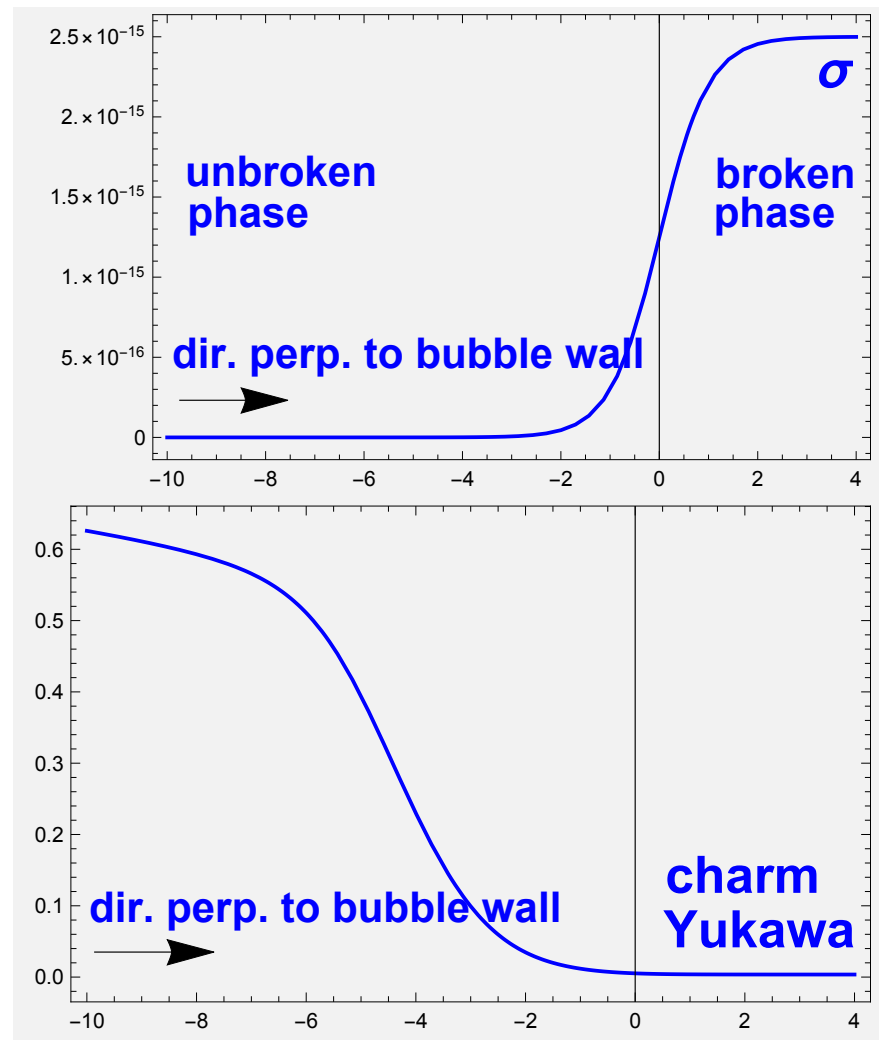
$$S \supset - \int d^5x \sqrt{g} \, \rho \langle \phi \rangle \bar{\psi} \psi$$

$\Rightarrow$ Position-dependent mass term!

resulting 4D effective Yukawas:

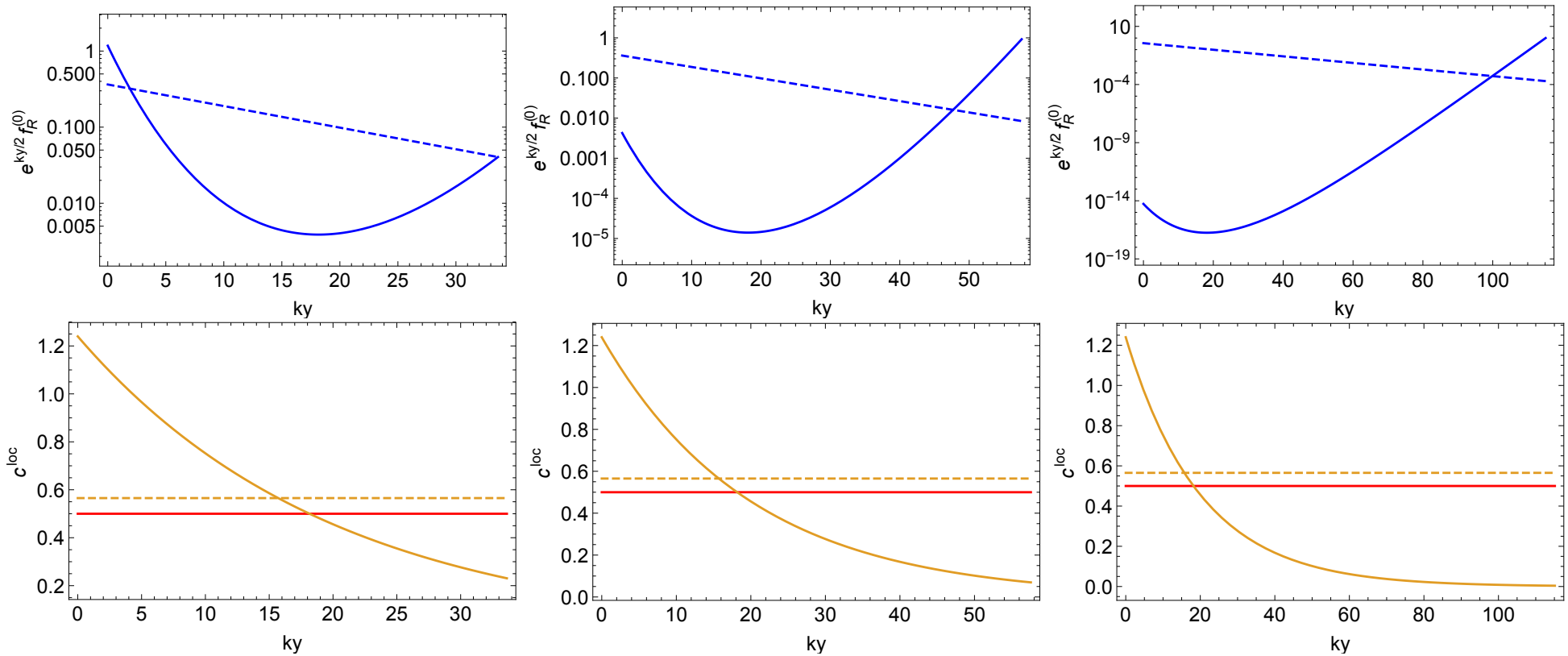
$$y(\sigma) = \lambda k \mathcal{N}_{\tilde{c}_L}^{(0)} \mathcal{N}_{\tilde{c}_R}^{(0)} \sigma^{-1} e^{\frac{(\tilde{c}_L + \tilde{c}_R) \sigma}{\epsilon}}$$





$\Rightarrow$ Yukawas increase along bubble wall
 $\Rightarrow$ more CP -violation from $S_{CP} \propto \text{Im} [V^\dagger M^{\dagger''} M V]$

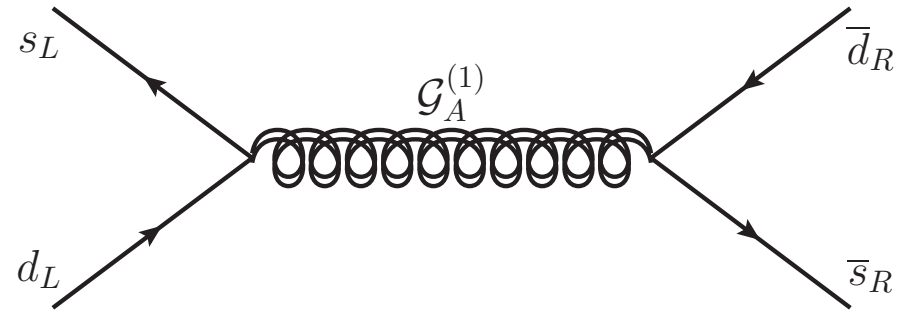
Wave function when going back in time



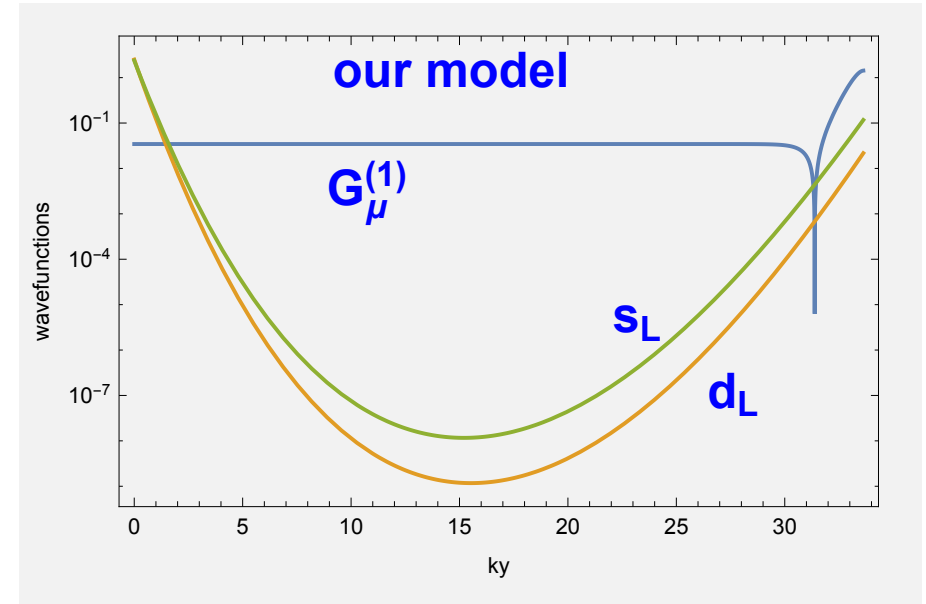
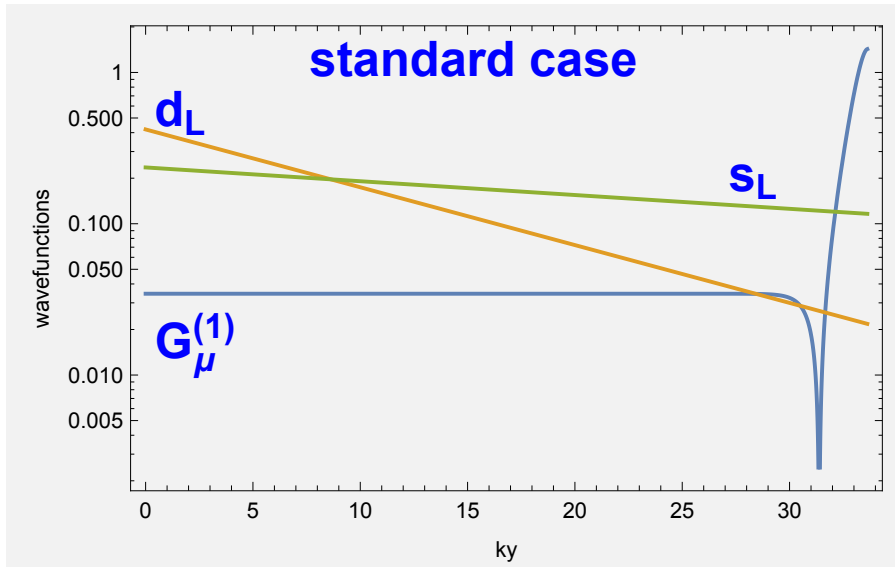
Bonus:

Modified wave functions give suppression of CP-violating processes which are very constraining in the standard case

CP violation in K-Kbar mixing



Suppression of overlap integral



Constraint for standard case of constant bulk mass terms:

$$m_{\mathcal{G}}^{(1)} \gtrsim \frac{3}{\lambda_*} (22 \pm 6) \text{ TeV} \Rightarrow e^{-ky_{\text{IR}}} k \gtrsim \frac{3}{\lambda_*} (9 \pm 3) \text{ TeV}$$

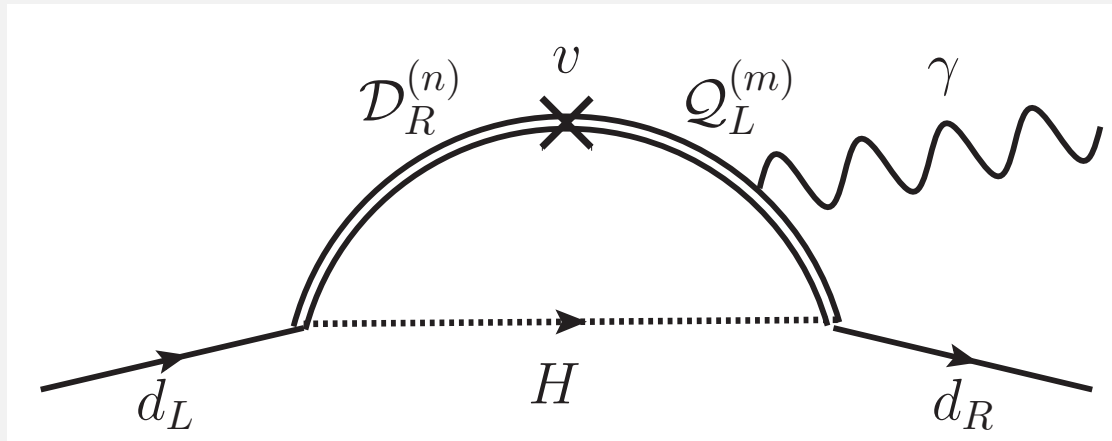
• In our scenario instead:

$$m_{\mathcal{G}}^{(1)} \gtrsim \frac{3}{\lambda_*} (7 \pm 2) \text{ TeV} \Rightarrow e^{-ky_{\text{IR}}} k \gtrsim \frac{3}{\lambda_*} (3 \pm 1) \text{ TeV}$$

⇒ Significant improvement!

Neutron EDM

- Important constraint on IR scale $e^{-ky_{\text{IR}}} M_P$ also from **neutron EDM**. Dominant contribution:



- Constraint for standard case of constant bulk mass terms:

$$m_{\psi}^{(1)} \gtrsim \frac{\lambda_*}{3} 26 \text{ TeV} \quad \Rightarrow \quad e^{-ky_{\text{IR}}} k \gtrsim \frac{\lambda_*}{3} 11 \text{ TeV}$$

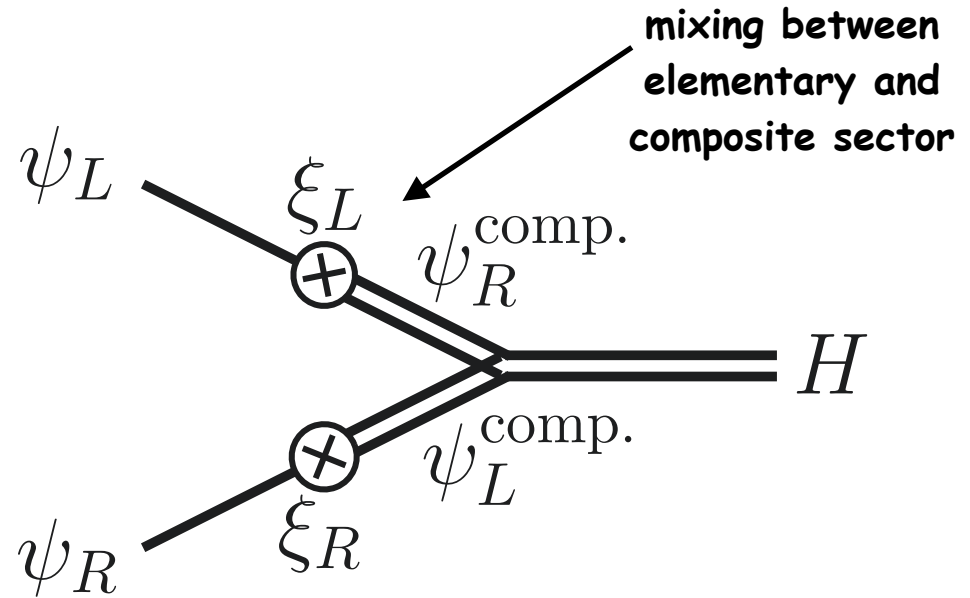
- Again expect that **constraints eased in our scenario** since first fermionic KKs are heavier than for constant bulk mass terms

CFT Interpretation

$$\mathcal{L} \supset \mathcal{L}_{\text{CFT}} + i \mathcal{Z} \bar{\psi}_L \gamma^\mu \partial_\mu \psi_L + \frac{\omega}{\Lambda_{\text{UV}}^{\Delta-5/2}} (\bar{\psi}_L \mathcal{O}_R + \text{h.c.}),$$

Effective Yukawa coupling

$$y(\Lambda_{\text{IR}}) \propto \xi_L(\Lambda_{\text{IR}}) \times \xi_R(\Lambda_{\text{IR}})$$



μ : scale of spontaneous breaking of conformal invariance in the IR

$$\xi(\mu) \equiv \frac{\omega(\mu)}{\sqrt{\mathcal{Z}(\mu)}} \left(\frac{\mu}{\Lambda_{\text{UV}}} \right)^{\Delta(\mu)-5/2}$$

$$\Delta(\mu) = 2 + \tilde{c} \left(\frac{\mu}{\Lambda_{\text{UV}}} \right)^\epsilon$$

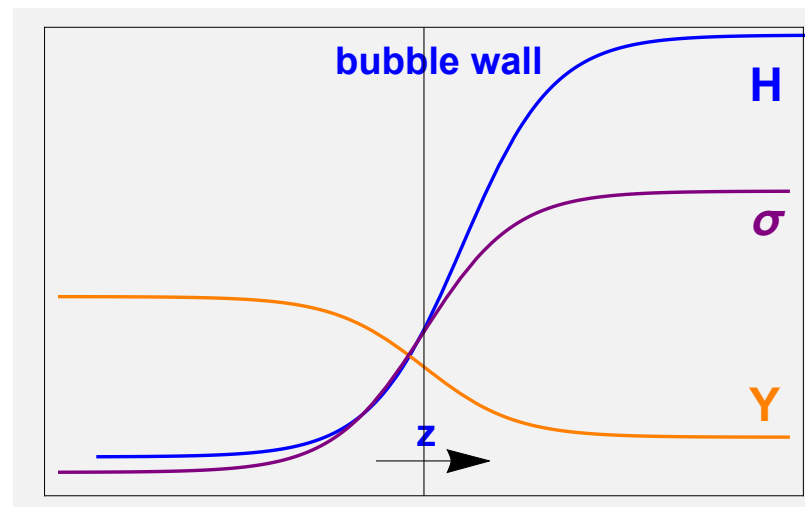
Summary

Minimal modification of RS: Yukawa coupling between
Goldberger-Wise scalar and bulk fermions



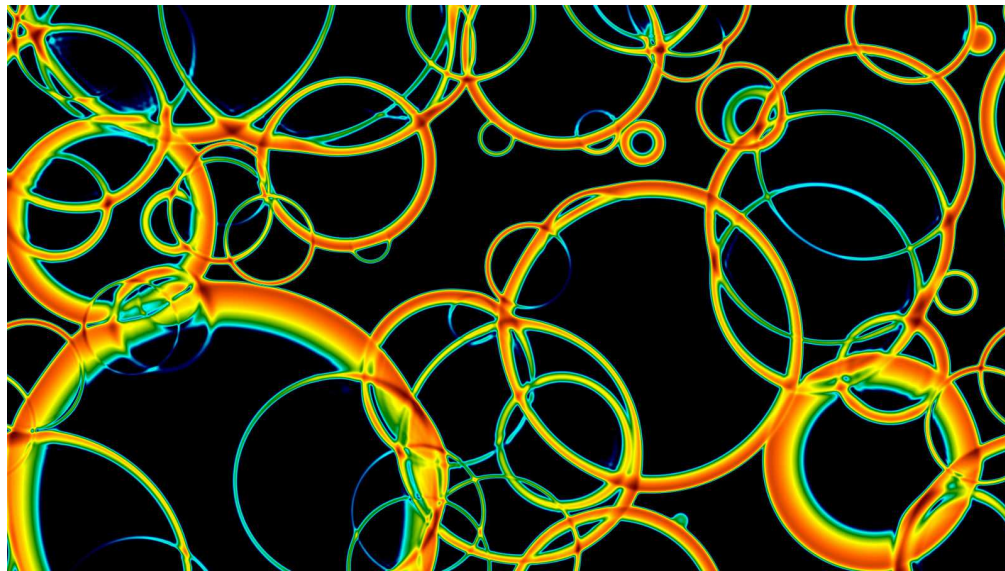
naturally large yukawas and enhanced CP violation in
bubble walls during EW phase transition

eases constraints from CP violation in K $\bar{K}$ mixing

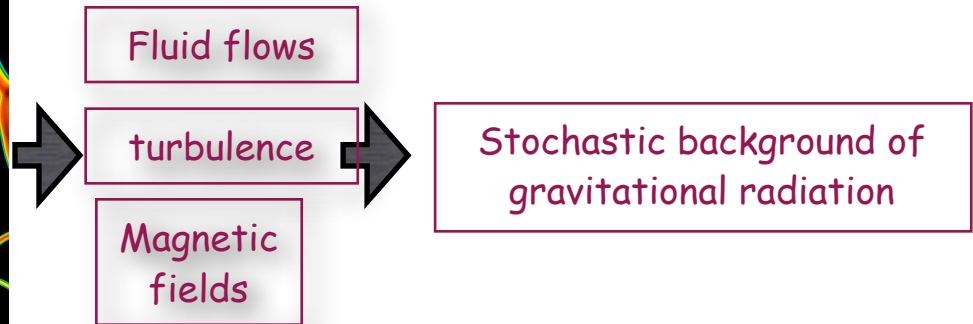


Gravity wave signals from 1st order cosmological phase transitions

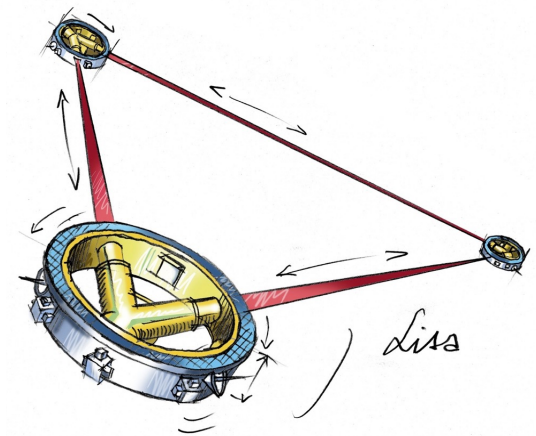
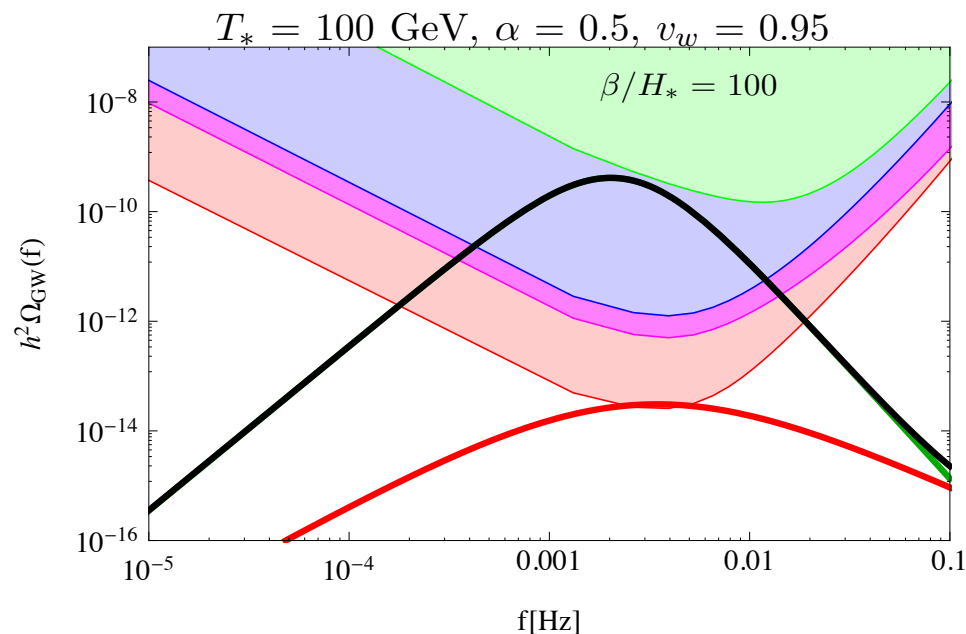
[eLISA Cosmology Working group, 1512.06239]



[Credit:David Weir]



EW phase transition
-> mHz -> LISA!



Conclusion

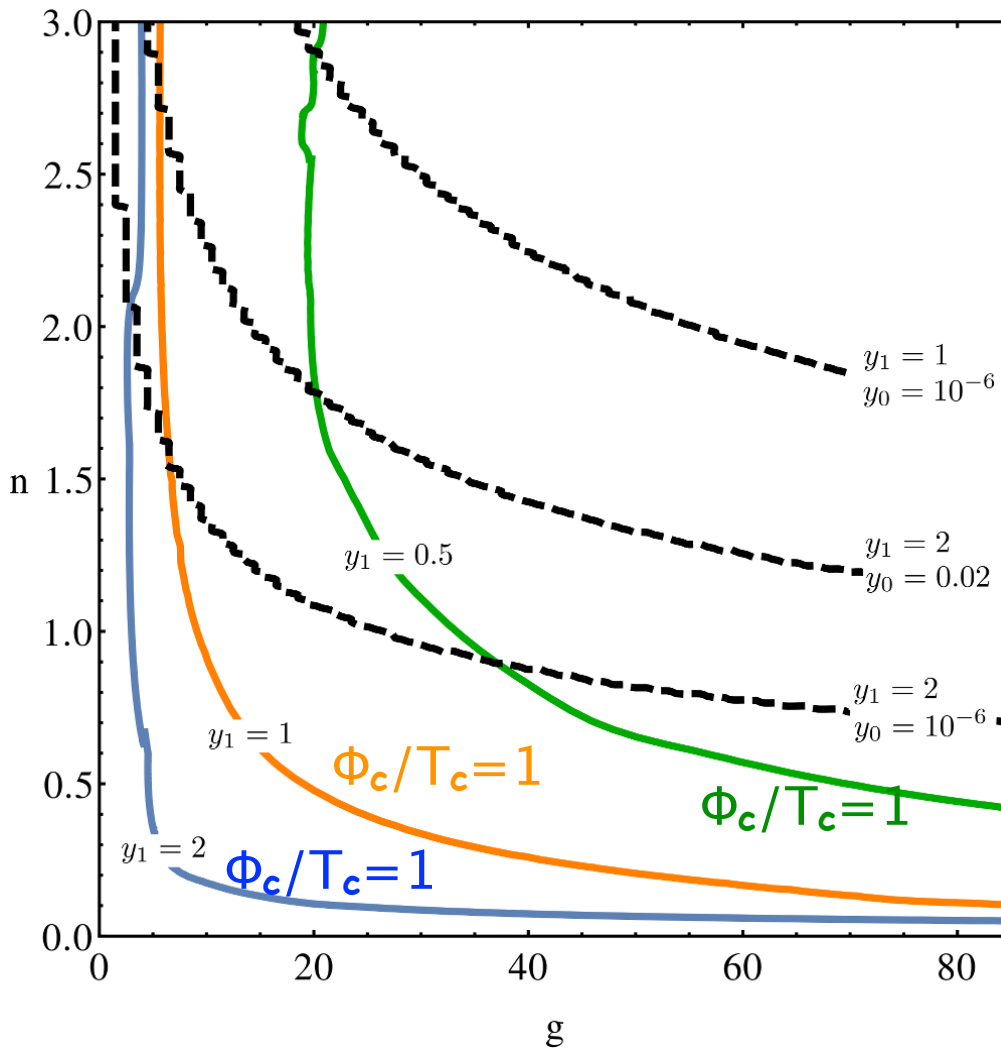
Time-dependent CP -violating sources can make EW baryogenesis compatible with Electric Dipole Moment constraints and can be well-motivated theoretically. We provided 2 examples:

- 1) strong CP from QCD axion,
- 2) weak CP from dynamical Yukawas

2) $\rightarrow$ Flavour cosmology! New window of opportunities. Dynamical interplay between flavour and electroweak symmetry breaking.

Annexes

Contours of $\Phi_c/T_c=1$ for different choices of y_1 and y_0 ,
areas above these lines allow for EW baryogenesis.



Dashed lines: areas above these lines are disallowed (for the indicated choices of y_1 and y_0 due to the EW minimum not being the global one).

n characterizes how fast the Yukawa variation is taking place. Depending on the underlying model, the Higgs field variation will follow the flavon field variation at different speeds. Large n means the Yukawa coupling remains large for a greater range of ϕ away from zero. It strengthens the phase transition.