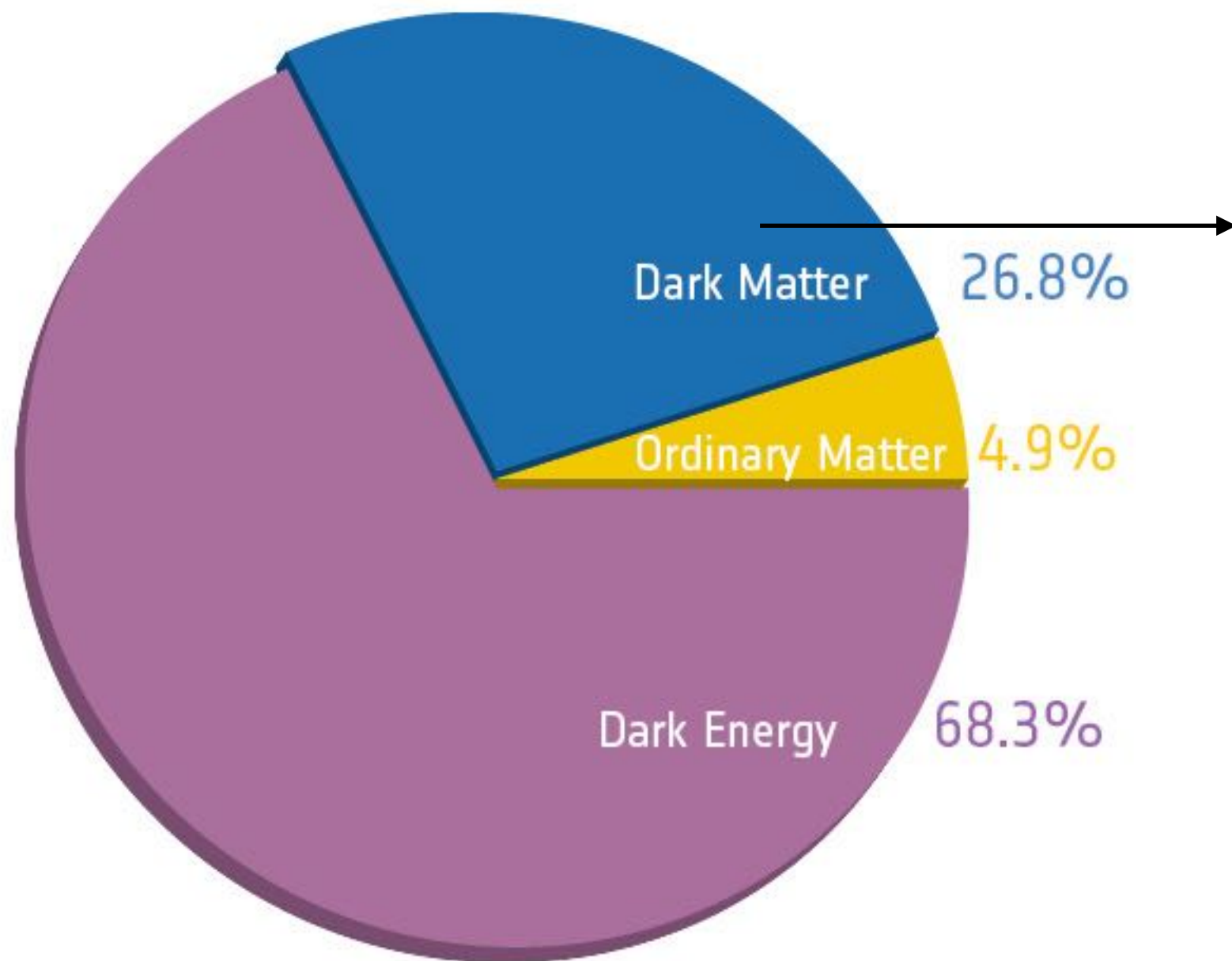


Distinguishing the spin of DM using dilepton events

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- Introduction
- DM in the compressed region: challenges
- Kinematical variables
- Conclusions

Work done in collaboration with Rodolfo Capdevilla, Nirmal Raj and Adam Martin
arXiv:1709.00439



What is this?

- Is DM its own antiparticle?
- Does it carry spin?
- What is its mass?
- How does it couple to the SM if at all?
- I am going to present a way of ‘partially’ answering these questions using LHC data with fully reconstructed final states.

- Lots of models of DM require extra degrees of freedom apart from the neutral state itself.
- That is needed in order to have renormalizable couplings with SM (with the exception of the Higgs portal)
- I am going to assume a simplified model including our **DM** and **two messengers**

$$\mathcal{L} \supset -\sqrt{2}(\lambda_{\tilde{Q}} \tilde{Q} \chi_B^\dagger q^\dagger + \lambda_{\tilde{L}} \tilde{L} \chi_B^\dagger \ell^\dagger) + \text{H.c.}$$

- I am going to assume that DM is either spin 1/2 or 0 and the messenger therefore will have the other spin to be able to write the previous coupling
- The mass terms can be written as (δm is needed to avoid problems with large DD cross-sections)

$$\mathcal{L}_{\text{mass}} = (\chi_A \quad \chi_B) \begin{pmatrix} \delta m & m_\chi \\ m_\chi & \delta m' \end{pmatrix} \begin{pmatrix} \chi_A \\ \chi_B \end{pmatrix} + \text{H.c.} \qquad \mathcal{L}_{\text{mass}} = \frac{1}{2} (\phi_\chi \quad \phi_\chi^\dagger) \begin{pmatrix} \delta m^2 & m_\chi^2 \\ m_\chi^2 & \delta m'^2 \end{pmatrix} \begin{pmatrix} \phi_\chi \\ \phi_\chi^\dagger \end{pmatrix}$$

Spin 1/2

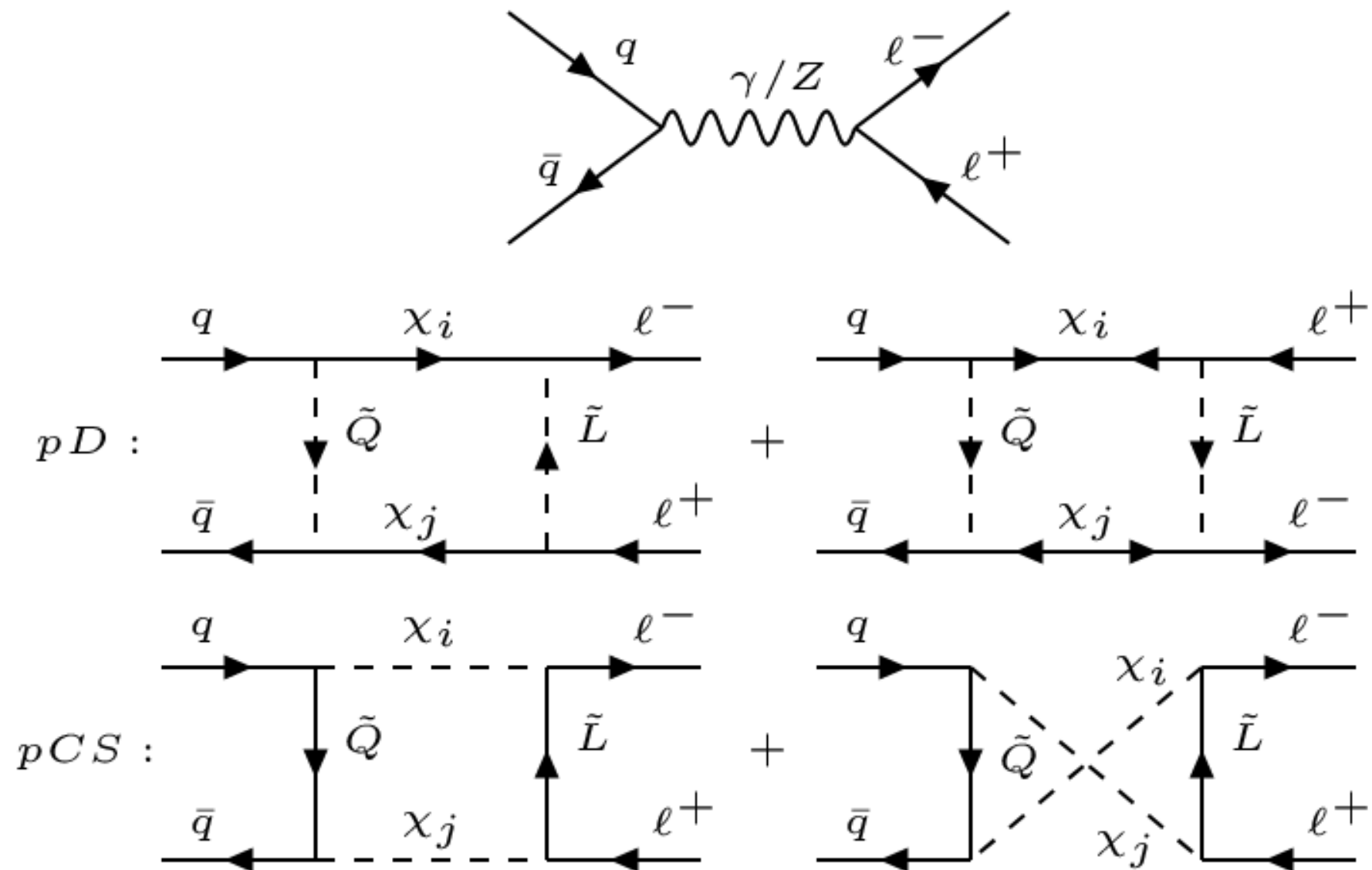
Spin 0

- Varying the **spin** and **quantum numbers** of the messengers one can classify the different scenarios that are going to be analyzed:

Model	χ spin	\tilde{Q}, \tilde{L} spin	\tilde{Q} under G_{SM}	\tilde{L} under G_{SM}
$\text{pD}_{\text{RR}}^{\text{u}}$	$1/2$	0	$(\mathbf{3}, \mathbf{1}, \mathbf{2/3})$	$(\mathbf{1}, \mathbf{1}, -\mathbf{1})$
$\text{pD}_{\text{RL}}^{\text{u}}$	$1/2$	0	$(\mathbf{3}, \mathbf{1}, \mathbf{2/3})$	$(\mathbf{1}, \mathbf{2}, -\mathbf{1/2})$
$\text{pCS}_{\text{RR}}^{\text{u}}$	0	$1/2$	$(\mathbf{3}, \mathbf{1}, \mathbf{2/3})$	$(\mathbf{1}, \mathbf{1}, -\mathbf{1})$
$\text{pCS}_{\text{RL}}^{\text{u}}$	0	$1/2$	$(\mathbf{3}, \mathbf{1}, \mathbf{2/3})$	$(\mathbf{1}, \mathbf{2}, -\mathbf{1/2})$
$\text{pD}_{\text{RR}}^{\text{d}}$	$1/2$	0	$(\mathbf{3}, \mathbf{1}, -\mathbf{1/3})$	$(\mathbf{1}, \mathbf{1}, -\mathbf{1})$
$\text{pD}_{\text{RL}}^{\text{d}}$	$1/2$	0	$(\mathbf{3}, \mathbf{1}, -\mathbf{1/3})$	$(\mathbf{1}, \mathbf{2}, -\mathbf{1/2})$
$\text{pCS}_{\text{RR}}^{\text{d}}$	0	$1/2$	$(\mathbf{3}, \mathbf{1}, -\mathbf{1/3})$	$(\mathbf{1}, \mathbf{1}, -\mathbf{1})$
$\text{pCS}_{\text{RL}}^{\text{d}}$	0	$1/2$	$(\mathbf{3}, \mathbf{1}, -\mathbf{1/3})$	$(\mathbf{1}, \mathbf{2}, -\mathbf{1/2})$

- The usual strategy to discover a model like the one proposed would be to produce the **color** companion and use the standard search of **jets+MET**
- But in the compressed case, needed in some scenarios to reproduce the **correct relic abundance**, the amount of MET may be small so the search may not be completely effective.
- Even if one can discover the messenger using this channel, it is difficult to extract information on the nature of DM since the final state is not fully **reconstructed**.

- I propose to use the following alternative **fully reconstructed signal**:



- We first calculate **analytically** the **LO cross-section** for both SM and **new physics**:

$$\begin{aligned} d\sigma_{\text{tot}} &\equiv \frac{d^2\sigma_{\text{tot}}}{d\cos\theta\, dm_{\ell\ell}} \\ &= d\sigma_{\text{SM}} + d\sigma_{\text{int}} + d\sigma_{\chi} \end{aligned}$$

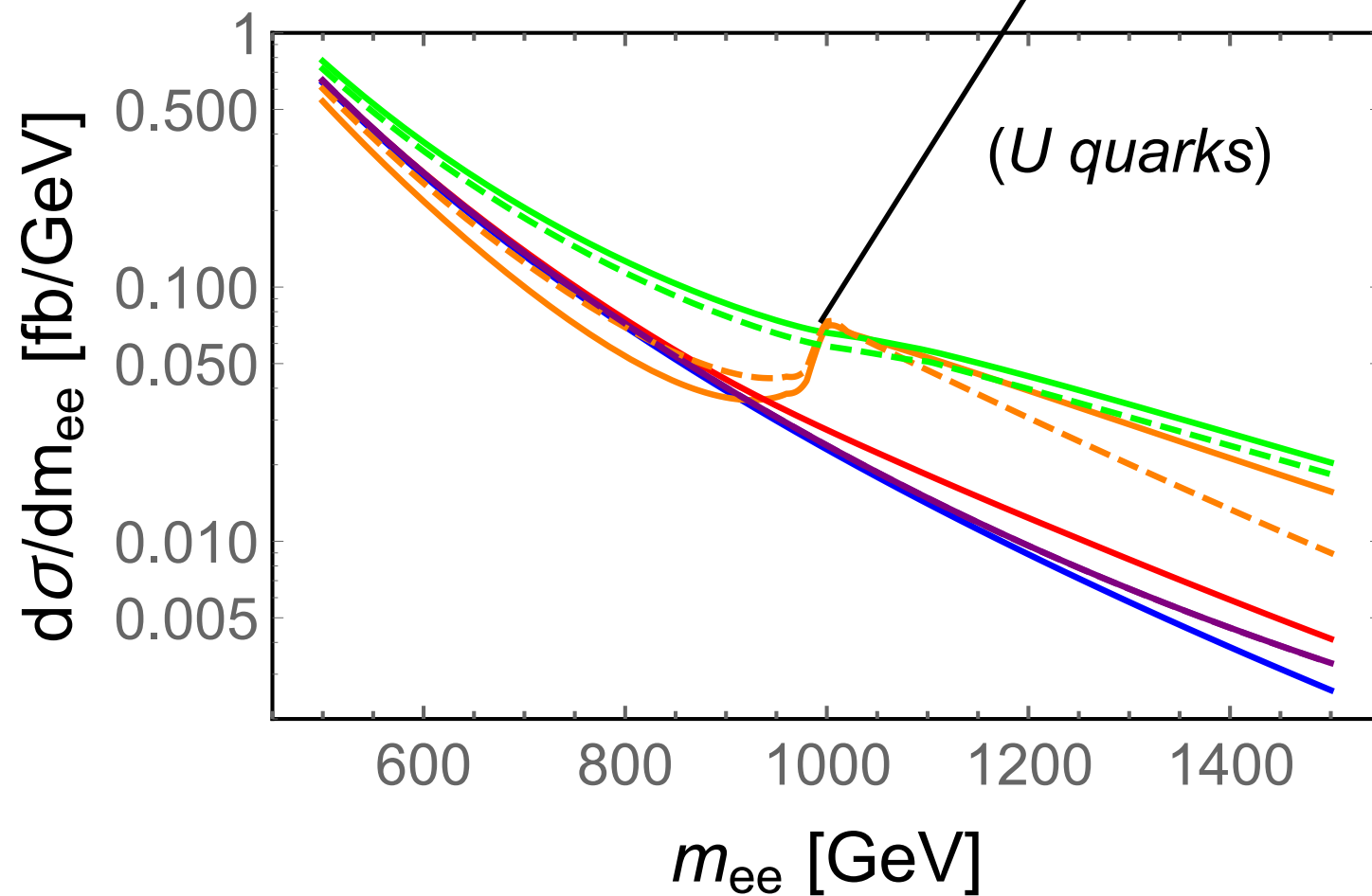
$$d\sigma_{\text{SM}} = \frac{1}{32\pi m_{\ell\ell}^2 N_c} \sum_{\text{spins}} |\mathcal{M}_{\text{SM}}|^2 ,$$

$$d\sigma_{\text{int}} = \frac{1}{32\pi m_{\ell\ell}^2 N_c} \sum_{\text{spins}} 2\text{Re}(\mathcal{M}_{\text{SM}}\mathcal{M}_{\chi}^*) ,$$

$$d\sigma_{\chi} = \frac{1}{32\pi m_{\ell\ell}^2 N_c} \sum_{\text{spins}} |\mathcal{M}_{\chi}|^2 ,$$

To the σ_{SM} we add the NLO contribution from QCD
MCMF 8.0

Internal line going on shell



Blue is the SM background

Orange pseudo Dirac

Green pseudo Complex

Red is Majorana

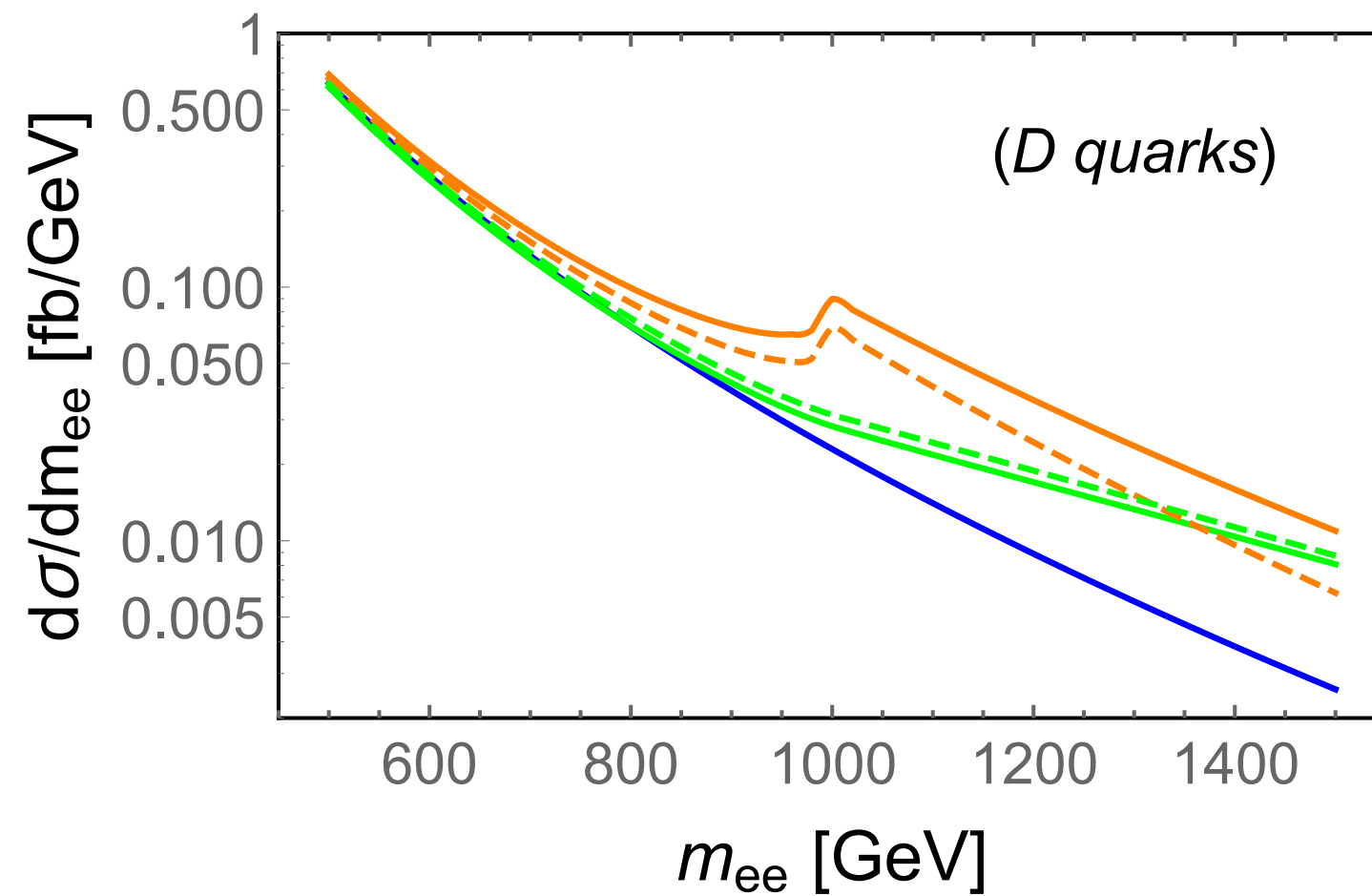
Purple real scalar

Solid is RR

Dashed is RL

$\lambda = 2$ $m_\chi = 500$ GeV $m_\phi = 550$ GeV

Majorana fermion DM and Real scalar (self-conjugate)
do not give enough signal!!!!



Blue is the SM background
Orange pseudo Dirac
Green pseudo Complex
Solid is RR
Dashed is RL

$$\lambda = 2 \quad m_\chi = 500 \text{ GeV} \quad m_\phi = 550 \text{ GeV}$$

The differences between U and D quarks come from some interference terms

- We are going to use the following **kinematical variables** to discriminate the different models:

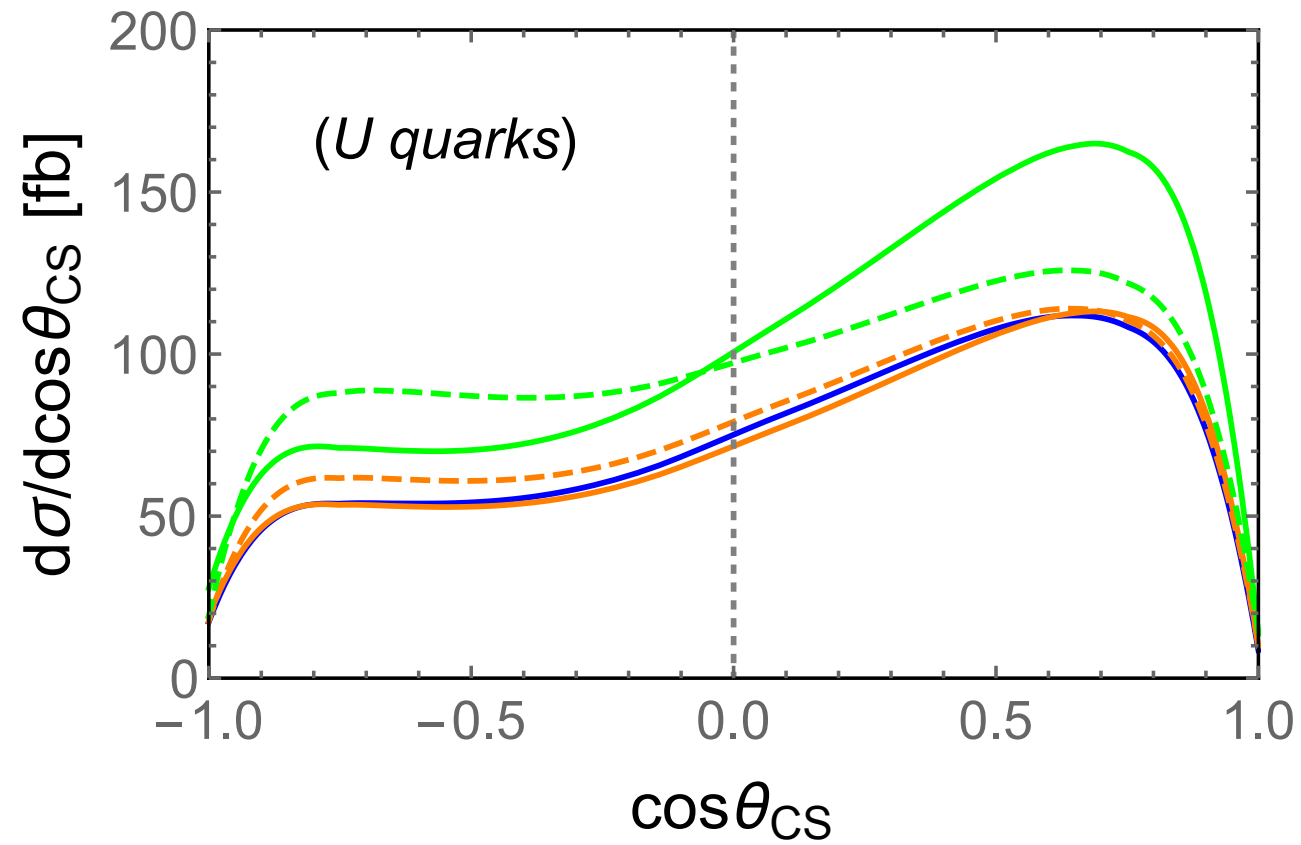
$$\cos \theta_{\text{CS}} = \frac{Q_z}{|Q_z|} \frac{2(p_1^+ p_2^- - p_1^- p_2^+)}{|Q| \sqrt{Q^2 + Q_T^2}}$$

Q is the total dilepton momentum
p's are the light-cone momenta

$$A_{\text{CE}} \equiv \frac{N(|\cos \theta| < \cos \theta_0) - N(|\cos \theta| > \cos \theta_0)}{N(|\cos \theta| < \cos \theta_0) + N(|\cos \theta| > \cos \theta_0)}$$

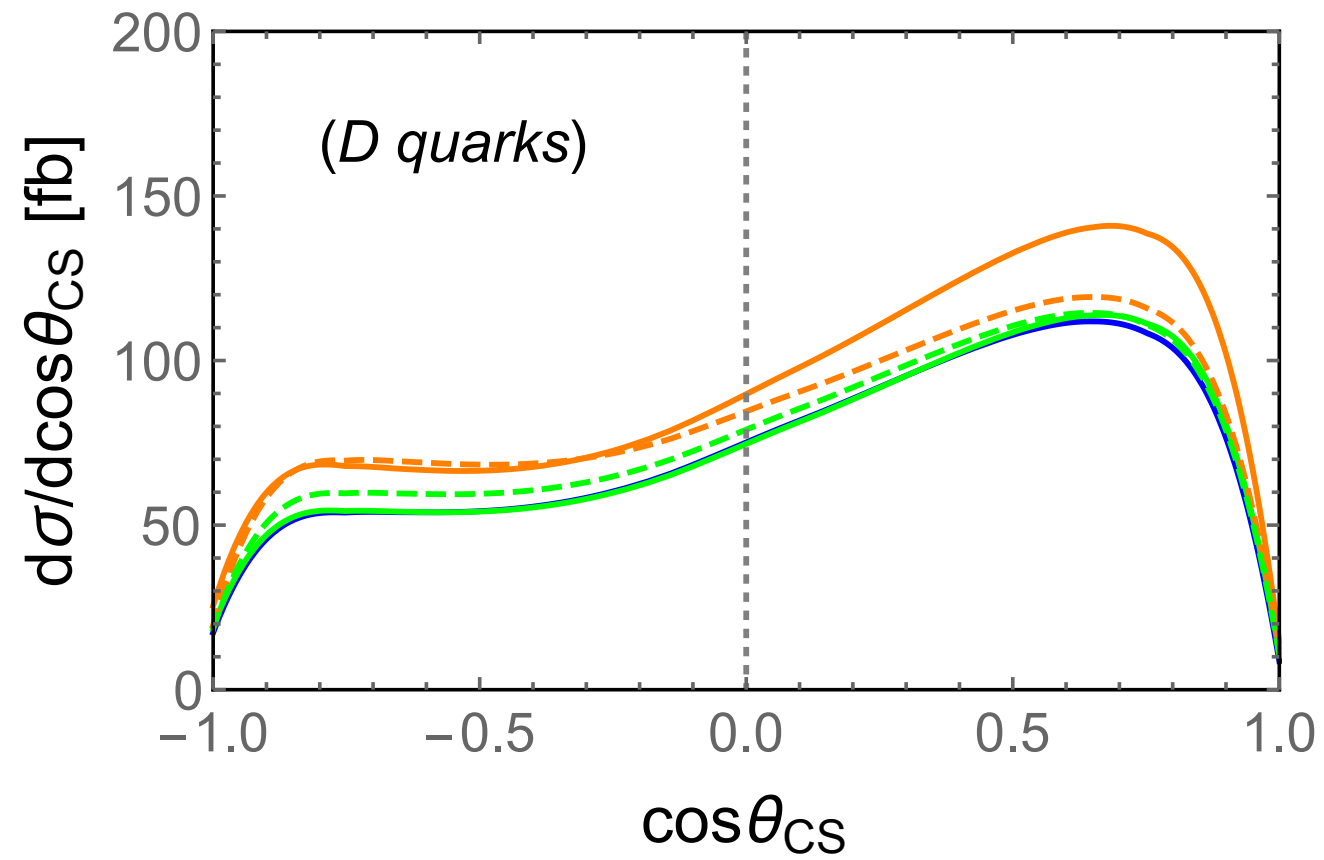
$$A_{\text{FB}} \equiv \frac{N(\cos \theta > 0) - N(\cos \theta < 0)}{N(\cos \theta > 0) + N(\cos \theta < 0)}$$

$$|\eta_{\ell^\pm}| \leq 2.4, \quad p_T^{\ell^\pm} \geq 40 \text{ GeV}$$



Blue is the SM background
Orange pseudo Dirac
Green pseudo Complex
Solid is RR
Dashed is RL

$$\lambda = 2 \quad m_\chi = 500 \text{ GeV} \quad m_\phi = 550 \text{ GeV}$$



Blue is the SM background

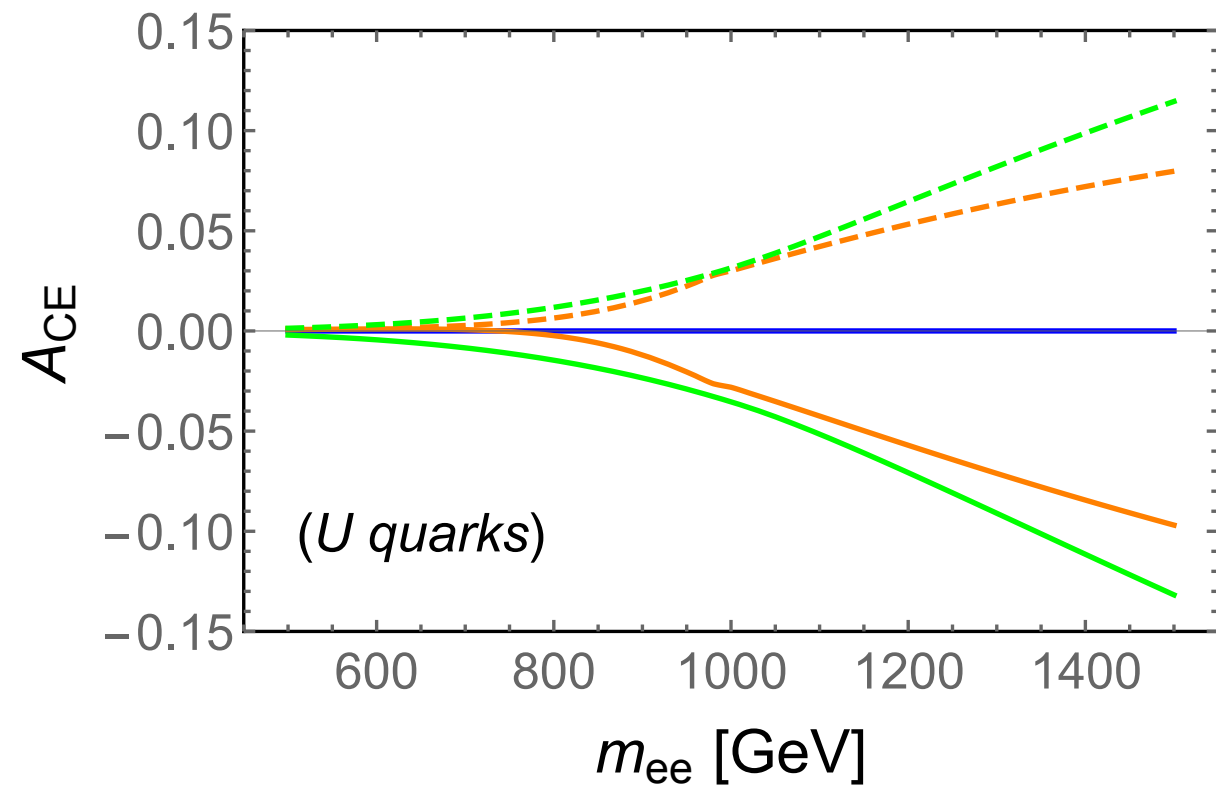
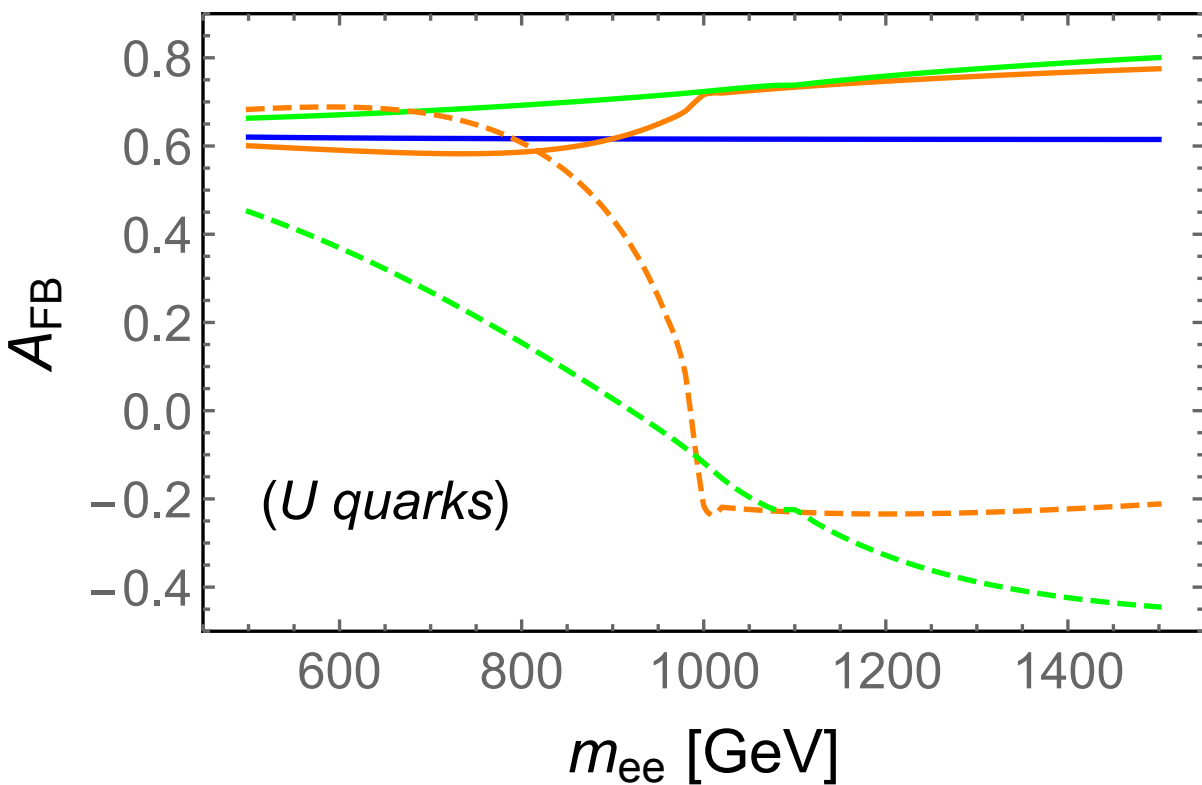
Orange pseudo Dirac

Green pseudo Complex

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$\lambda = 2$ $m_\chi = 500$ GeV $m_\phi = 550$ GeV



$\lambda = 2$ $m_\chi = 500$ GeV $m_\phi = 550$ GeV

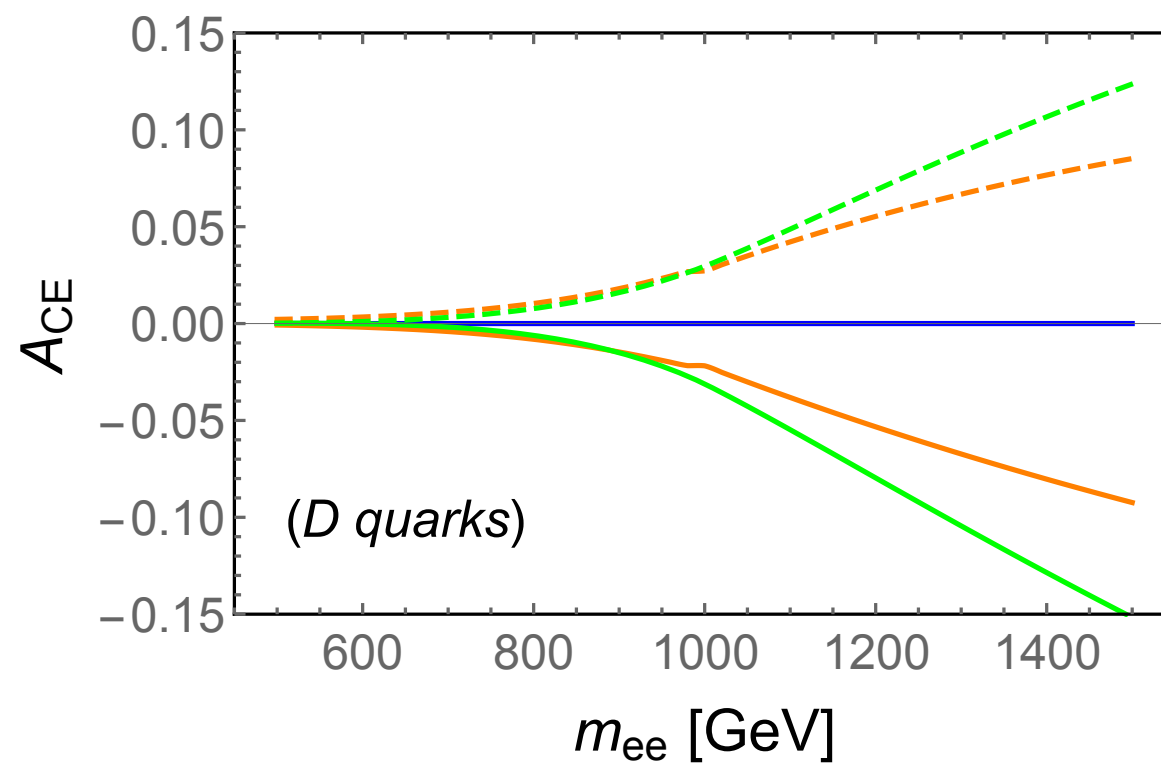
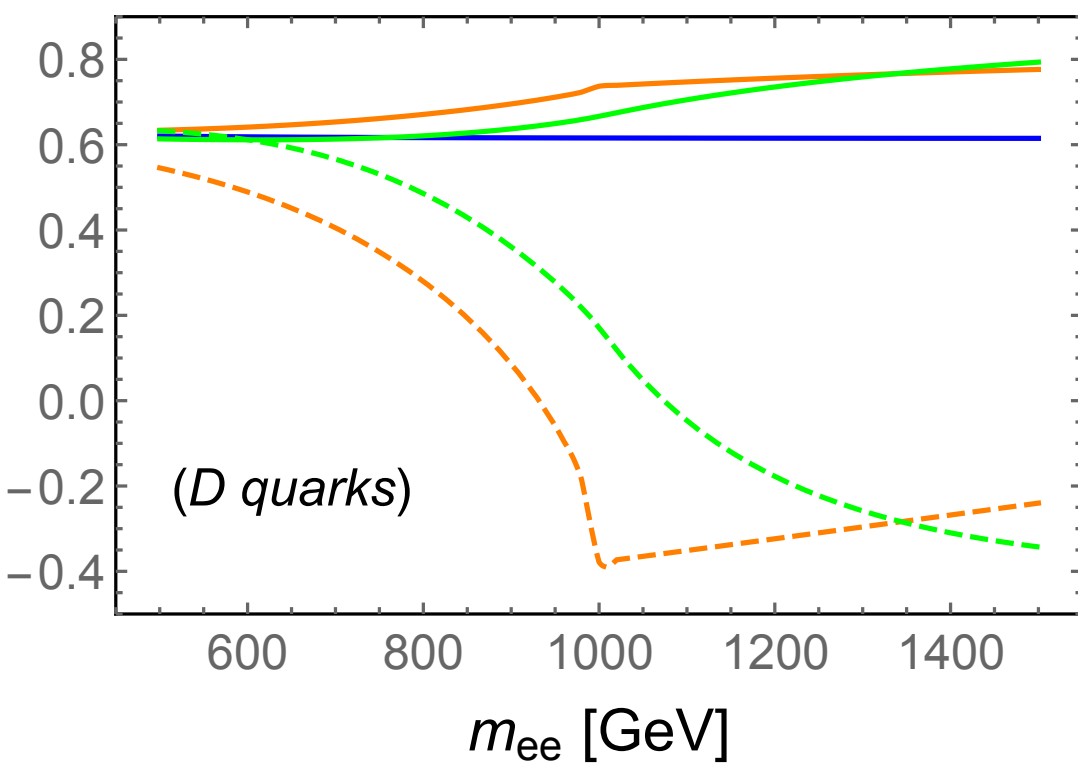
Blue is the SM background

Orange pseudo Dirac

Green pseudo Complex

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$\lambda = 2 \quad m_\chi = 500 \text{ GeV} \quad m_\phi = 550 \text{ GeV}$

Blue is the SM background

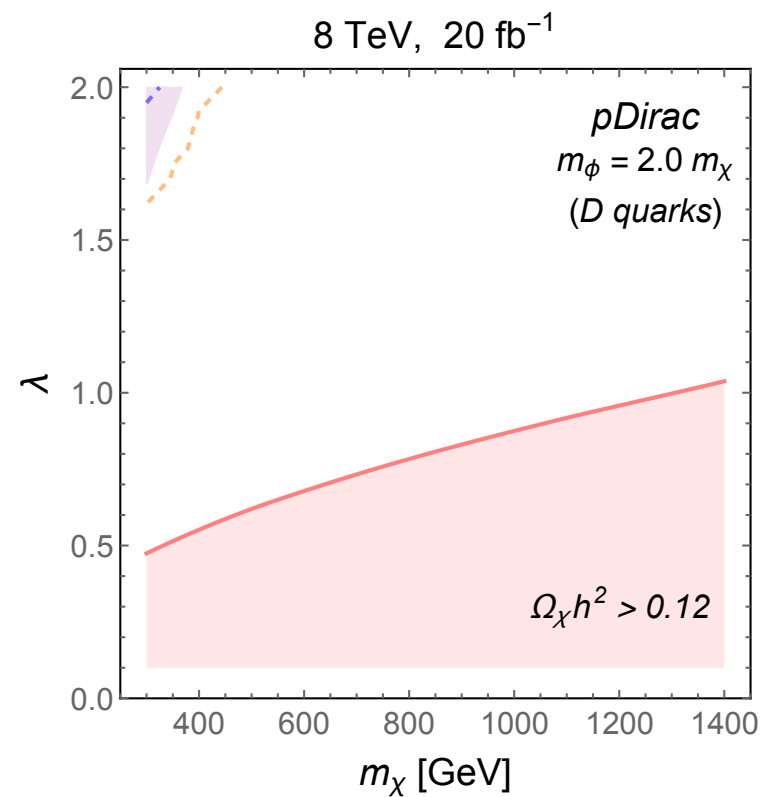
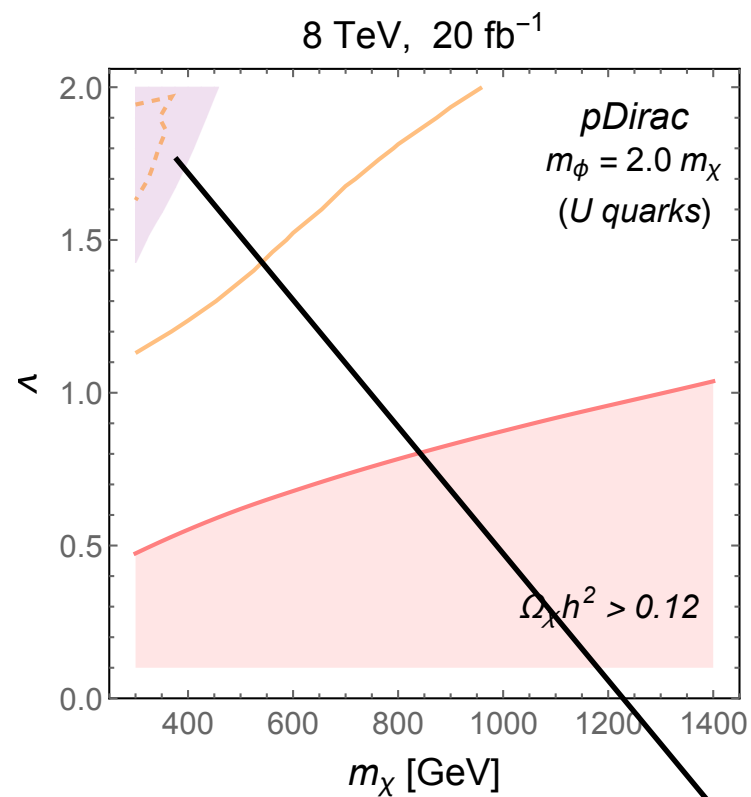
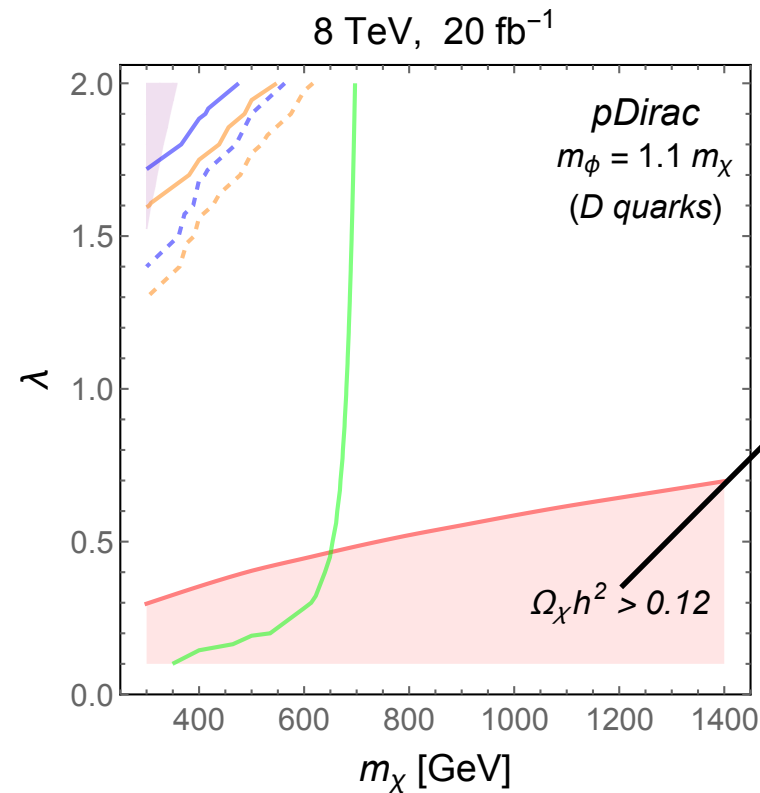
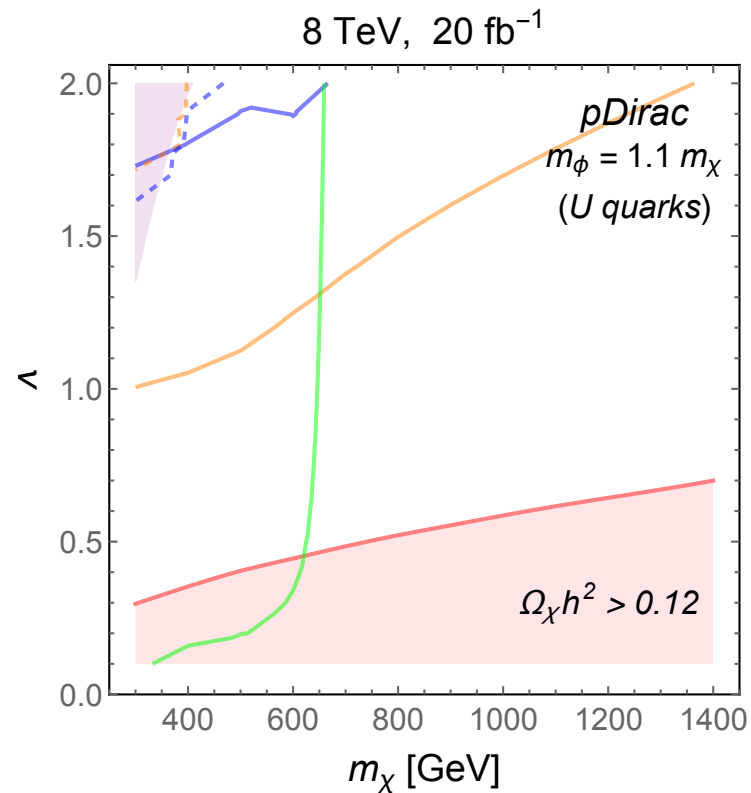
Orange pseudo Dirac

Green pseudo Complex

Solid is RR

Dashed is RL

- Bounds from 8 TeV:**



MicrOmegas

Purple jets+MET bound

Blue is RL model

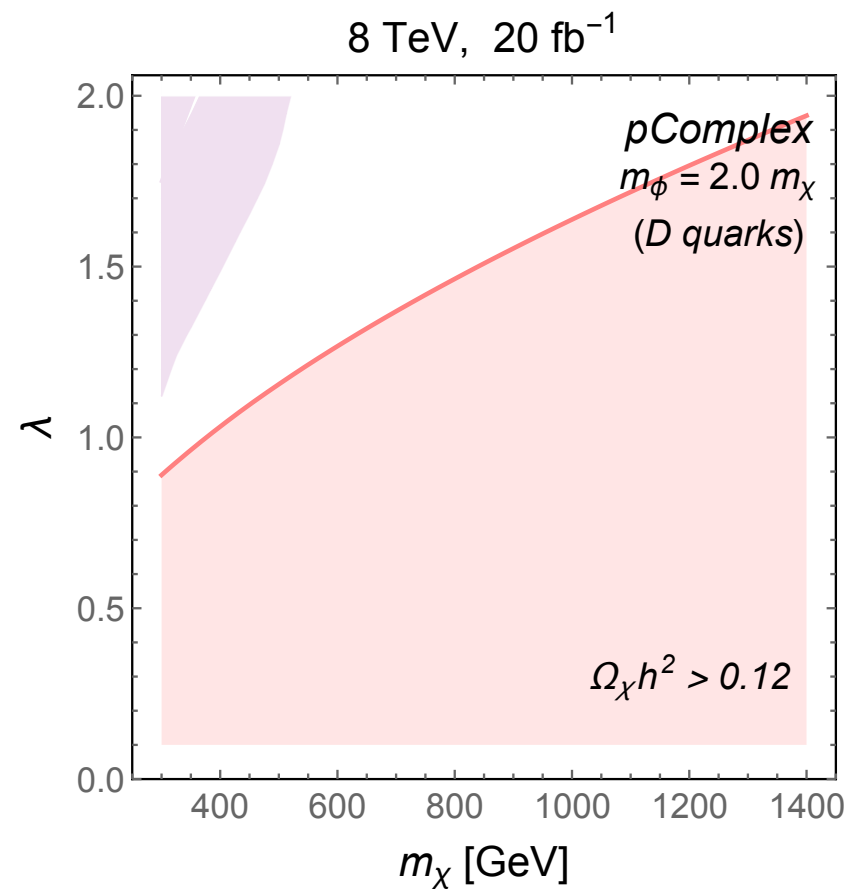
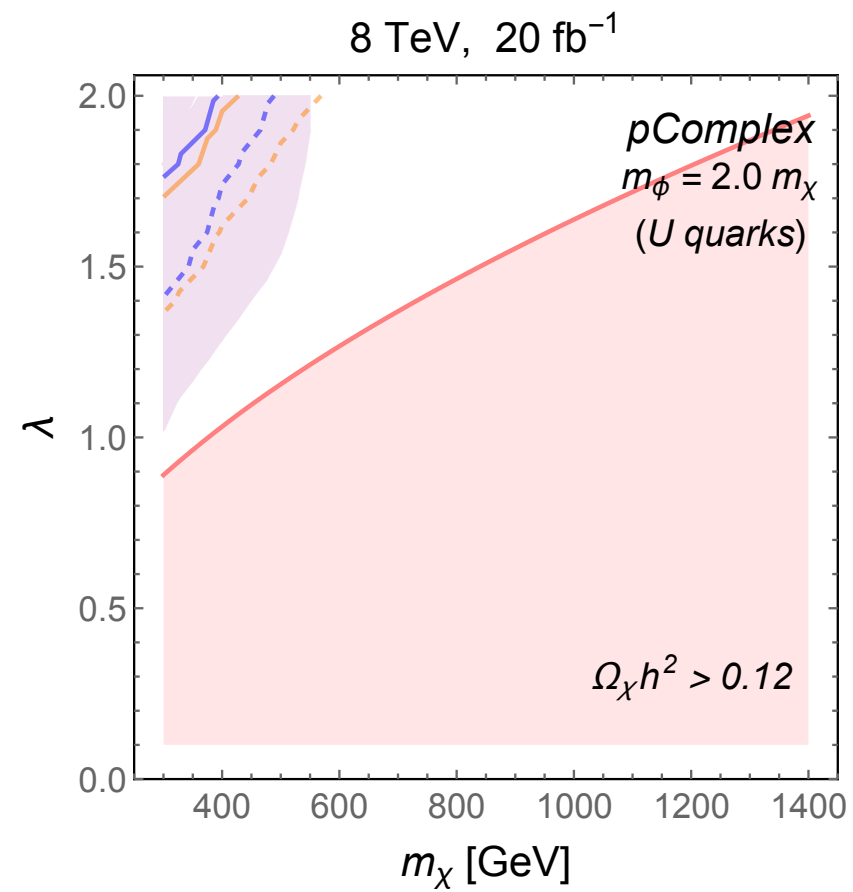
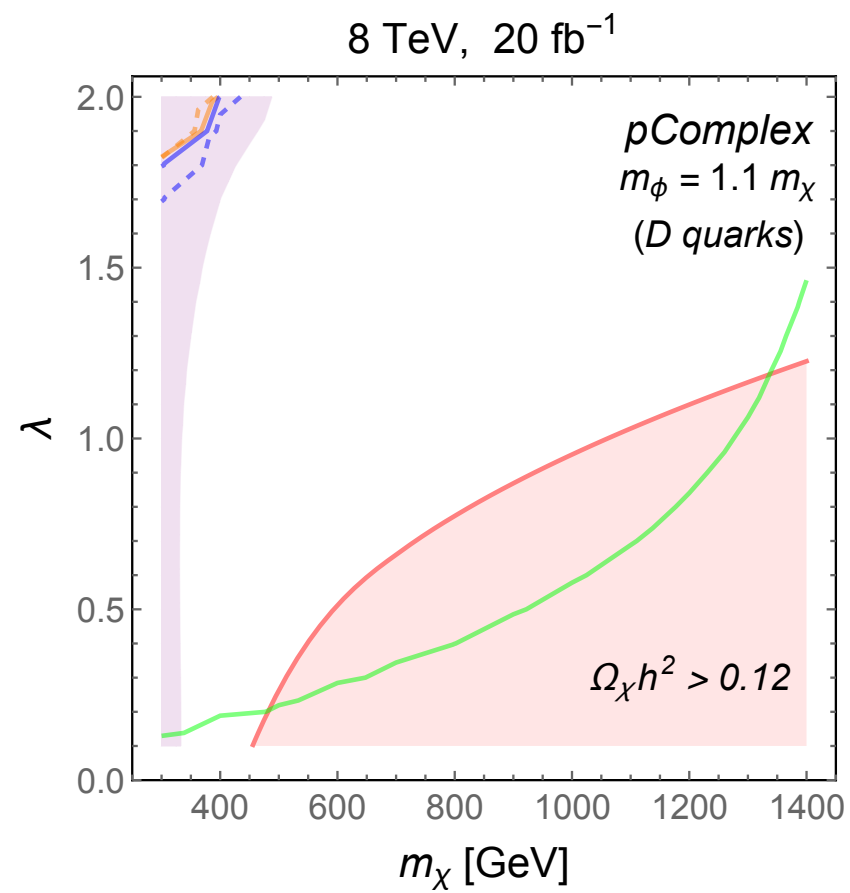
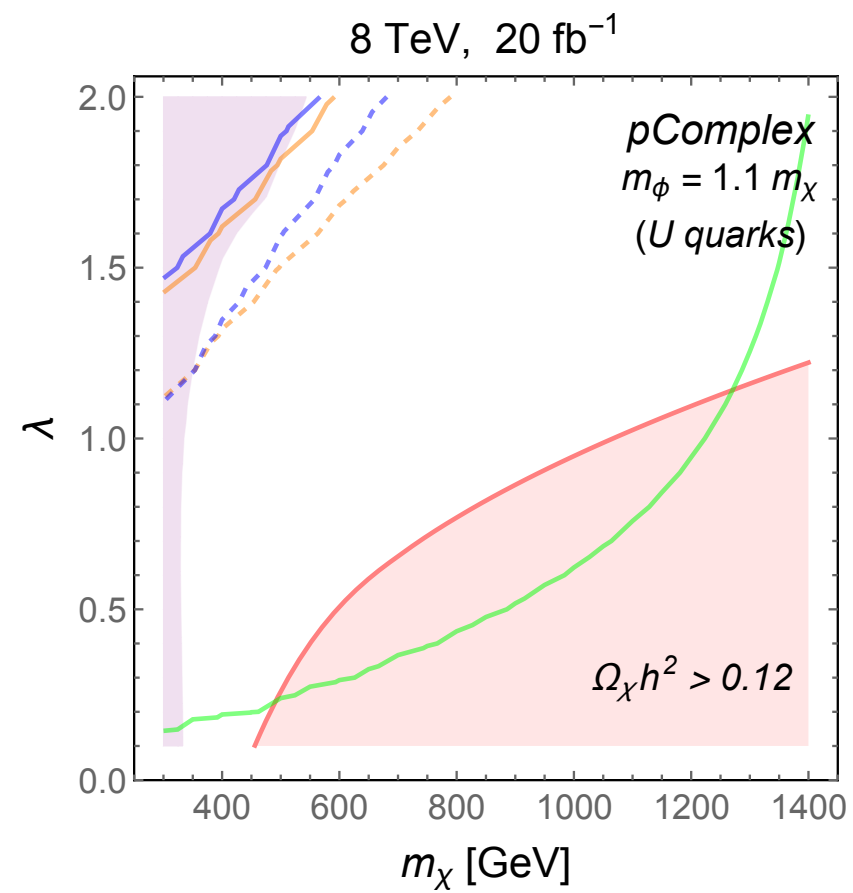
Orange is RR model

green is DD bound

solid is m_{ee}

dashed is $\cos \theta_{cs}$

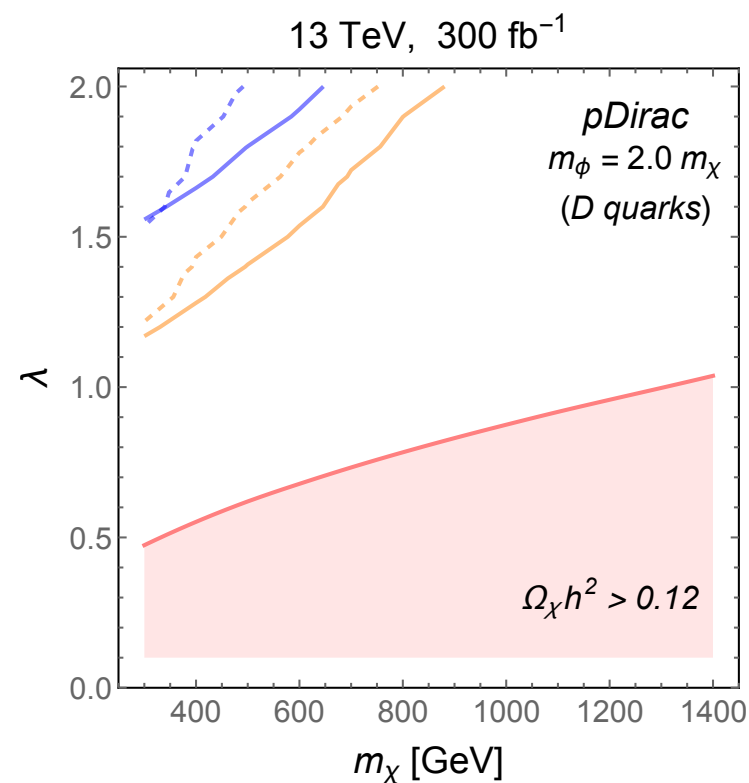
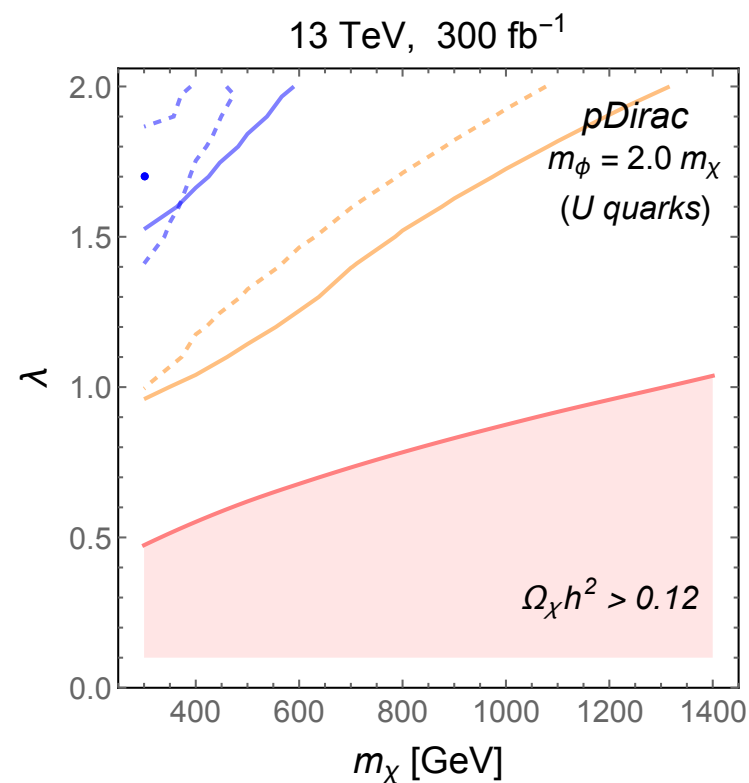
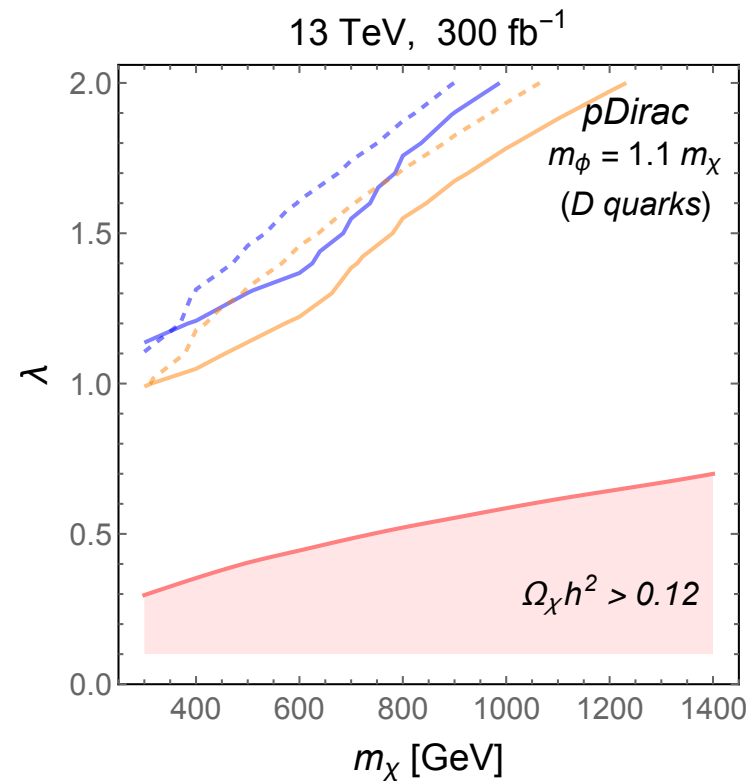
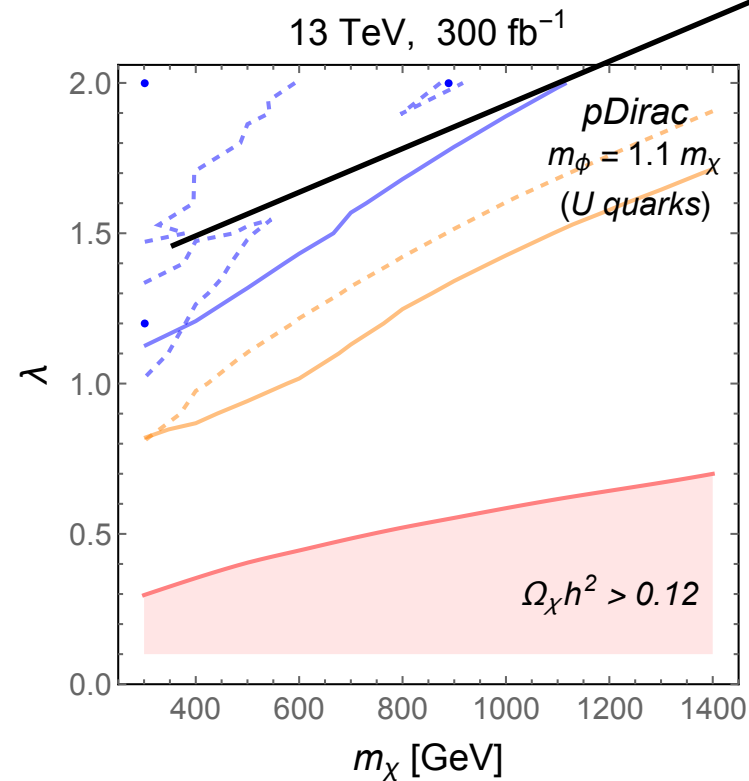
Reinterpretation of T2qq



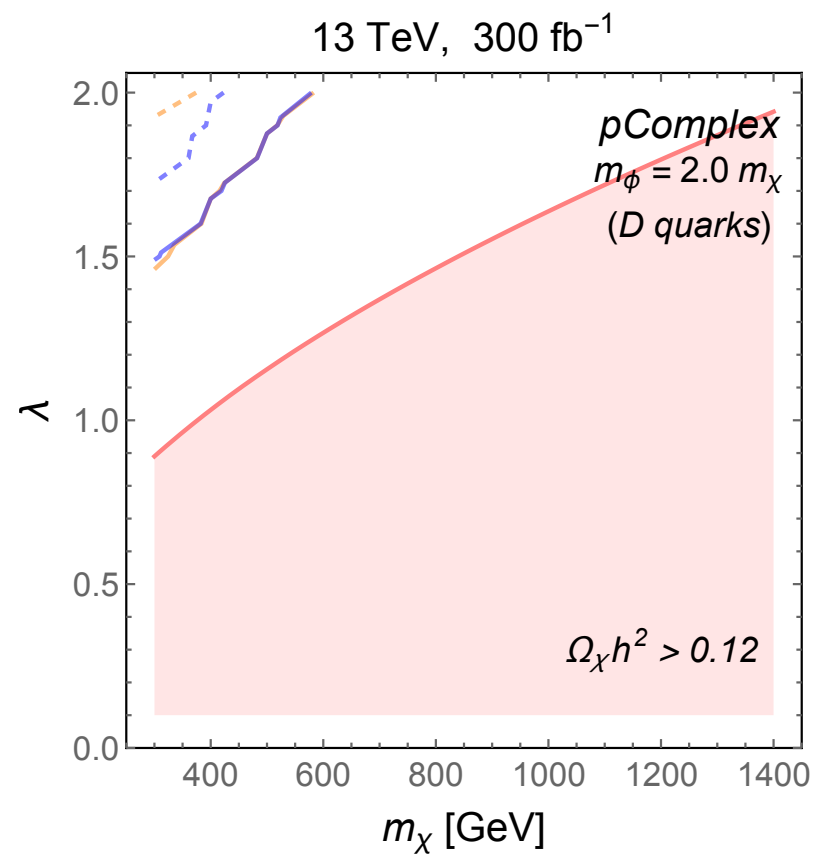
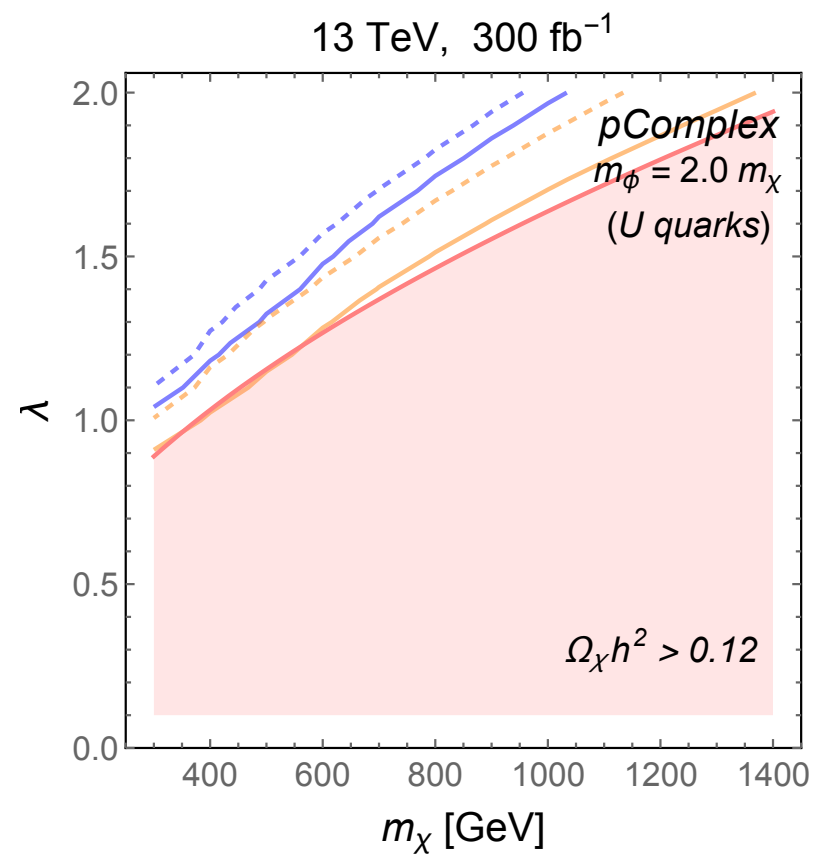
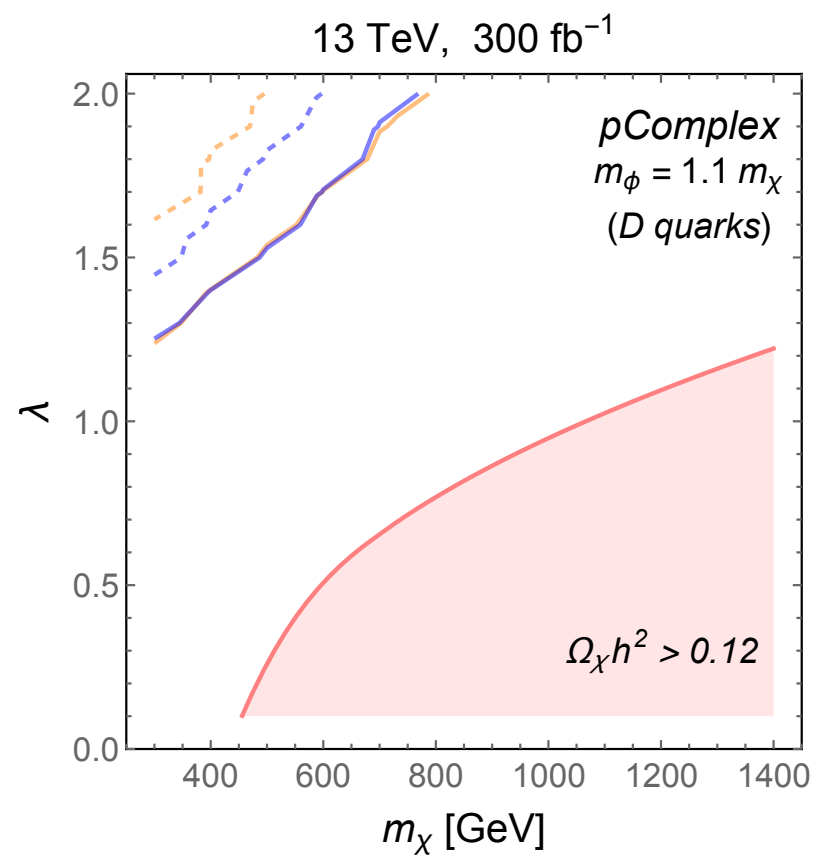
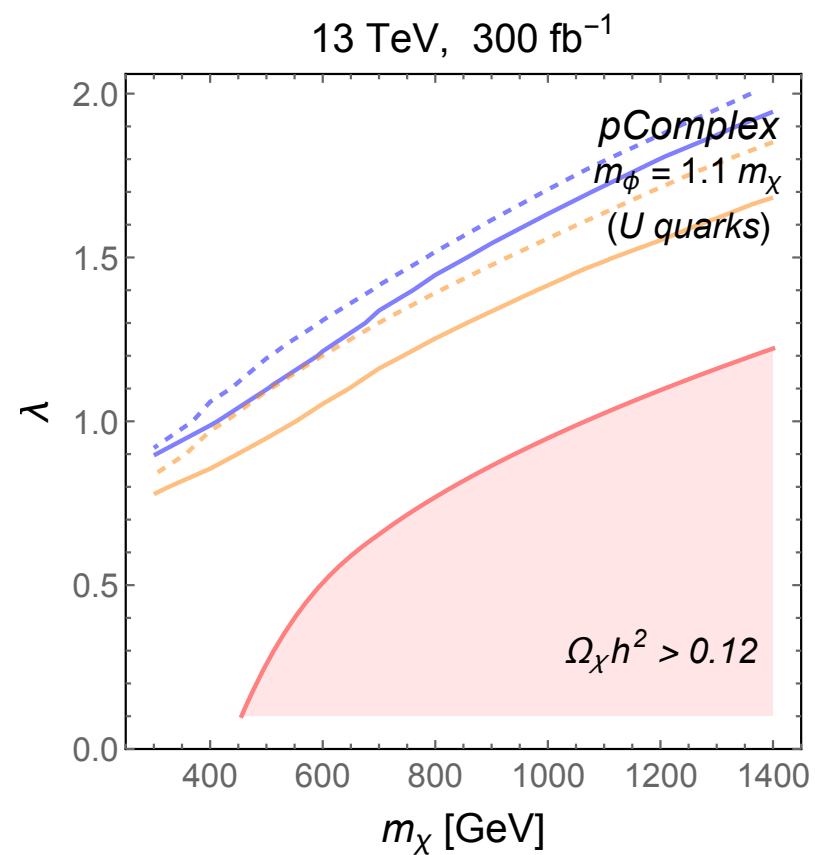
Purple jets+MET bound
Blue is RL model
Orange is RR model
green is DD bound
solid is m_{ee}
dashed is $\cos \theta_{cs}$

- Prospect for 13 TeV:

Negative interference



Blue is RL model
Orange is RR model
solid is m_{ee}
dashed is $\cos \theta_{cs}$



Blue is RL model
Orange is RR model
solid is m_{ee}
dashed is $\cos \theta_{cs}$

Conclusions

- DM is one of the reasons that we need physics BSM.
- It is one that has some experimental evidence (although only gravitational)
- In models where DM couples to the SM one can use a mono-X channel to discover it....
- or use a cascade decay into DM (susy like.....)

- In this talk I have shown an alternative way of discovering DM using dilepton events
- If there are color and uncolor messengers (à la susy) one can produce dilepton via loops.
- Interference of those loops with the SM DY production can be the handle to discover new physics at the LHC.
- Angular correlations depend heavily on the spin of DM.
- The same approach can be use for LQ or Z'.