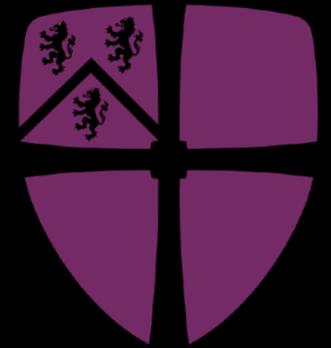


On pair-instability supernovae and dark matter

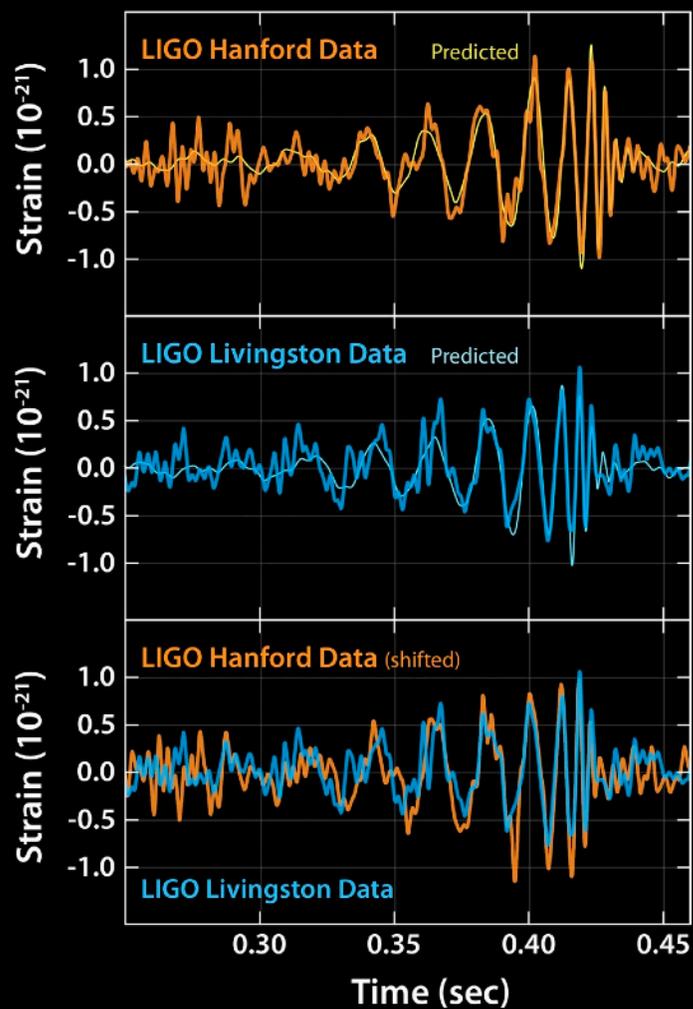
Djuna Lize Croon (IPPP Durham)

PLANCK, May 2023

djuna.l.croon@durham.ac.uk | djunacroon.com

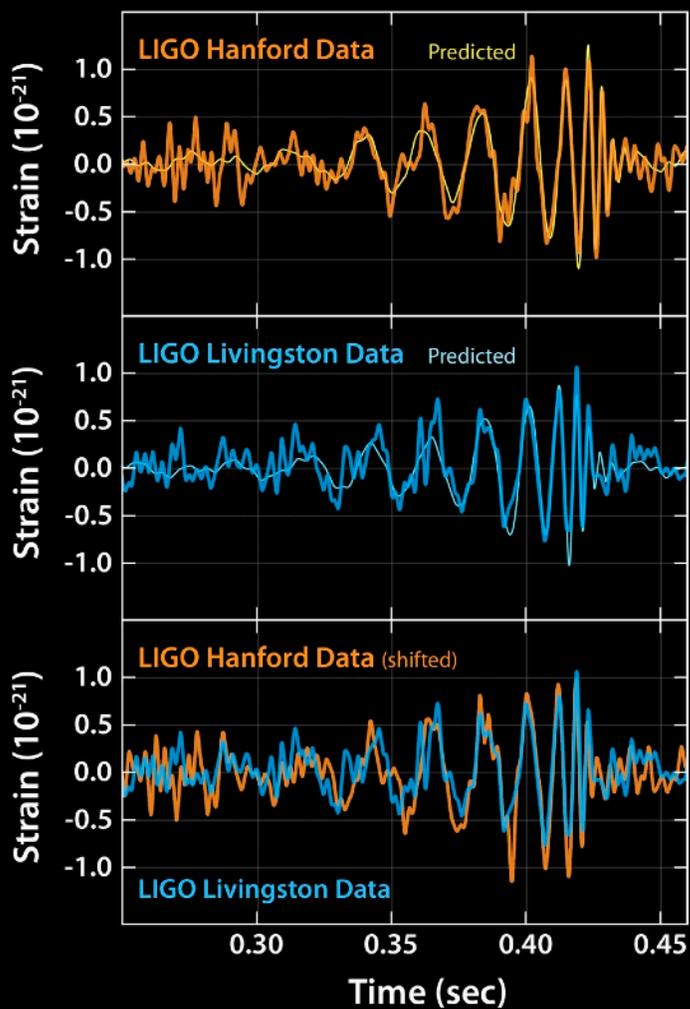


Gravitational wave science

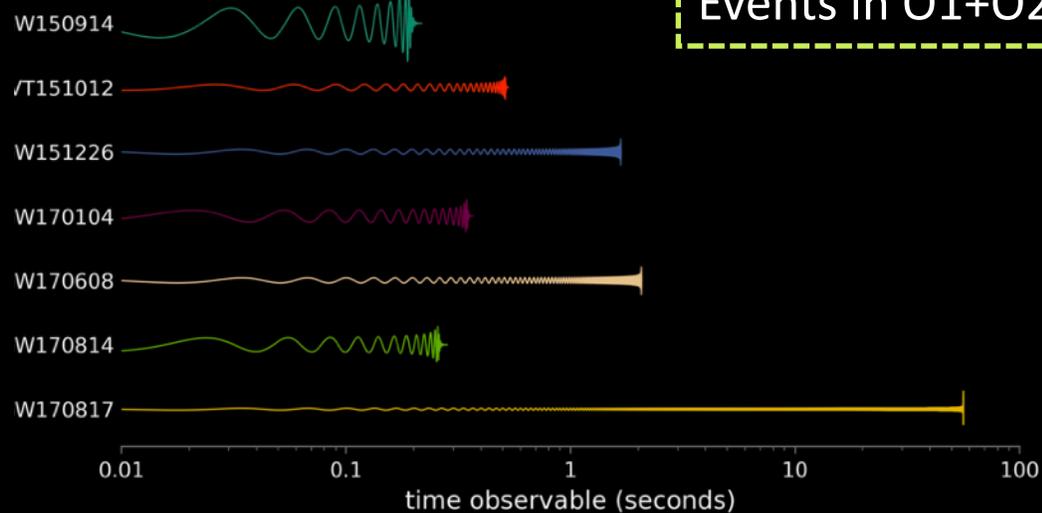


The first event: GW150914

Gravitational wave science

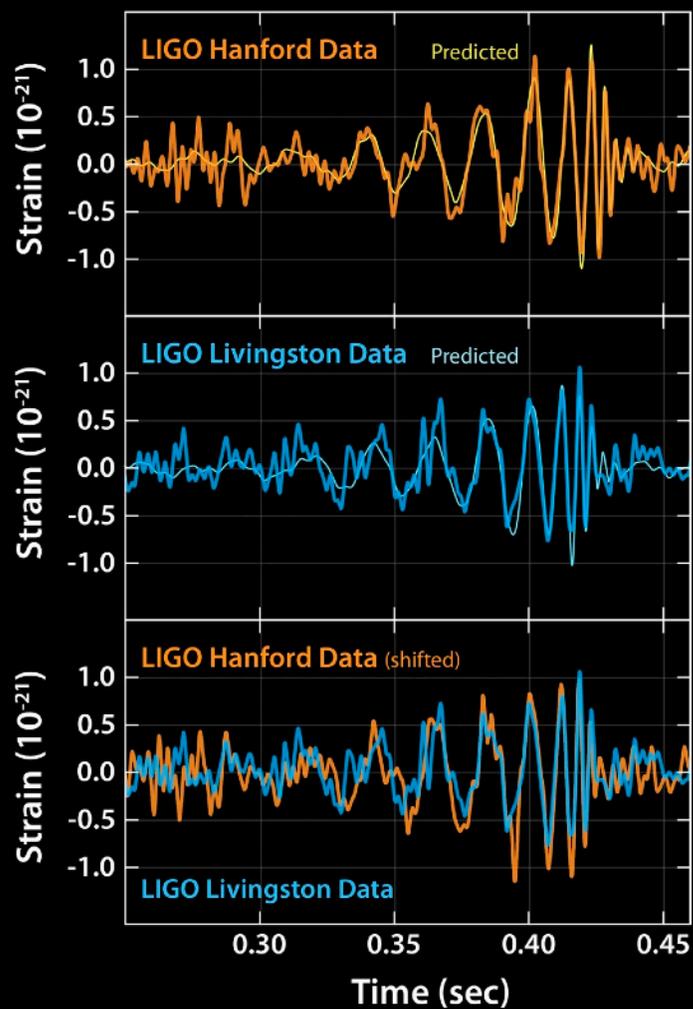


Events in O1+O2

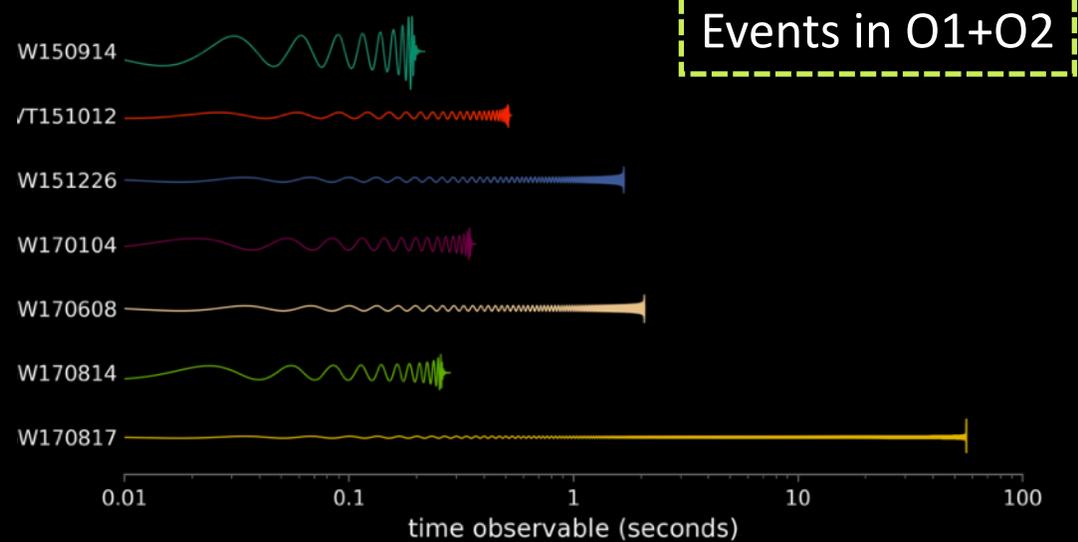


The first event: GW150914

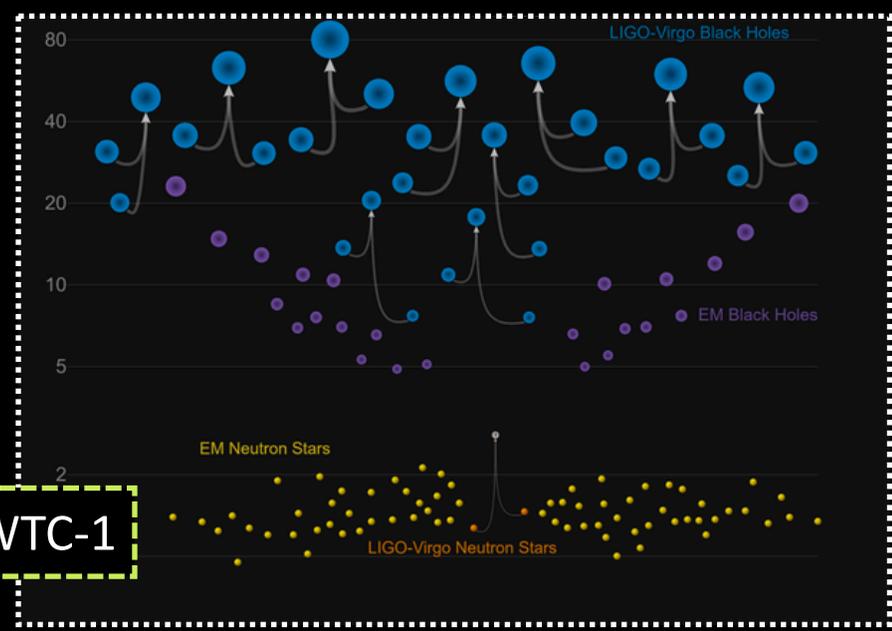
Gravitational wave science



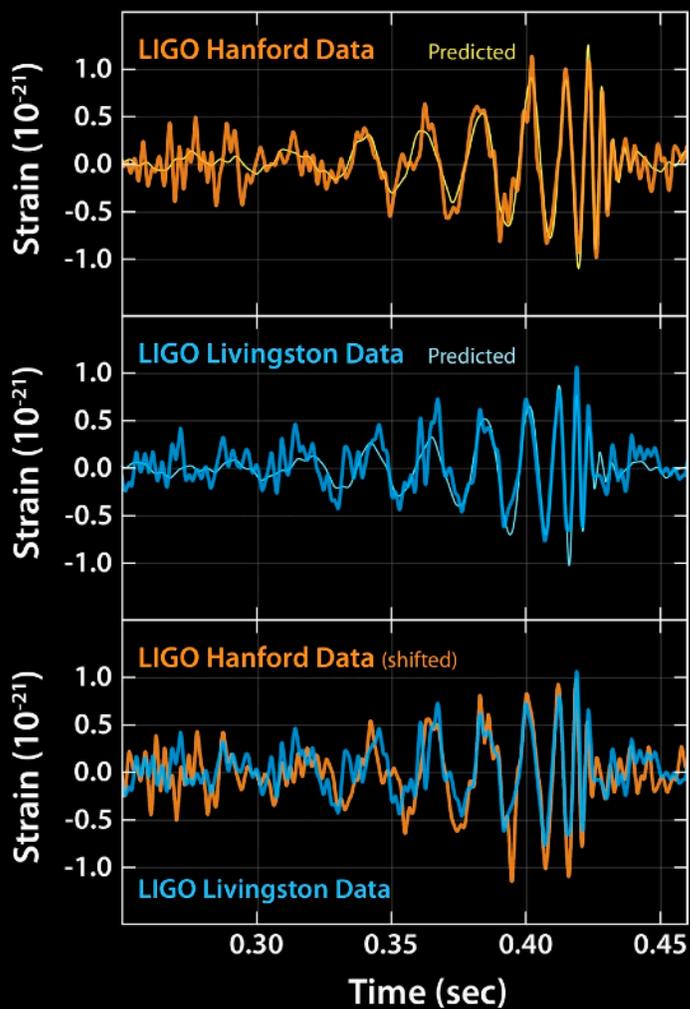
The first event: GW150914



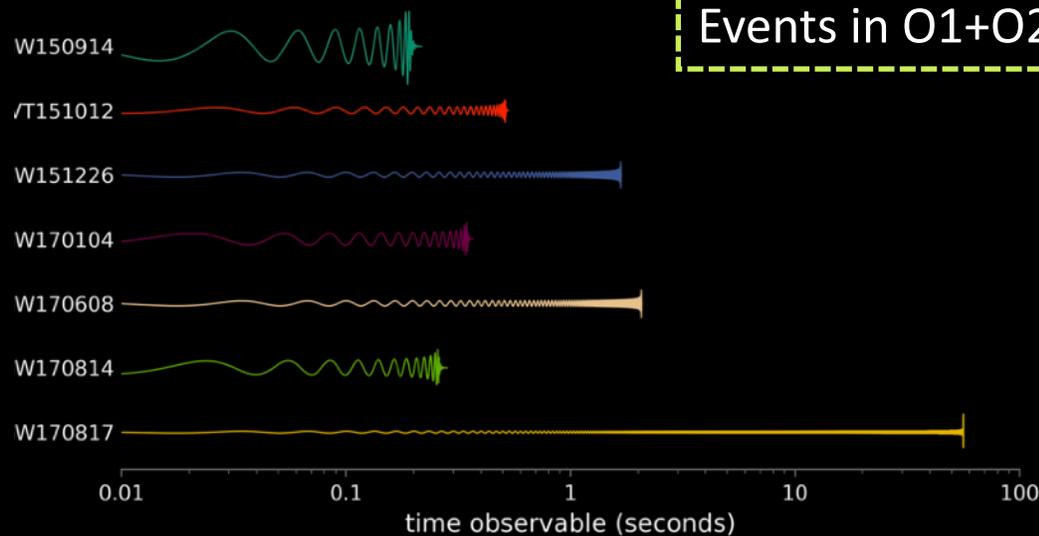
Catalogues: GWTC-1



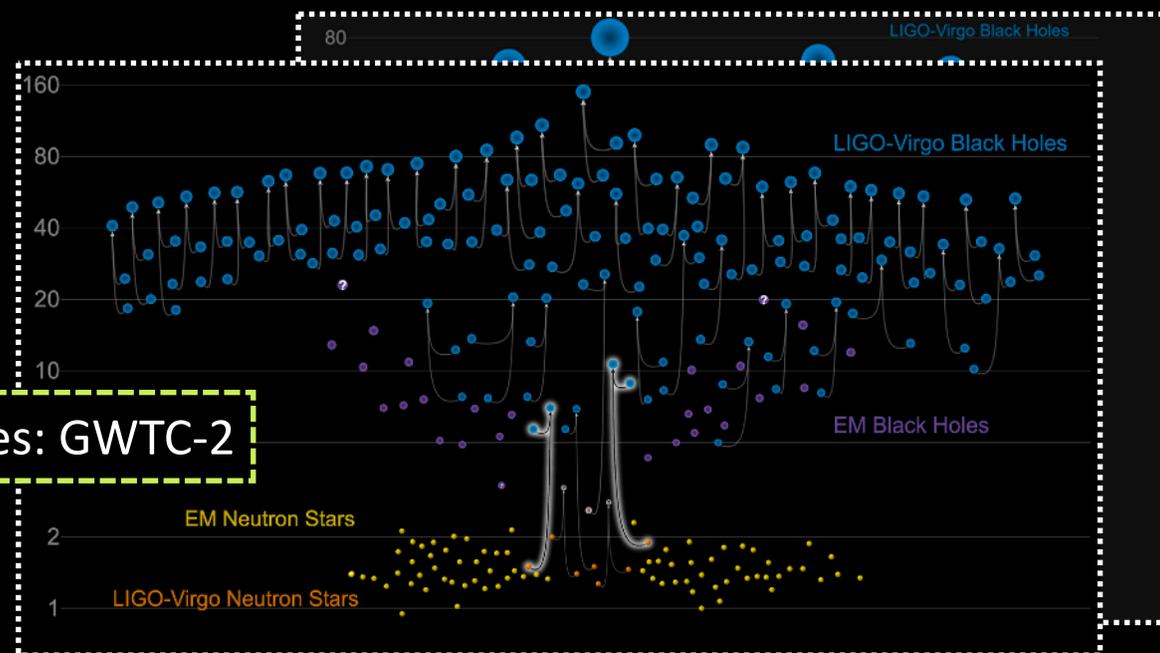
Gravitational wave science



The first event: GW150914



Catalogues: GWTC-2



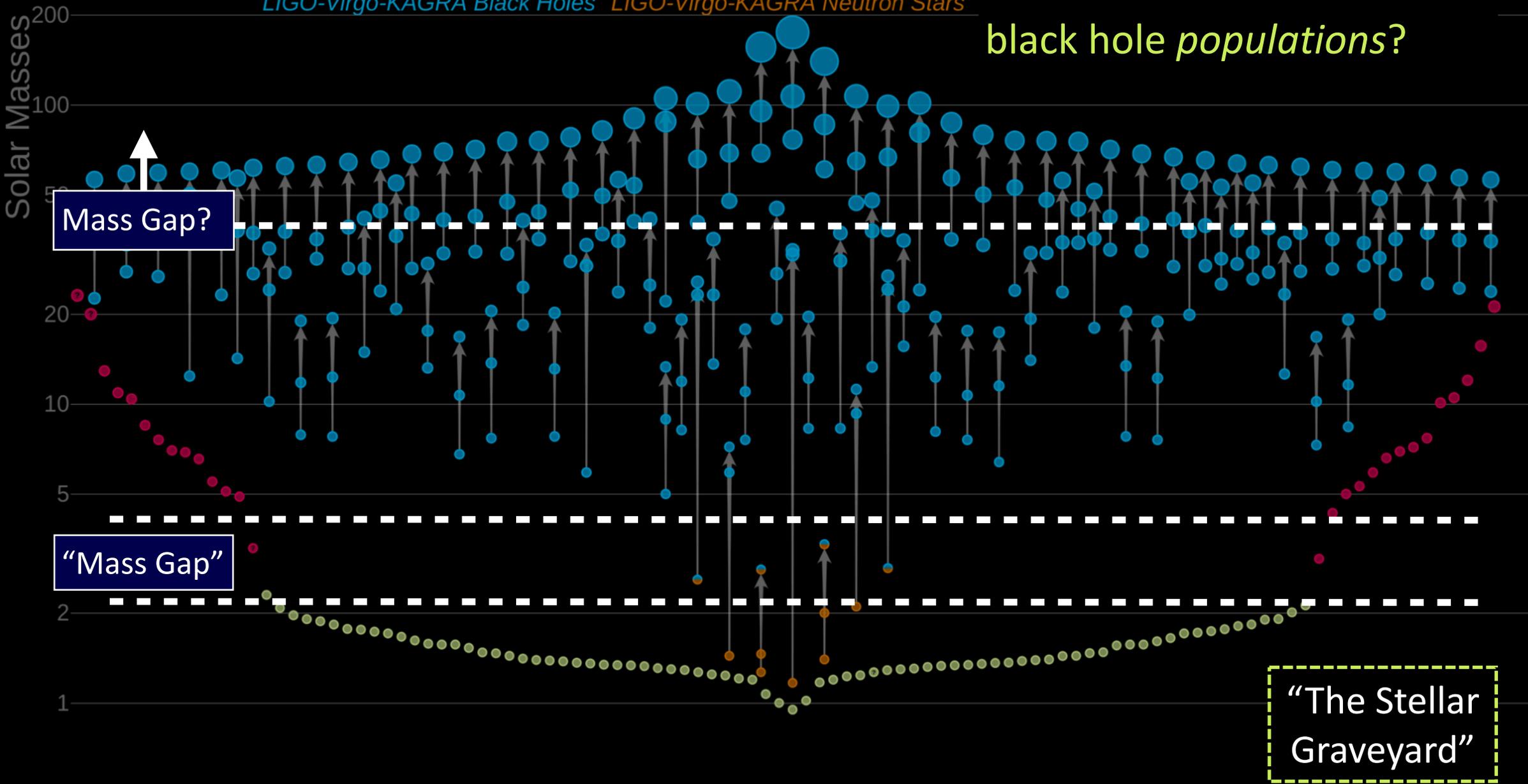
Binary mergers in LIGO/Virgo O1-3



Binary mergers in LIGO/Virgo O1-3

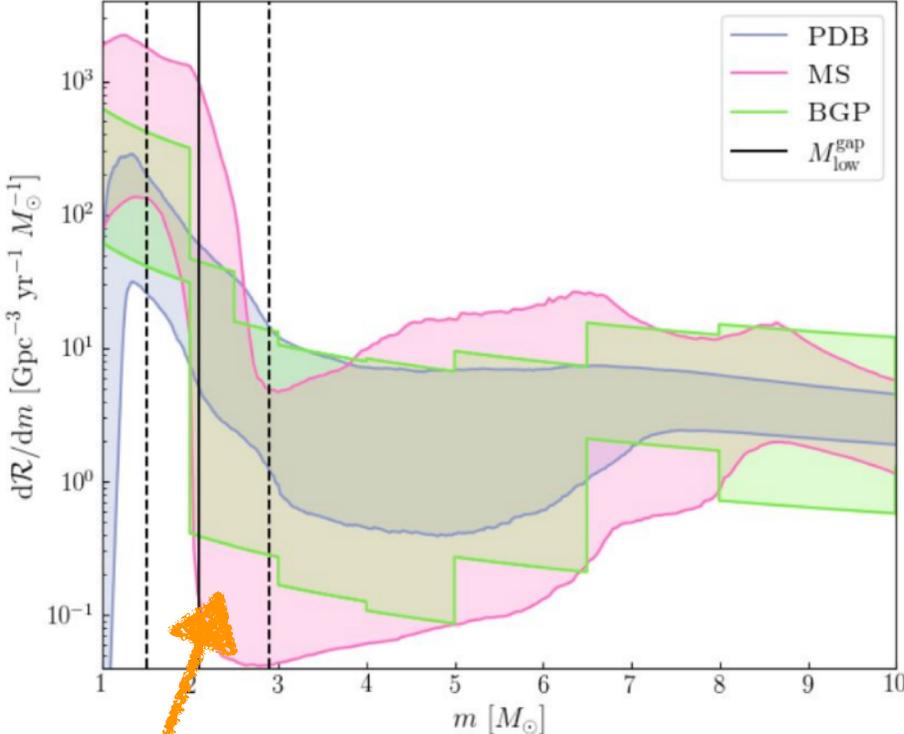
LIGO-Virgo-KAGRA Black Holes LIGO-Virgo-KAGRA Neutron Stars

What can be learned about black hole populations?



Features in the mass distribution

Lower mass gap



The LIGO Scientific Collaboration, the Virgo Collaboration and the KAGRA Collaboration, Phys. Rev. X **13**, 011048, March 2023

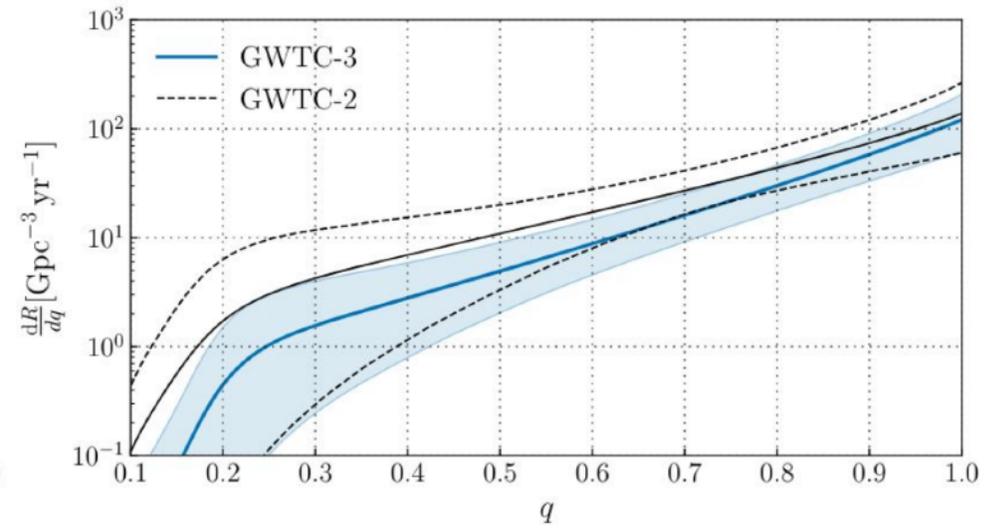
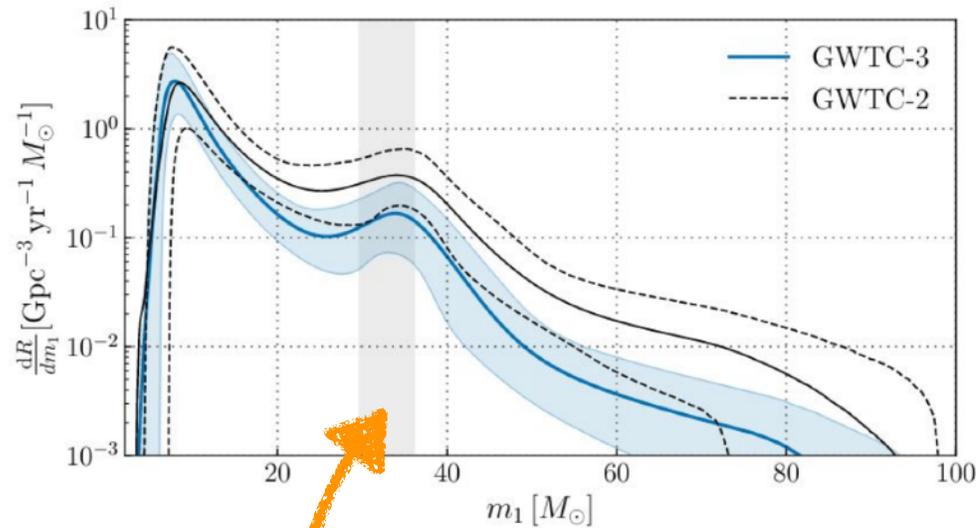
Is the lower mass gap physical?

Rachel Gray's talk, PONT'23

Features in the mass distribution

Lower mass gap

Black hole mass distribution

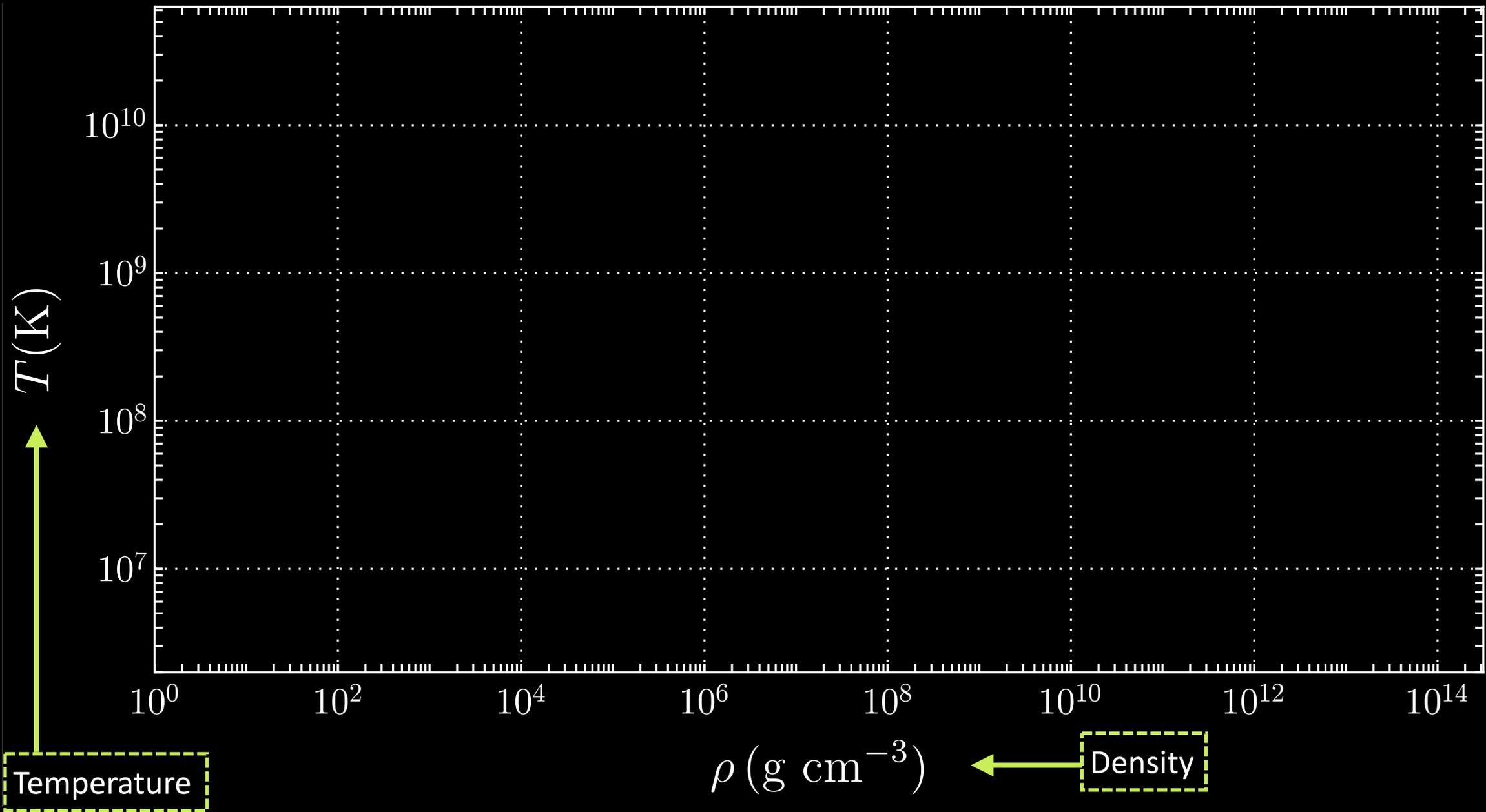


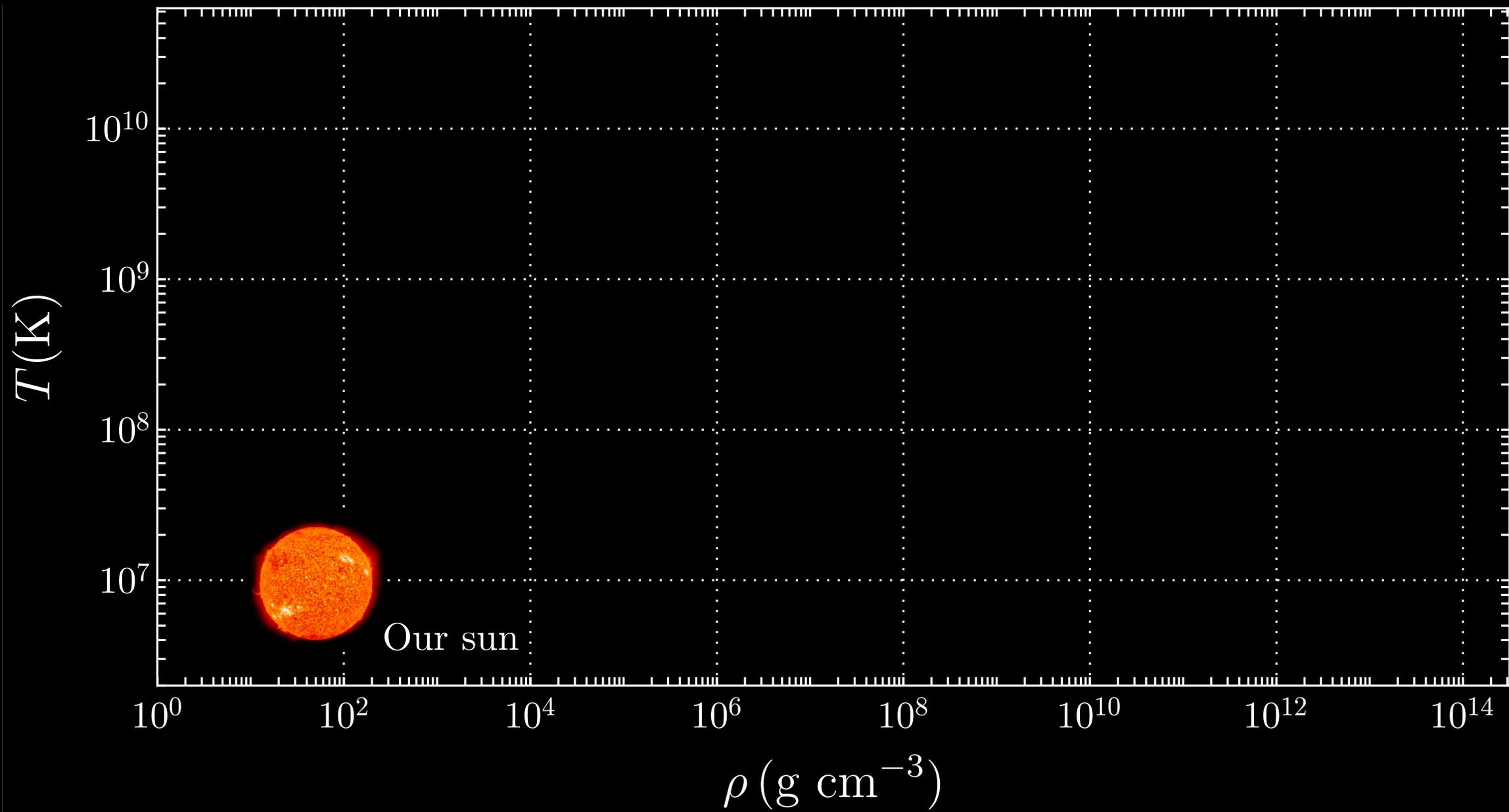
The LIGO Scientific Collaboration, the Virgo Collaboration and the KAGRA Collaboration, Phys. Rev. X **13**, 011048, March 2023

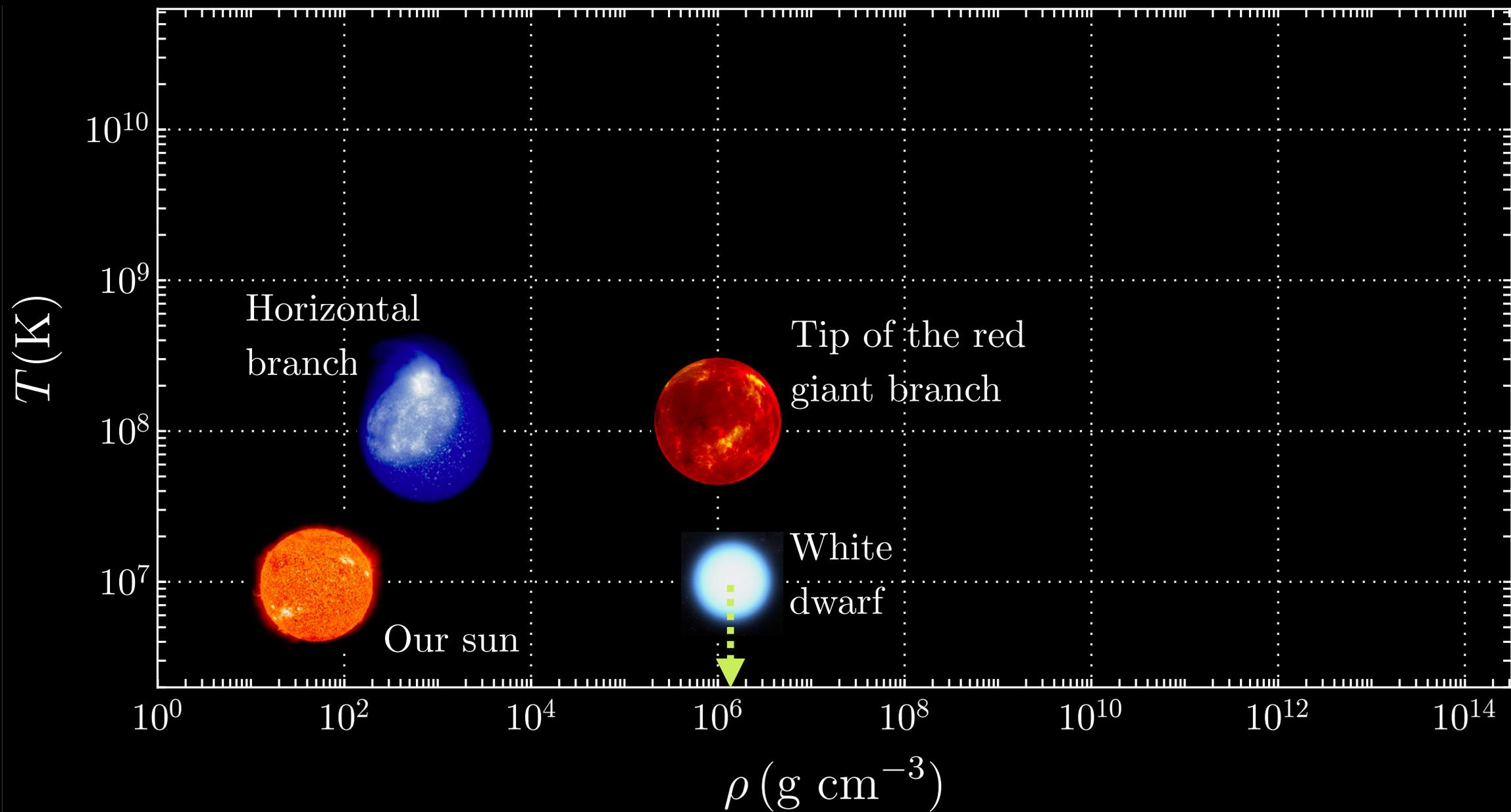
Rachel Gray's talk, PONT'23

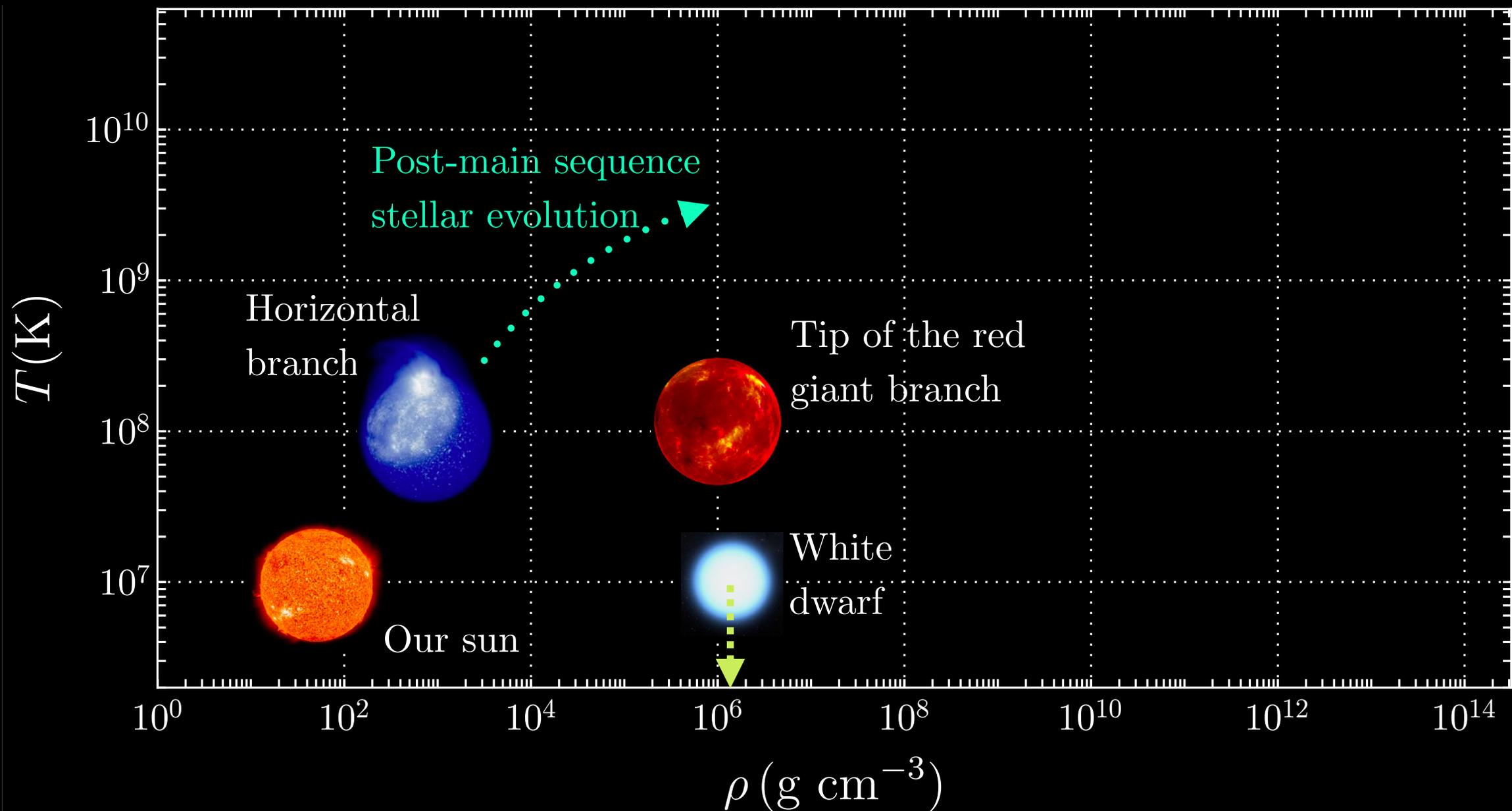
Why is there a peak here? $\longleftrightarrow H_0$

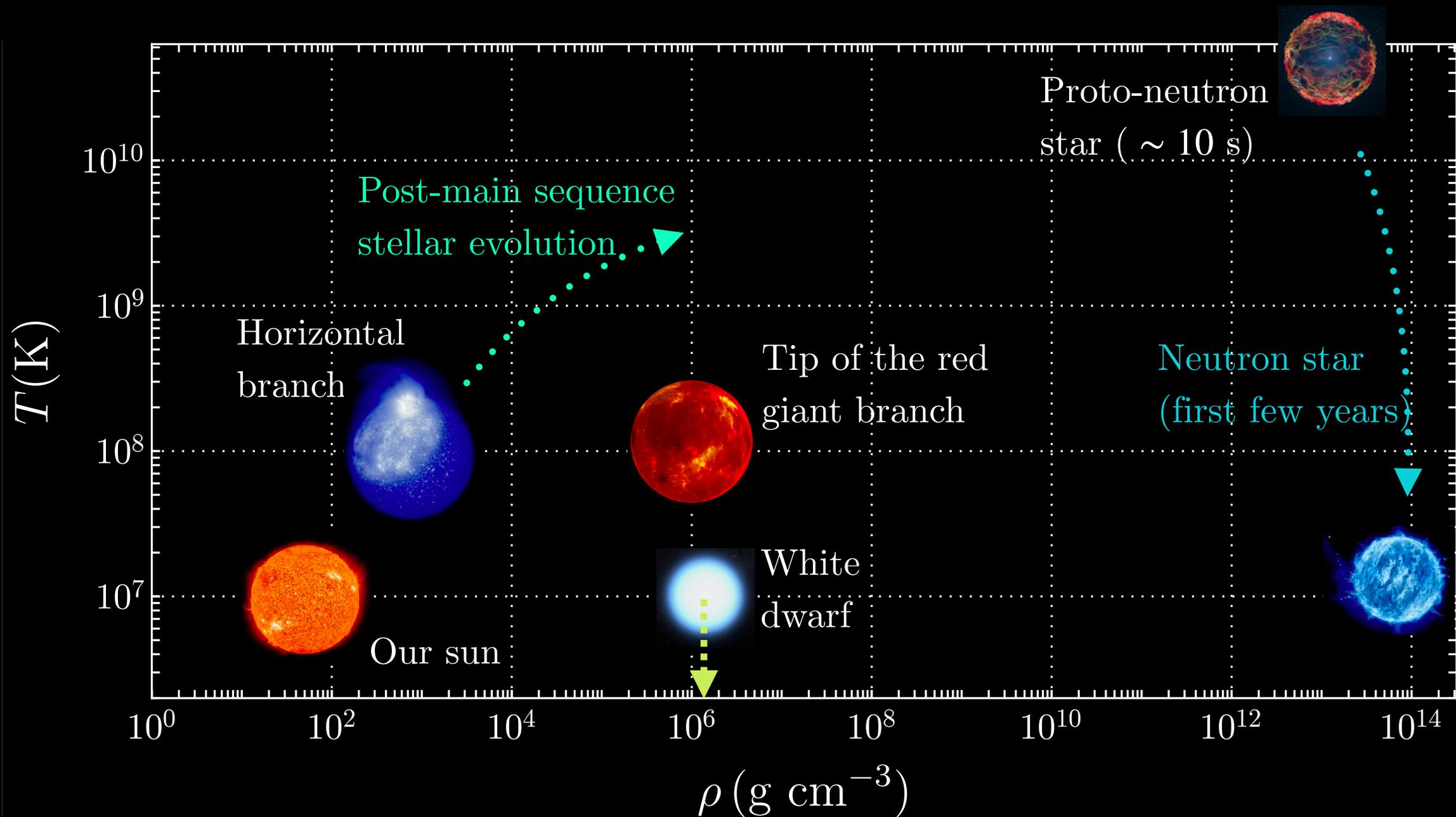
Late evolution of BH progenitor stars

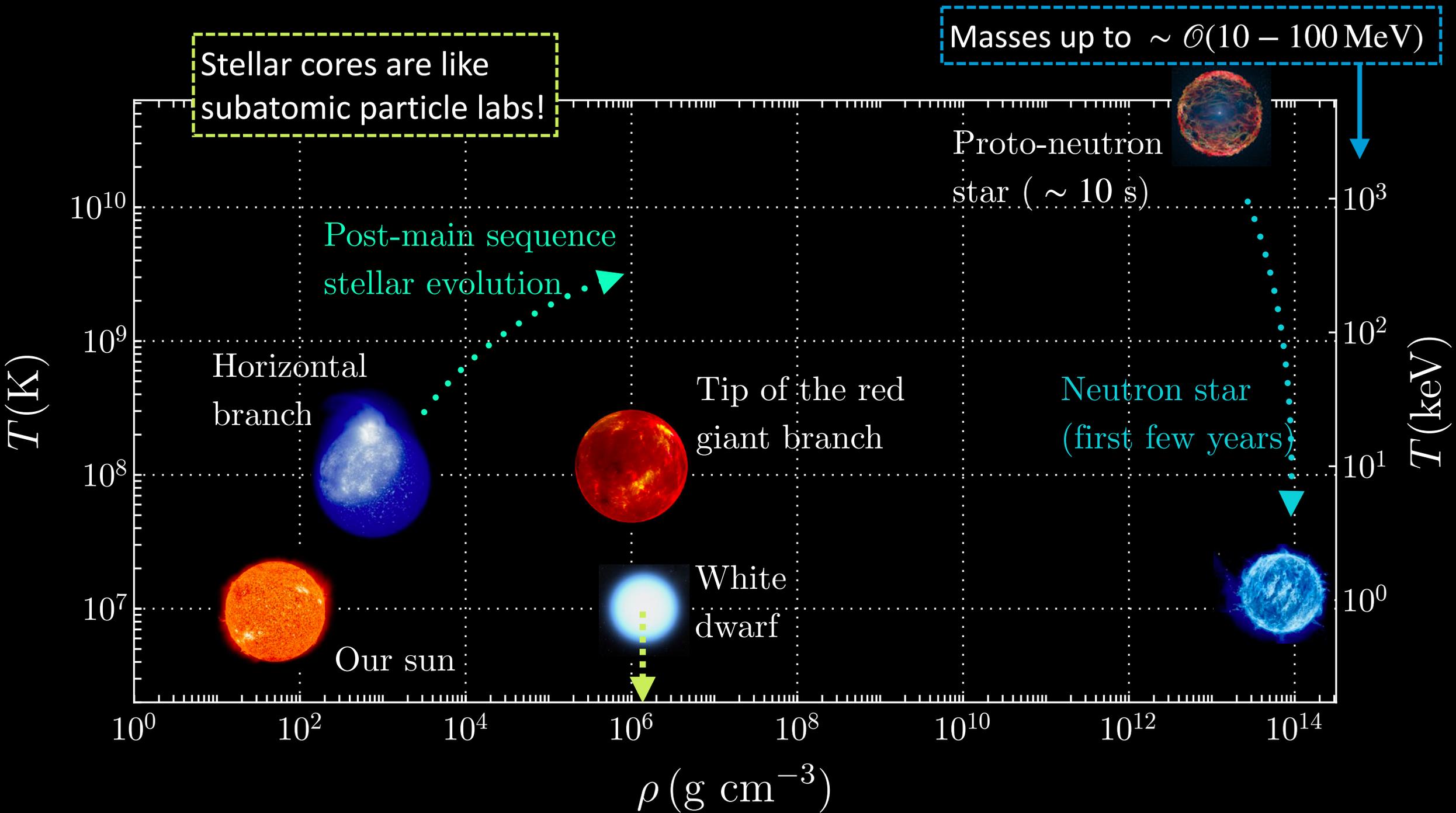


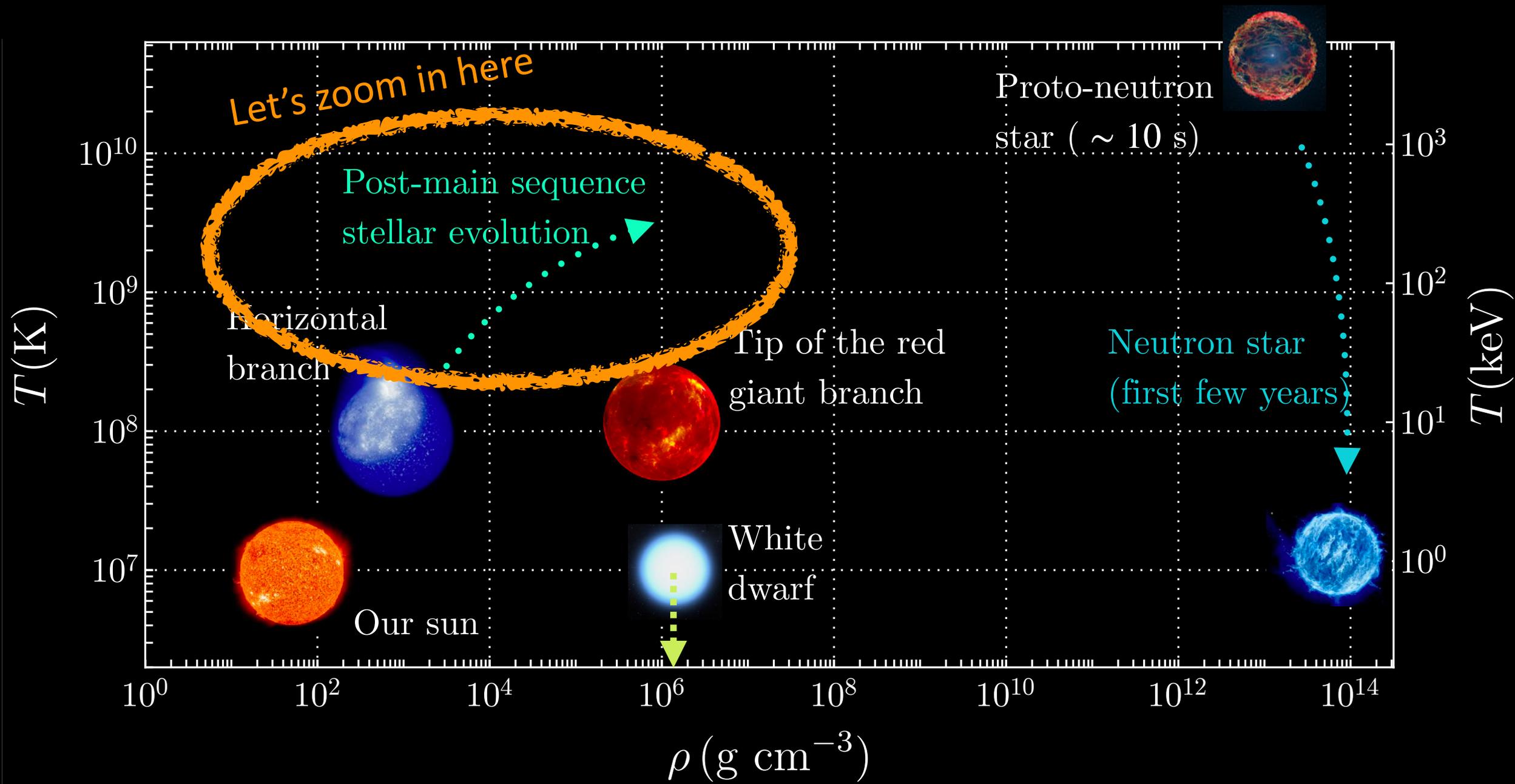




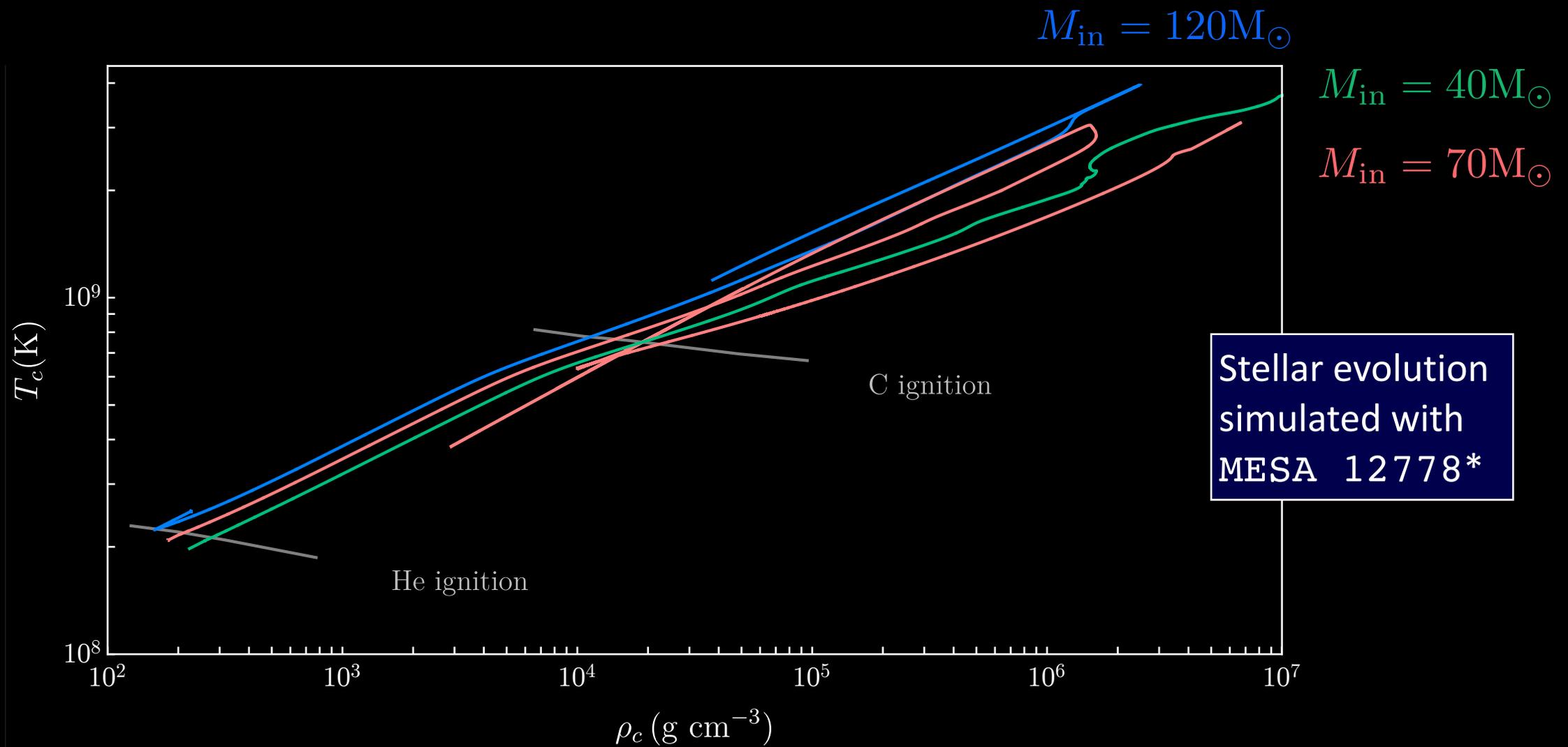






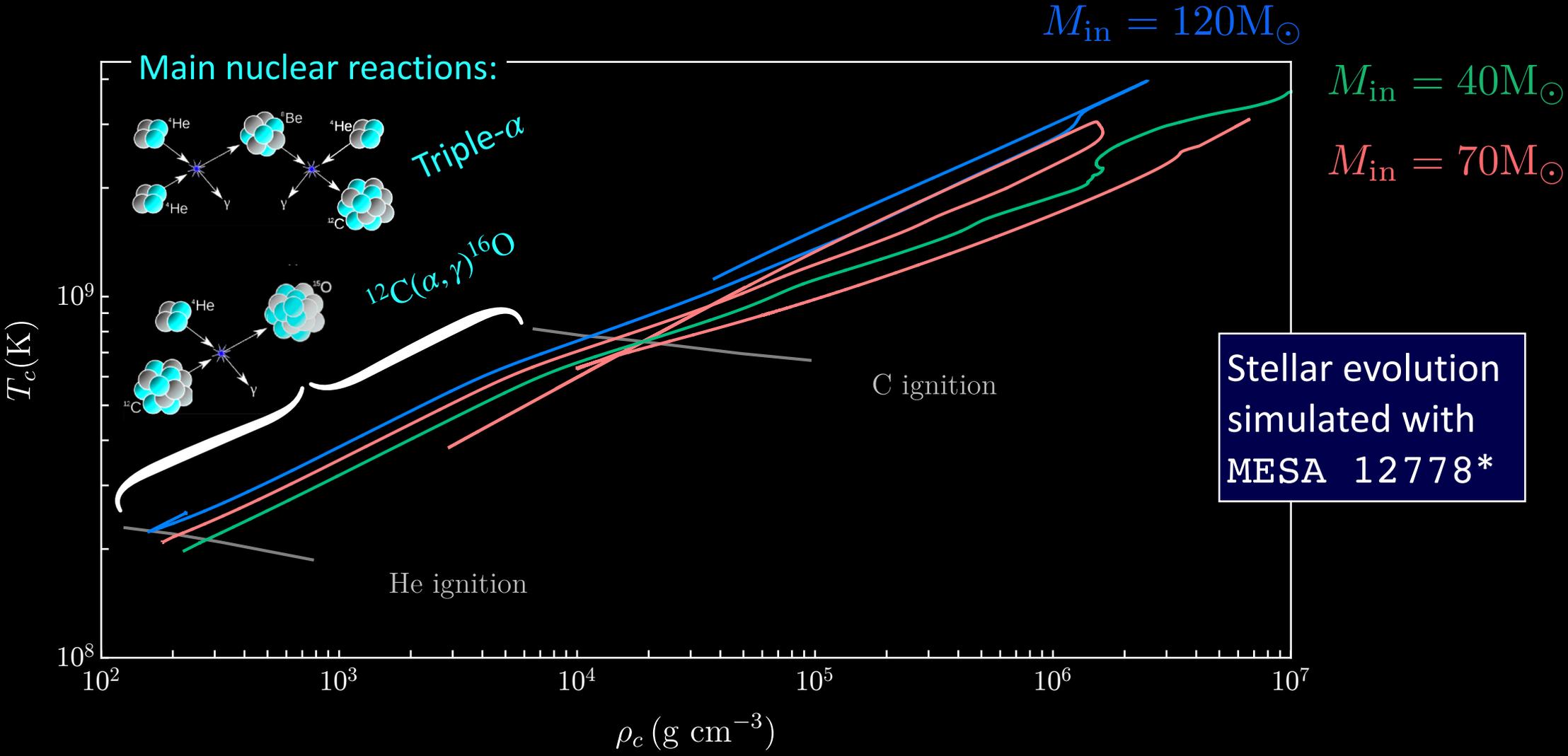


Late evolution of heavy stars



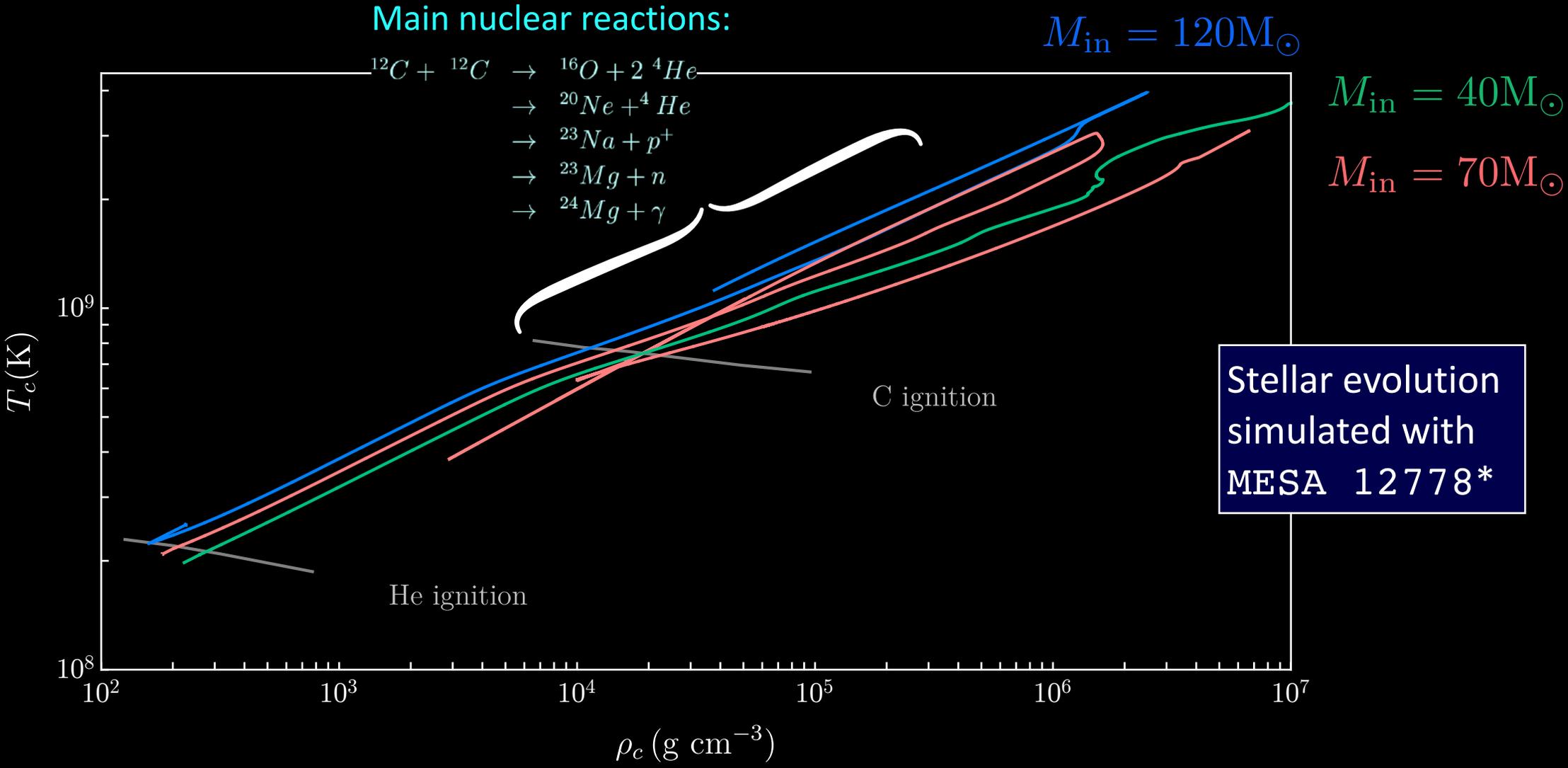
*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

Late evolution of heavy stars



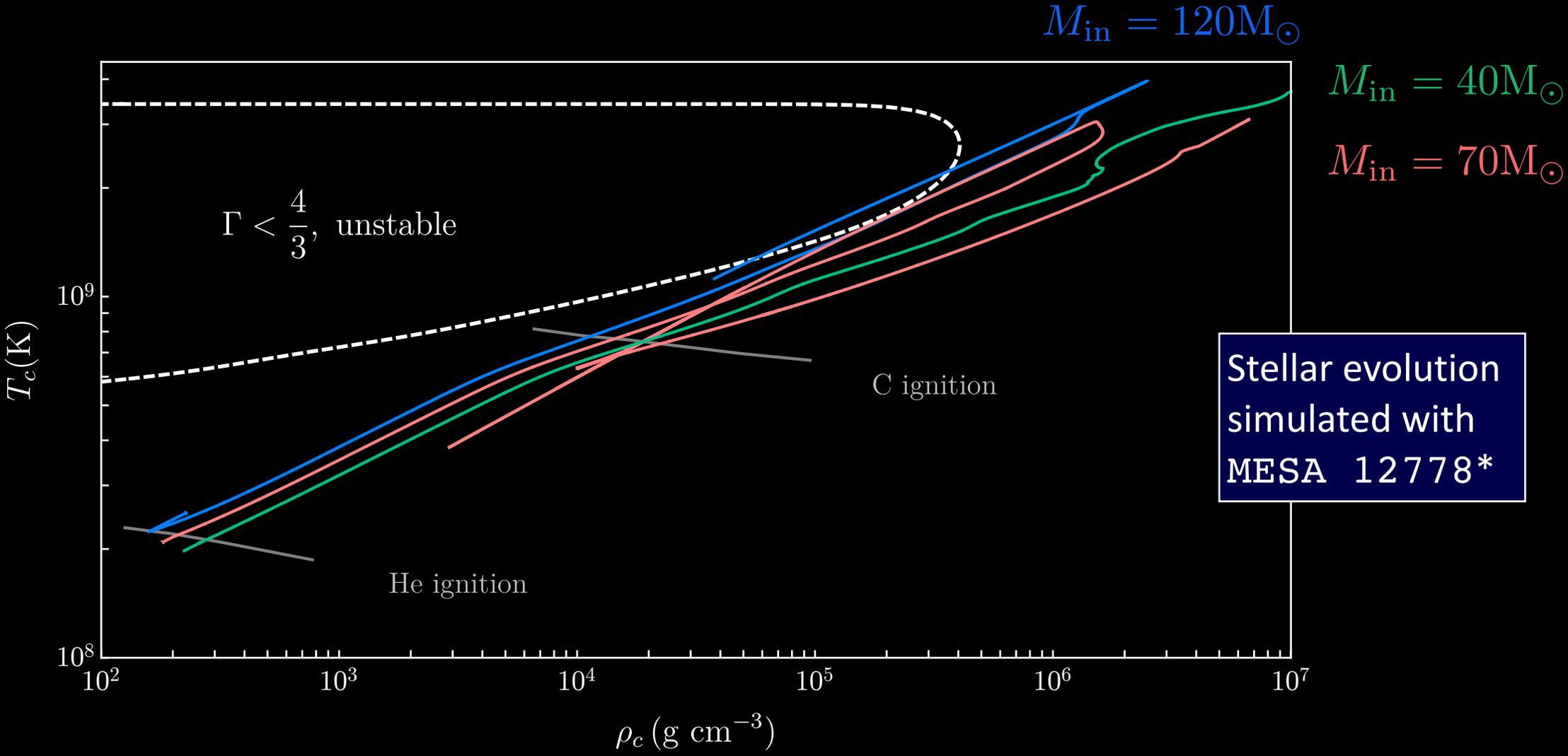
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Late evolution of heavy stars



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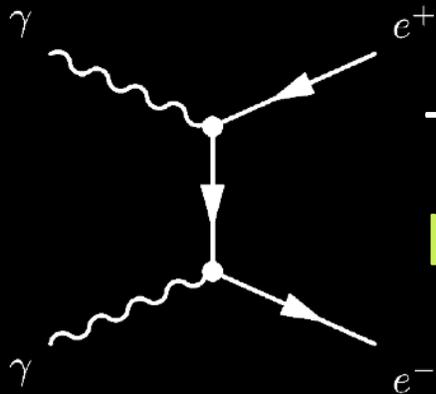
Late evolution of heavy stars



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The danger zone: pair-instability

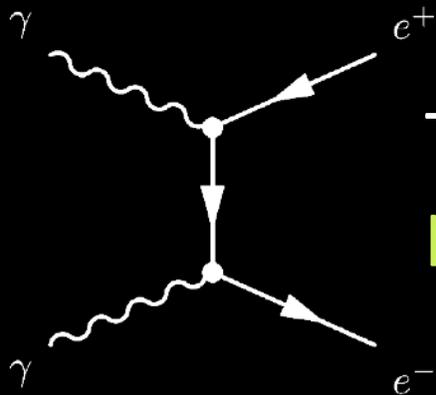
Barkat, Rakavy, Sack PRL (1967)
Rakavy, Shaviv, ApJ (1967)



The high temperatures of stellar cores mean **electron-positron pairs** can be created from photons: $\gamma\gamma \rightarrow e^+e^-$

The danger zone: pair-instability

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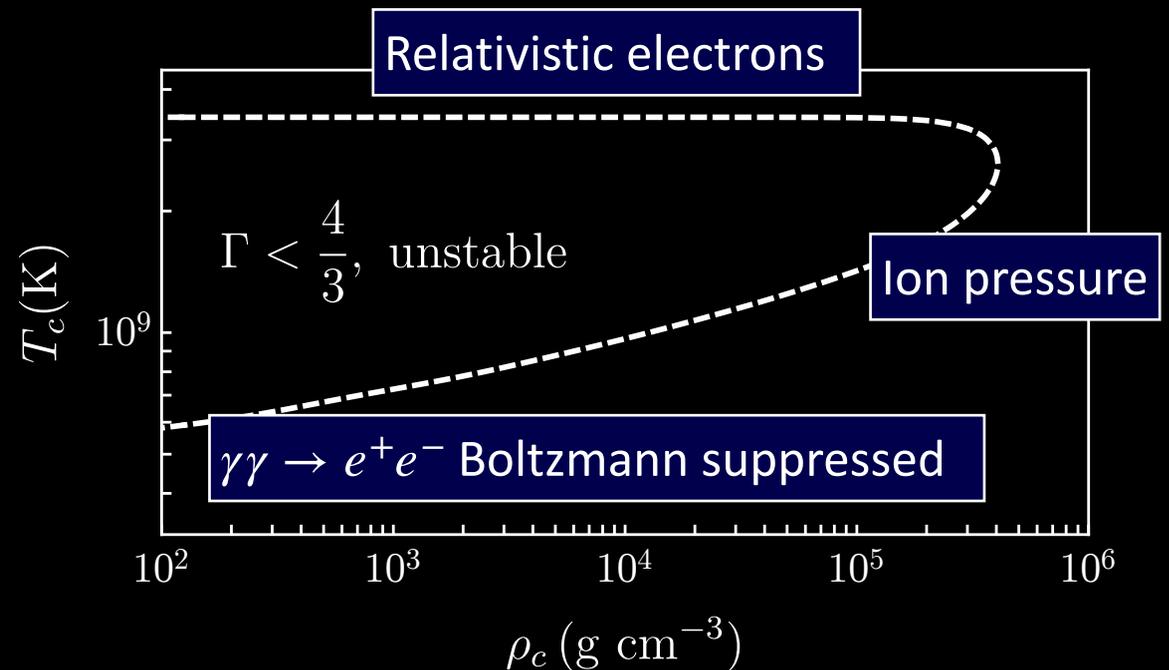
The high temperatures of stellar cores mean **electron-positron pairs** can be created from photons: $\gamma\gamma \rightarrow e^+e^-$

Unstable, because:

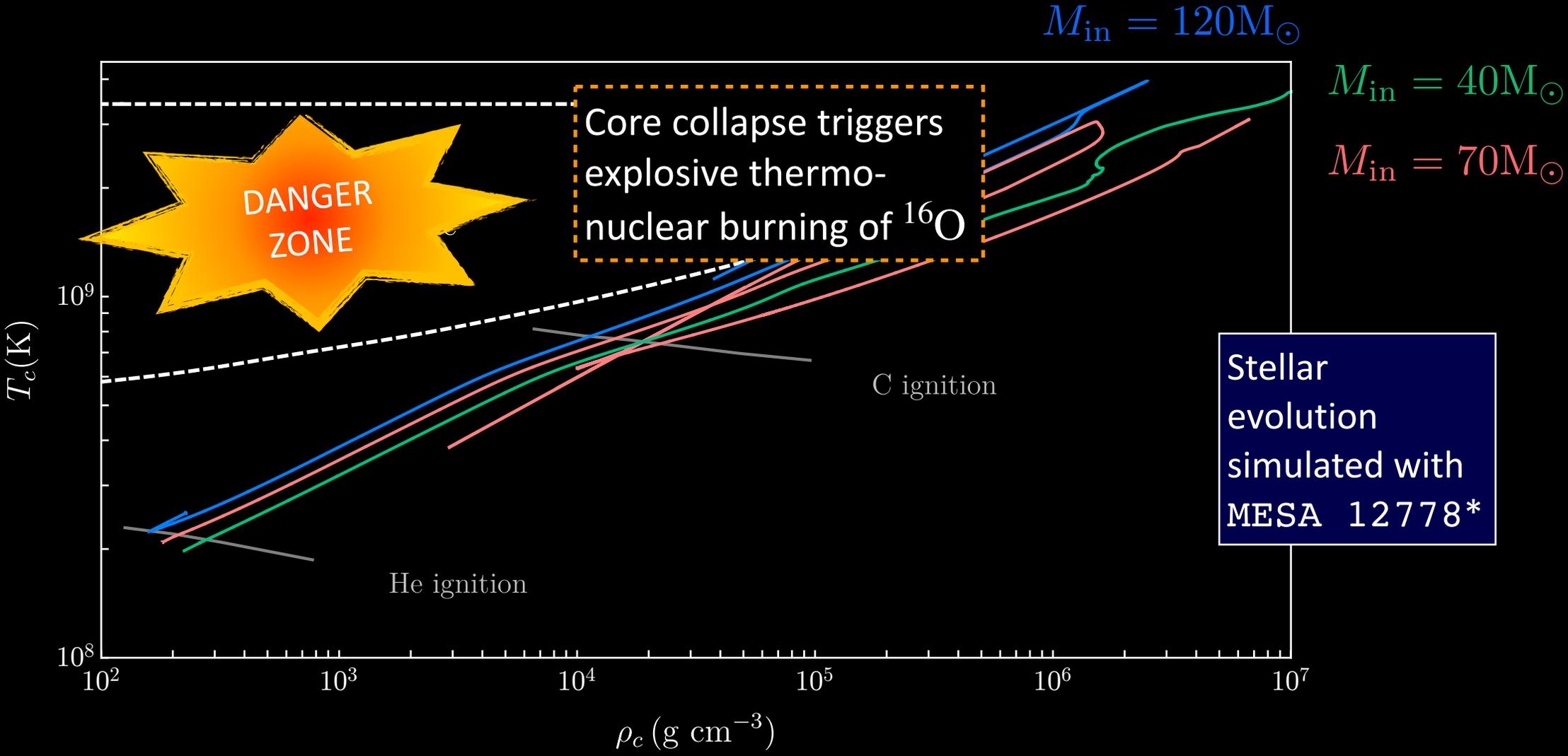
The **photons** give the star outward pressure

The **electron-positron** pairs imply extra gravity but no pressure

→ *the core starts to collapse*



Evolution of old population-III stars



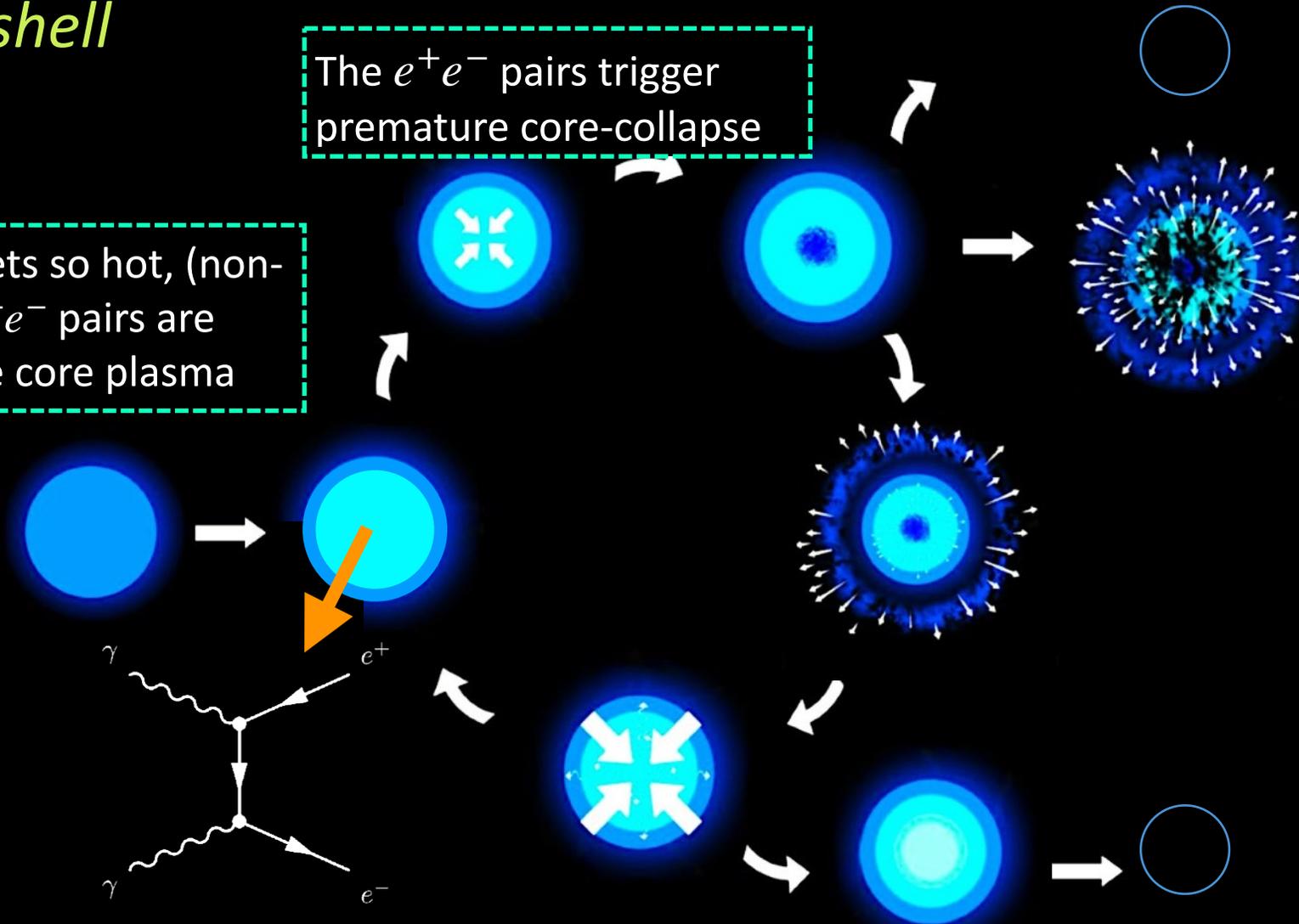
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Pair instability

in a nutshell

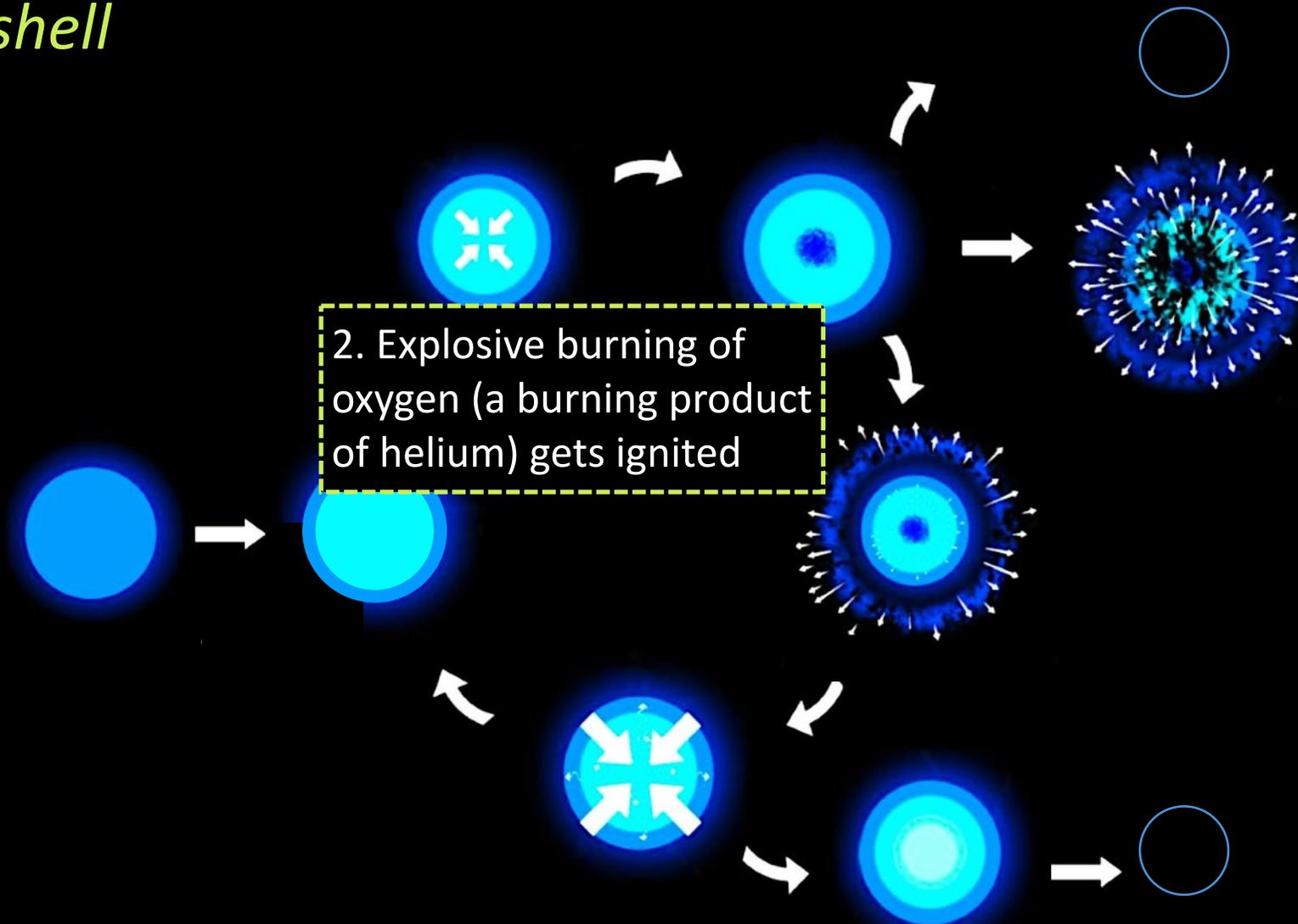
1. The core gets so hot, (non-relativistic) e^+e^- pairs are created in the core plasma

The e^+e^- pairs trigger premature core-collapse



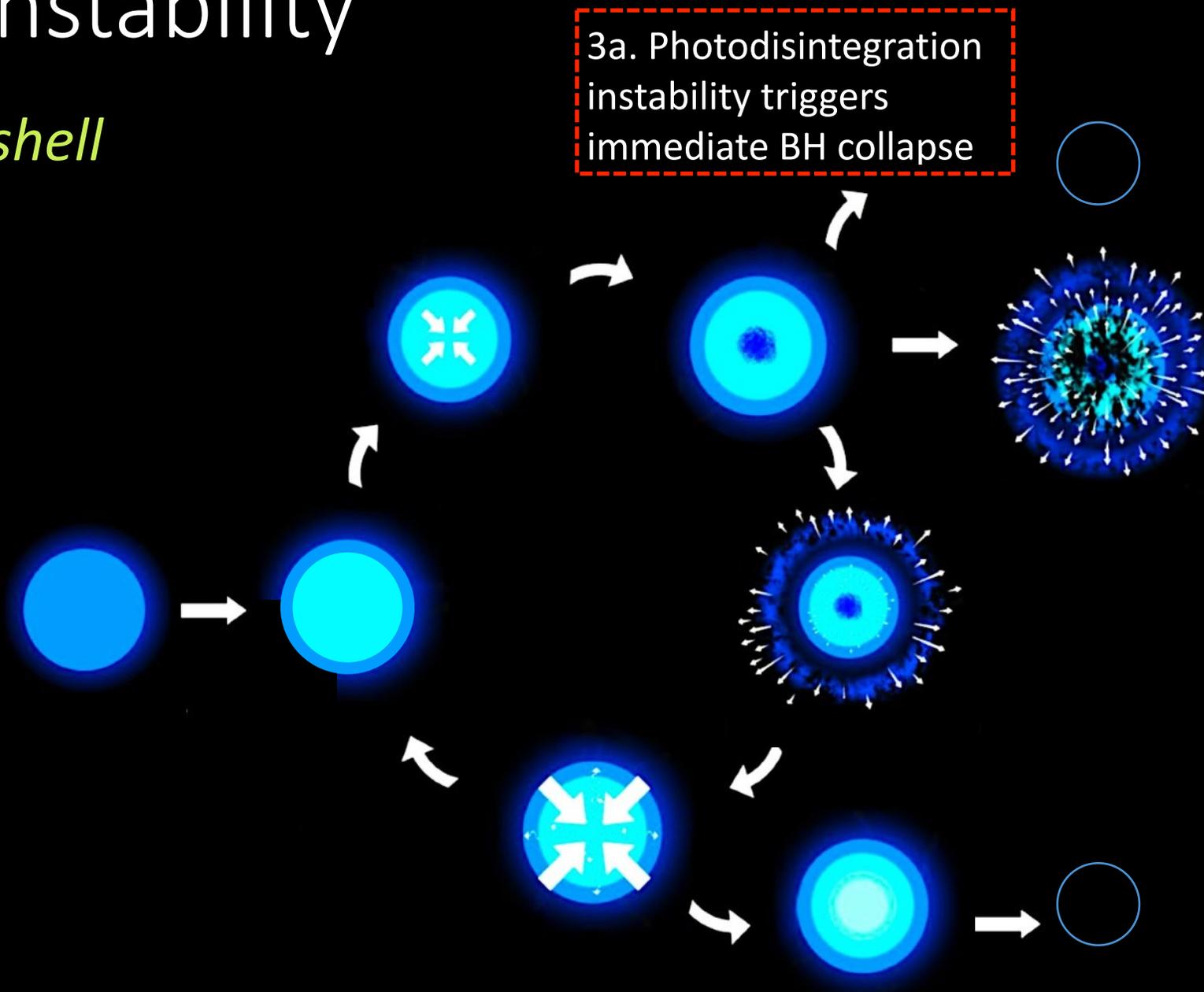
Pair instability

in a nutshell



Pair instability

in a nutshell

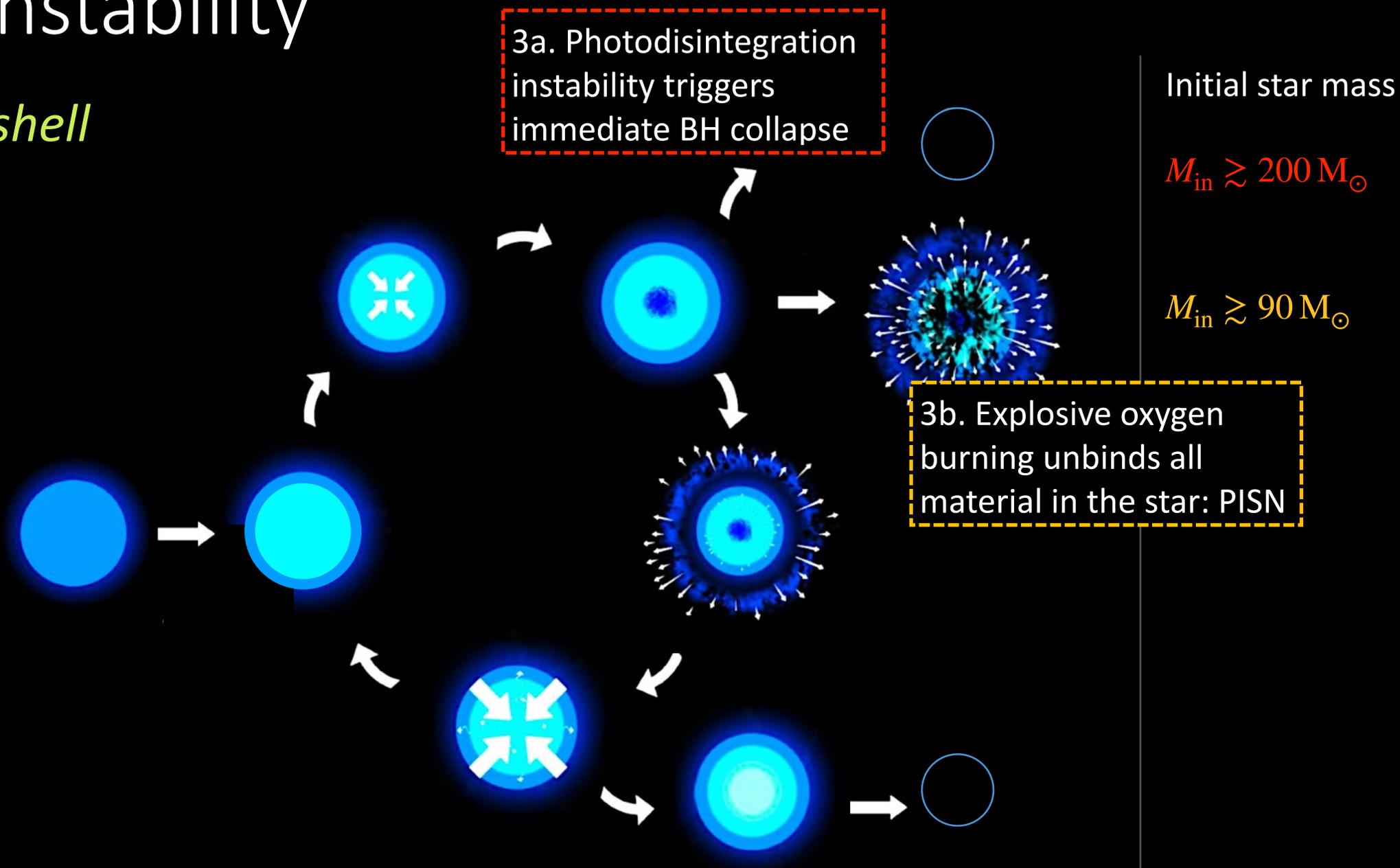


Initial star mass

$$M_{\text{in}} \gtrsim 200 M_{\odot}$$

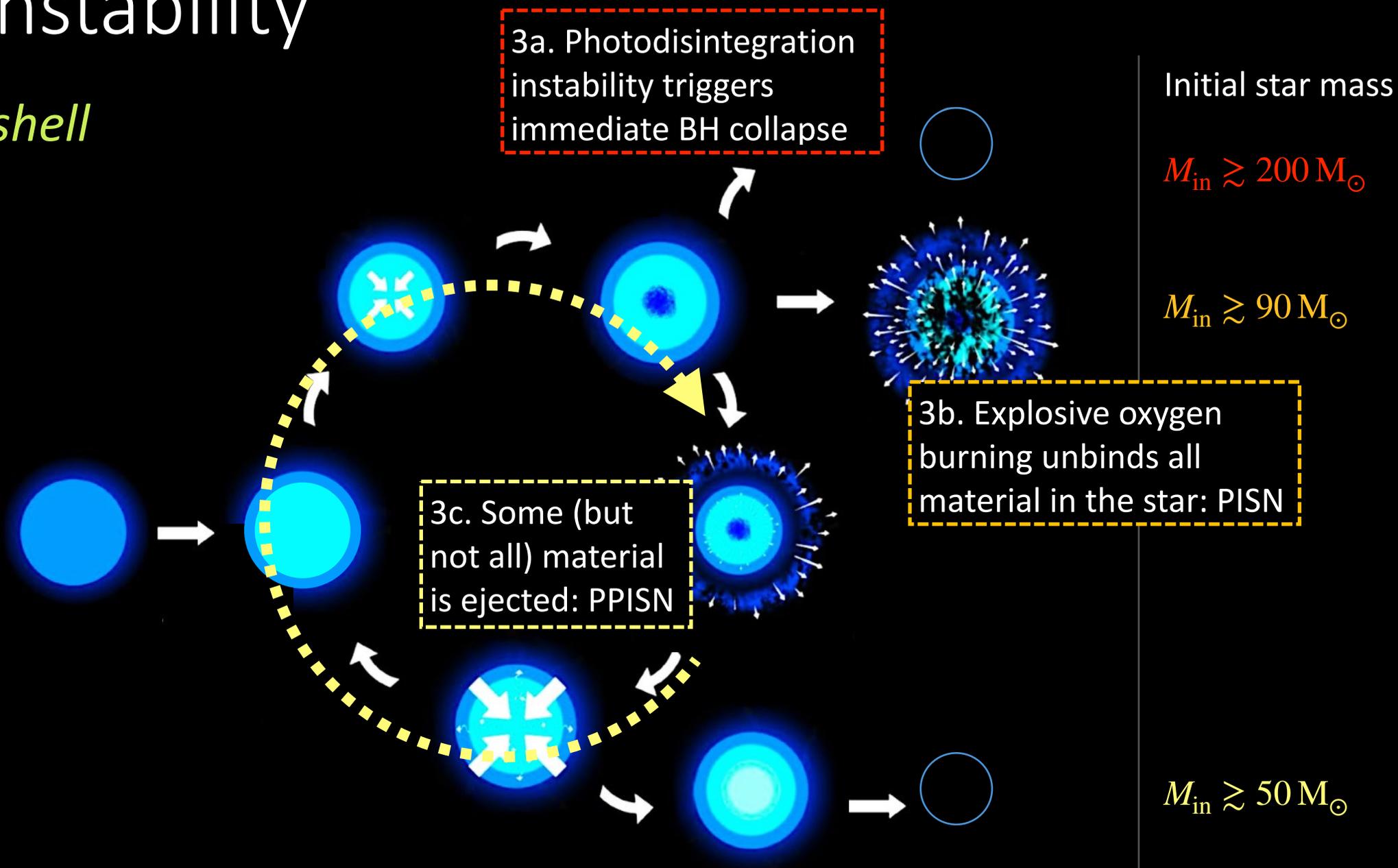
Pair instability

in a nutshell

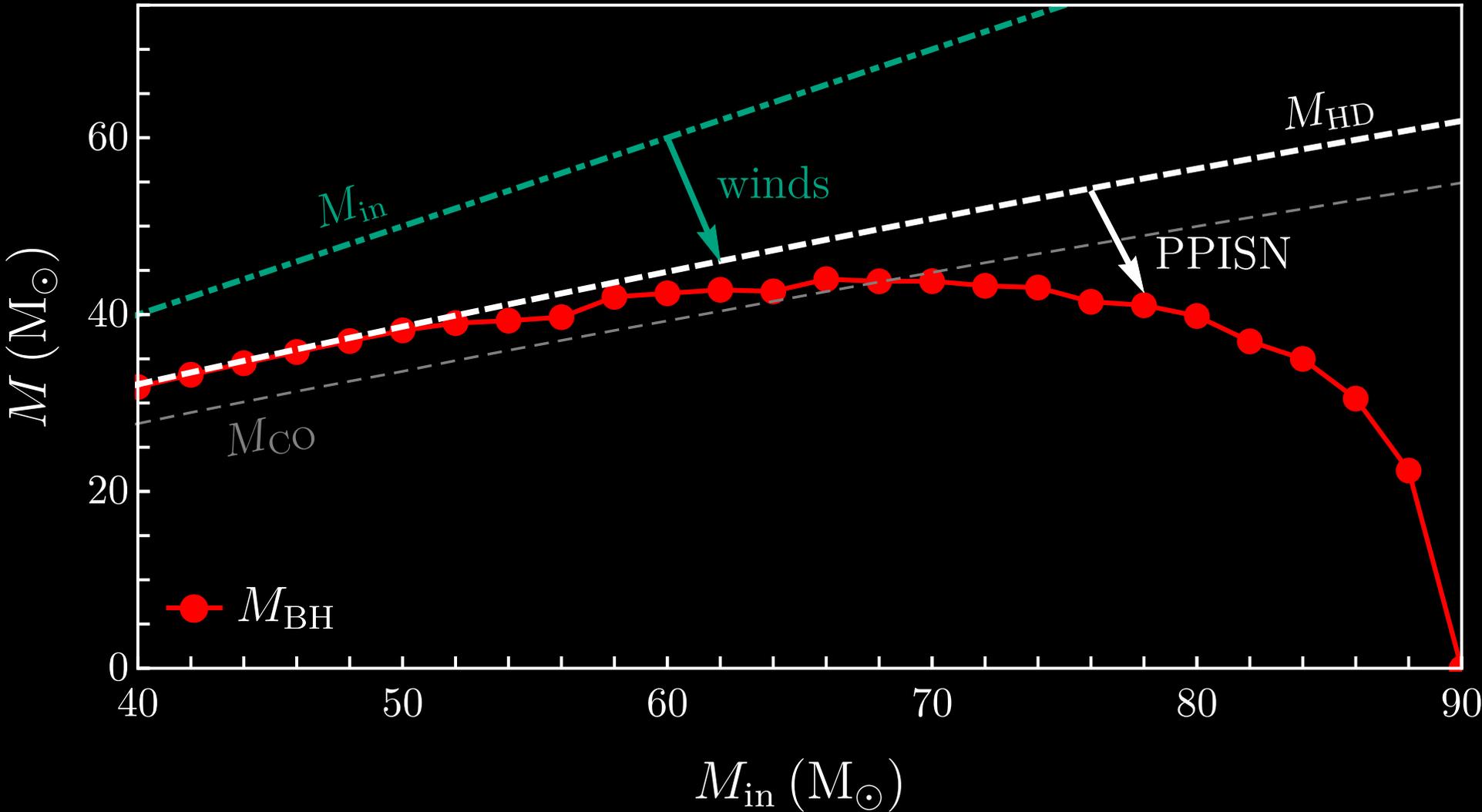


Pair instability

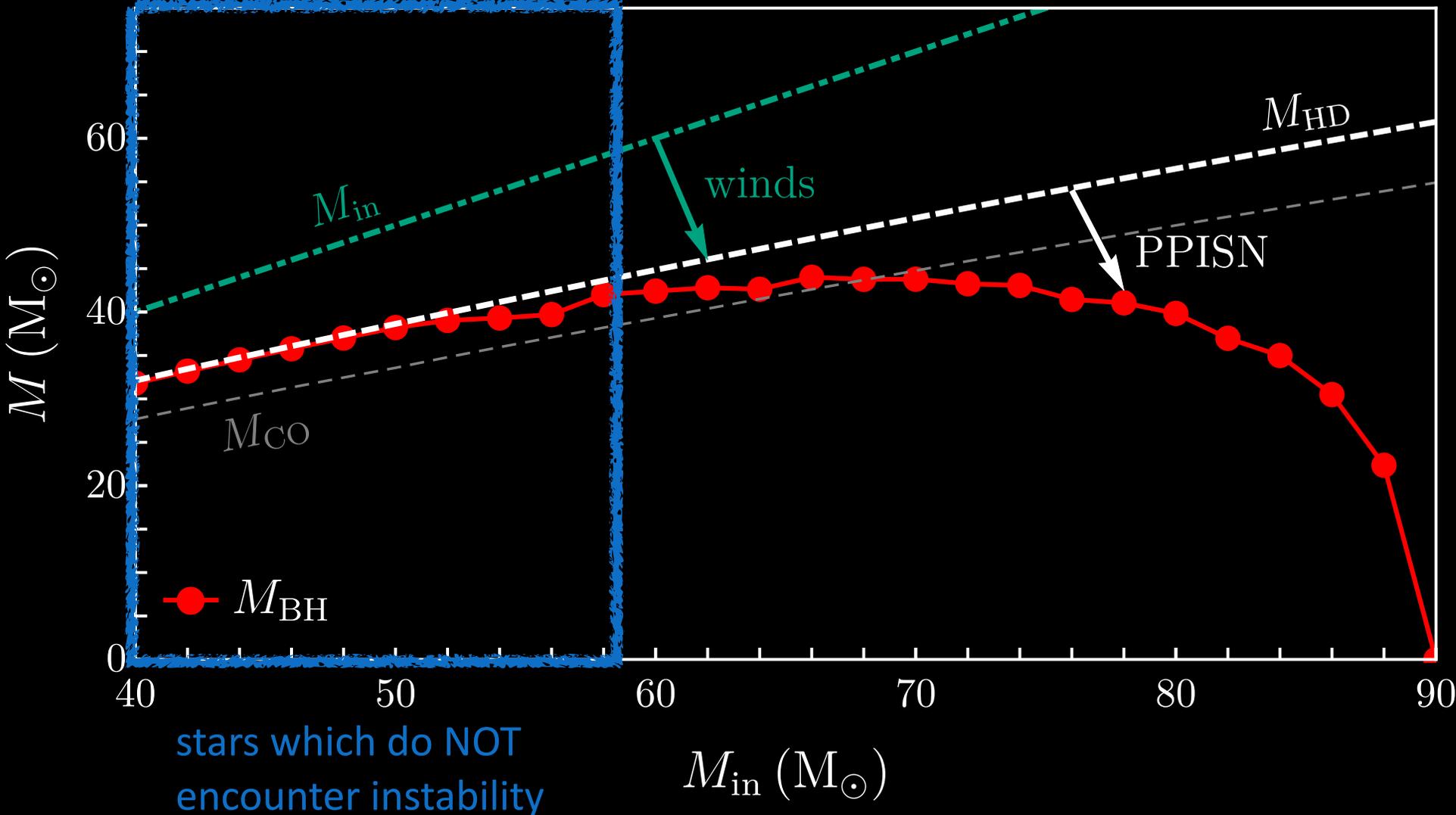
in a nutshell



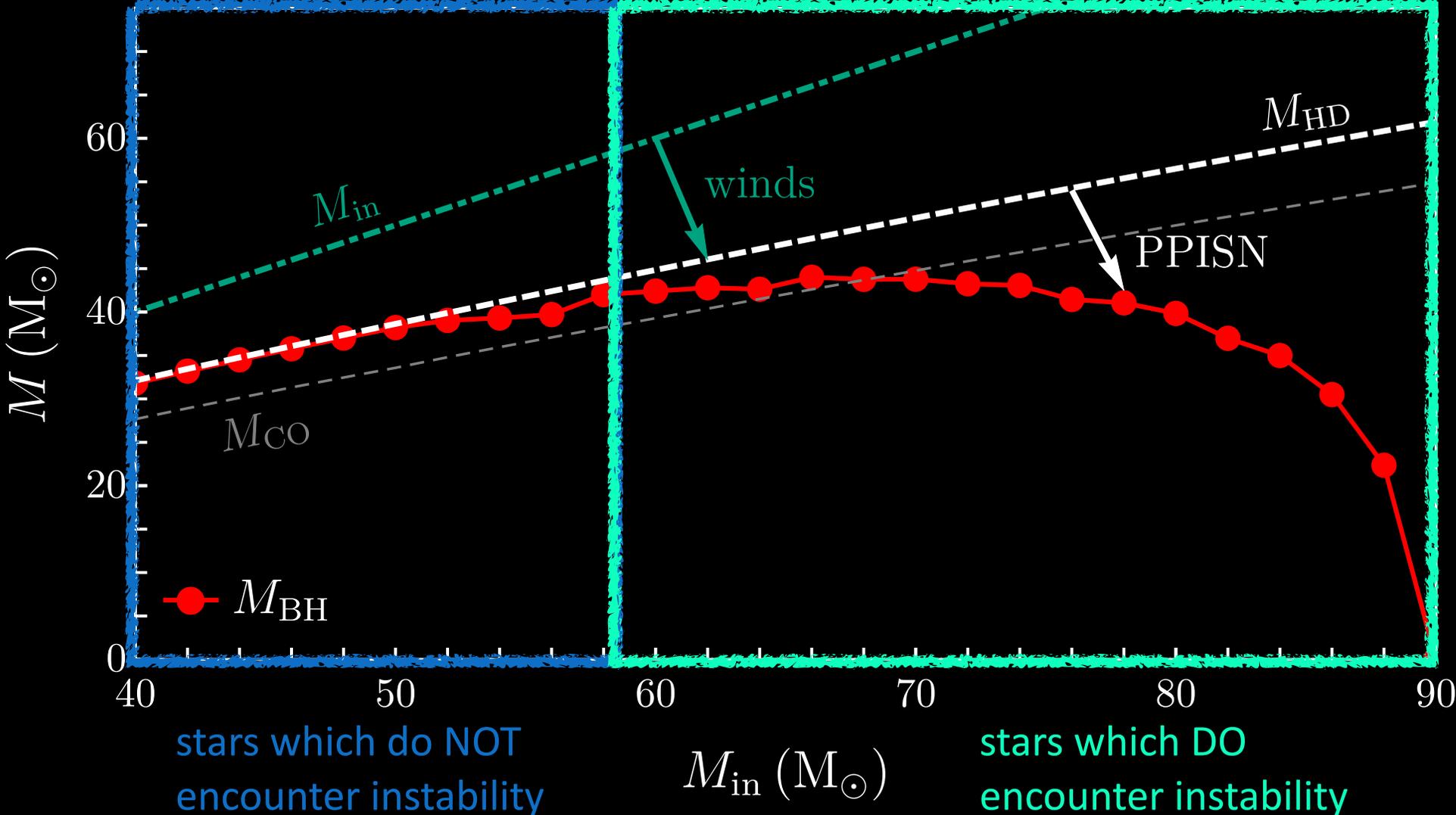
Resulting black hole masses



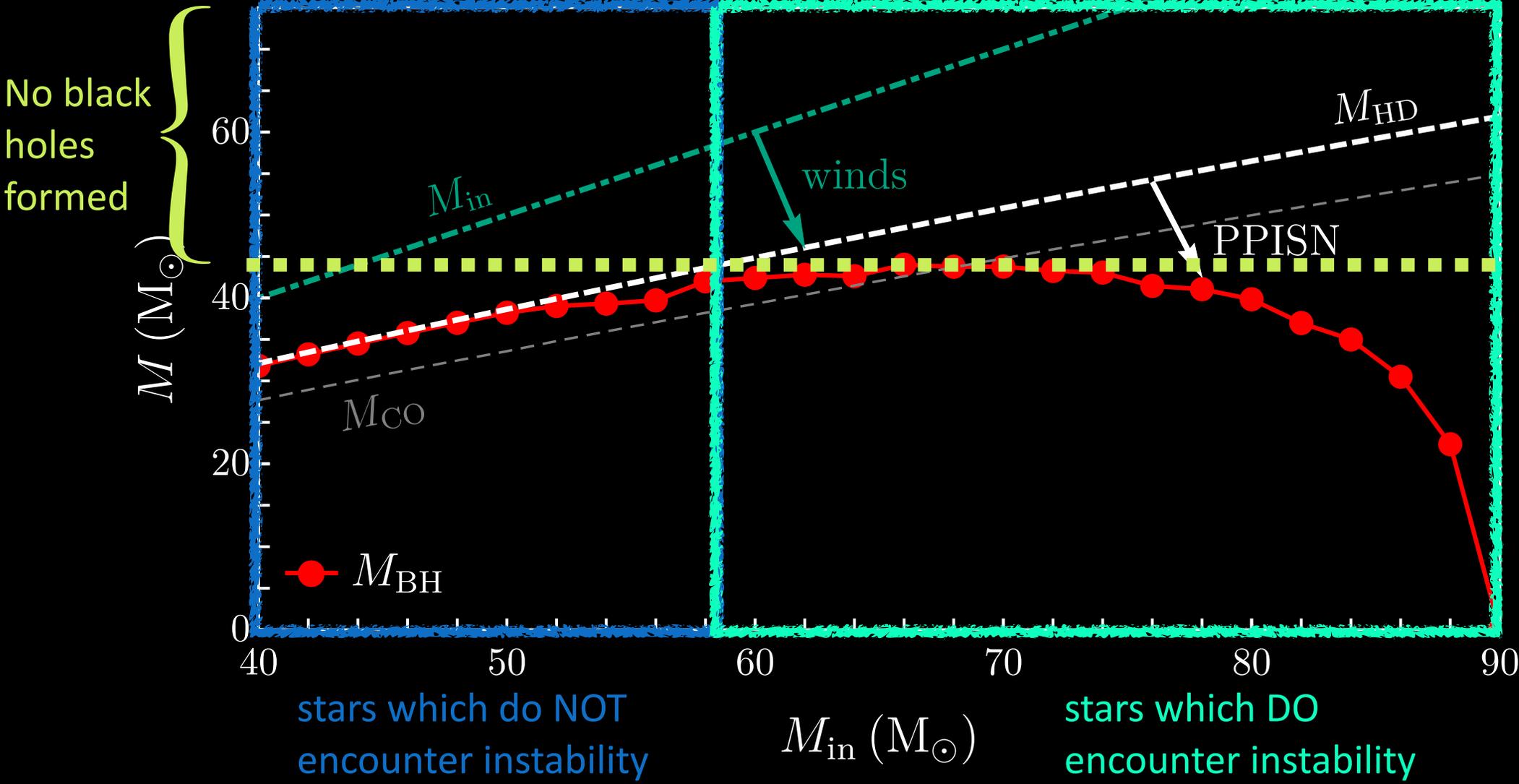
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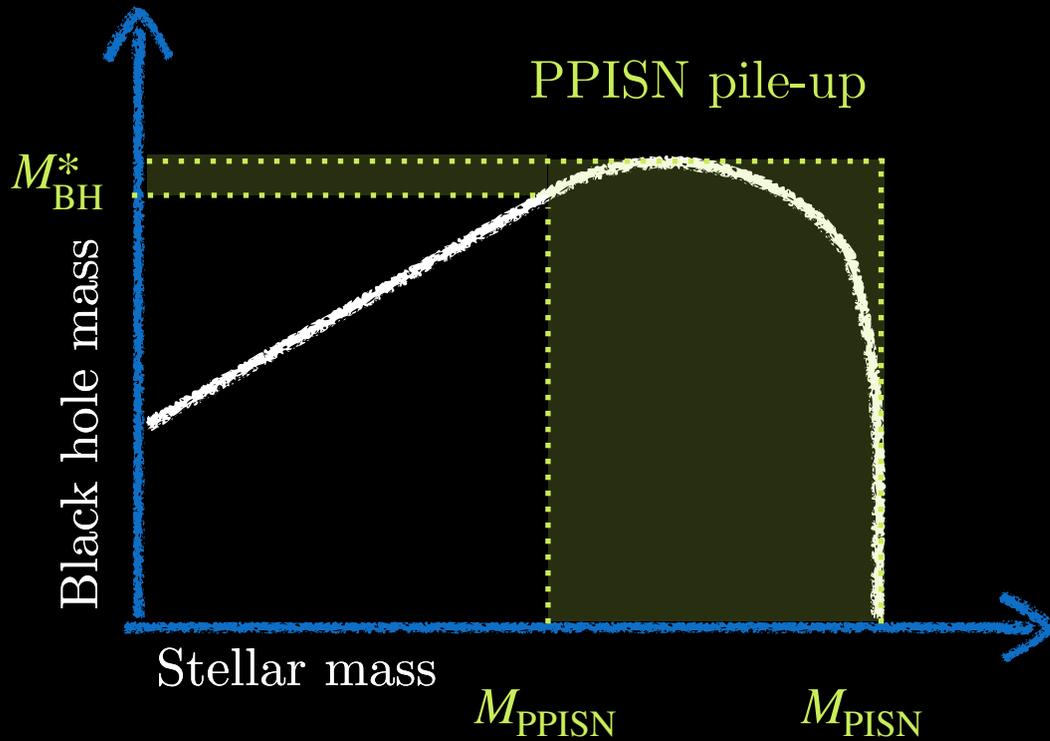
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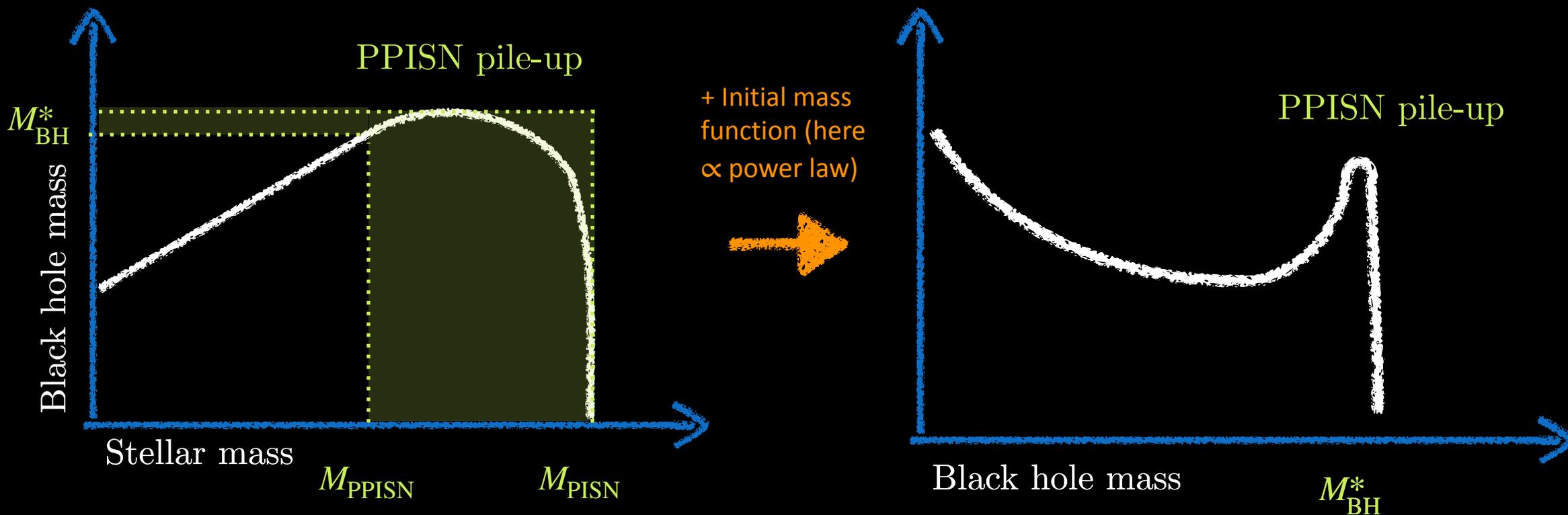
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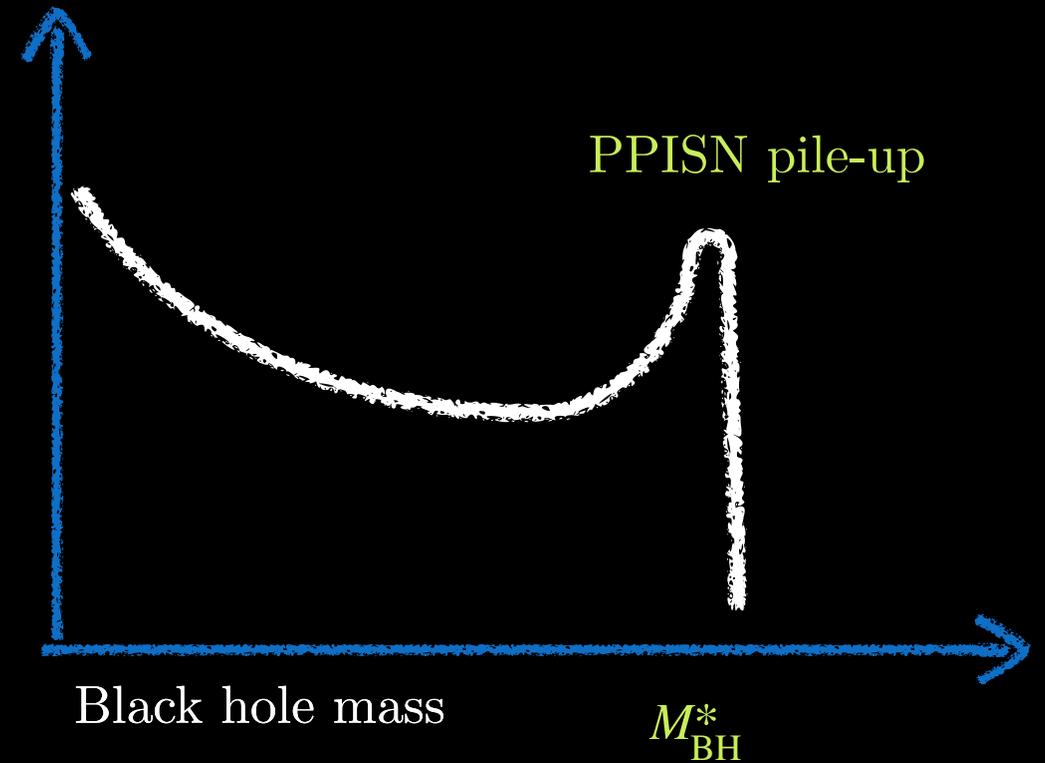
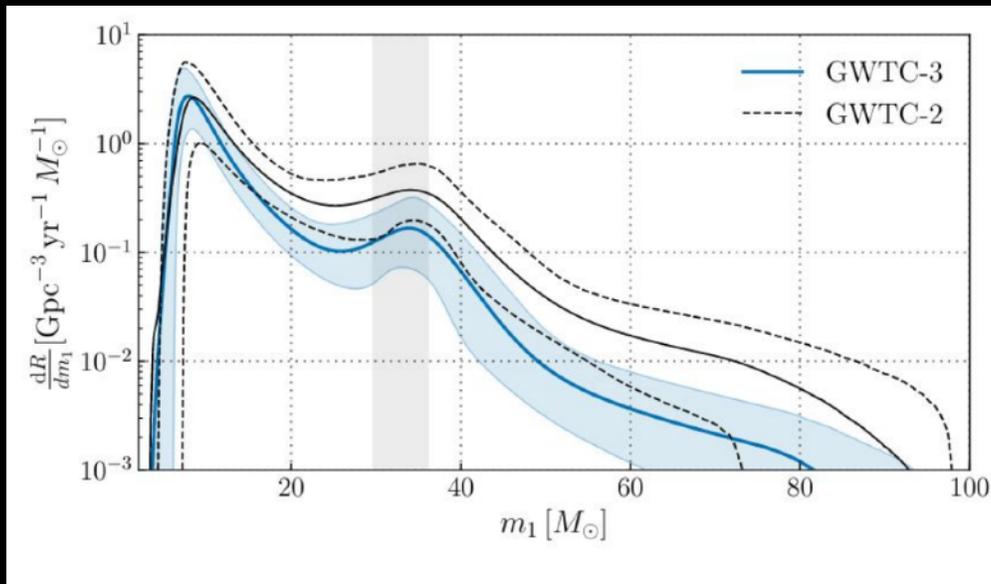
Pair-instability and black hole populations



Pair-instability and black hole populations

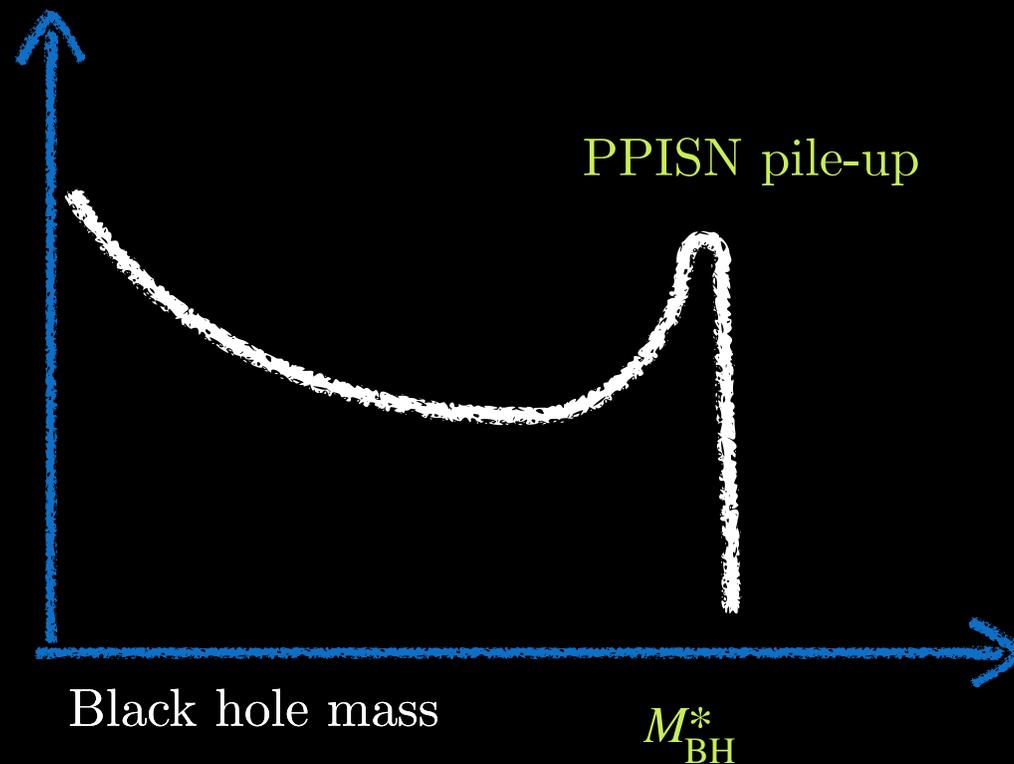
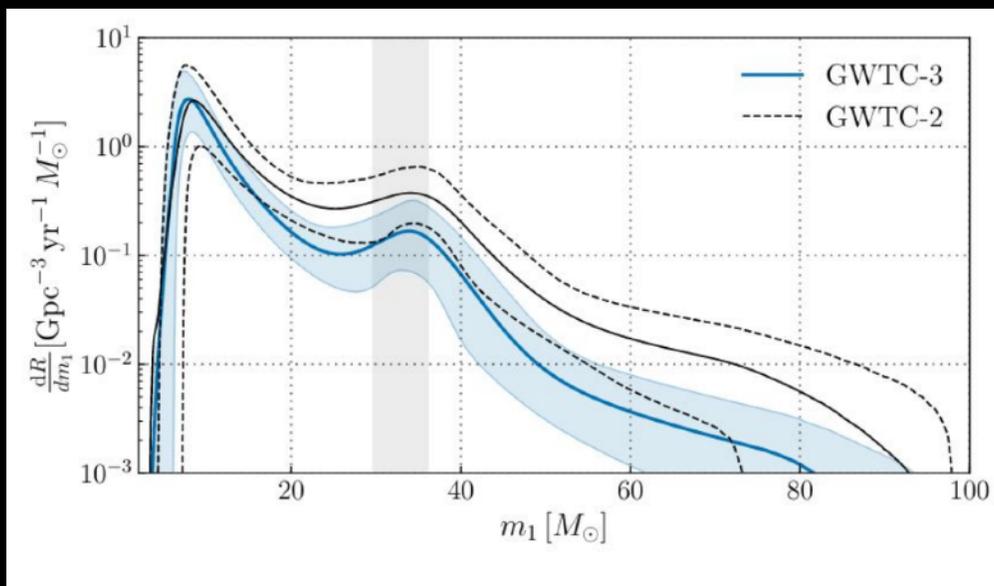


Pair-instability and black hole populations



Does this explain the peak in the data?

Pair-instability and black hole populations

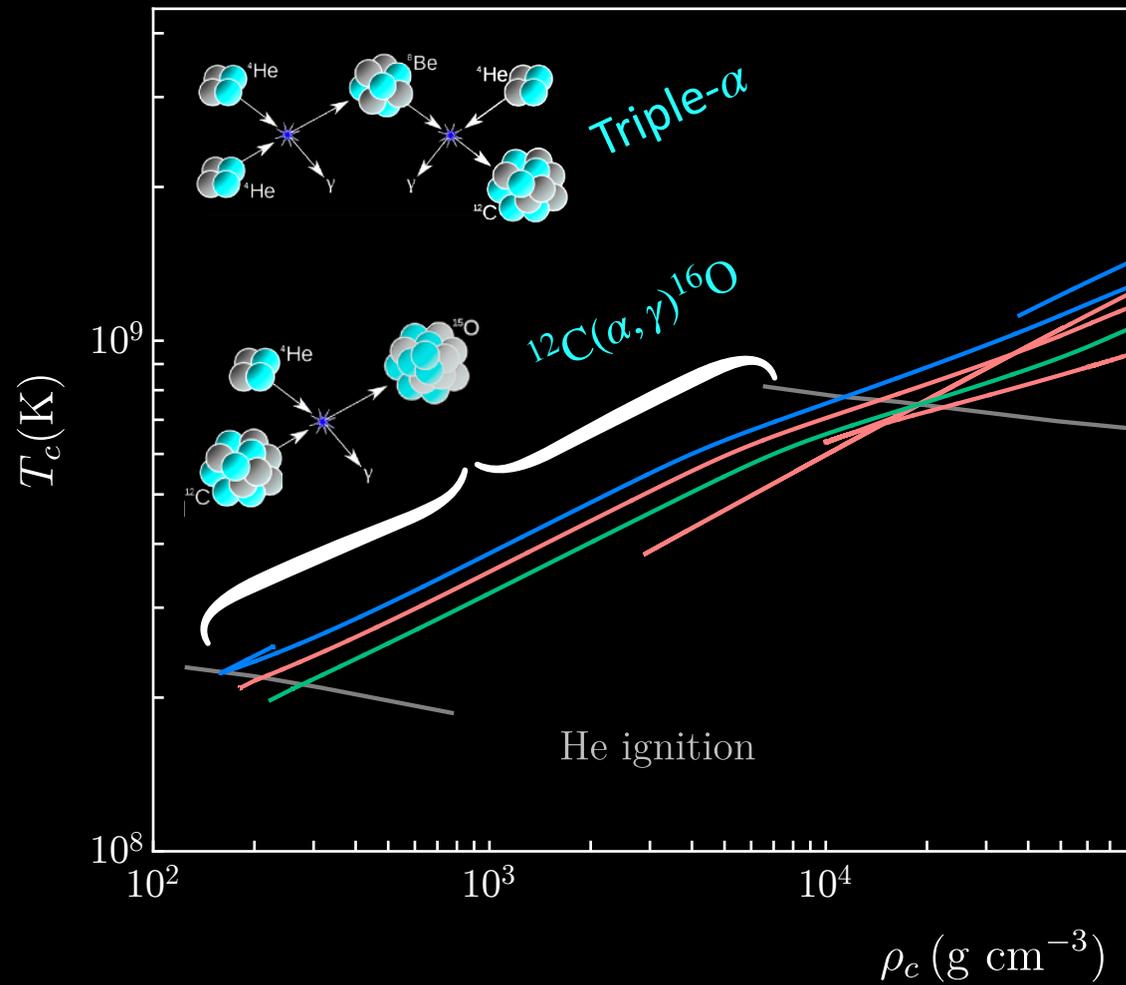


Does this explain the peak in the data?

Stellar evolution simulations put the PPISN mass gap at $\sim 45 - 60 M_\odot$

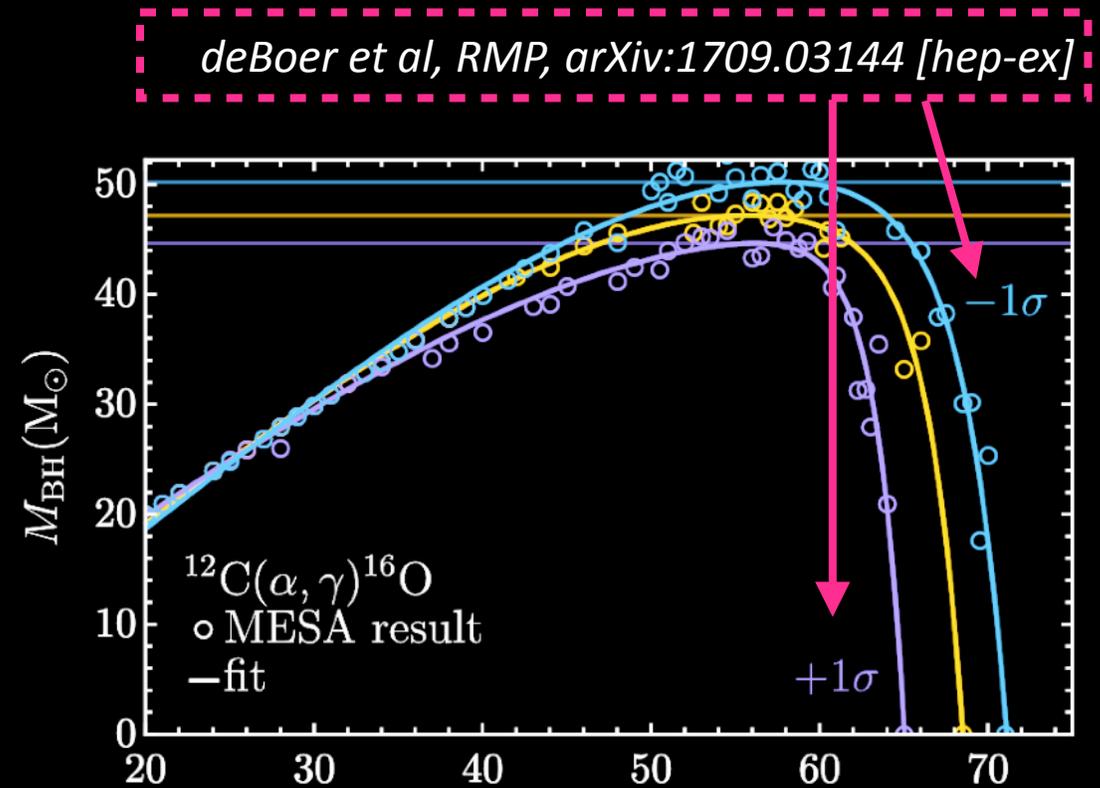
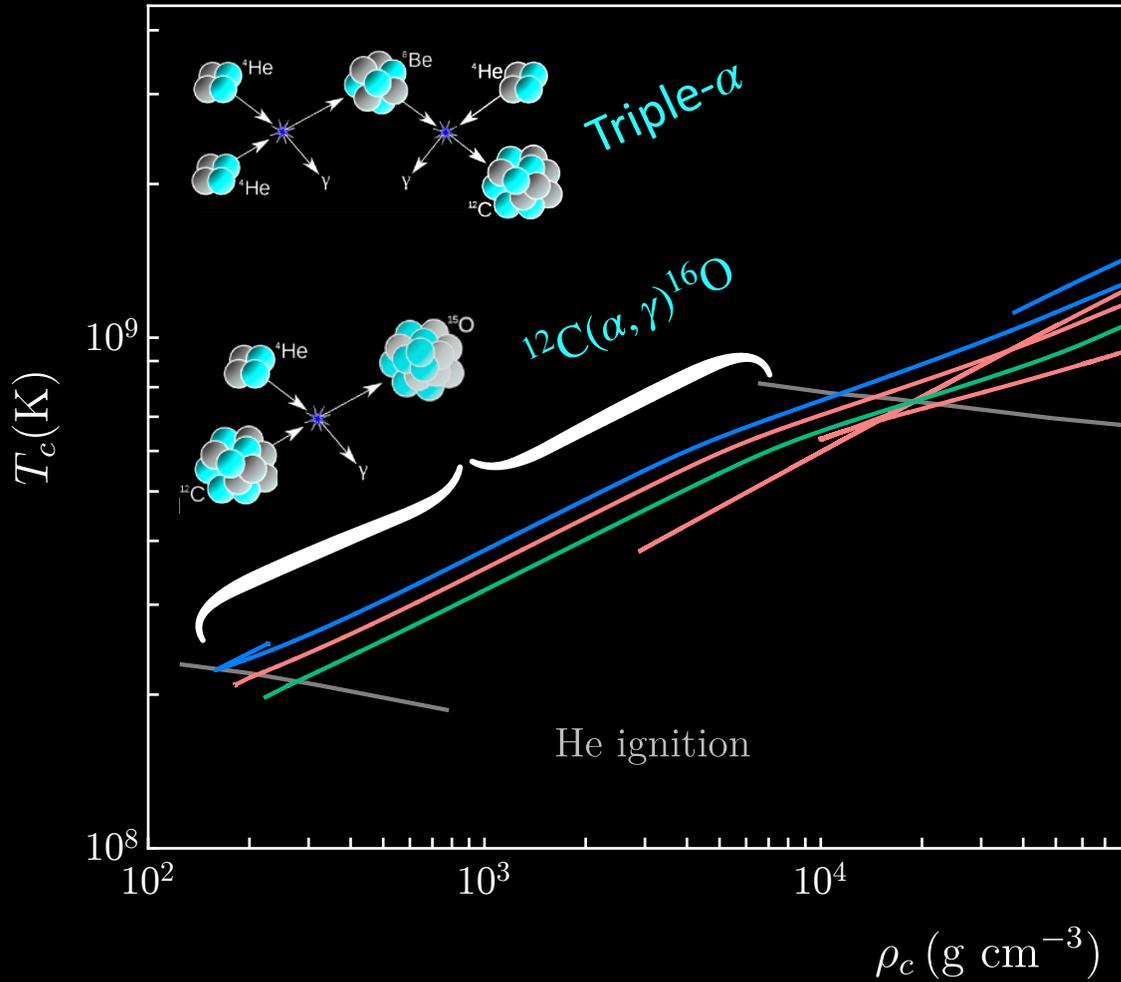
Nuclear physics

Particularly sensitive to $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$



Nuclear physics

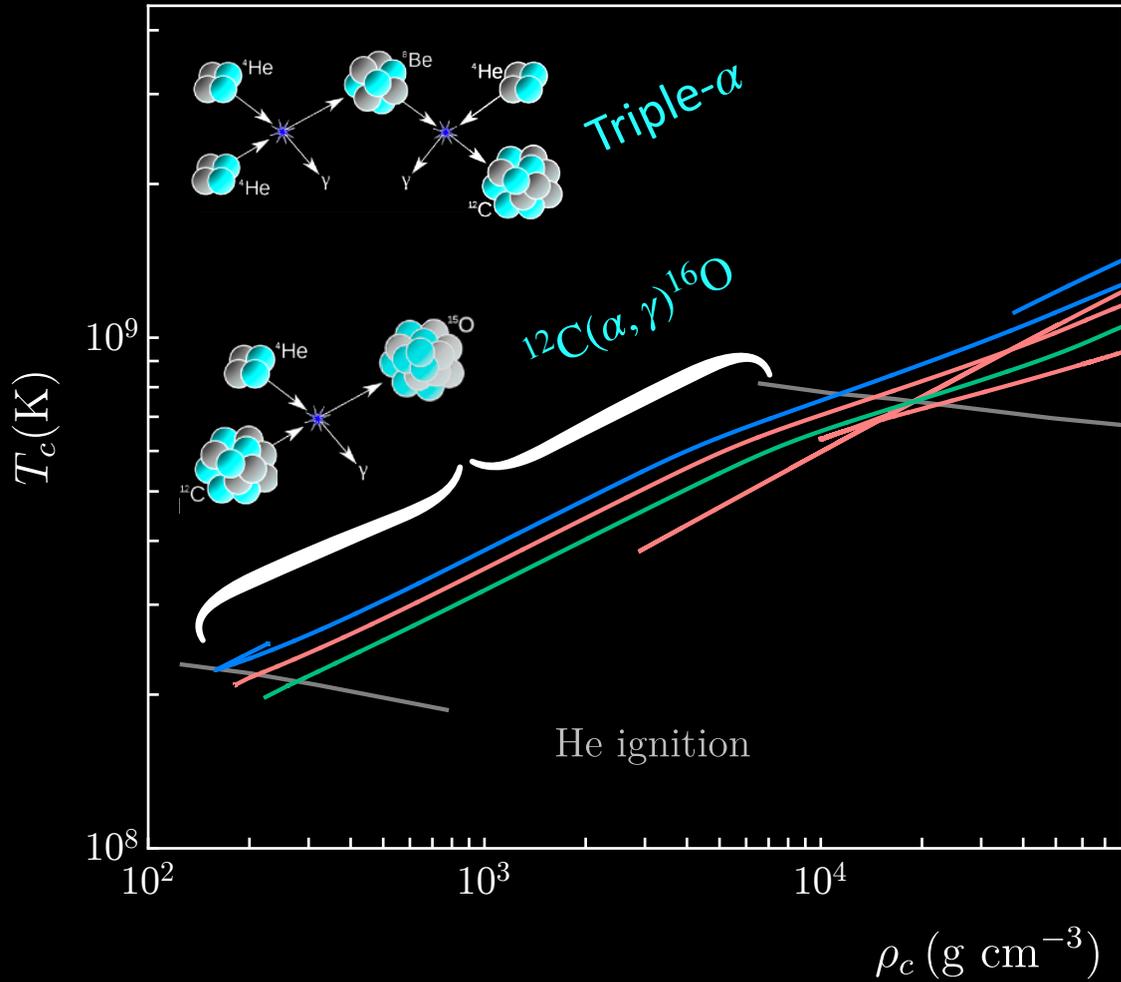
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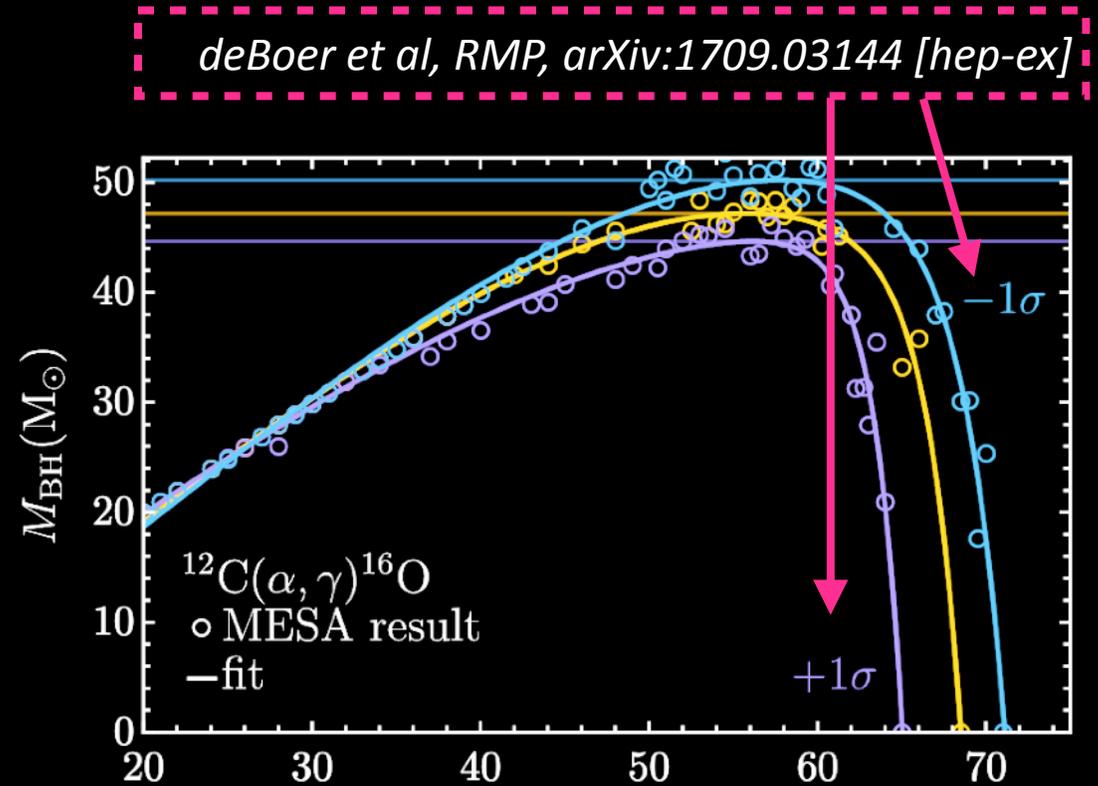
Baxter, DC, McDermott, Sakstein, $M_{\text{hb}}(M_{\odot})$
 ApJL, arXiv:2104.02685 [astro-ph.CO]

Nuclear physics

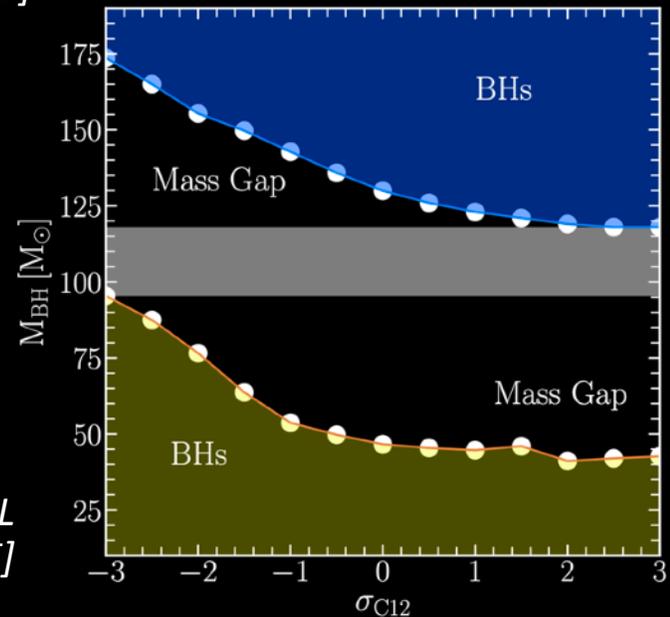
Particularly sensitive to $^{12}\text{C}(\alpha, \gamma)^{16}\text{O}$



Farmer, Renzo, de Mink, Fishbach, Justham, ApJL, arXiv:2006.06678 [astro-ph.HE]



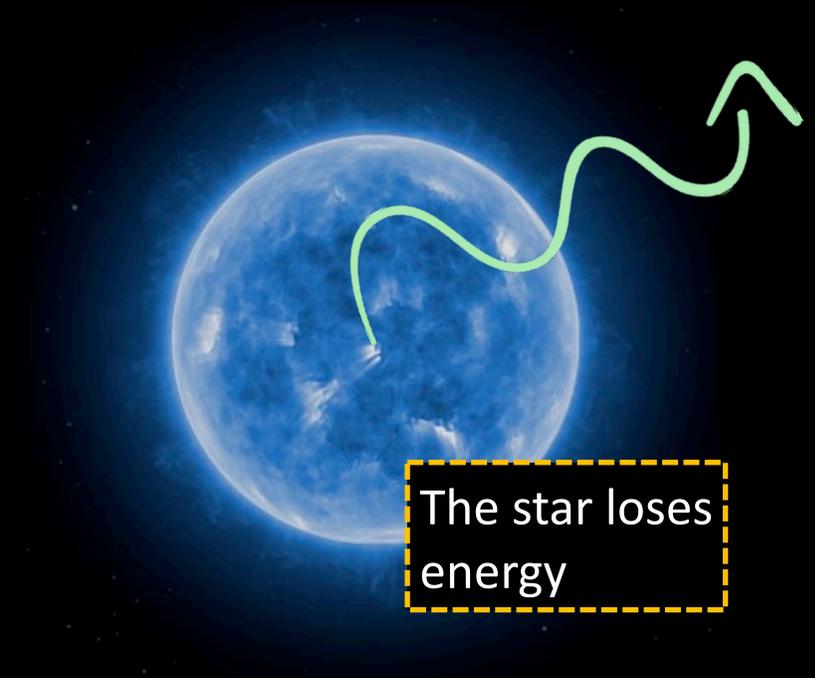
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What about new particles?

New particles...

- May be produced in the star and *free stream out*



What about new particles?

New particles...

- May be produced in the star and *free stream out*
- May be produced in the star and *get trapped*

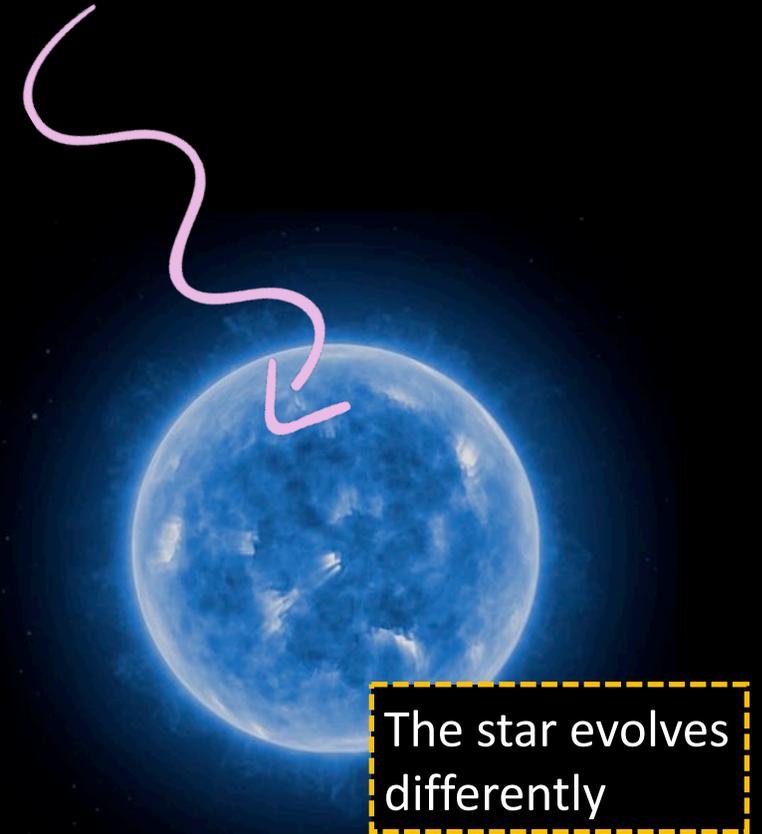
The star evolves differently



What about new particles?

New particles...

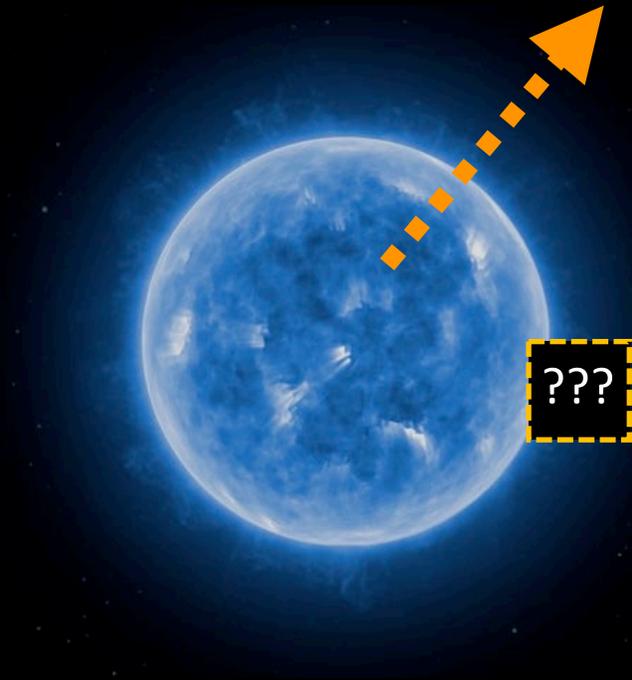
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What about new particles?

New particles...

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- May collect in the star and annihilate in the core
- May modify other rates in the star



What about new particles?

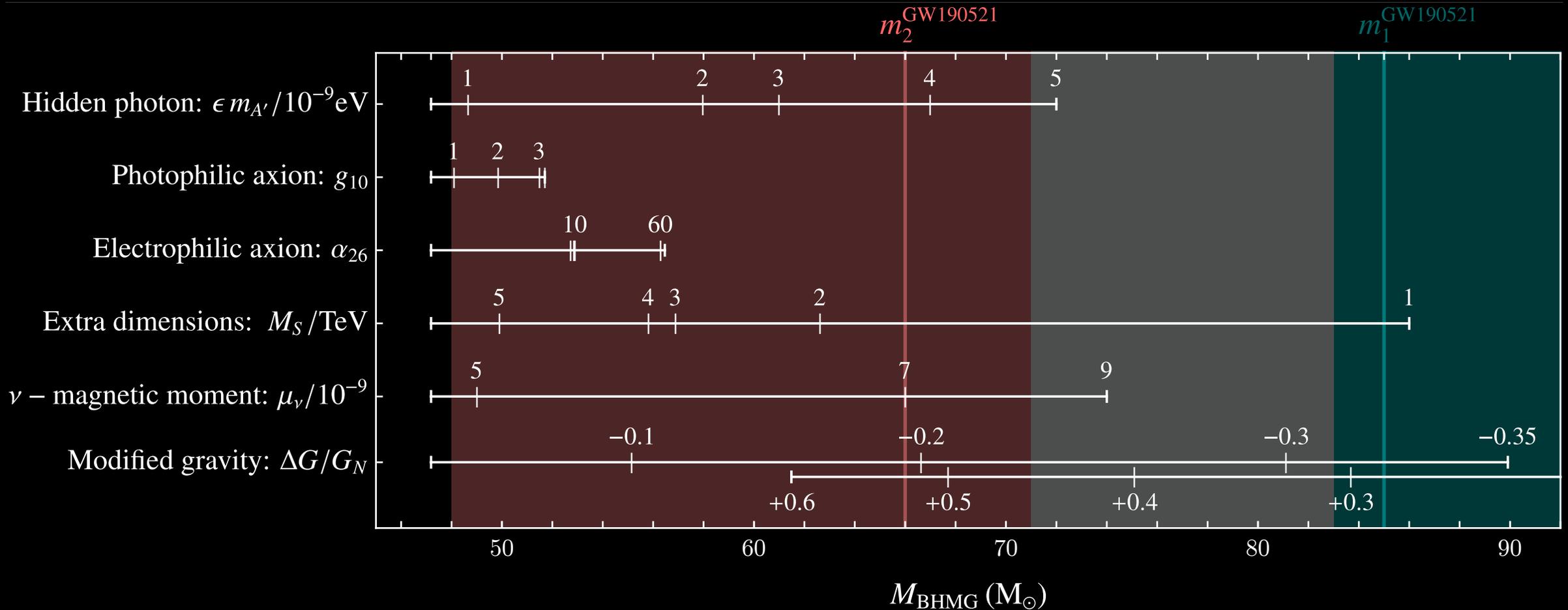
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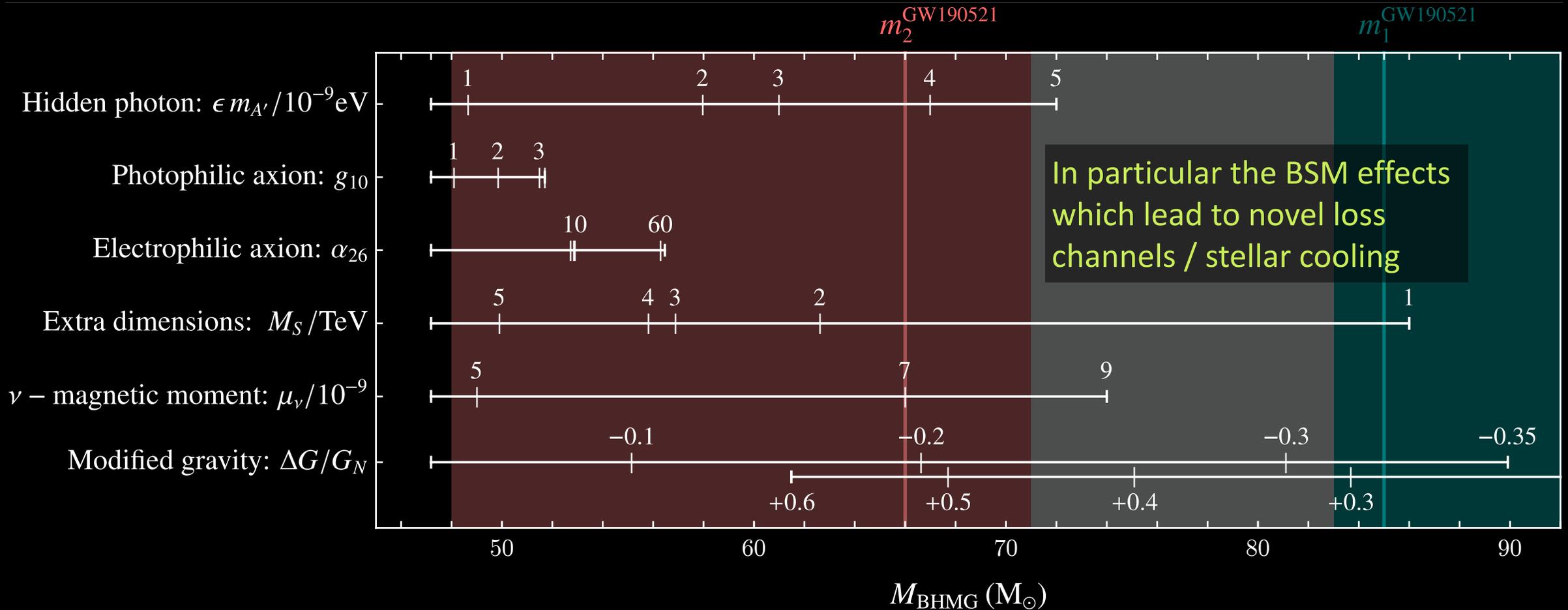
Gravity: the BHMG is a test of G_N in stellar cores

*Straight, Sakstein, Baxter,
arXiv: 2009.10716*

Most new effects shift the mass gap *up*



Most new effects shift the mass gap *up*



Stellar response to energy loss/injection

A heuristic approach

Assumption: homologous transformation $r' = yr$

Assumption: chemically homogeneous star

- Energy generation $\epsilon \propto \rho^n T^\nu$
- Opacity $\kappa \propto \rho^s T^p$

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The stellar structure equations are homologous for stars of a given chemical composition

- Conservation of mass: $\frac{dM}{dr} = 4\pi r^2 \rho$
- Hydrostatic equilibrium: $\frac{dp}{dr} = -\frac{GM\rho}{r^2}$
- Thermal equilibrium: $\frac{dL}{dr} = 4\pi r^2 \epsilon \rho$
- Radiative transfer: $\frac{dT}{dr} = -\frac{3\kappa\rho L}{16\pi r^2 T^3}$

Stellar response to energy loss/injection

A heuristic approach

Assumption: homologous transformation $r' = yr$

Assumption: chemically homogeneous star

- Energy generation $\epsilon \propto \rho^n T^\nu$
- Opacity $\kappa \propto \rho^s T^p$

- Extra energy means that energy generation is modified:

$$\epsilon = \epsilon_{\text{nuc}} - \epsilon_{\text{grav}} - \epsilon_{\text{neutrino}} + \epsilon_{\text{DM}} \equiv \left(1 - \sum \delta\right) \epsilon_{\text{nuc}} \text{ with}$$

$$\delta \equiv \delta_{\text{grav}} + \delta_{\text{neutrino}} - \delta_{\text{DM}}$$

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$$\delta \equiv \delta_{\text{grav}} + \delta_{\text{neutrino}} - \delta_{\text{DM}}$$

- Equating $L'(r')$ from radiative transfer and energy generation equations,

$$y = \left(1 - \sum \delta\right)^{\frac{1}{3s + p + 3n + \nu}}$$

Stellar response to energy loss/injection

A heuristic approach

$$\frac{\delta R}{R} = \frac{-\sum \delta}{3s + p + 3n + \nu}, \quad \frac{\delta L}{L} = \frac{-(3s + p)\sum \delta}{3s + p + 3n + \nu}, \quad \frac{\delta T}{T} = \frac{\sum \delta}{3s + p + 3n + \nu}$$

Stellar response to energy loss/injection

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Post-MS evolution of a high mass star: $\kappa \approx$ constant due to electron scattering $\rightarrow s = 0, p = 0$

CNO cycle: $\nu = 17, n = 1$
Tripple- α : $\nu = 40, n = 2$

$$\frac{\delta R}{R} = \text{sign}(\delta), \quad \frac{\delta L}{L} = 0, \quad \frac{\delta T}{T} = -\text{sign}(\delta)$$

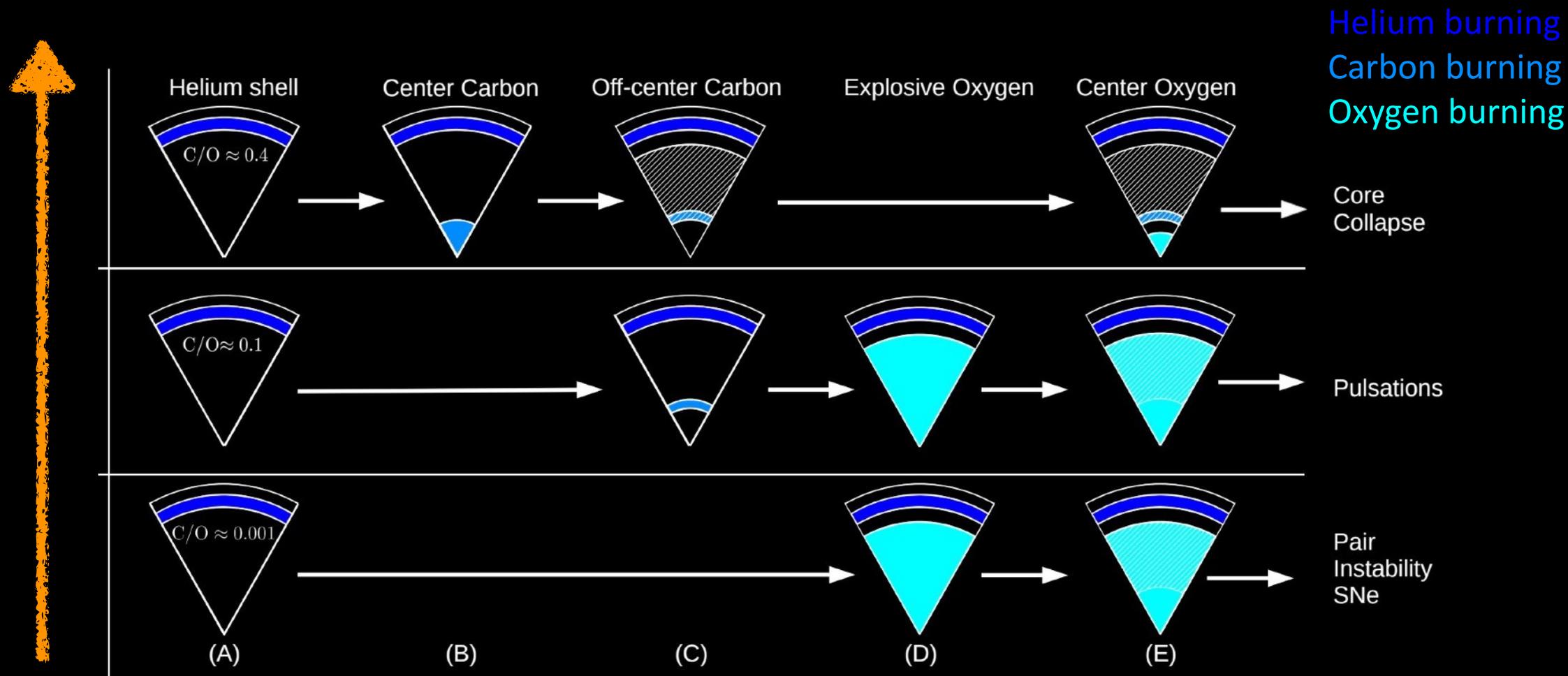
For injection: radius **increases**, temperature **decreases**
For new losses: radius **decreases**, temperature **increases**

Stellar cooling and the BHMG

Enhanced losses → faster evolution → larger C/O at HD

Stellar cooling and the BHMG

Enhanced losses \rightarrow faster evolution \rightarrow larger C/O at HD



Larger C/O at HD \rightarrow greater progenitors collapse
 \rightarrow larger black holes

What about new particles?

Maybe it is natural to look at energy injection...

New particles...

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- May be produced in the star and *get trapped*
- May collect in the star and annihilate in the core
- May modify other rates in the star

Gravity: the BHMG is a test of G_N in stellar cores

Straight, Sakstein, Baxter,
arXiv: 2009.10716



Recent claim: (P)PISN can be *avoided altogether*
by DM annihilation in Pop-III stars
Freese and Ziegler, arXiv:2212.13903

Dark matter in stars

- Distribution:

Gould & Raffelt, ApJ, 1990

- local thermal equilibrium $\left(\frac{n_{\text{DM}}(r)}{n_{\text{DM}}(0)}\right)_{\text{LTE}} = \left(\frac{T(r)}{T(0)}\right)^{3/2} e^{-\int_0^r d\tilde{r} \frac{\alpha(\tilde{r})dT/d\tilde{r} + m_{\text{DM}}g(\tilde{r})}{T(\tilde{r})}}$

- isothermal $\left(\frac{n_{\text{DM}}(r)}{n_{\text{DM}}(0)}\right)_{\text{ISO}} = \frac{e^{-(r/r_{\text{DM}})^2}}{r_{\text{DM}}^3 \pi^{3/2}}, \quad r_{\text{DM}} = \sqrt{\frac{3kT_c}{2\pi G_N \rho_c m_{\text{DM}}}}$

Spergel & Press, ApJ, 1985

Dark matter in stars

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- local thermal equilibrium $\left(\frac{n_{\text{DM}}(r)}{n_{\text{DM}}(0)}\right)_{\text{LTE}} = \left(\frac{T(r)}{T(0)}\right)^{3/2} e^{-\int_0^r d\tilde{r} \frac{\alpha(\tilde{r})dT/d\tilde{r} + m_{\text{DM}}g(\tilde{r})}{T(\tilde{r})}}$

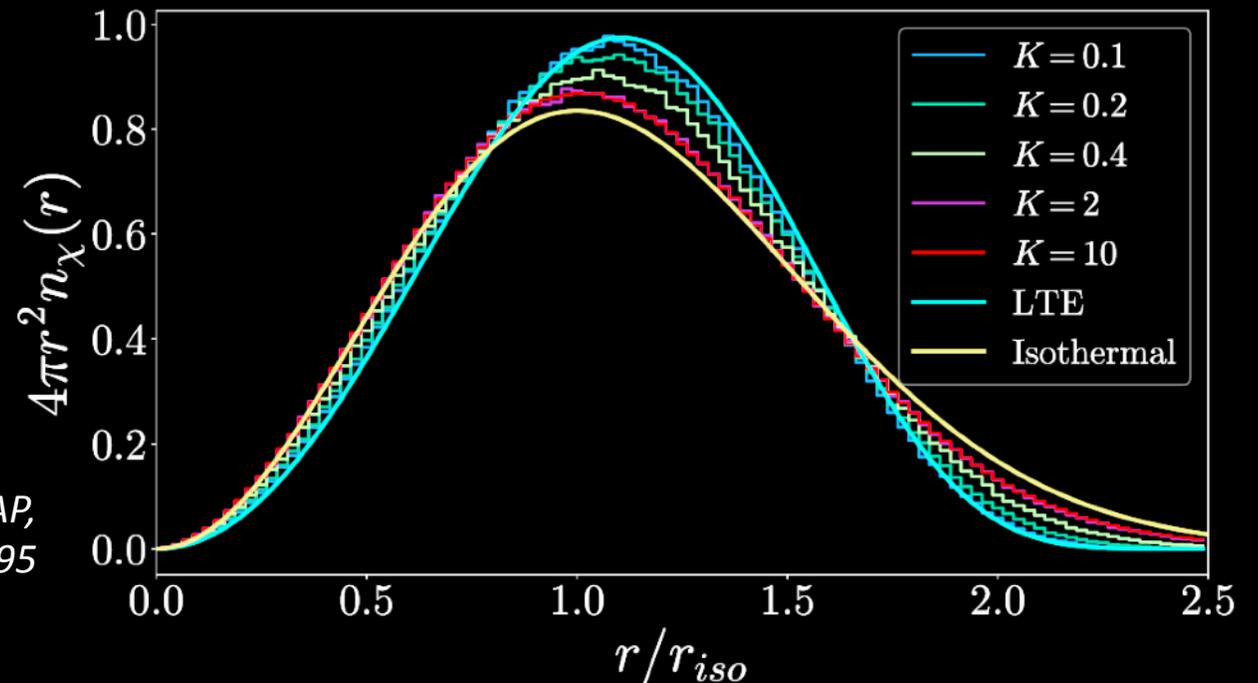
- isothermal $\left(\frac{n_{\text{DM}}(r)}{n_{\text{DM}}(0)}\right)_{\text{ISO}} = \frac{e^{-(r/r_{\text{DM}})^2}}{r_{\text{DM}}^3 \pi^{3/2}}, \quad r_{\text{DM}} = \sqrt{\frac{3kT_c}{2\pi G_N \rho_c m_{\text{DM}}}}$

Spergel & Press, ApJ, 1985

- Knudsen numbers

$$K = \lambda(r=0)/r_{\text{DM}}$$

Banks, Ansari, Vincent, Scott, JCAP,
arXiv:2111.06895



Dark matter in stars

- Maximum injection (without depletion): annihilation equilibrium

$$N_{\text{DM}} = \sqrt{\Gamma_{\text{cap}} N_{\text{DM}}^2 / \Gamma_{\text{ann}}} \equiv \sqrt{C_{\text{cap}} / C_{\text{ann}}}$$

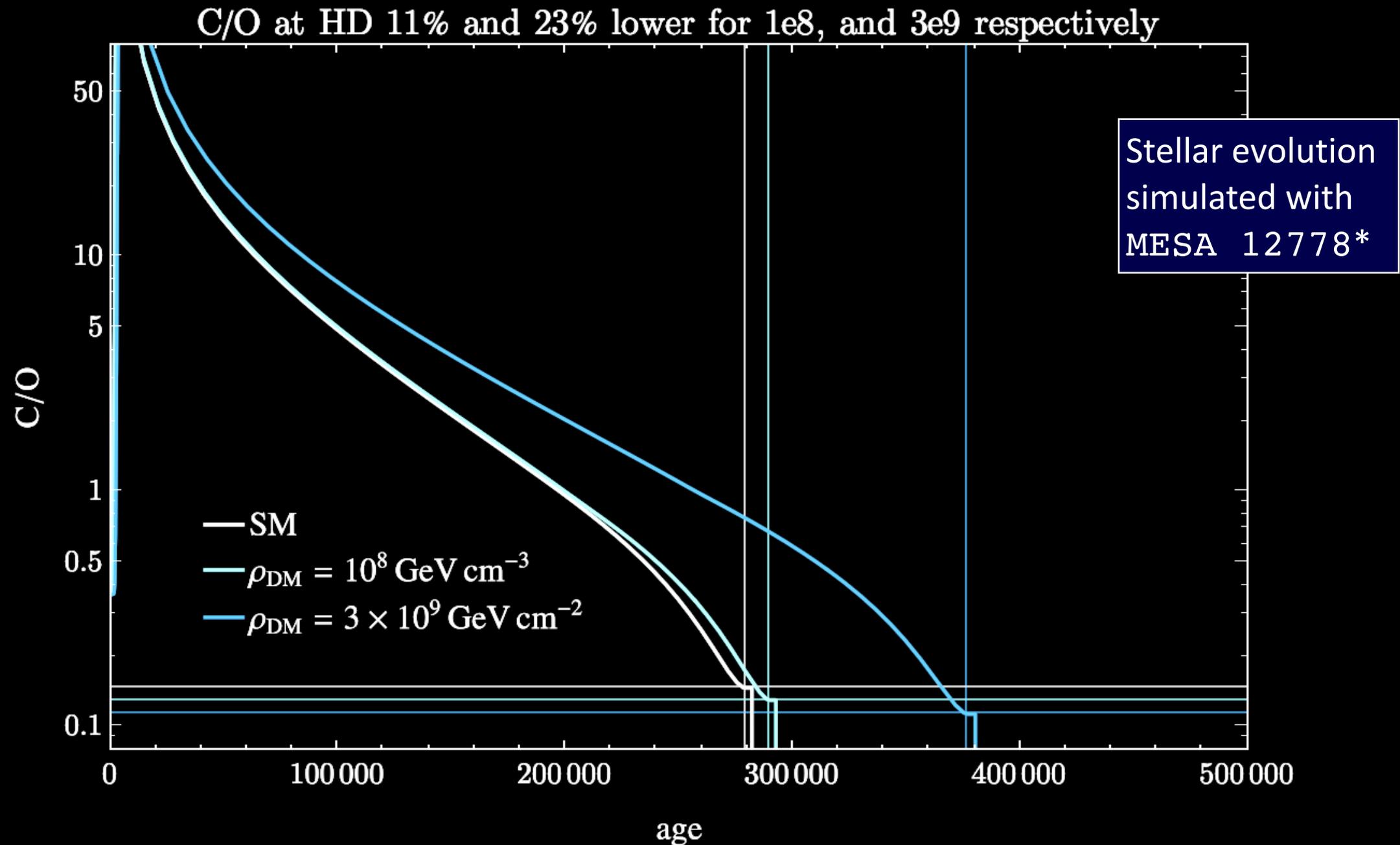
- Energy injection then depends on the capture rate:

$$\epsilon_{\text{DM}} = C_{\text{cap}} \frac{\bar{n}_{\text{DM}}^2(r)}{\rho(r)} \quad \text{where} \quad \bar{n}_{\text{DM}}(r) = \frac{n_{\text{DM}}(r)}{N_{\text{DM}}}$$

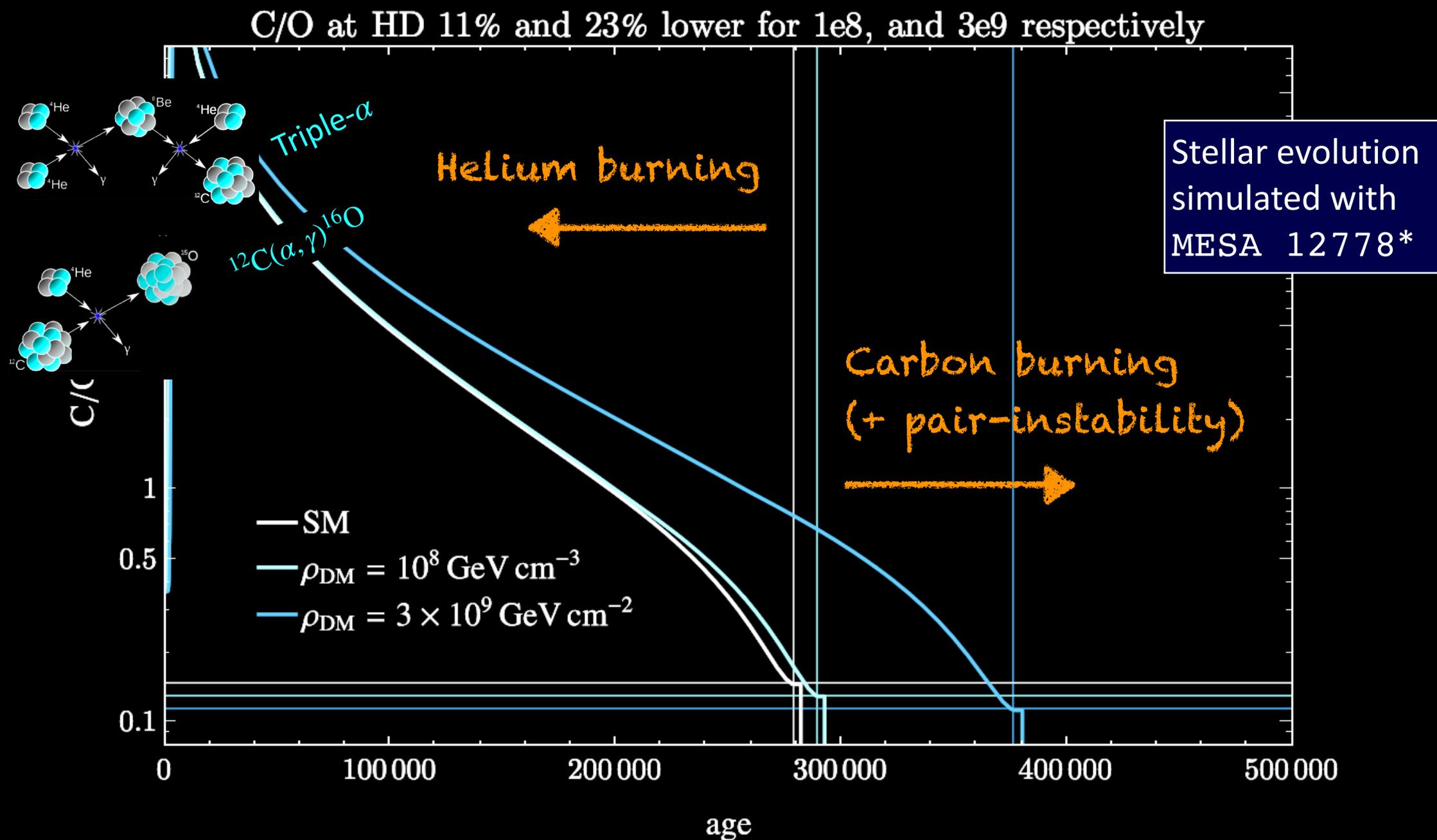
- If all DM is captured,

$$C_{\text{cap}} = \Phi \pi R^2 = \pi R^2 v_{\text{DM}} \sqrt{\frac{8}{3\pi}} \left[1 + \frac{3}{2} \left(\frac{v_{\text{esc}}}{v_{\text{DM}}} \right)^2 \right] \frac{\rho_{\text{DM}} f_{\text{cap}}}{m_{\text{DM}}}$$

Preliminary results: reduced C/O in cores

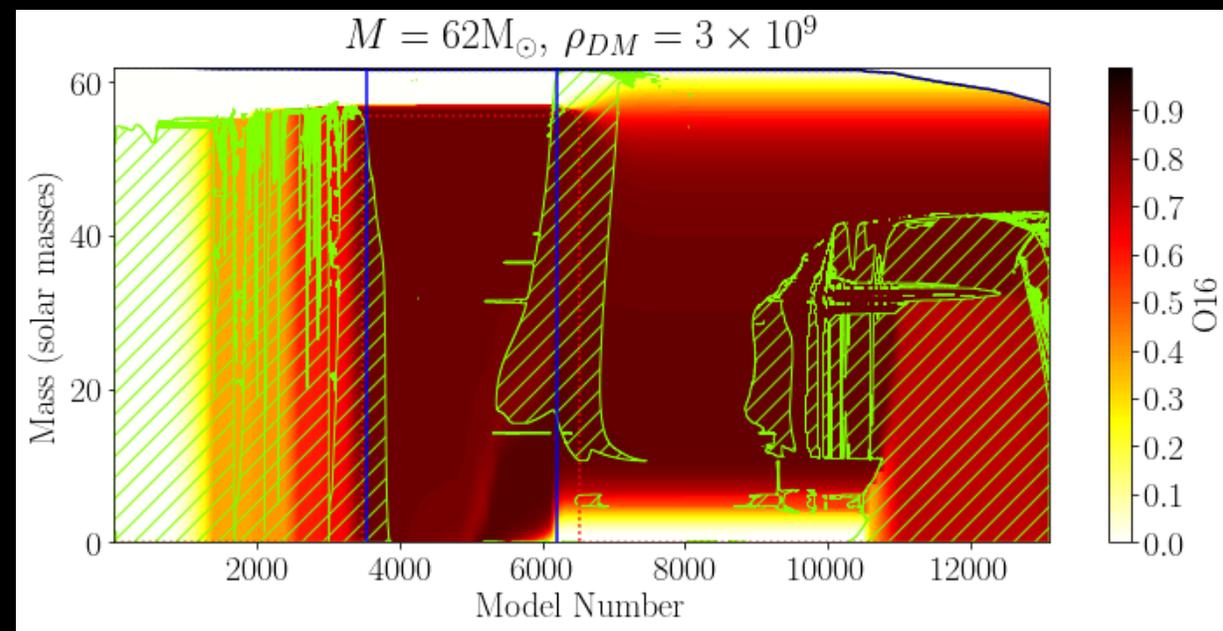
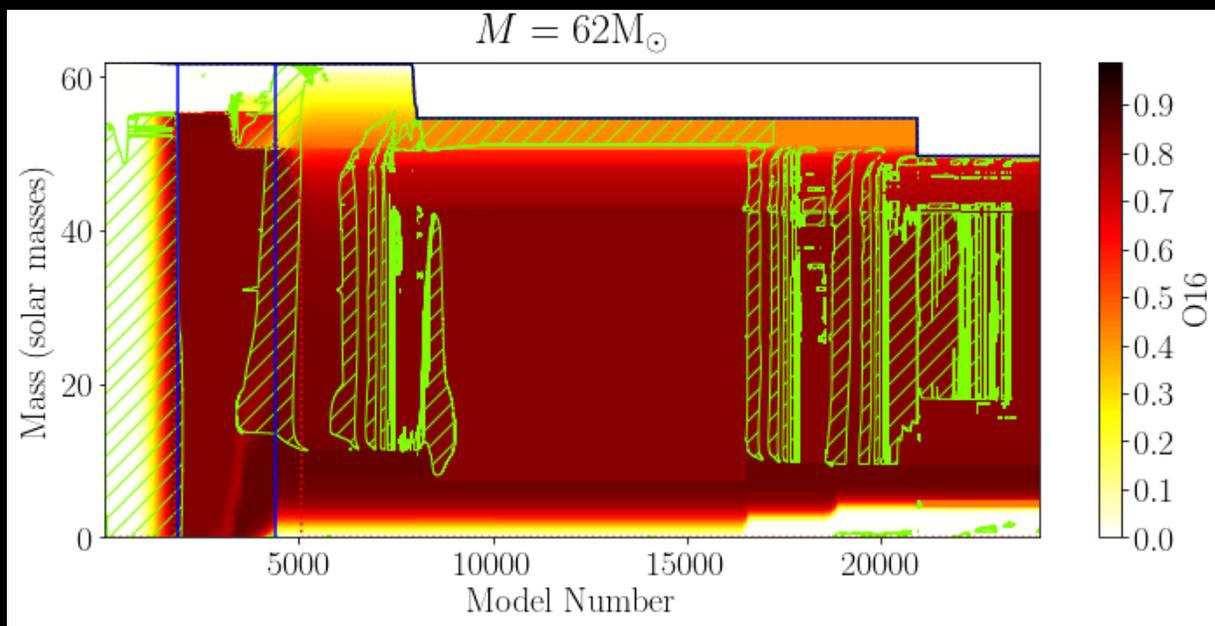


Preliminary results: reduced C/O in cores



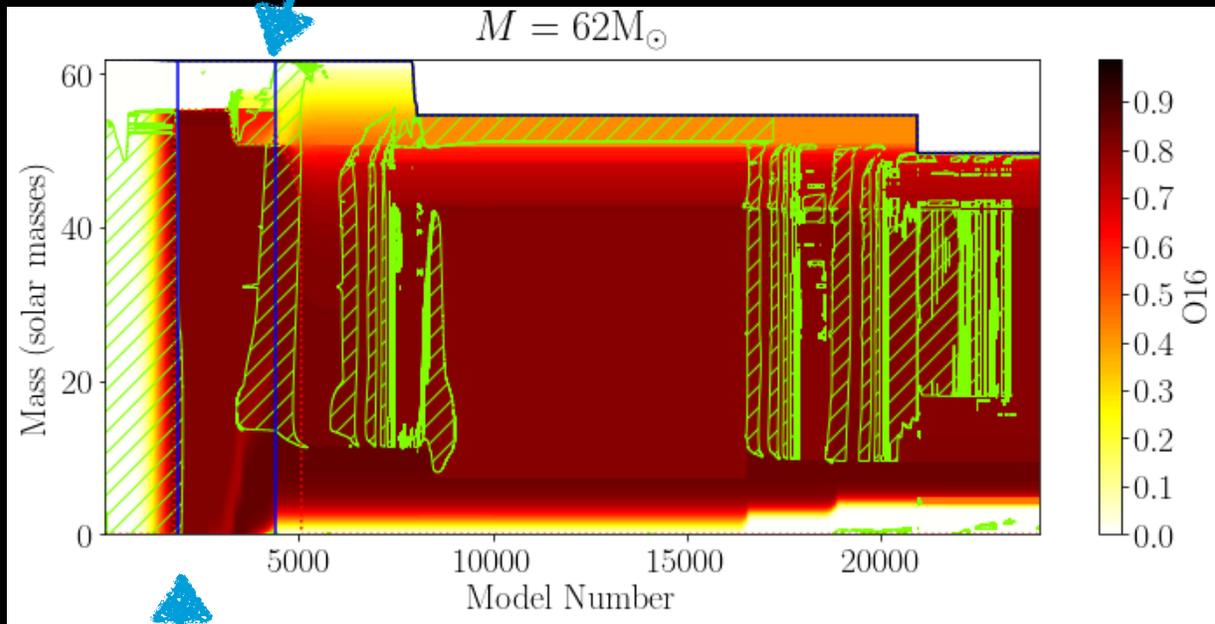
*Paxton et al, arXiv:1710.08424 [astro-ph.SR]

Preliminary results: O^{16} transport



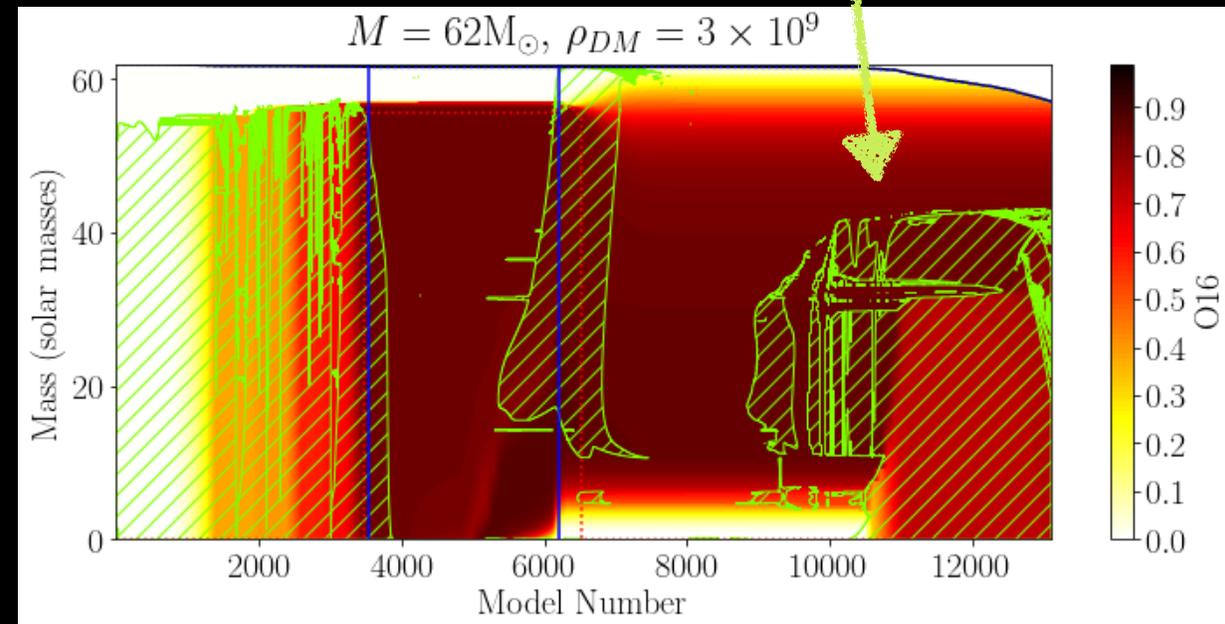
Preliminary results: O^{16} transport

First collapse



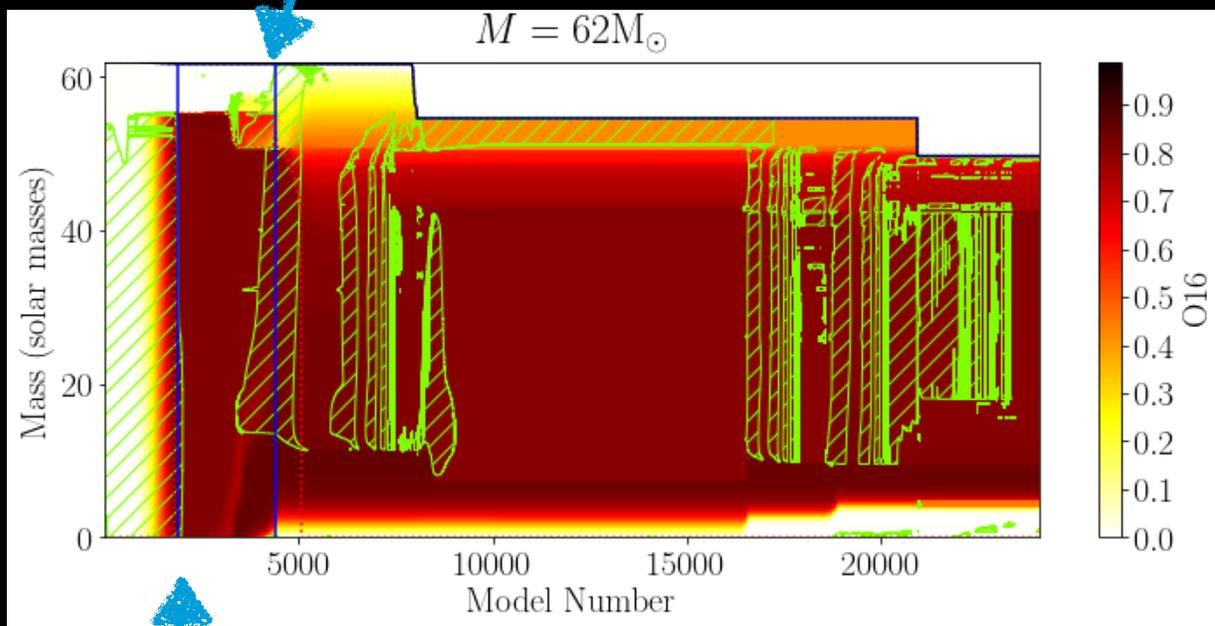
Helium depletion

Convective transport



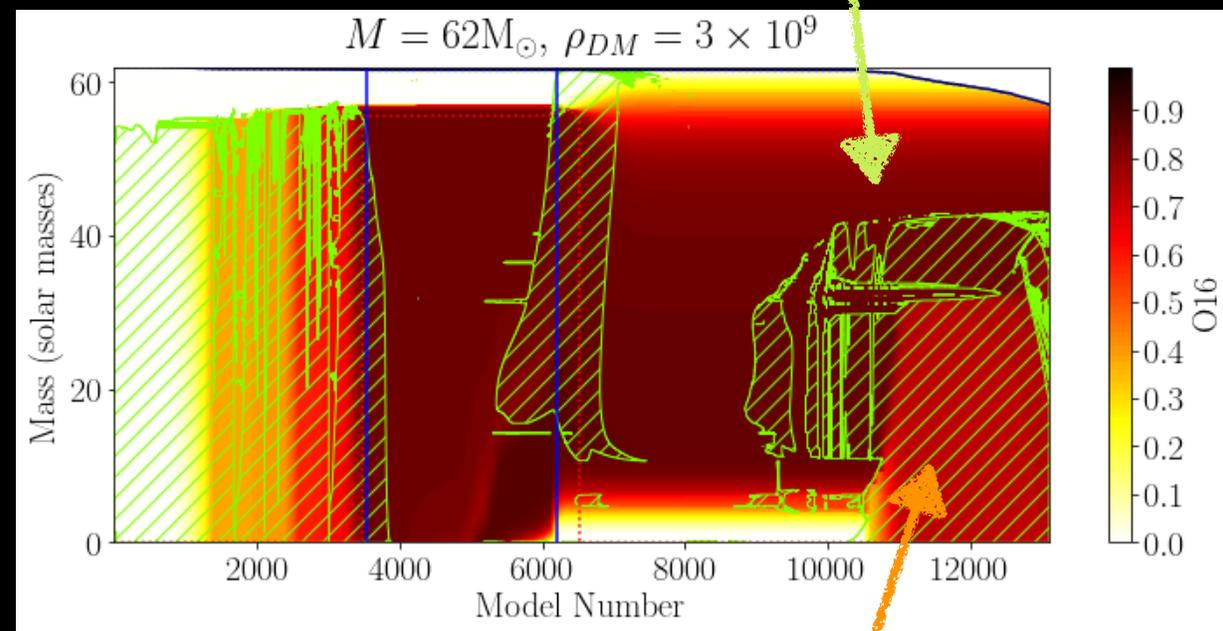
Preliminary results: O^{16} transport

First collapse



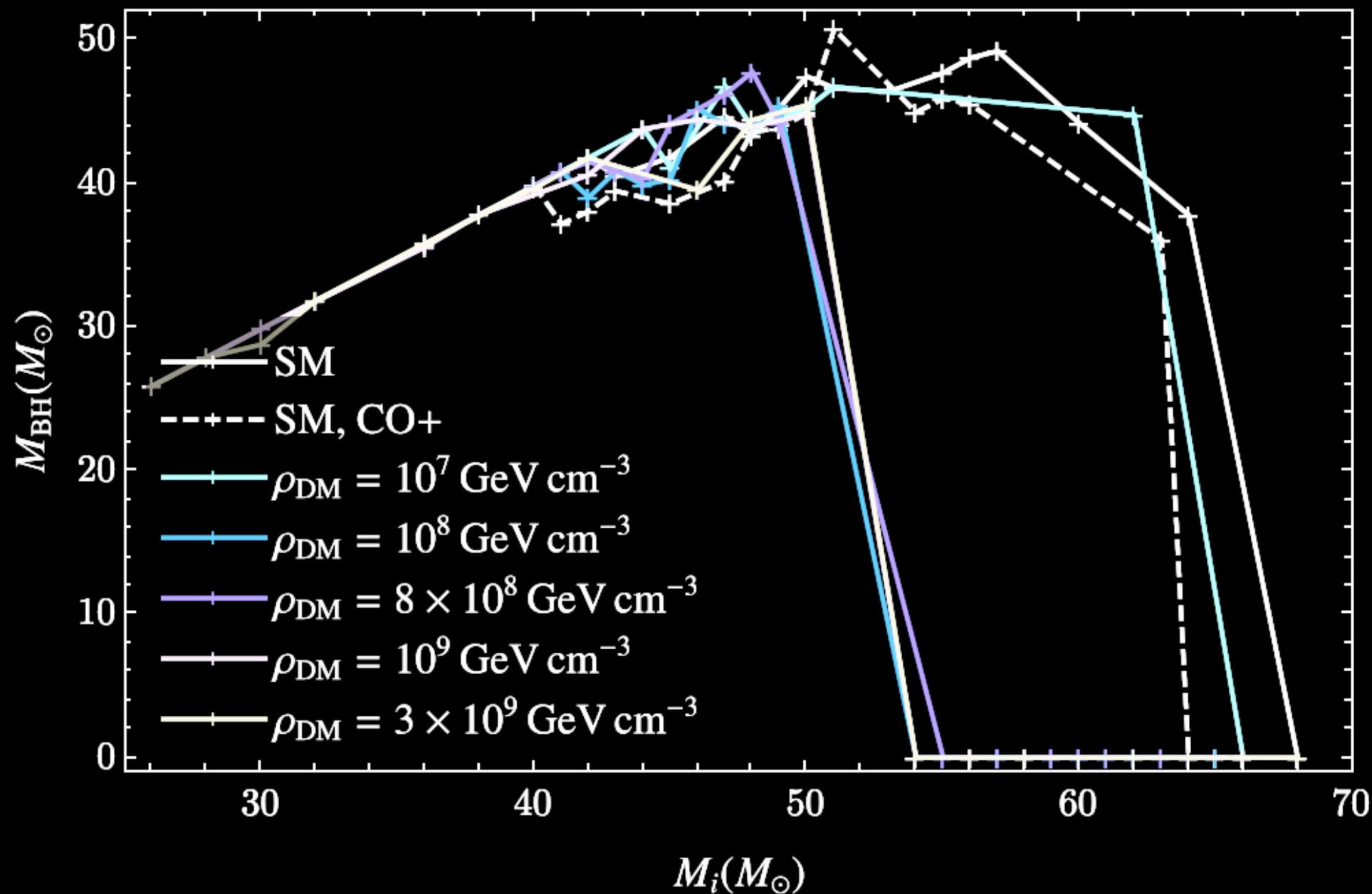
Helium depletion

Convective transport

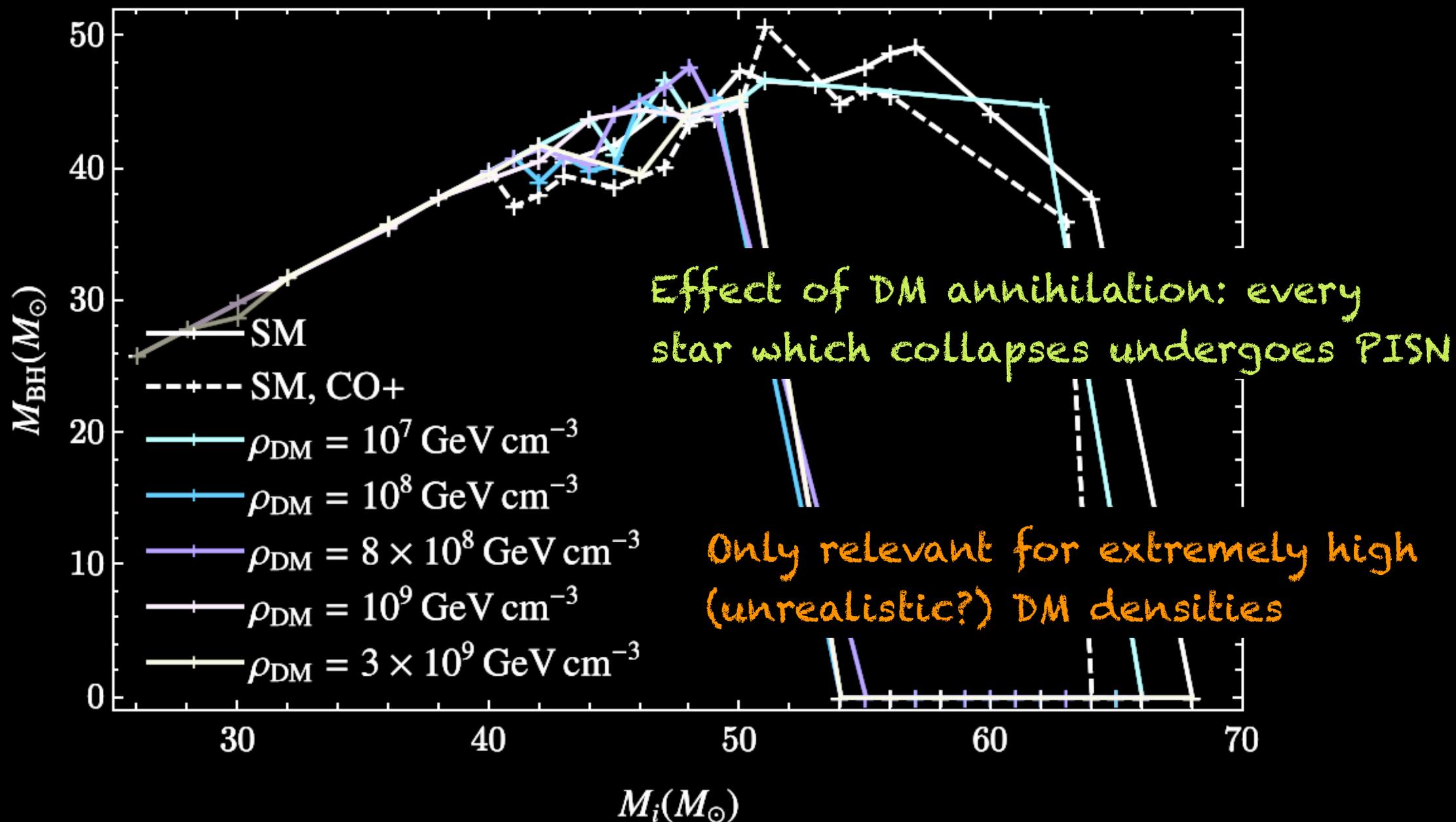


O^{16} is transported
back to the core

Preliminary results: grid of results



Preliminary results: grid of results



To conclude,

- A peak in the black hole mass function is found at $\sim 35 M_{\odot}$
- **Pair-instability supernovae** predicts a peak in the mass function at $\sim 45 - 50 M_{\odot}$
- New physics?
 - Novel loss channels shift the peak upwards
 - Preliminary results: dark matter annihilation tends to exacerbate pair-instability, but **does not shift the peak**
- The mystery remains...

Community survey about
the Jan 7 postdoc deadline:

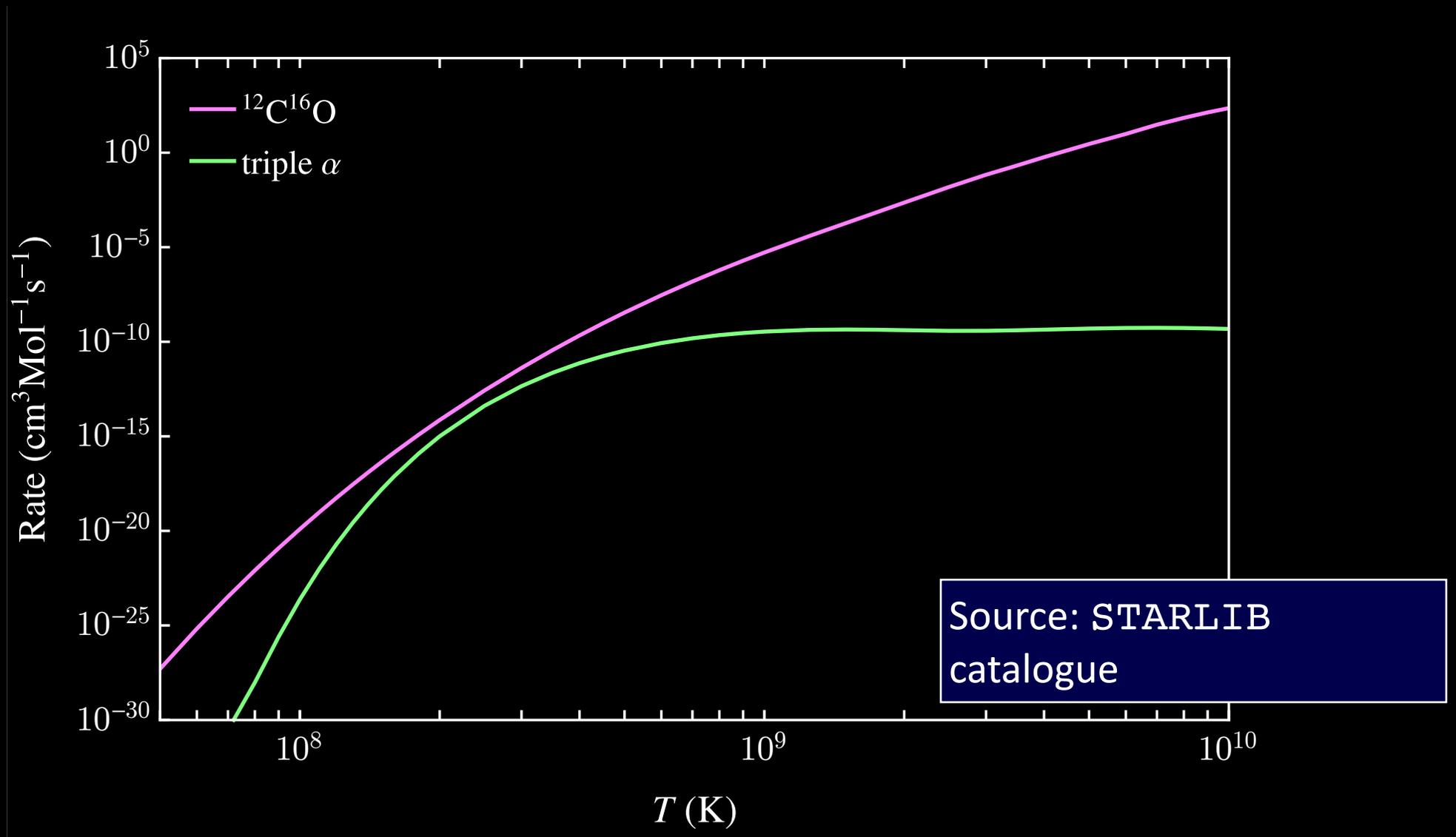
Thank you!

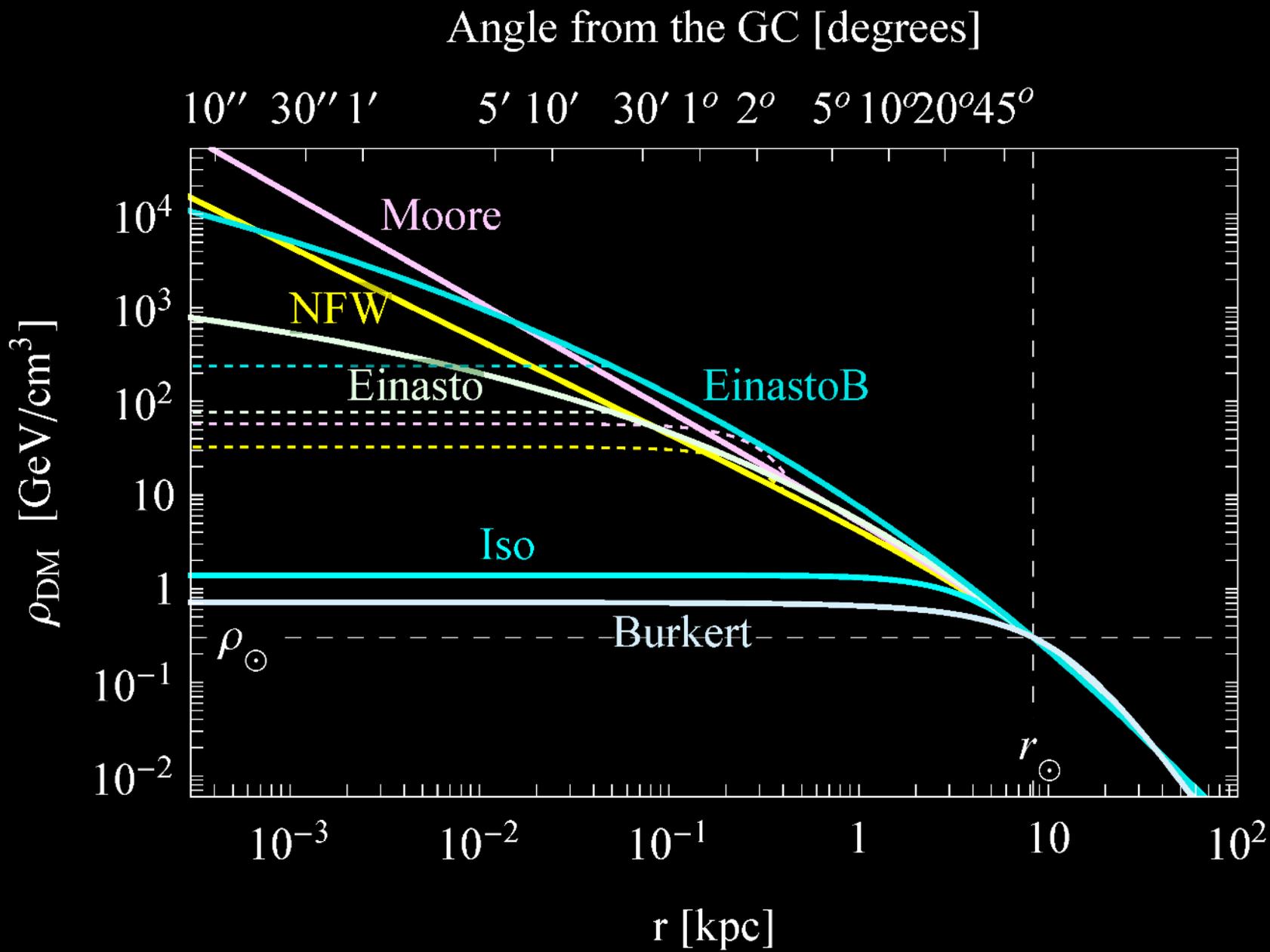
...ask me anything you like!

djuna.l.croon@durham.ac.uk | djunacroon.com



Helium burning rates as a function of T

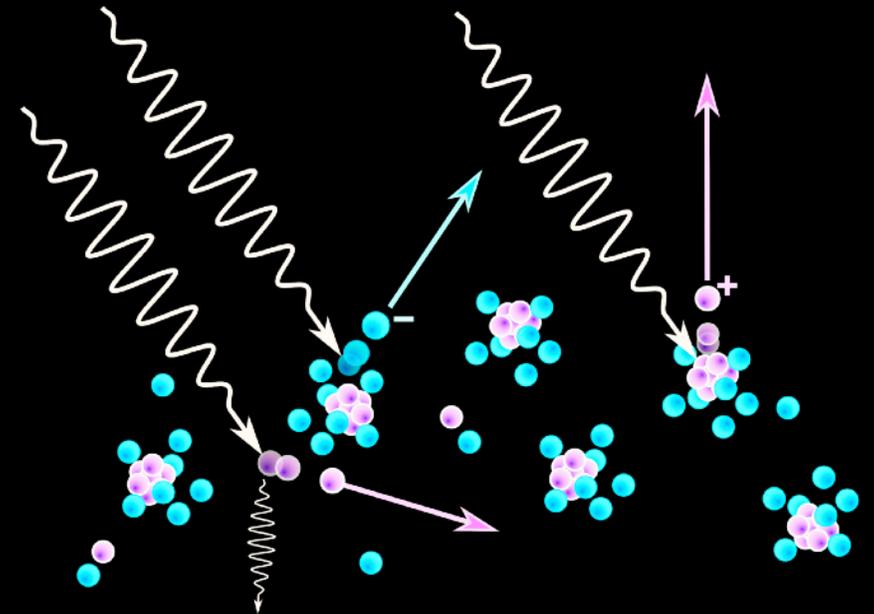




Upper end of the mass gap

Photodisintegration: rapid absorption of high energy photons

Photodisintegration leads to decrease in Γ_1 and therefore a contraction



Upper end of the mass gap

Photodisintegration: rapid absorption of high energy photons

Photodisintegration leads to decrease in Γ_1 and therefore a contraction

In very high mass stars: oxygen burning can no longer keep up with contraction due to photodisintegration

No pulsations, immediate collapse into black holes

