

DILATON PORTAL TO COMPOSITE TWIN HIGGS

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WITH B. DILLON AND S. NAJJARI, [arXiv:1909.0NNNN](https://arxiv.org/abs/1909.0NNNN)

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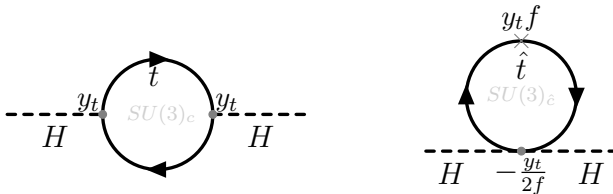


INTRODUCTION

- Electroweak Hierarchy Problem is one of the main theoretical motivations to go beyond the SM.
- Notable examples include SUSY, extra dimensions, and composite Higgs which solve the hierarchy problem by new physics (top-partners) close to the EW scale.
- However LHC null results have pushed these scenarios to relatively fine tuned parameter space.

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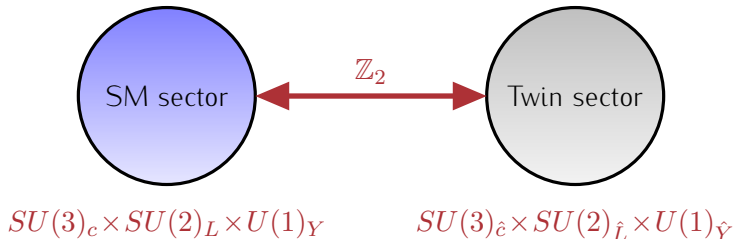
- Electroweak Hierarchy Problem is one of the main theoretical motivations to go beyond the SM.
- Notable examples include SUSY, extra dimensions, and composite Higgs which solve the hierarchy problem by new physics (top-partners) close to the EW scale.
- However LHC null results have pushed these scenarios to relatively fine tuned parameter space.
- An interesting possibility to avoid strong LHC bounds on the top-partners is offered by the Neutral Naturalness paradigm, where the top-partners are SM neutral states.



TWIN HIGGS MODEL

- Twin Higgs model is the prime example of Neutral Naturalness, where the Hierarchy Problem is solved by SM neutral 'top partners'.

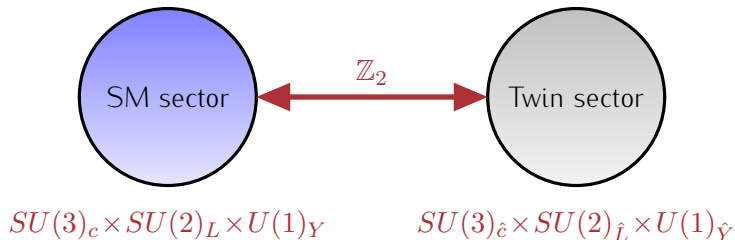
[Chacko-Goh-Harnik, hep-ph/0506256]



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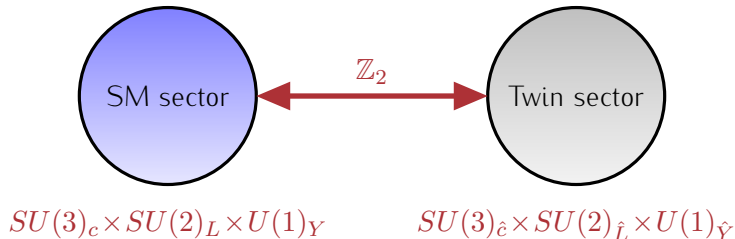


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- Requiring minimal fine tuning implies relatively small scale f , which implies that at scale $\Lambda = 4\pi f$ a UV completion of twin Higgs models becomes necessary!

COMPOSITE TWIN HIGGS MODEL

- Most natural UV completion of twin Higgs mechanism is realized by composite/holographic twin Higgs models.
[Barbieri-Greco-Rattazzi-Wulzer,1501.07803] [Low-Tesi-Wang,1501.07890] [Geller-Telem,1411.2974]
- Composite twin Higgs employs approximate $SO(8)$ global symmetry which is spontaneously broken to $SO(7)$ at scale f .
- The $SO(8)/SO(7)$ coset gives seven Goldstone bosons, which include the SM Higgs doublet H .

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- The $SO(8)/SO(7)$ coset gives seven Goldstone bosons, which include the SM Higgs doublet H .
- The weak groups $SU(2)_L \times SU(2)_{\hat{L}} \subset SO(8)$ of the two sectors are gauges.
- In the unitary gauge out of 7 Goldstone bosons, 6 are 'eaten' by the SM and twin weak gauge bosons ($W^\pm, Z, \hat{W}^\pm, \hat{Z}$) and the remaining Goldstone serve as the SM Higgs boson h .

COMPOSITE TWIN HIGGS MODEL

- The mass of radial mode $\hat{h}$ in CTH is of the order $\sim 4\pi f$ and hence can be integrated out in the effective theory.
- The mass scale of new states associated with the strongly coupled dynamics is

$$m_* = g_* f, \quad \text{where} \quad 1 \lesssim g_* \lesssim 4\pi$$

Hence, they are also integrated out in the effective theory.

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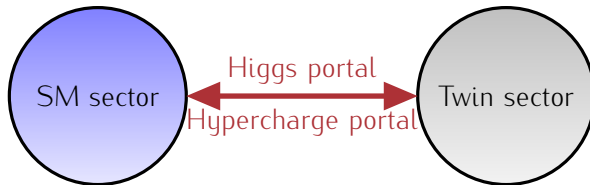
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- Therefore the effective theory contains only SM and its twin copy. The natural portals to connect the two sectors are:
 - ▶ Higgs portal: $\frac{v}{f} h \hat{\psi} \hat{\psi}$
 - ▶ Hypercharge portal: $\epsilon B_{\mu\nu} \hat{B}_{\mu\nu}$

[see S. Najjari's talk]



- We present a strongly coupled approximate scale invariant UV completion of the twin Higgs mechanism, where the scale invariance is spontaneously broken at scale $\mathcal{F} \gtrsim f$.
- The spontaneous breaking of approximate scale invariance gives rise to a light pseudo-Goldstone boson, the dilaton $\phi(x)$.

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- Below the scale $\mathcal{F}$ the approximate scale invariance is non-linearly realized, such that,

$$x^\mu \rightarrow x'^\mu = e^{-\lambda} x^\mu, \quad \phi(x) \rightarrow \phi'(x') = \phi(x) + \lambda \mathcal{F}$$

DILATON PORTAL COMPOSITE TWIN HIGGS

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- We assume the mass of the dilaton as a free parameter and require $m_\phi \ll \mathcal{F}$, such that an effective theory below scale $\mathcal{F}$ is

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \hat{\mathcal{L}}_{\text{TS}} + \mathcal{L}_{\text{dilaton}} + \mathcal{L}_{\text{portal}}$$

$$\mathcal{L}_{\text{portal}} = -\frac{\phi}{\mathcal{F}} \left[T^\mu_\mu + \hat{T}^\mu_\mu \right]$$

HOLOGRAPHIC TREATMENT

- We employ holographic duality to realize a 4D strongly coupled nearly scale invariant twin Higgs model in 5D anti-de Sitter geometry:

$$ds^2 = e^{-2ky} \eta_{\mu\nu} dx^\mu dx^\nu - dy^2$$

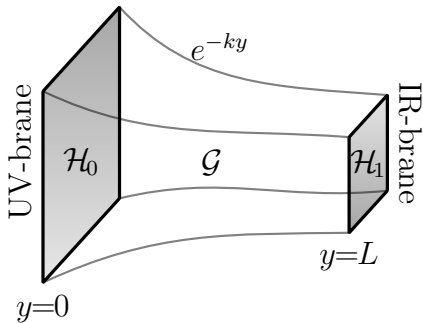
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$$\mathcal{G} = SU(7) \times SO(8) \times \mathbb{Z}_2$$

$$\mathcal{H}_1 = SU(7) \times SO(7) \times \mathbb{Z}_2$$

$$\mathcal{H}_0 = \mathcal{G}_{\text{SM}} \times \mathcal{G}_{\text{twin}} \times \mathbb{Z}_2$$

$$\mathcal{G}_{\text{SM}} = SU(3)_c \times SU(2)_L \times U(1)_Y$$

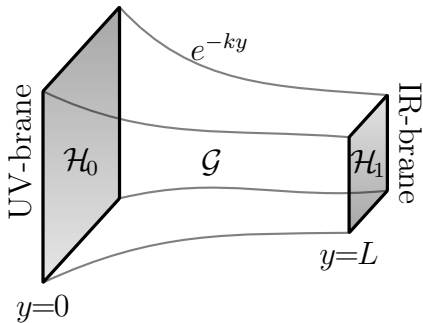
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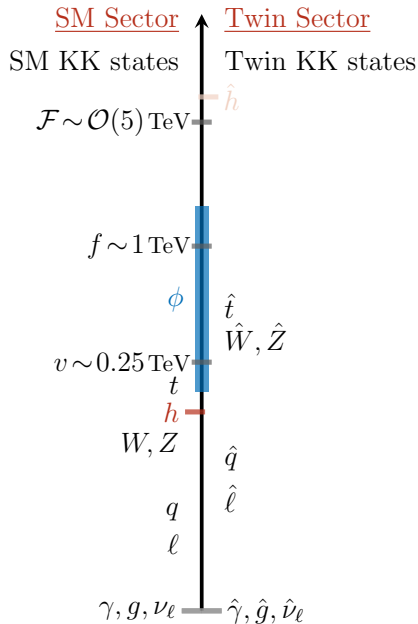
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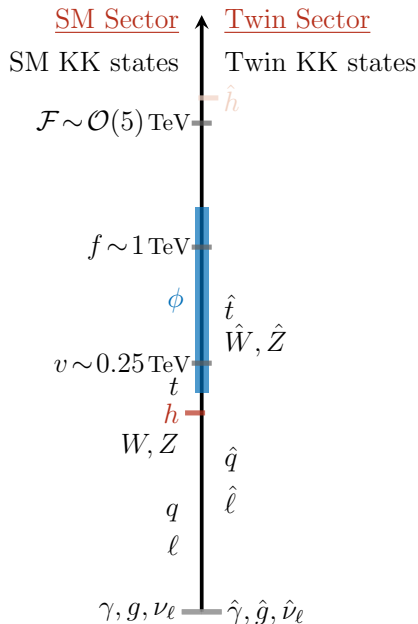
$$\mathcal{G}_{\text{twin}} = SU(3)_{\hat{c}} \times SU(2)_{\hat{L}} \times U(1)_{\hat{Y}}$$

- In holographic picture, the **dilaton** is identified as the **radion**.

DILATON PORTAL COMPOSITE/HOLOGRAPHIC TWIN HIGGS



DILATON PORTAL COMPOSITE/HOLOGRAPHIC TWIN HIGGS



- Useful dictionary

$$m_{\text{KK}} = g_* f, \quad g_* \equiv g \sqrt{kL}$$

$$\mathcal{F} = \sqrt{\frac{3}{2}} \frac{M_{\text{Pl}}}{k} g_* f$$

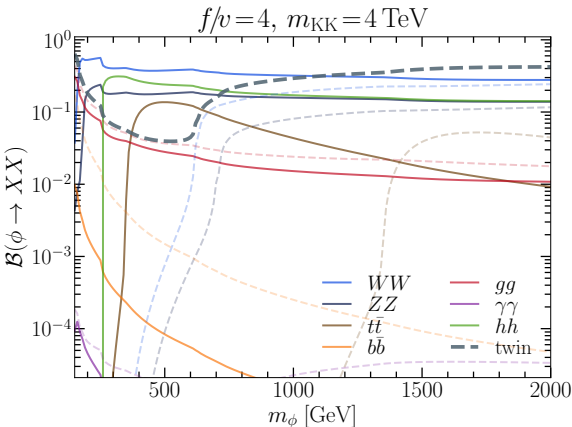
$$m_{\text{twin}} \simeq \frac{f}{v} m_{\text{SM}}$$

$$\mathcal{L}_{\text{portal}} = -\frac{\phi}{\mathcal{F}} \left[T_\mu^\mu + \hat{T}_\mu^\mu \right]$$

- Phenomenology is fixed by:

$$m_\phi, \mathcal{F}, f, m_{\text{KK}}$$

DILATON PHENOMENOLOGY: BRANCHING FRACTIONS



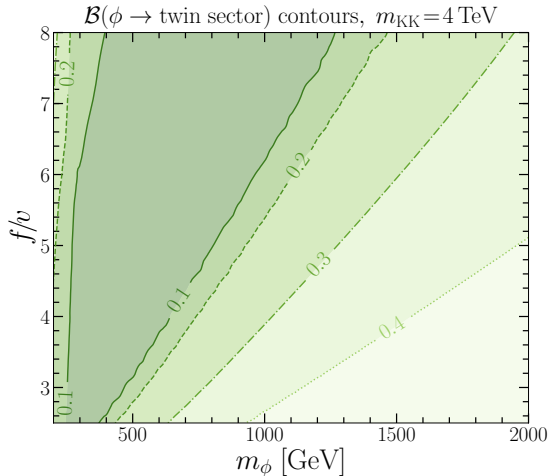
For $m_\phi \in [2m_V - 2m_{\hat{V}}]$ the dominant BRs channels for the dilaton are the SM gauge and Higgs bosons, $WW/ZZ/hh$.

- For $m_\phi \gtrsim 2m_{\hat{V}}$ thanks to Goldstone equivalence theorem,

$$\mathcal{B}(\phi \rightarrow hh) \simeq \mathcal{B}(\phi \rightarrow VV) \simeq \mathcal{B}(\phi \rightarrow \hat{V}\hat{V}) \simeq \frac{1}{7}$$

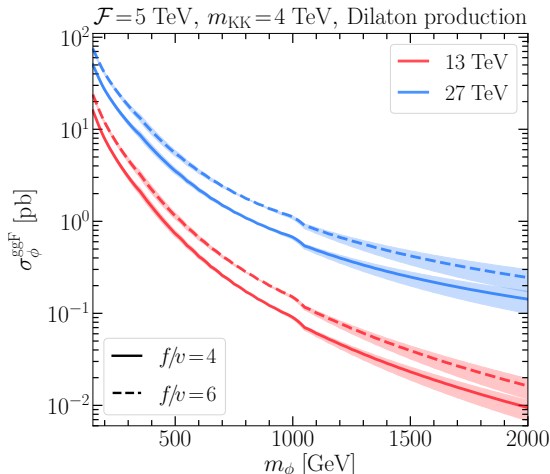
- Massless bosons BRs are enhanced due to the trace anomalous and bulk contributions, while the fermions BRs are proportional to their masses.

DILATON PHENOMENOLOGY: BRANCHING FRACTIONS



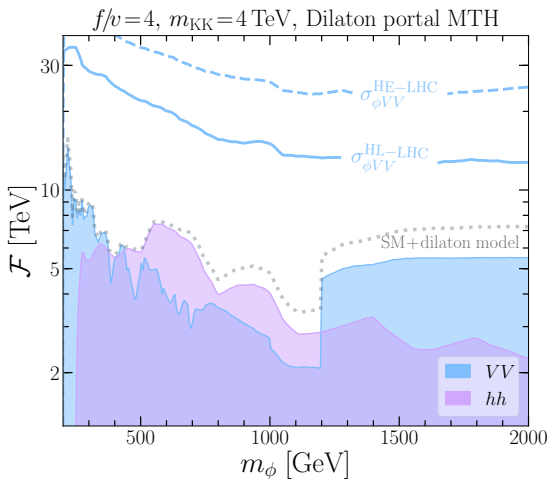
- The twin sector (invisible) branching fraction of the dilaton.
- Dilaton branching ratios are independent of $\mathcal{F}$.

DILATON PHENOMENOLOGY: PRODUCTION AT THE LHC



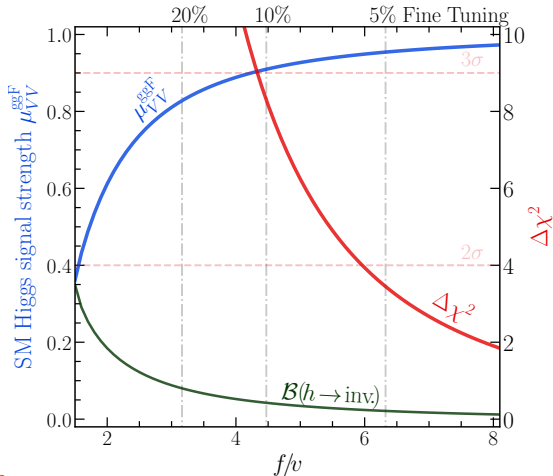
- Dilaton production cross section at the LHC is dominated by the ggF, we calculate at order N^3LO adopting **SusHi-1.7** with **PDF4LHC15_nnlo_mc**.
- Naively, one expects the VBF to be comparable of ggF but the large anomalous coupling of dilaton to gluons makes the later dominant.

DILATON PHENOMENOLOGY: BOUNDS AND PROJECTIONS



- LHC run2 direct searches of heavy scalars to dibosons place the most stringent bounds, excluding $\mathcal{F} \lesssim 6$ TeV.
- HL-LHC (HE-LHC) with 3000/fb would exclude $\mathcal{F} \lesssim 10(20)$ TeV.

GLOBAL FIT TO THE TWIN HIGGS PARAMETERS



- Global χ^2 fit is performed employing all the LHC run-2 Higgs data.
- χ^2 fit with LHC run-2 data excludes $f/v \lesssim 4$ at 3σ .
This result is independent of the presence of the dilaton portal!

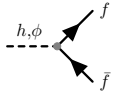
CONCLUSIONS

- Twin Higgs mechanism offers an interesting possibility to solve the little hierarchy problem by SM neutral top-partners.
- We considered strongly coupled nearly scale invariant UV completions of the twin Higgs models where a light dilaton state can provide a natural portal between the SM and twin (hidden) sectors.
- The effective theory of a twin Higgs dilaton portal can be described by four parameters, $m_\phi, \mathcal{F}, f, m_{KK}$.
- Phenomenological study of this model at the LHC which implies for $m_\phi \in [200 - 2000]$ GeV, $\mathcal{F} \gtrsim 5$ TeV, $f/v \gtrsim 4$ with $m_{KK} \sim 5$ TeV.
- The projected reach of HL-LHC and HE-LHC with 3000/fb could probe all the natural (FT up to 1%) parameter space of this model.

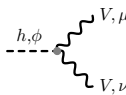
APPENDIX

FEYNMAN RULES FOR DILATON PORTAL TWIN HIGGS

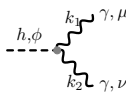
SM SECTOR



$$-i \frac{m_f}{v} g_{h,\phi}$$

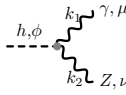


$$i \frac{m_V^2}{v} g_{h,\phi} \eta^{\mu\nu}$$



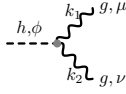
$$i \frac{\alpha}{2\pi v} c_{\gamma}^{h,\phi} (\eta^{\mu\nu} k_1 \cdot k_2 - k_1^{\nu} k_2^{\mu});$$

$$c_{\gamma}^{h,\phi} \equiv g_{\phi} (b_{\text{EM}} + \frac{2\pi}{\alpha k L}) - g_{h,\phi} (e_i^2 N_c^i F_{1/2} + F_1)$$



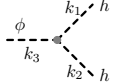
$$i \frac{\alpha}{2\pi v} c_{Z\gamma}^{h,\phi} (\eta^{\mu\nu} k_1 \cdot k_2 - k_1^{\nu} k_2^{\mu});$$

$$c_{Z\gamma}^{h,\phi} \equiv 2g_{\phi} (\frac{b_2}{t_{\theta}} - b_Y t_{\theta}) - g_{h,\phi} (A_{1/2} + A_1)$$



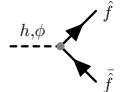
$$i \delta^{ab} \frac{\alpha_s}{4\pi v} c_g^{h,\phi} (\eta^{\mu\nu} k_1 \cdot k_2 - k_1^{\nu} k_2^{\mu});$$

$$c_g^{h,\phi} \equiv 2g_{\phi} (b_3 + \frac{2\pi}{\alpha_s k L}) - g_{h,\phi} F_{1/2}$$

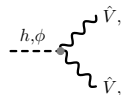


$$i g_{\phi h h} = i \frac{m_{\phi}^2}{\mathcal{F}} \left(1 + \frac{2m_h^2}{m_{\phi}^2} \right)$$

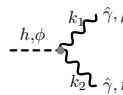
TWIN SECTOR



$$-i \frac{m_{\hat{f}}}{\hat{v}} \hat{g}_{h,\phi}$$

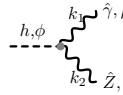


$$i \frac{m_{\hat{V}}^2}{\hat{v}} \hat{g}_{h,\phi} \eta^{\mu\nu}$$



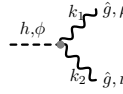
$$i \frac{\hat{\alpha}}{2\pi \hat{v}} c_{\hat{\gamma}}^{h,\phi} (\eta^{\mu\nu} k_1 \cdot k_2 - k_1^{\nu} k_2^{\mu});$$

$$c_{\hat{\gamma}}^{h,\phi} \equiv \hat{g}_{\phi} (\hat{b}_{\text{EM}} + \frac{2\pi}{\hat{\alpha} k L}) - \hat{g}_{h,\phi} (\hat{e}_i^2 N_c^i \hat{F}_{1/2} + \hat{F}_1)$$



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$$c_{\hat{g}}^{h,\phi} \equiv 2\hat{g}_{\phi} (\hat{b}_3 + \frac{2\pi}{\hat{\alpha}_s k L}) - \hat{g}_{h,\phi} \hat{F}_{1/2}$$

with $g_h \equiv \frac{\hat{v}}{f}$, $\hat{g}_h \equiv -\frac{v}{\hat{f}}$, $g_{\phi} \equiv \frac{v}{\mathcal{F}}$, $\hat{g}_{\phi} \equiv \frac{\hat{v}}{\hat{\mathcal{F}}}$, $\hat{v} \equiv \sqrt{f^2 - v^2}$