

# Leptogenesis during the reheating era

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based on collaboration with Yuta Hamada  
(Kyoto U.) , arXiv:1510.05186

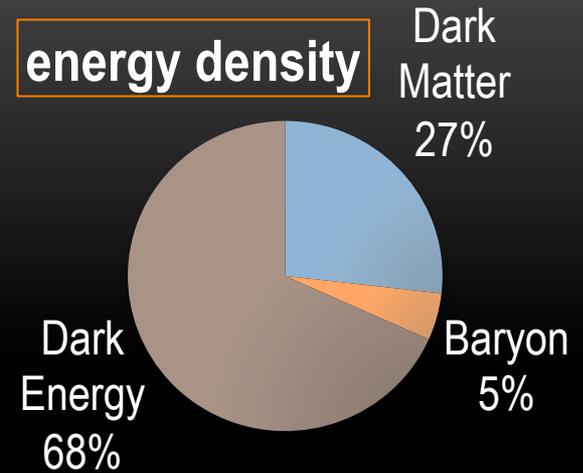
# Introduction



## Baryon number of the universe

$$\eta = \frac{n_B}{s} = 8 \times 10^{-10}$$

$n_B$ : baryon number density ,  $s$ : entropy density



We must explain this asymmetry !  
But, How ?

In the **Standard Model**, the baryon number is related to the **B-L number** through the Sphaleron process:

$$n_B \simeq \frac{28}{79} n_{B-L} = \frac{28}{79} n_{-L}$$

If there is no baryon at first.

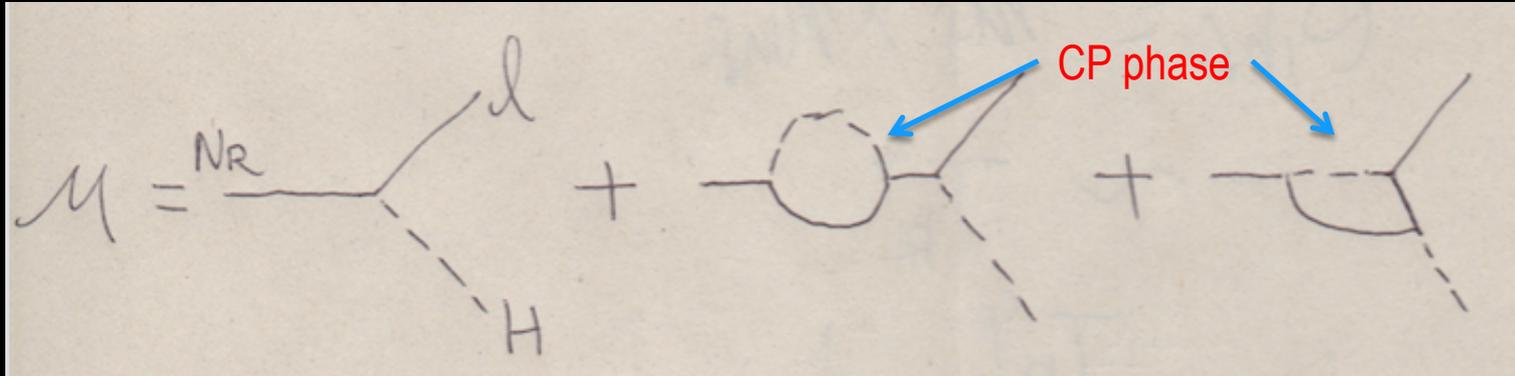
Baryon number can be produced from the lepton number !  
(**Leptogenesis**)

# Thermal Leptogenesis

Fukugida, Yanagida ('86)

- One of the simplest scenario of leptogenesis.
- Model

SM +  $N_R$  ( Right handed neutrino )



\* Lepton number is produced by the decay of  $N_R$

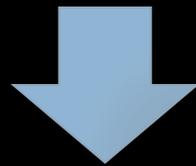
In this scenario,  $T_R > M_R$  is needed.

(  $T_R$ : reheating temperature,  $M_R$ : mass of  $N_R$  )

If we assume the seesaw mechanism, this means

$$T_R \gtrsim 10^{12-14} \text{ GeV}$$

\* very high temperature !



Can we realize leptogenesis even if  $T_R < M_R$  ?

# This Talk (Brief summary)

- We propose a new scenario of leptogenesis which is possible even if  $T_R$  is smaller than  $10^{12}$  GeV.
- As a new particle, we only assume an **inflaton** which decays into the SM particles.
- We consider the dim 5 and 6 operators of **the SM leptons**.  
( Namely, the effect of  $N_R$  appears as these operators. )

# Plan of Talk

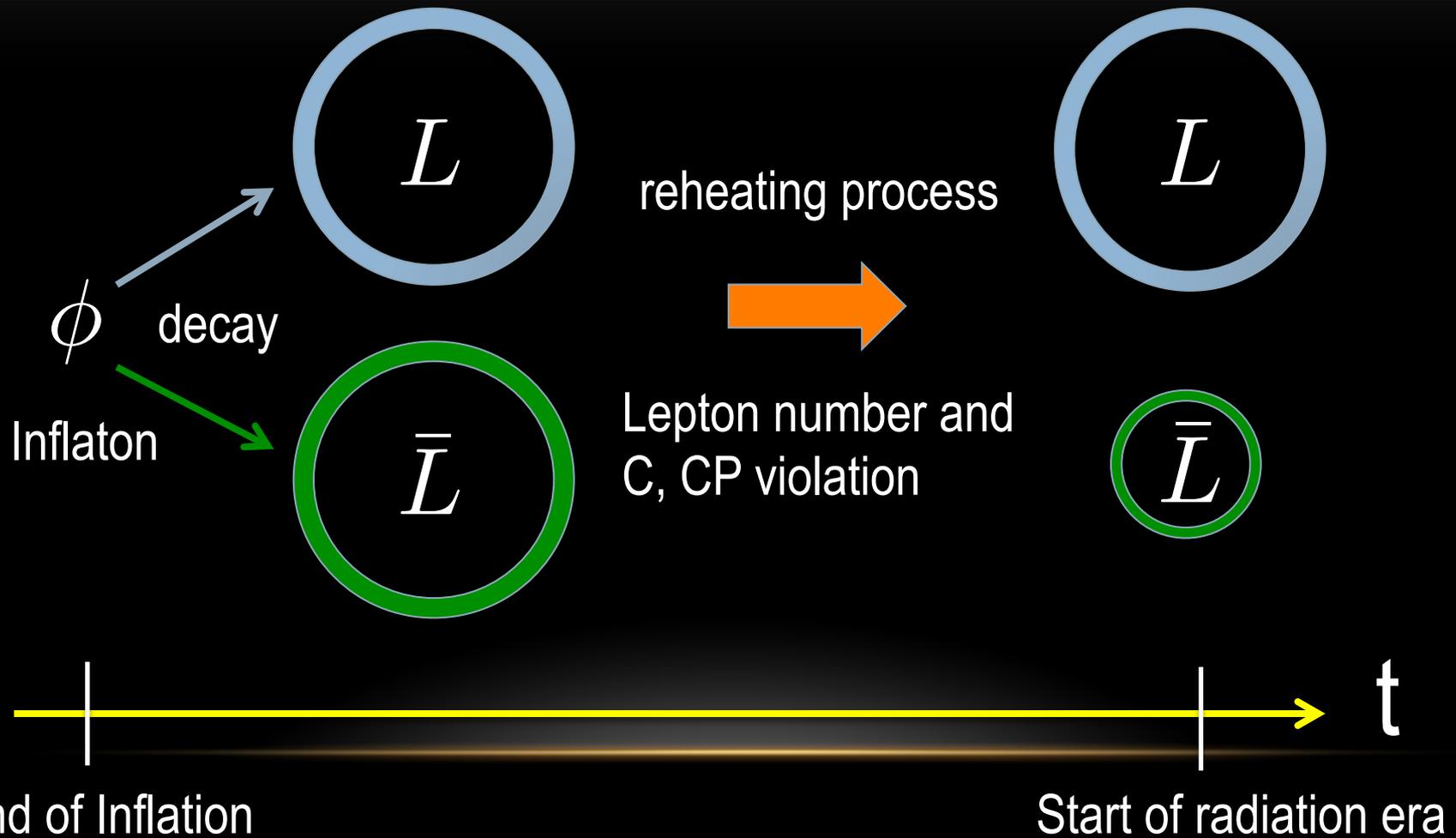
1. Idea and Sakharov's conditions
  2. Qualitative understanding and numerical result
  3. Summary
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# 1. Idea and Sakharov's conditions

## Idea

- Unlike thermal leptogenesis, the lepton asymmetry is produced during **the reheating era** !
  - Asymmetry is produced by **the difference of the interaction rates** between L and  $\chi$ .
-

# Image of Leptogenesis



# Sakharov's three conditions

(i) Out of thermal equilibrium

→ We consider the reheating era.

(ii) Violation of Lepton number    (iii) Violation of C and CP

$$\mathcal{L} \ni \int d^4x \left( \frac{\lambda_{1,ij}}{\Lambda_1} H H \bar{L}_i^c L_j + \frac{\lambda_{2,ijkl}}{\Lambda_2^2} (\bar{L}_i \gamma^\mu L_j) (\bar{L}_k \gamma_\mu L_l) + \text{h.c} \right)$$


$\lambda_{1,ij} : \text{real} , \lambda_{2,ijkl} : \text{complex}$

## 2. Qualitative understanding and numerical result

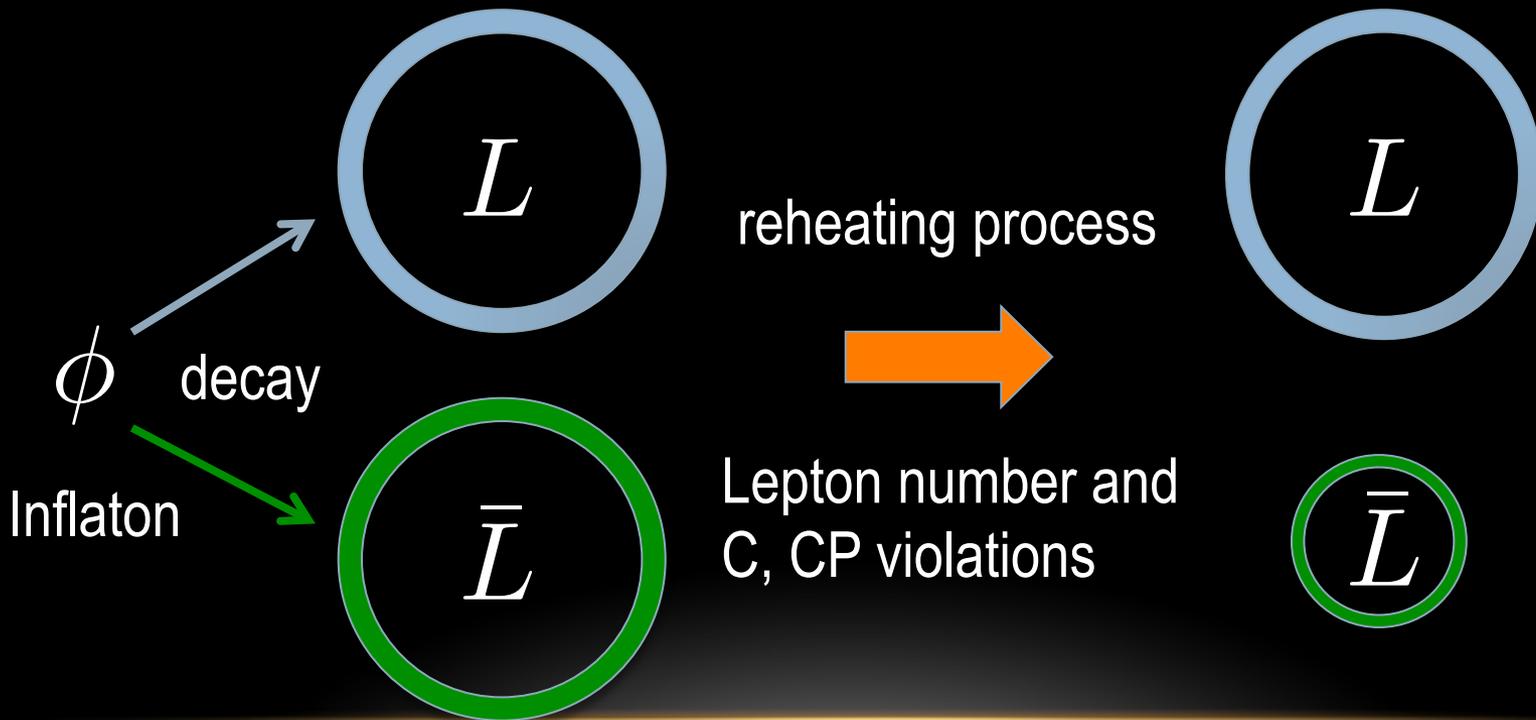
## Rough estimation of $\eta$

The observed asymmetry is roughly given by

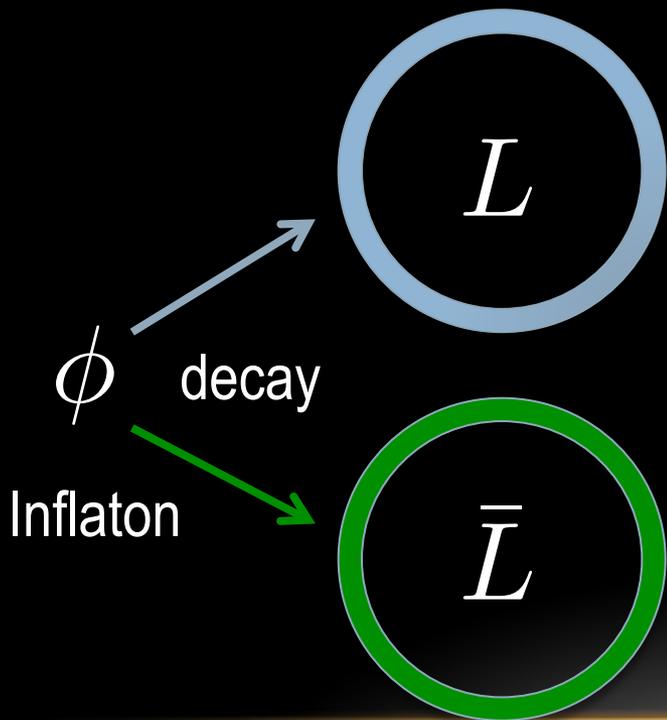
$$\frac{n_L}{s} \sim \frac{n_{\text{Inf}}}{s} \text{Br} \frac{\Gamma_{\cancel{L}}}{\Gamma_{\text{brems}}} \epsilon$$

★ In the following, I explain each factor.

$$\frac{n_L}{s} \sim \frac{n_{\text{Inf}}}{s} \text{Br} \frac{\Gamma_{\cancel{L}}}{\Gamma_{\text{brems}}} \epsilon$$



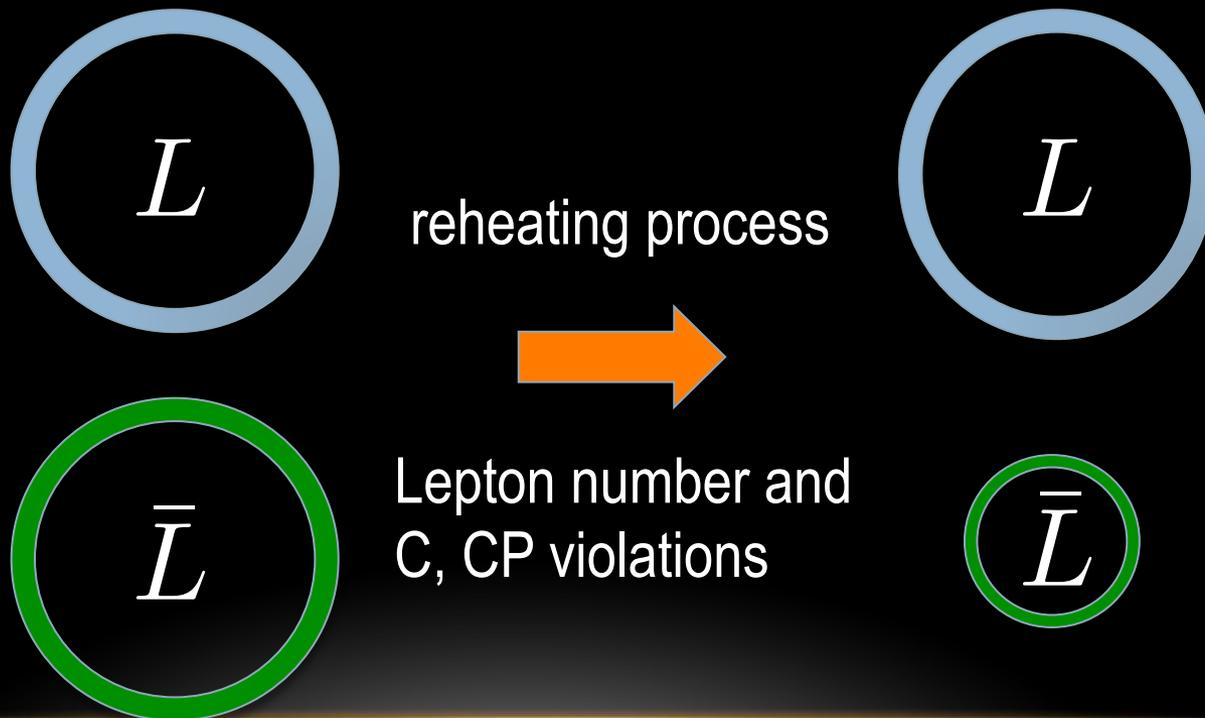
$$\frac{n_L}{s} \sim \boxed{\frac{n_{\text{Inf}}}{s} \text{Br}} \frac{\Gamma_{\cancel{L}}}{\Gamma_{\text{brems}}} \epsilon$$



$n_{\text{Inf}}$  : number density  
of inflaton

Br : branching ratio  
of inflaton

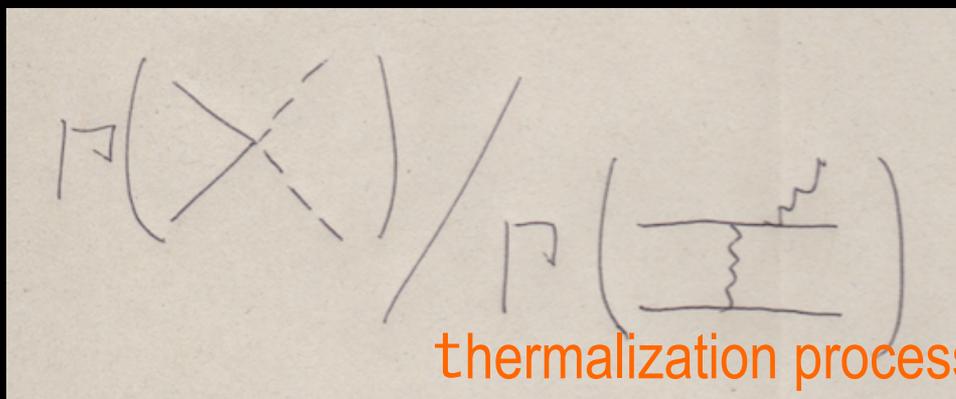
$$\frac{n_L}{s} \sim \frac{n_{\text{Inf}}}{s} \text{Br} \frac{\Gamma_{\cancel{L}}}{\Gamma_{\text{brems}}} \epsilon$$



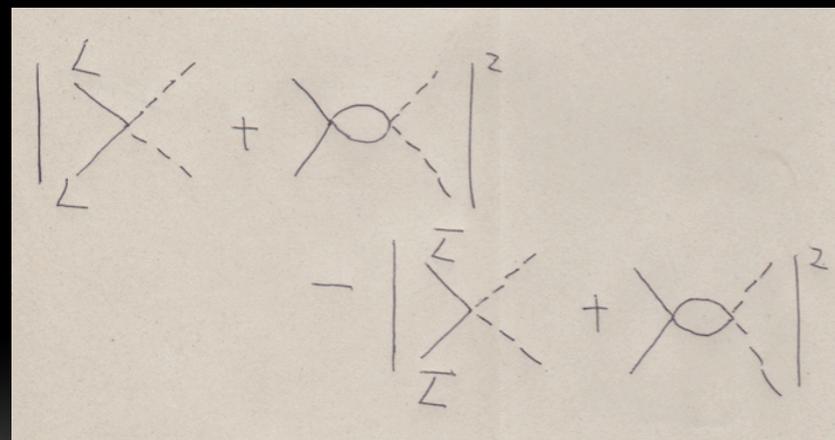
$$\frac{n_L}{s} \sim \frac{n_{\text{Inf}}}{s} \text{Br} \frac{\Gamma_{\cancel{L}}}{\Gamma_{\text{brems}}} \epsilon$$

Probability of  $\cancel{L}$  processes occur.

efficiency



thermalization process



$$\epsilon = 2 \frac{\sigma(LL \rightarrow HH) - \sigma(\bar{L}\bar{L} \rightarrow HH)}{\sigma(LL \rightarrow HH) + \sigma(\bar{L}\bar{L} \rightarrow HH)}$$

## Explicit form

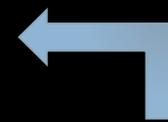
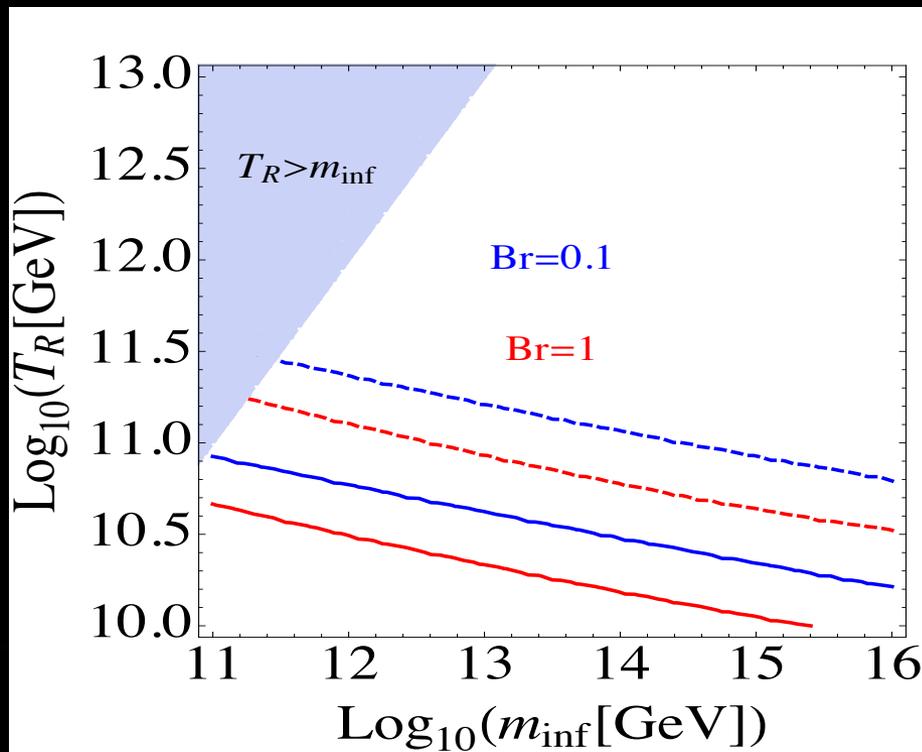
$$\frac{n_B}{s} \simeq 8.7 \times 10^{-11} \left( \frac{4 \times 10^{-4}}{\alpha_2^2} \right) \left( \frac{m_{\text{inf}}}{2 \times 10^{13} \text{GeV}} \right)^{3/2} \left( \frac{T_R}{7 \times 10^{10} \text{GeV}} \right)^{5/2} \\ \times \left( \frac{m_\nu}{0.1 \text{eV}} \right)^2 \left( \frac{10^{15} \text{GeV}}{\Lambda_2} \right)^2 \left( \frac{\text{Br} \times \sum_j \lambda_{1,jj} \text{Im}(\lambda_{2,1j})}{2} \right)$$

$m_{\text{inf}}$  : inflaton mass ,  $m_\nu$  : neutrino mass

Leptogenesis is possible even if  $T_R < M_R$  !

# Numerical result

- We can, of course, numerically calculate  $\eta$  by solving the Friedman equation and Boltzmann equation.



Contours of observed  $\eta$

Solid:  $\Lambda_2 = 10^{14}$  GeV

Dashed:  $\Lambda_2 = 10^{15}$  GeV

## 3. Summary

- I have discussed the leptogenesis during the reheating era, which is possible even if  $T_R < M_R$ .
- Because our scenario is based on the effective operators, this is applicable to other UV models (such as other seesaw models).

Thank you !

# Appendix A: Reheating Temperature

- Reheating temperature is determined by the decay rate of the inflaton.

$$T_R \sim \begin{cases} \rho_I^{\frac{1}{4}} & (\text{for } \Gamma_I \gg H_I) \\ \sqrt{\Gamma_I M_{pl}} & (\text{for } \Gamma_I \ll H_I) \end{cases}$$

determined by  $H \sim \Gamma_I$

# Appendix B: Friedman eq and Boltzmann eq

$$H^2 = \frac{1}{3M_{pl}^2} \left( \rho_{\text{inf}} + \frac{\pi^2 g_*}{30} T^4 + \frac{m_{\text{inf}}}{2} n_l \right),$$

$$\dot{\rho}_R + 4H\rho_R = (1 - \text{Br})\Gamma_{\text{inf}} \rho_{\text{inf}} + \frac{m_{\text{inf}}}{2} n_l \Gamma_{\text{brems}},$$

$$\dot{n}_L + 3Hn_L = \Gamma_{L'} 2\epsilon n_l - \Gamma_{\text{wash}} n_L,$$

$$\dot{n}_l + 3Hn_l = \frac{\Gamma_{\text{inf}} \rho_{\text{inf}}}{m_{\text{inf}}} \text{Br} - n_l \Gamma_{\text{brems}},$$

$$\rho_{\text{inf}} = \Lambda_{\text{inf}}^4 \left( \frac{a(t = t_{\text{end}})}{a} \right)^3 e^{-\Gamma_{\text{inf}} t},$$