

PARTICLE DARK MATTER SEARCHES THROUGH ANISOTROPIES AND CROSS CORRELATIONS

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BASED ON:

CAMERA, FORNASE, NF, REGIS, *AP. J.* 771 (2013) L5

CAMERA, FORNASE, NF, REGIS, *ARXIV:1411.4651*

NF, REGIS, *FRONT. PHYSICS* 2 (2014) 6

NF, REGIS, PEROTTO, CAMERA, *AP.J.* 802 (2015) L1

REGIS, XIA, CUOCO, NF, BRANCHINI, VIEL, *ARXIV:1503.05922*

CUOCO, XIA, REGIS, NF, BRANCHINI, VIEL, *TO APPEAR*

ZECHLIN ET AL., *TO APPEAR*

GAMMA + COSMIC SHEAR

GAMMA + COSMIC SHEAR

GENERAL THEORY

GAMMA + CMB LENSING

GAMMA + LSS

GAMMA + LSS

GAMMA 1PDF

Dark Matter

- The presence of DM is supported by copious and consistent astrophysical and cosmological probes
 - Horizon-scale: average DM density about 6 times baryon density
 - Smaller scales: DM distribution is quite anisotropic and hierarchical clusters – galaxies – subhalos
- Observations are consistent with a theoretical understanding of cosmic structure formation through gravitational instability, based on the LCDM model
 - Although:
 - Some problem on very small scales
 - Role of baryons in galaxy formation just started to be investigated

Dark Matter

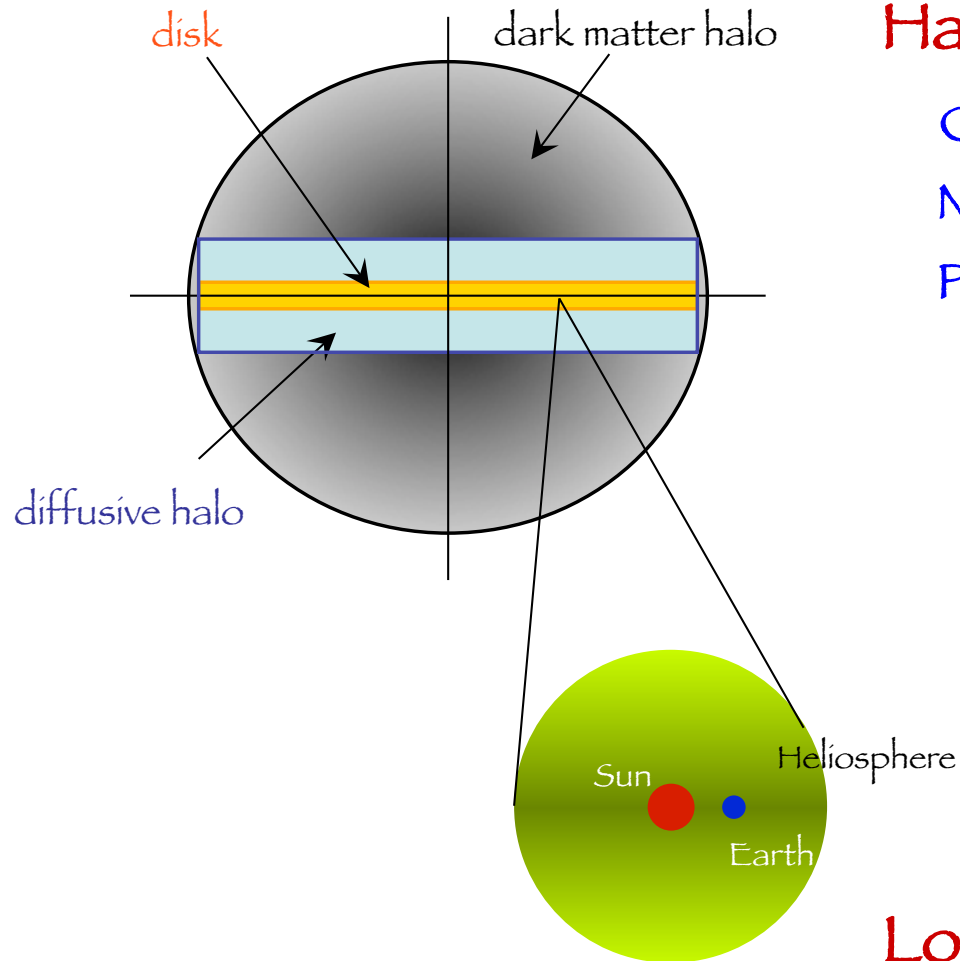
- DM evidence purely gravitational
 - Galaxy clusters dynamics
 - Rotational curves of spiral galaxies
 - Gravitational lensing
 - Hydrodynamical equilibrium of hot gas in galaxy clusters
 - Energy budget of the Universe
 - The same theory of structure formation
- This evidence can be ascribed either to:
 - i. Modification of the theory of Gravity
 - ii. DM = elementary particle, relic from the early Universe
 - No viable candidate in the SM: **New Physics BSM**
 - However, to demonstrate that DM is a new particle, a non-gravitational signal (due to its particle physics nature) is needed

Where to search for a signal

We can try to exploit every structure where DM is known to be present:

- Our Galaxy
 - Smooth component
 - Subhalos
- Satellite galaxies (dwarfs)
- Galaxy clusters
 - Smooth component
 - Individual galaxies
 - Galaxies subhalos
- “Cosmic web”

Galactic dark matter signals



Halo signals

Charged CR (e^\pm , antip, antiD)

Neutrinos

Photons

- Gamma-rays

- Prompt production

- IC from e^\pm on ISRF and CMB

- X-rays

- IC from e^\pm on ISRF and CMB

- Radio

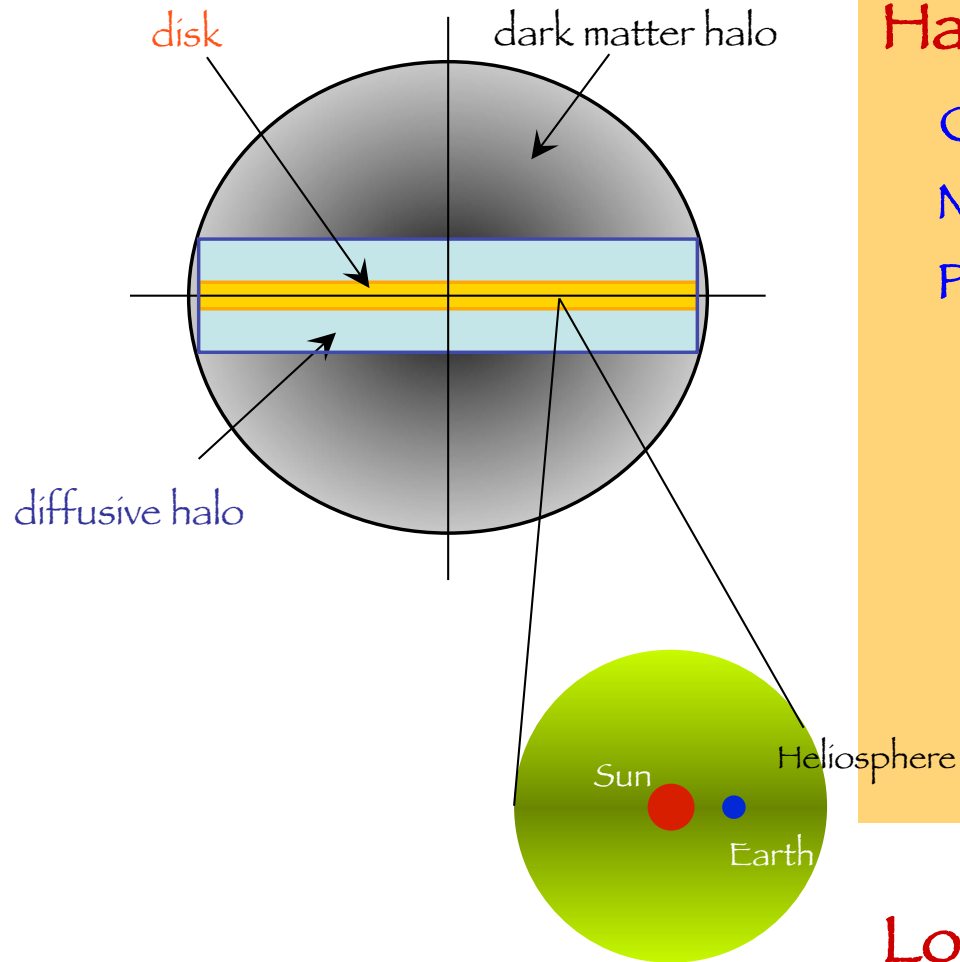
- Synchro from e^\pm on mag. field

Local signals

Direct detection

Neutrinos from Earth and Sun

Galactic dark matter signals



Halo signals

Charged CR (e^\pm , antip, antiD)

Neutrinos

Photons

- Gamma-rays

- Prompt production

- IC from e^\pm on ISRF and CMB

- X-rays

- IC from e^\pm on ISRF and CMB

- Radio

- Synchro from e^\pm on mag. field

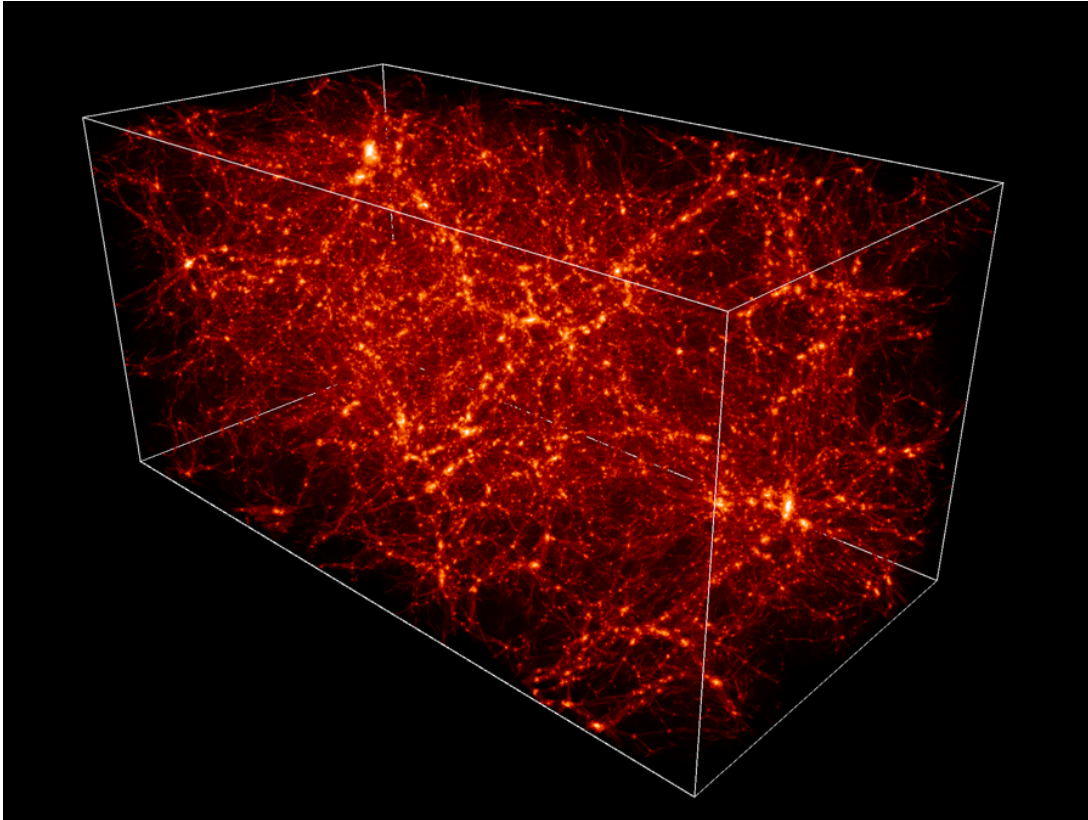
Local signals

Direct detection

Neutrinos from Earth and Sun

$$\chi\chi \longrightarrow (\dots) \longrightarrow \gamma, \nu, e^\pm, \bar{p}, \bar{D}$$

Extragalactic/Cosmological signals



Photons: gamma, X, radio

Neutrinos

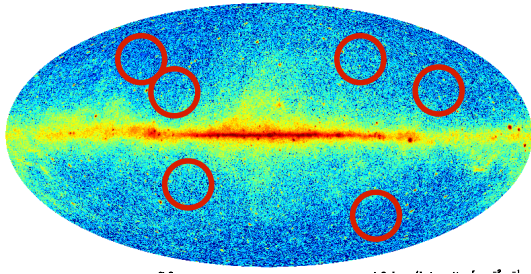
Impact on CMB:

SZ effect in clusters

Back to recombination

Dark Matter signals

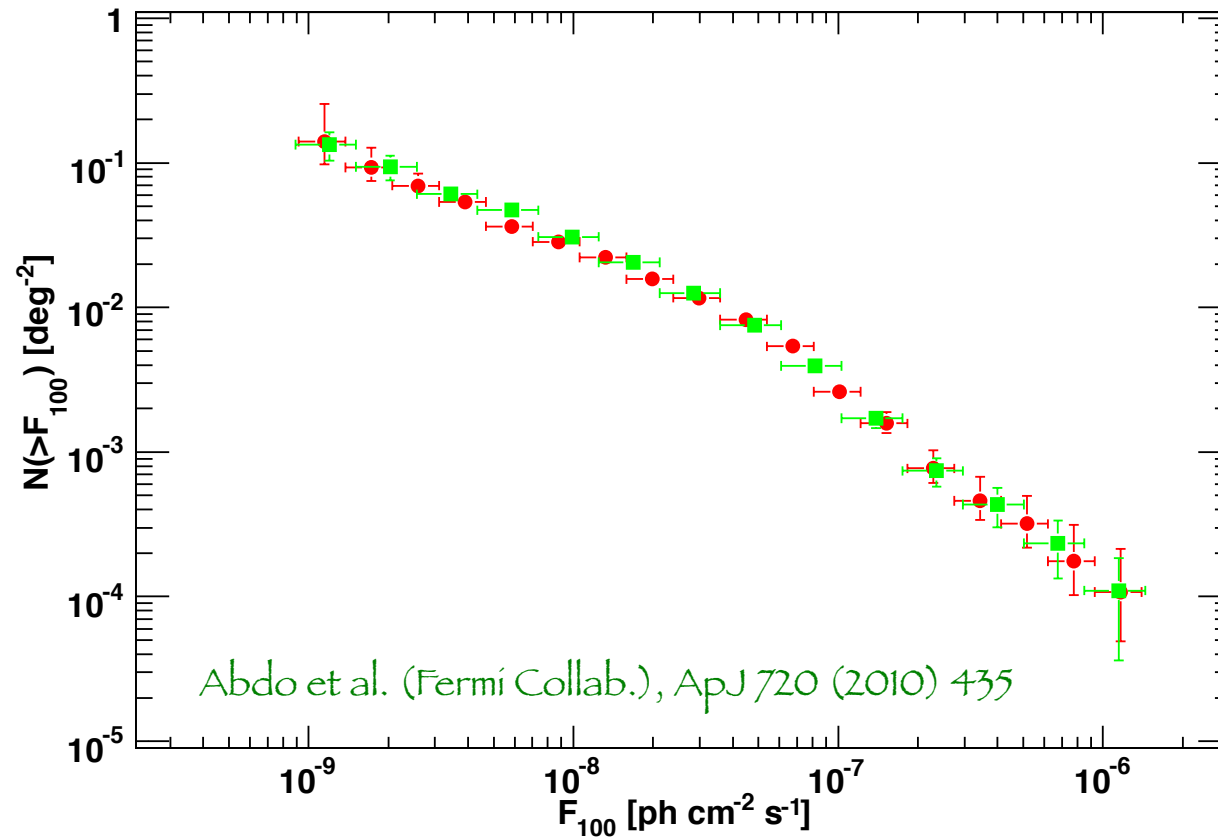
- Indirect detection signals are intrinsically *anisotropic*
(being produced by DM structures, present at any scale)
- EM signals (and neutrinos) more directly trace the underlying DM distribution: they need to exhibit some level of anisotropy
 - *Bright DM objects*: would appear as *resolved* sources
 - e.g: gamma or radio halo around clusters, dwarf galaxies or even subhalos
 - *Faint DM objects*: would be *unresolved* (i.e. below detector sensitivity)
 - Diffuse flux: at first level isotropic
at a deeper level anisotropic
- Even though DM objects are unresolved, the effect of anisotropies can affect the *statistics* of photons

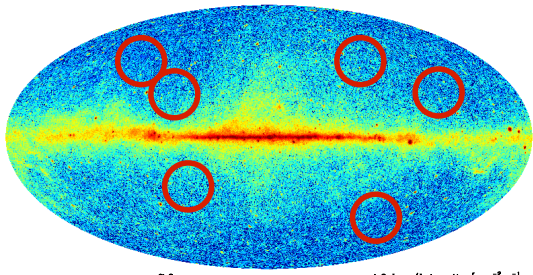


Resolved sources

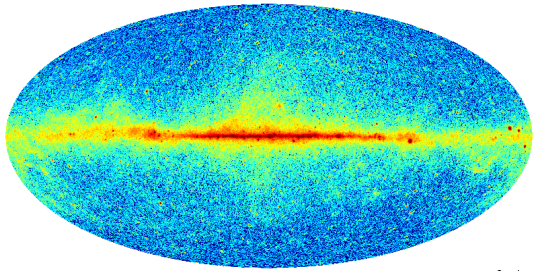
Source number count dN/dS

Source spectral features





Resolved sources
 Source number count dN/dS
 Source spectral features

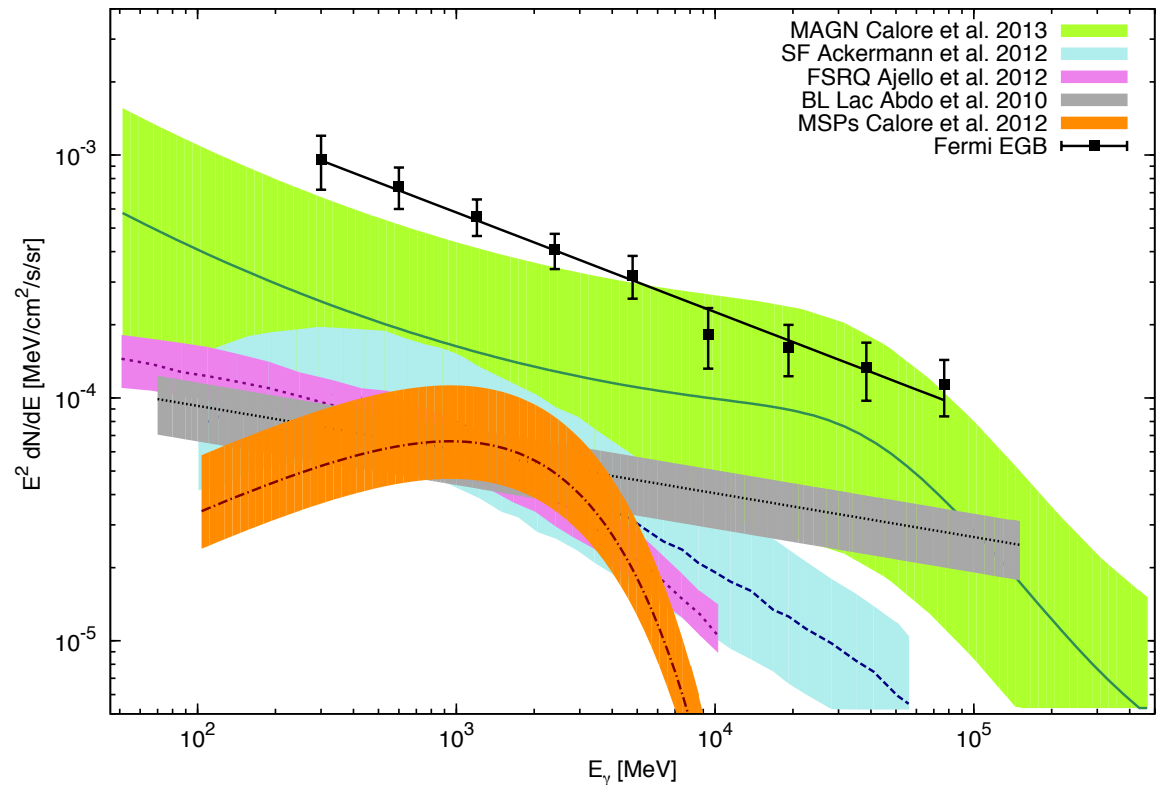


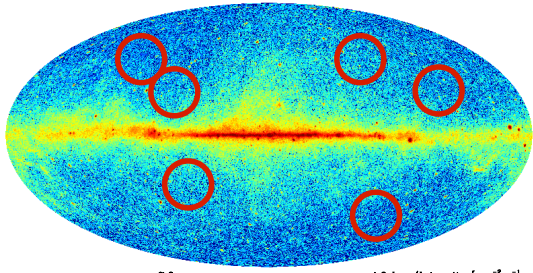
Galactic emission modeled and subtracted
 "Isotropic" emission cumulative from unresolved srcs
 Total intensity $I(E)$

To a closer look, this residual emission is not truly isotropic

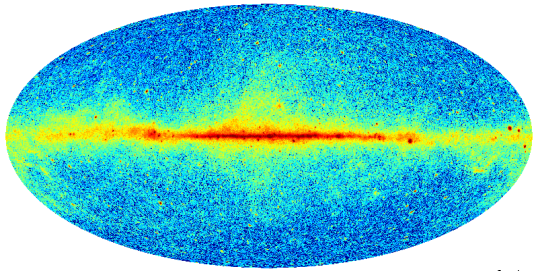
Galactic center issue

A galactic plane cut is typically adopted



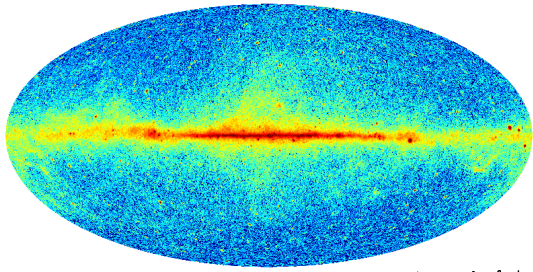


Resolved sources
Source number count dN/dS
Source spectral features

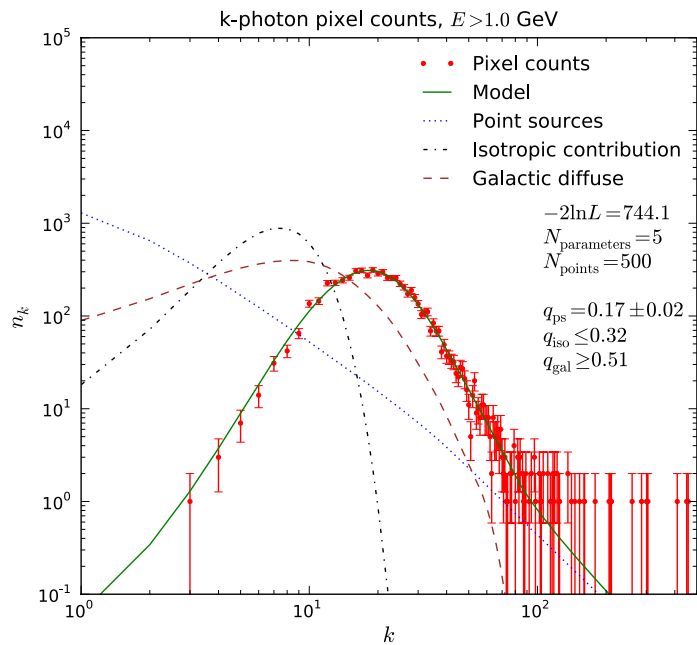


Galactic emission modeled and subtracted
“Isotropic” emission cumulative from unresolved srcs
Total intensity $I(E)$

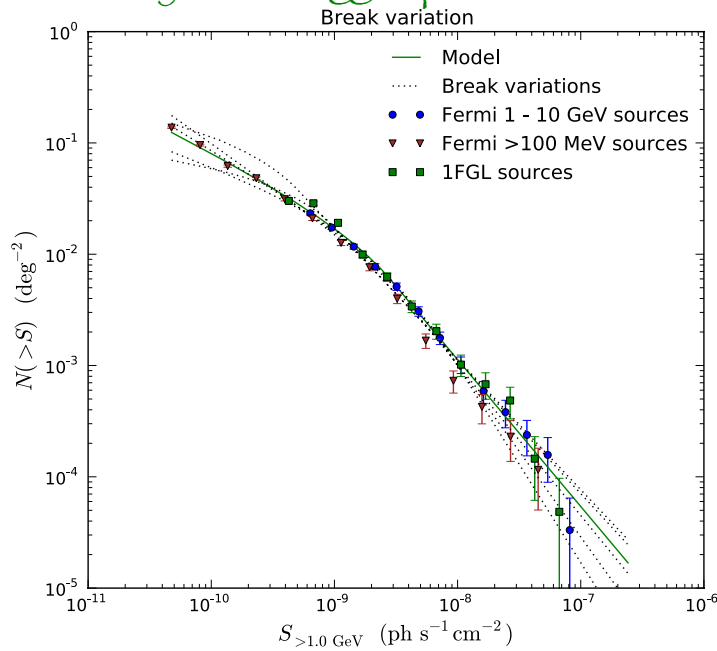
PHOTON STATISTICS



Photon pixel counts
Source count number dN/dS below detection threshold

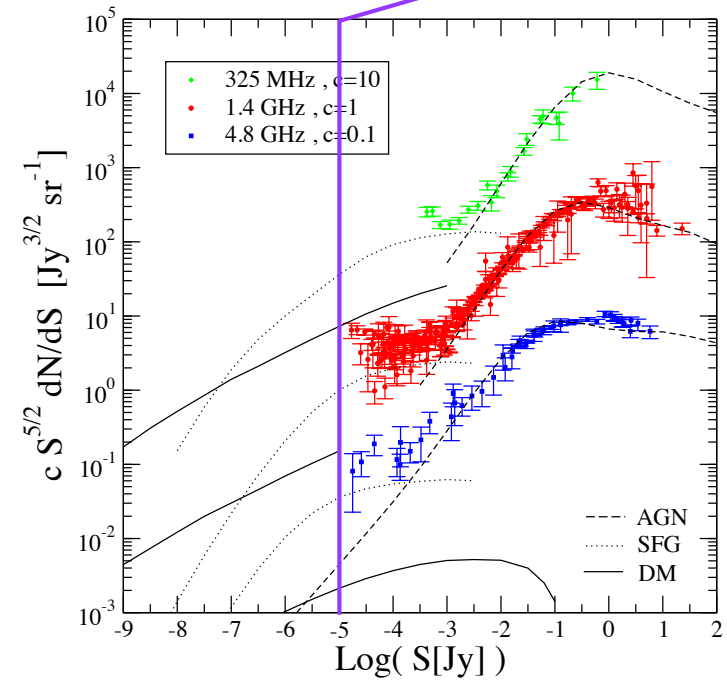
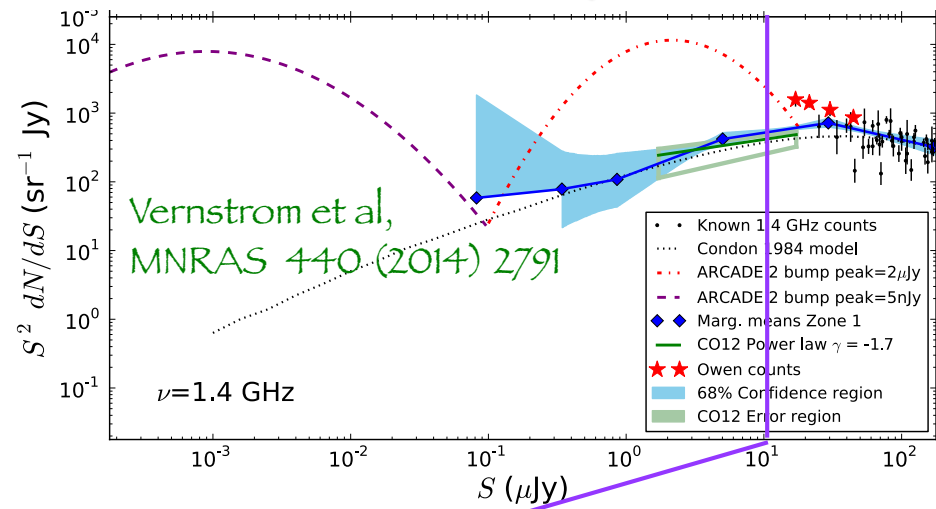


Malyshev, Hogg, ApJ 738 (2011) 181



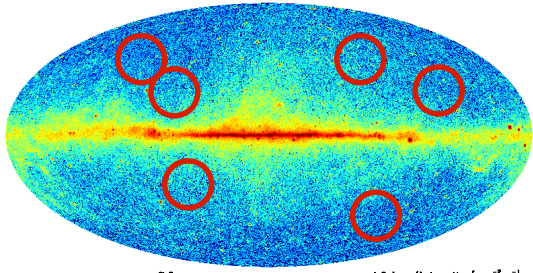
Gamma rays

Pixel counts ("1 PDF")

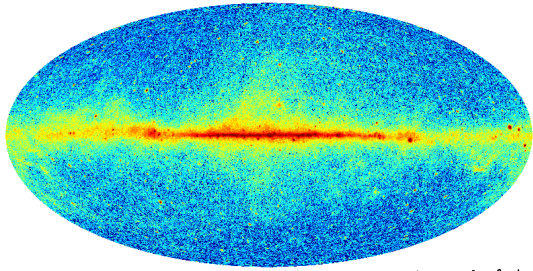


NF, Líneros, Regis, Taoso, PRL 107 (2011) 2727

Radio

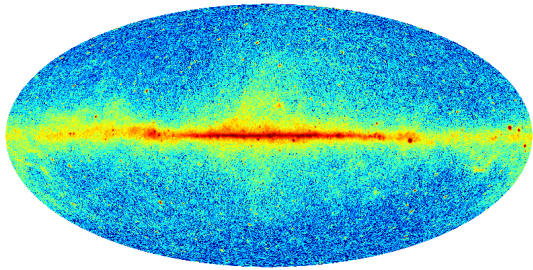


Resolved sources
 Source number count dN/dS
 Source spectral features

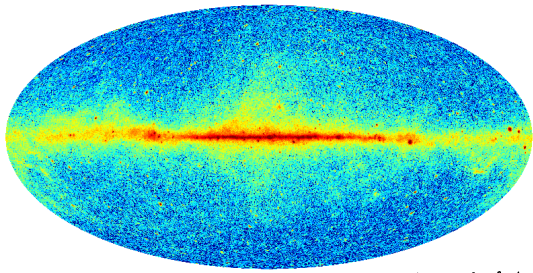


Galactic emission modeled and subtracted
 "Isotropic" emission modeled and subtracted
 Total intensity $I(E)$ cumulative from unresolved srcs

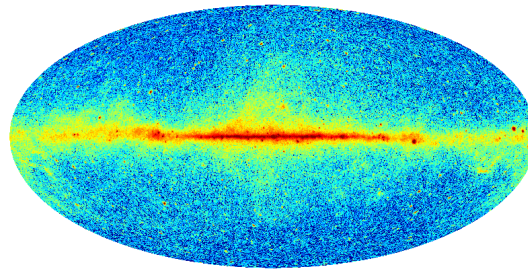
PHOTON STATISTICS



Photon pixel counts
 Source count number dN/dS below detection threshold



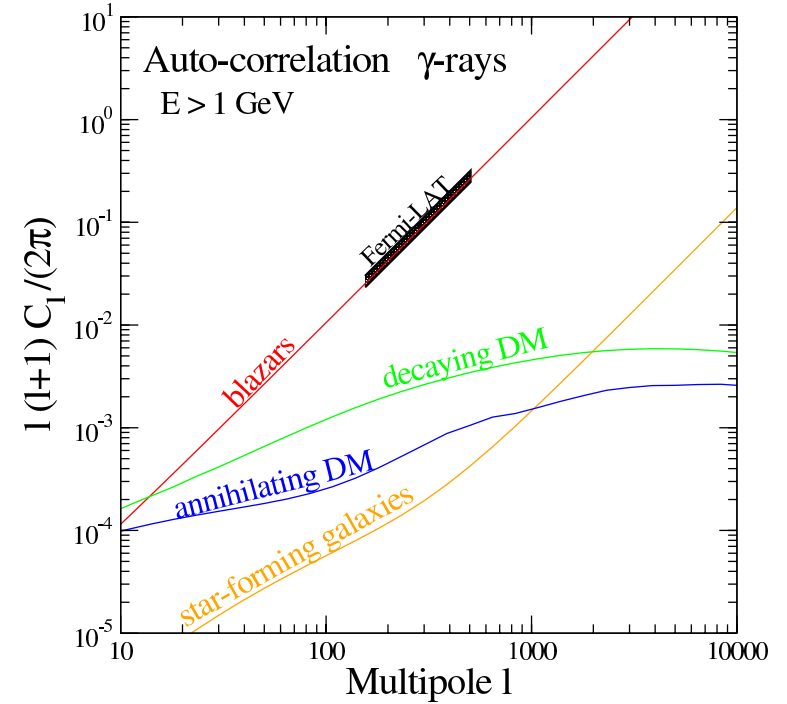
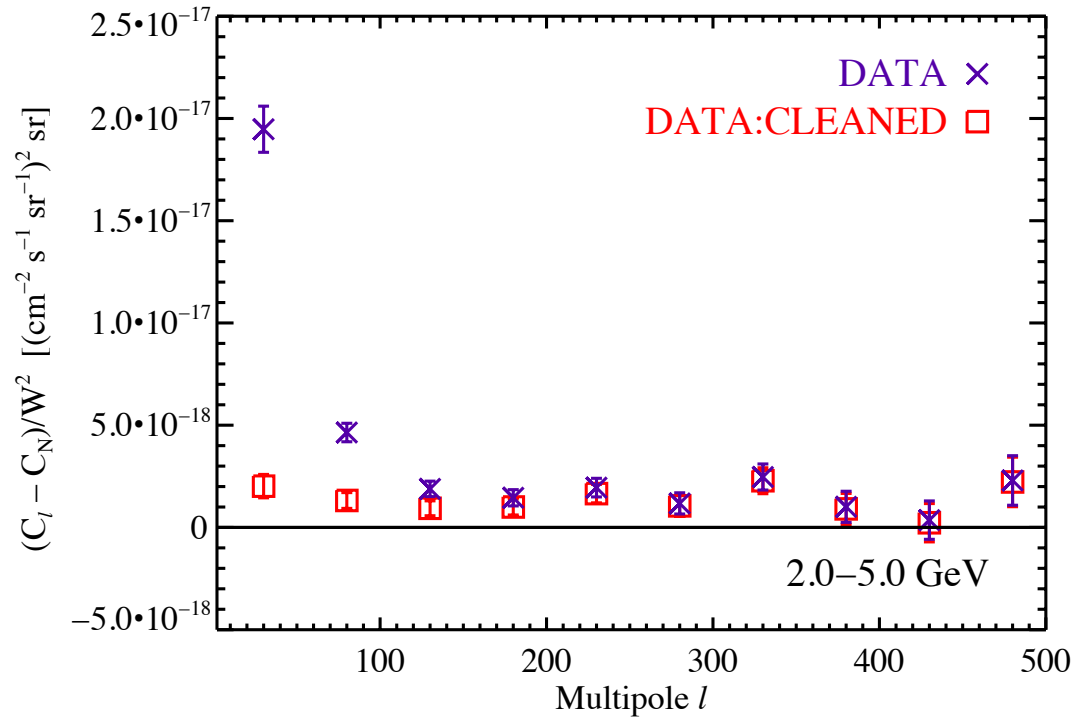
×



2 point correlator
 angular power spectrum

$$\langle I(\vec{n}_1)I(\vec{n}_2) \rangle \longrightarrow C(\theta) \longrightarrow C_l$$

Gamma rays auto-correlation



APS of the gamma-rays auto-correlation observed by Fermi/LAT
Overall significance: 9σ

Auto-correlation of EM signals

- Gamma-rays

Ando, Komatsu, PRD 73 (2006) 023521

Ando, Komatsu, Narumoto, Totani, PRD D75 (2007) 063519

Miniati, Koushiappas, Di Matteo, ApJ 667 (2007) L1

Siegal-Gaskins, JCAP 0810 (2008) 040

Cuoco, Brandbyge, Hannestad, Haugboelle, Miele, PRD 77 (2008) 123518

Fornasa, Pieri, Bertone, Branchini, PRD 80 (2009) 023518

Taoso, Ando, Bertone, Profumo, PRD 79 (2009) 043521

Ibarra, Tran, Weniger, PRD 81 (2010) 023529

Cuoco, Sellerholm, Conrad, Hannestad, MNRAS 414 (2011) 2040

Cuoco, Komatsu, Siegal-Gaskins, PRD 86 (2012) 063004

Harding, Abazajian, JCAP 11 (2012) 26

Fornasa, Zavala, Sanchez-Conde, Siegal-Gaskins, Delahaye, Prada, MNRAS 1529 (2013) 429

Hensley, Pavlidou, Siegal-Gaskins, MNRAS 591 (2013) 433

Ando, Komatsu, PRD 87 (2013) 87

Calore, Di Mauro, Donato, Maccio', Maccione, MNRAS 442 (2014) 1151

Ripken, Cuoco, Zechlin, Conrad, Horns, JCAP 01 (2014) 049

- Radio

Zhang, Sigl, JCAP 0809 (2008) 027 (2008)

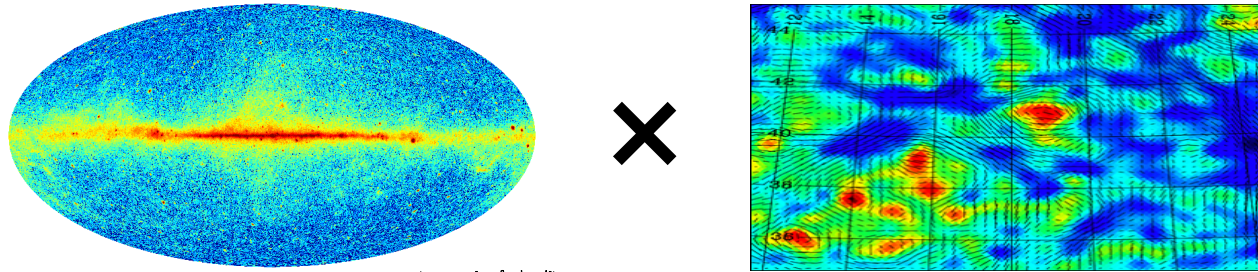
Blake, Ferreira, Borrill, MNRAS 351 (2004) 923

NF, Lineros, Regis, Taoso, JCAP 1203 (2012) 033

- X rays

Inoue, Murase, Madejski, Uchiyama, Ap. J. 776 (2013) 776

Can we do more ?



Cross-correlation of EM signal with gravitational tracer of DM

It exploits two distinctive features of particle DM:

- An electromagnetic signal, manifestation of the particle nature of DM
- A gravitational probe of the existence of DM

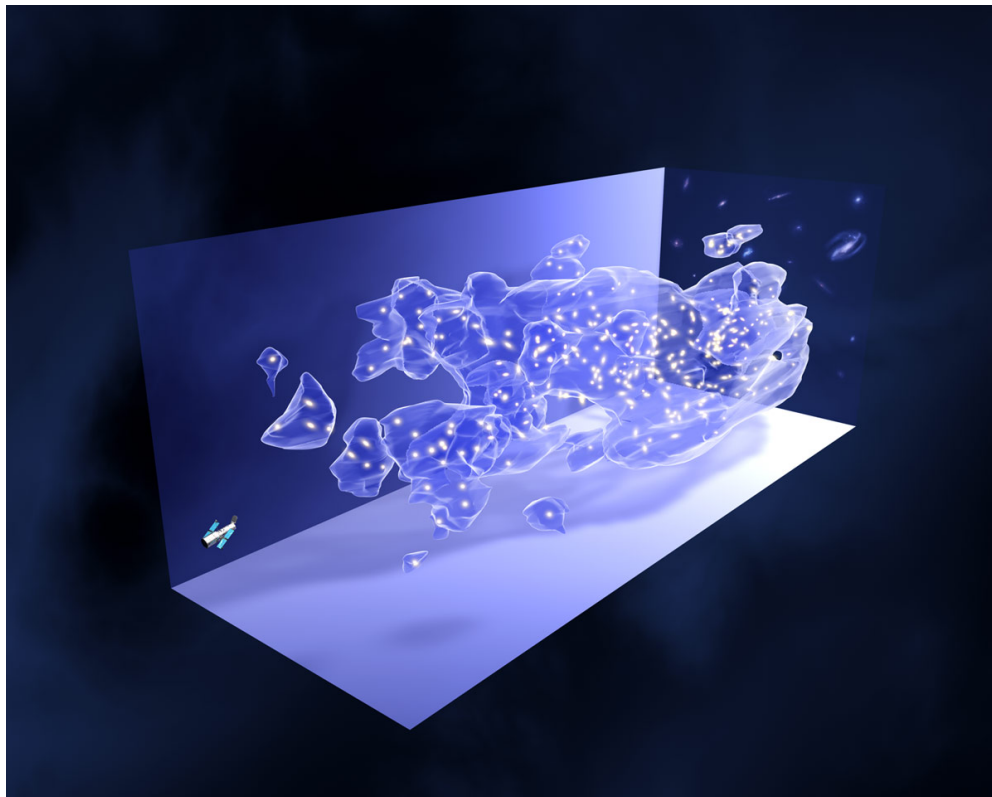
It can offer a direct evidence that what is measured by means of gravity is indeed due to DM in terms of an elementary particle

GAMMA RAYS/COSMIC SHEAR CROSS CORRELATIONS



Weak gravitational lensing

- **Weak lensing**: small distortions of images of distant galaxies, produced by the distribution of matter located between background galaxies and the observer
- **Powerful probe of dark matter distribution in the Universe**



convergence

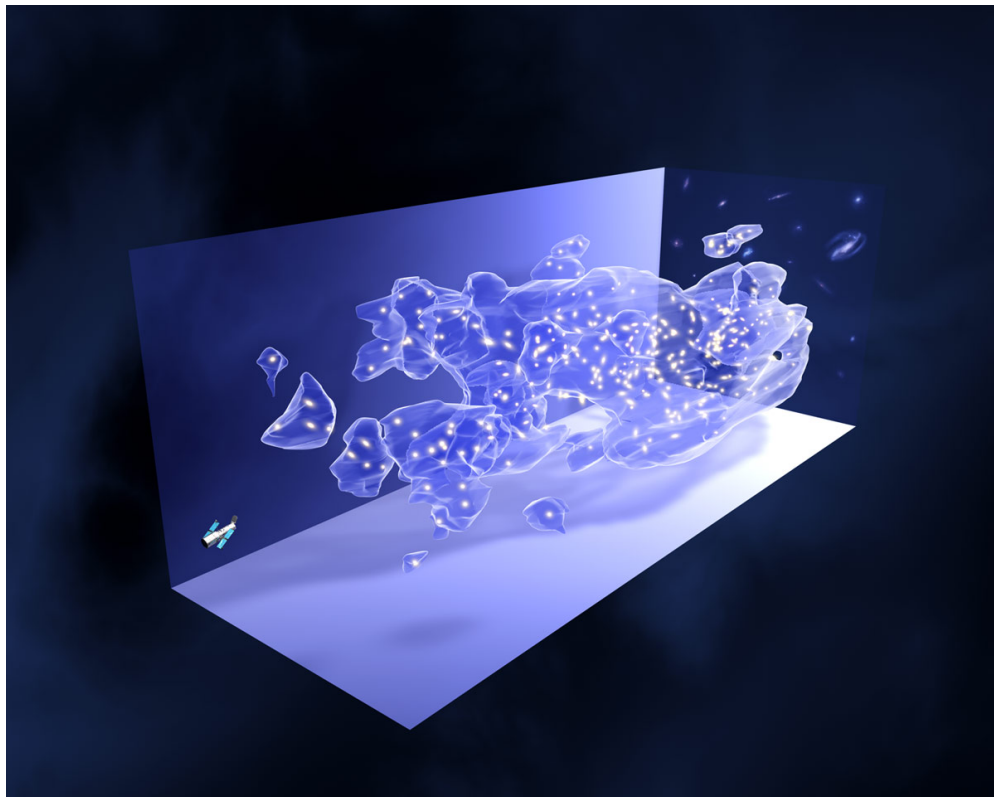
shear

	< 0	> 0
κ		
$\text{Re}[\gamma]$		
$\text{Im}[\gamma]$		

Cosmic structures and gamma-rays

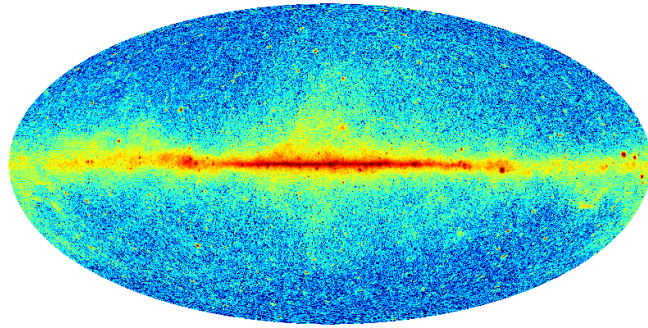
The same Dark Matter structures that act as lenses can themselves emit light at various wavelengths, including the gamma-rays range

- From astrophysical sources hosted by DM halos (AGN, SFG, ...)
- From DM itself (annihilation/decay)

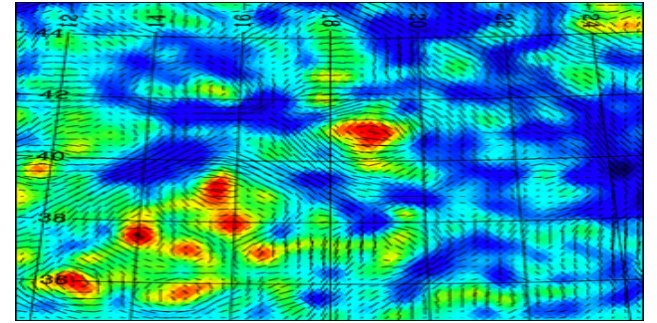


Gamma-rays emitted by DM may exhibit strong correlation with lensing signal

The lensing map can act as the filter needed to isolate the signal hidden in a large “noise”



The signal



Cross-correlation of:

- Gravitational shear with
- Extragalactic gamma-ray background (the residual radiation contributed by the cumulative emission of *unresolved* gamma-ray sources)

Looked through the statistical correlations encoded in its
cross angular power spectrum

$$C_l^{\gamma\phi}$$

S. Camera, M. Fornasa, NF, M. Regis, Ap. J. Lett. 771 (2013) L5

S. Camera, M. Fornasa, NF, M. Regis, arXiv:1411.4651

NF, Regis, Front. Physics 2 (2014) 6

Correlation functions

Source Intensity

$$I_g(\vec{n}) = \int d\chi g(\chi, \vec{n}) \tilde{W}(\chi)$$

Density field of the source
Window function

Cross-correlation angular power spectrum

$$C_\ell^{(ij)} = \frac{1}{\langle I_i \rangle \langle I_j \rangle} \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij}(k = \ell/\chi, \chi)$$

3D Power spectrum (we use the halo model)

$$\langle \hat{f}_{g_i}(\chi, \mathbf{k}) \hat{f}_{g_j}^*(\chi', \mathbf{k}') \rangle = (2\pi)^3 \delta^3(\mathbf{k} - \mathbf{k}') P_{ij}(k, \chi, \chi')$$

$$f_g \equiv [g(\mathbf{x}|m, z)/\bar{g}(z) - 1]$$

\hat{f}_g : Fourier transform

1-halo term $P_{ij}^{1h}(k) = \int dm \frac{dn}{dm} \hat{f}_i^*(k|m) \hat{f}_j(k|m)$

2-halo term $P_{ij}^{2h}(k) = \left[\int dm_1 \frac{dn}{dm_1} b_i(m_1) \hat{f}_i^*(k|m_1) \right] \left[\int dm_2 \frac{dn}{dm_2} b_j(m_2) \hat{f}_j(k|m_2) \right] P^{\text{lin}}(k)$

Linear bias
Linear matter PS

Window functions

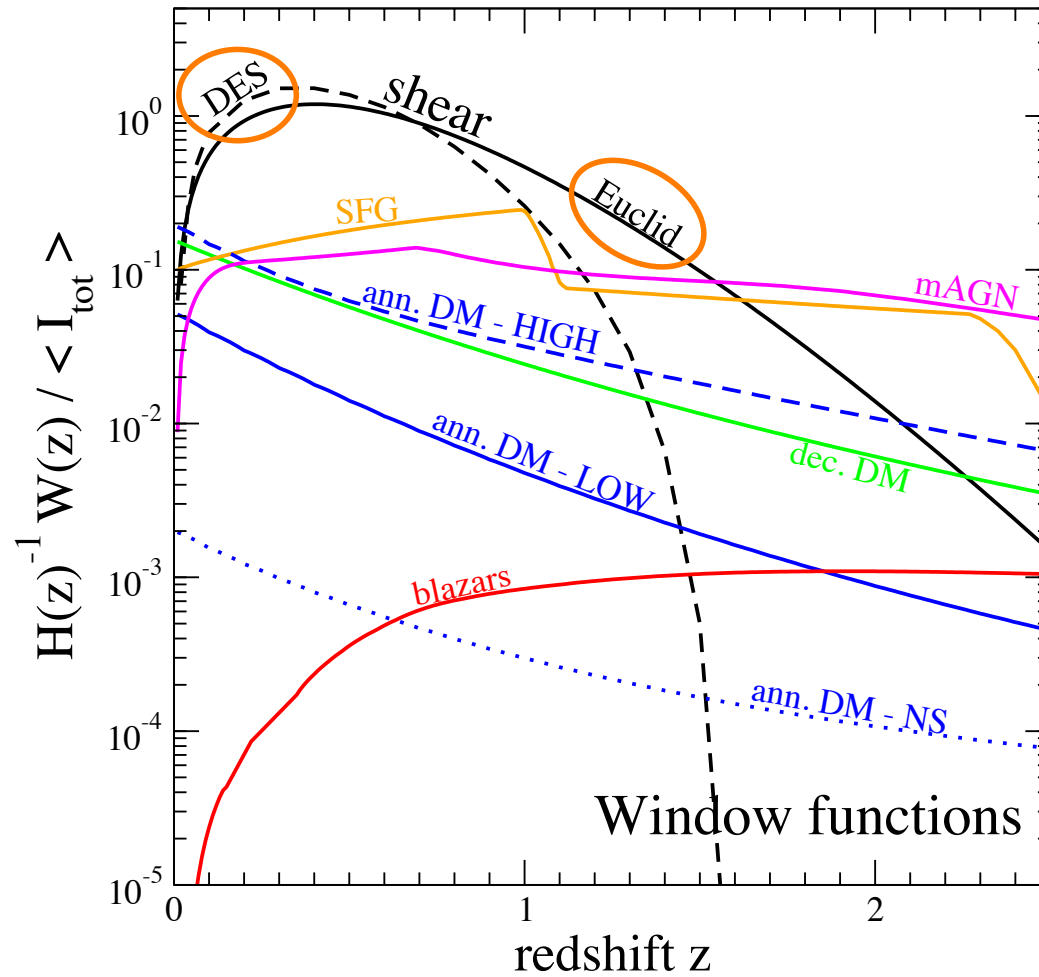
Lensing

$$W^{\kappa}(\chi) = \frac{3}{2} H_0^2 \Omega_m [1 + z(\chi)] \chi \int_{\chi}^{\infty} d\chi' \frac{\chi' - \chi}{\chi'} \frac{dN_g}{d\chi'}(\chi')$$

Redshift distribution of background galaxies

Window functions

Shear



Window functions

Gamma-rays from annihilating DM

$$W^{\gamma_a \text{DM}}(\chi) = \frac{(\Omega_{\text{DM}} \rho_c)^2}{4\pi} \frac{\langle \sigma_a v \rangle}{2m_{\text{DM}}^2} [1 + z(\chi)]^3 \Delta^2(\chi) J_a(E, \chi)$$

Clumping factor
DM photon "emissivity"

$$\Delta^2(\chi) \equiv \frac{\langle \rho_{\text{DM}}^2 \rangle}{\bar{\rho}_{\text{DM}}^2} = \int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} \int d^3 \mathbf{x} \frac{\rho_h^2(\mathbf{x}|M, \chi)}{\bar{\rho}_{\text{DM}}^2} [1 + B(M, \chi)]$$

Subhalo boost

Gamma-rays from decaying DM

$$W^{\gamma_d \text{DM}}(\chi) = \frac{\Omega_{\text{DM}} \rho_c}{4\pi} \frac{\Gamma_d}{m_{\text{DM}}} J_d(E, \chi)$$

DM photon "emissivity"

$$J_{a/d}(E, \chi) = \int_{\Delta E_\gamma} dE_\gamma \frac{dN_{a/d}}{dE_\gamma} [E_\gamma(\chi)] e^{-\tau[\chi, E_\gamma(\chi)]}$$

DM modeling

Halo mass functions	[a]
Halos profile: NFW	
Min halo-mass: $10^{-6} M_{\text{sun}}$	
Concentration $c(M)$	[b]
$c(M)$ extrapolation at low M	[c+b]
Amount of subhalos:	
LOW	[1 + 2]
HIGH	[3 + 4]
NS (no sub-halo)	

[a] Sheth, Tormen, MNRAS 308 (1999) 119

[b] Munoz-Cuartas et al, MNRAS 411 (2011) 584

[c] Bullock et al, MNRAS 321 (2001) 559

[1] Kamionkowski et al, PRD 81 (2010) 043532

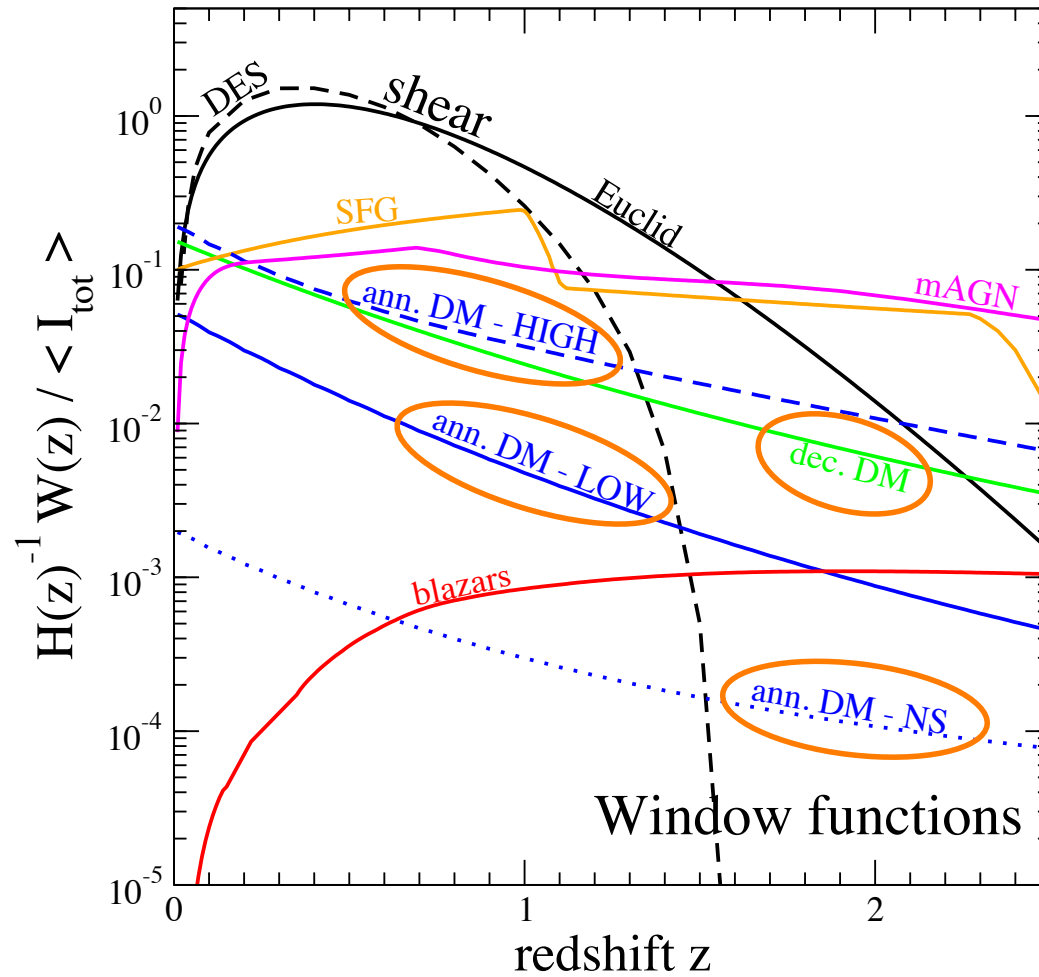
[2] Sanchez-Conde et al, JCAP 1112 (2011) 011

[3] Gao et al, MNRAS 419 (2012) 1721

[4] Ando, Komatsu, PRD87 (2013) 123539

Window functions

DM



Annihilating DM
 $m_{\text{DM}} = 100 \text{ GeV}$
 $\langle \sigma_a v \rangle = 3 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1}$

Decaying DM
 $m_{\text{DM}} = 200 \text{ GeV}$
 $\Gamma_d = 0.33 \times 10^{-27} \text{ s}^{-1}$

Window functions

Astrophysical sources

Mean luminosity by unresolved class of objects

$$W^{\gamma_i}(\chi) = \frac{A_i(\chi) \langle g_{\gamma_i}(\chi) \rangle}{4\pi E_0^2} \int_{\Delta E_\gamma} dE_\gamma \left(\frac{E_\gamma}{E_0} \right)^{-\alpha_i} e^{-\tau[\chi, E_\gamma(\chi)]}$$

$i = \text{blazars, mAGN, SFG}$

Maximal luminosity resolved with a sensitivity F_{sens}

$$\langle g_{\gamma_i}(\chi) \rangle = \int_{\mathcal{L}_{\min}}^{\mathcal{L}_{\max}(F_{\text{sens}}, z)} d\mathcal{L} \mathcal{L} \rho_{\gamma_i}(\mathcal{L}, z)$$

Gamma rays luminosity function

Astrophysical modeling

Blazars

- $\alpha_{\text{BLA}} \approx 2.2$
- GRLF from [1]
- M(L) determined from [2]

mAGN

- $\alpha_{\text{mAGN}} \approx 2.37$
- GRLF from [3]
- M(L) from BH-mass relation to radio luminosity [4] transferred to gamma luminosity [2,3]

SFG

- $\alpha_{\text{mAGN}} \approx 2.7$
- GRLF from [5] based on IR luminosity function of [6]
- M(L) from relating gamma-ray luminosity to SFR [7]

[1] Harding et al. JCAP 1211 (2012) 026

[2] Hutsi et al, arXiv:1304.3717

[3] Di Mauro et al, Ap.J. 780 (2014) 161

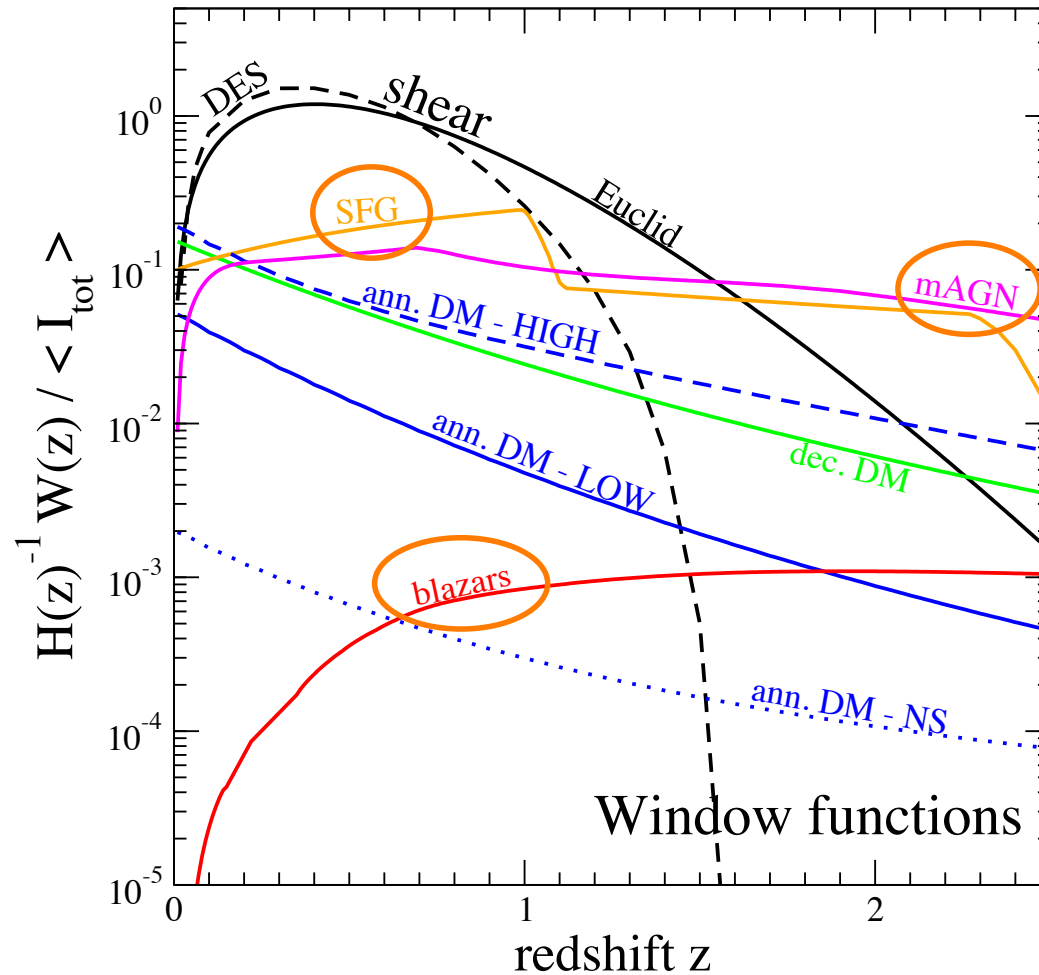
[4] Franceschini et al., astro-ph/9801129

[5] Ackermann et al (Fermi C.), Ap.J. 780 (2014) 161

[6] Rodighiero et al, A.A. 515 (2009) 20

[7] Lu et al, arXiv:1306.0650

Window functions



Annihilating DM

$$m_{\text{DM}} = 100 \text{ GeV}$$

$$\langle \sigma_a v \rangle = 3 \times 10^{-26} \text{ cm}^3 \text{ s}^{-1}$$

Decaying DM

$$m_{\text{DM}} = 200 \text{ GeV}$$

$$\Gamma_d = 0.33 \times 10^{-27} \text{ s}^{-1}$$

Correlation functions

Source Intensity

$$I_g(\vec{n}) = \int d\chi g(\chi, \vec{n}) \tilde{W}(\chi)$$

Window function
Density field of the source

Cross-correlation angular power spectrum

$$C_\ell^{(ij)} = \frac{1}{\langle I_i \rangle \langle I_j \rangle} \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij}(k = \ell/\chi, \chi)$$

3D Power spectrum (we use the halo model)

$$\langle \hat{f}_{g_i}(\chi, \mathbf{k}) \hat{f}_{g_j}^*(\chi', \mathbf{k}') \rangle = (2\pi)^3 \delta^3(\mathbf{k} - \mathbf{k}') P_{ij}(k, \chi, \chi')$$

$$f_g \equiv [g(\mathbf{x}|m, z)/\bar{g}(z) - 1]$$

\hat{f}_g : Fourier transform

1-halo term $P_{ij}^{1h}(k) = \int dm \frac{dn}{dm} \hat{f}_i^*(k|m) \hat{f}_j(k|m)$

2-halo term $P_{ij}^{2h}(k) = \left[\int dm_1 \frac{dn}{dm_1} b_i(m_1) \hat{f}_i^*(k|m_1) \right] \left[\int dm_2 \frac{dn}{dm_2} b_j(m_2) \hat{f}_j(k|m_2) \right] P^{\text{lin}}(k)$

Linear bias Linear matter PS

3D Power spectrum

DM gravitational tracer:	δ	feels the density
Decaying-DM signal:	δ	feels the density
Annihilating-DM signal:	δ^2	feels the density squared
Astrophysical sources:	S	$g_S(\mathcal{L}, \mathbf{x} - \mathbf{x}') = \mathcal{L} \delta^3(\mathbf{x} - \mathbf{x}')$

Cross correlations power spectrum:

Decaying DM + Gravitational tracer	$P^{\delta\delta}$
Annihilating DM + Gravitational tracer	$P^{\delta\delta^2}$
Astrophysical sources + Gravitational tracer	$P^{S\delta}$

3D Power spectra

Decaying DM

$$P_{1h}^{\delta\delta}(k, z) = \int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} \tilde{v}^2(k|M)$$

$$P_{2h}^{\delta\delta}(k, z) = \left[\int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} b_h(M) \tilde{v}(k|M) \right]^2 P_{\text{lin}}(k, z)$$

Annihilating DM

$$P_{1h}^{\delta\delta^2}(k, z) = \int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} \tilde{v}(k|M) \frac{\tilde{u}(k|M)}{\Delta^2}$$

$$P_{2h}^{\delta\delta^2}(k, z) = \left[\int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} b_h(M) \tilde{v}(k|M) \right] \left[\int_{M_{\min}}^{M_{\max}} dM \frac{dn}{dM} b_h(M) \frac{\tilde{u}(k|M)}{\Delta^2} \right] P_{\text{lin}}(k, z)$$

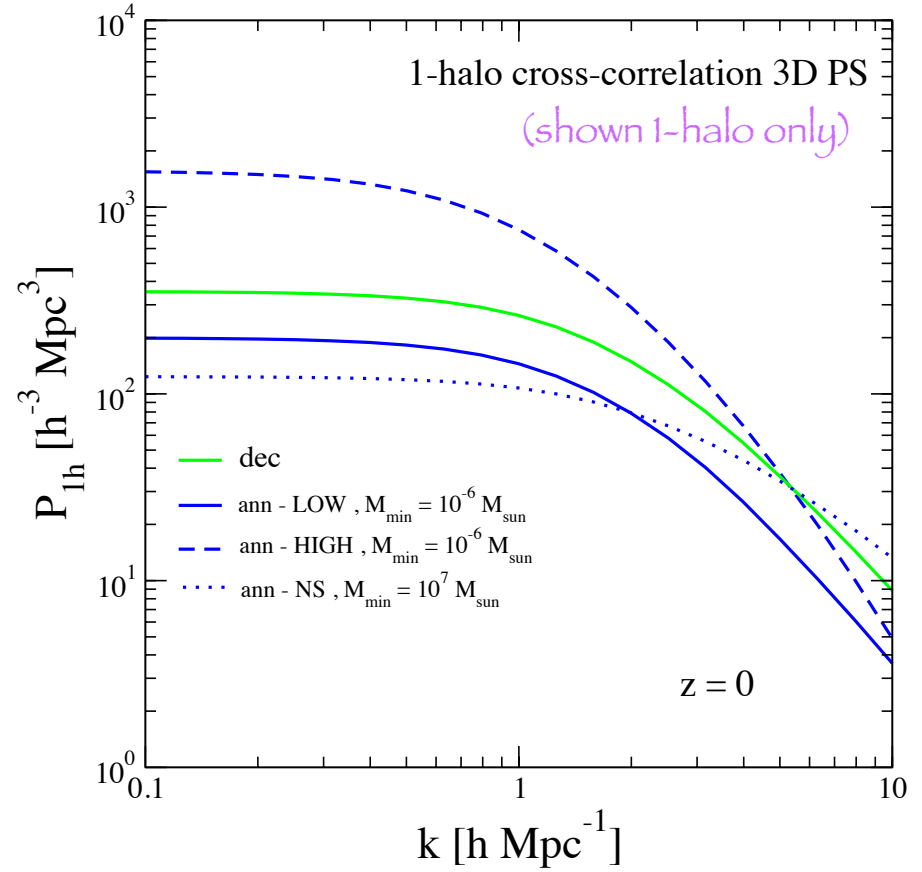
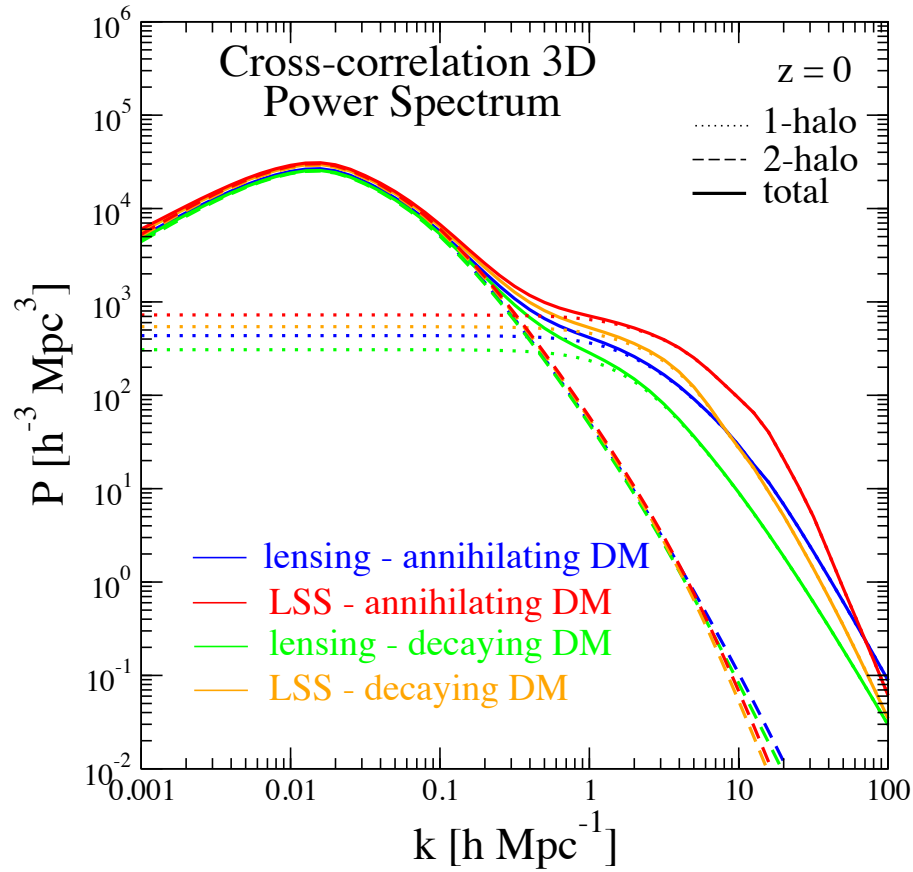
dn/dM Halo mass function

$\tilde{v}(k|M)$ Fourier transform of $\rho_{\text{DM}}(\mathbf{x}|M)/\bar{\rho}_{\text{DM}}$

$\tilde{u}(k|M)$ Fourier transform of $\rho_{\text{DM}}^2(\mathbf{x}|M)[1 + b(M, z)]/\bar{\rho}_{\text{DM}}^2$

$b_h(M)$ Bias between halo and matter

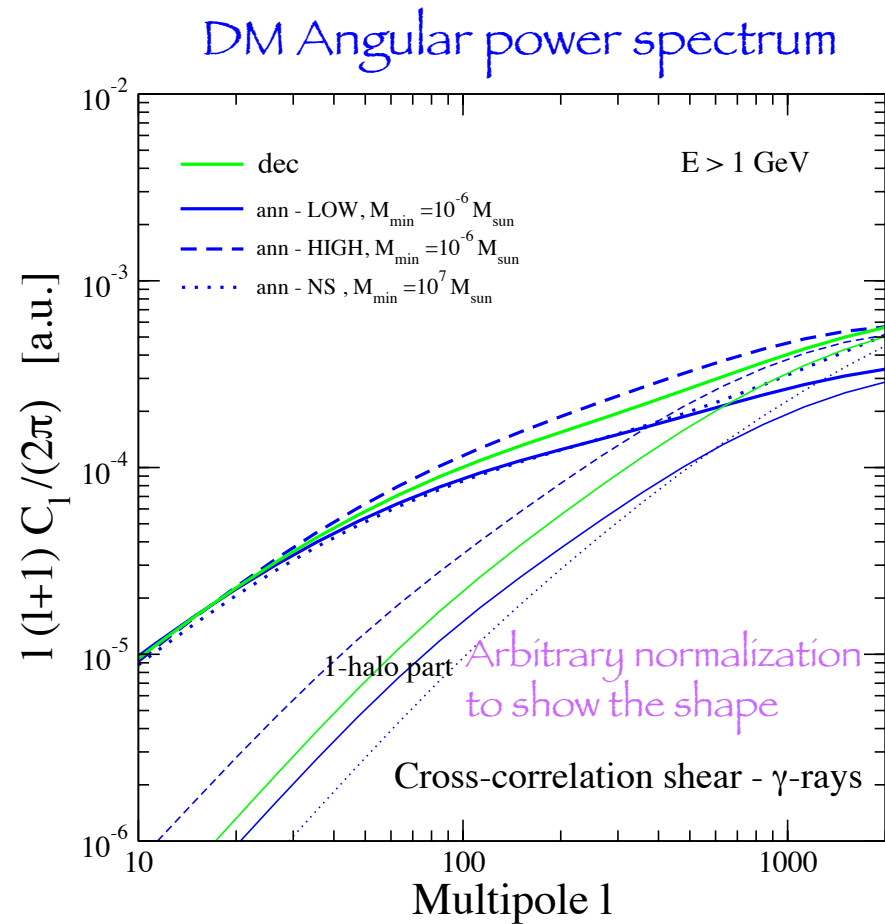
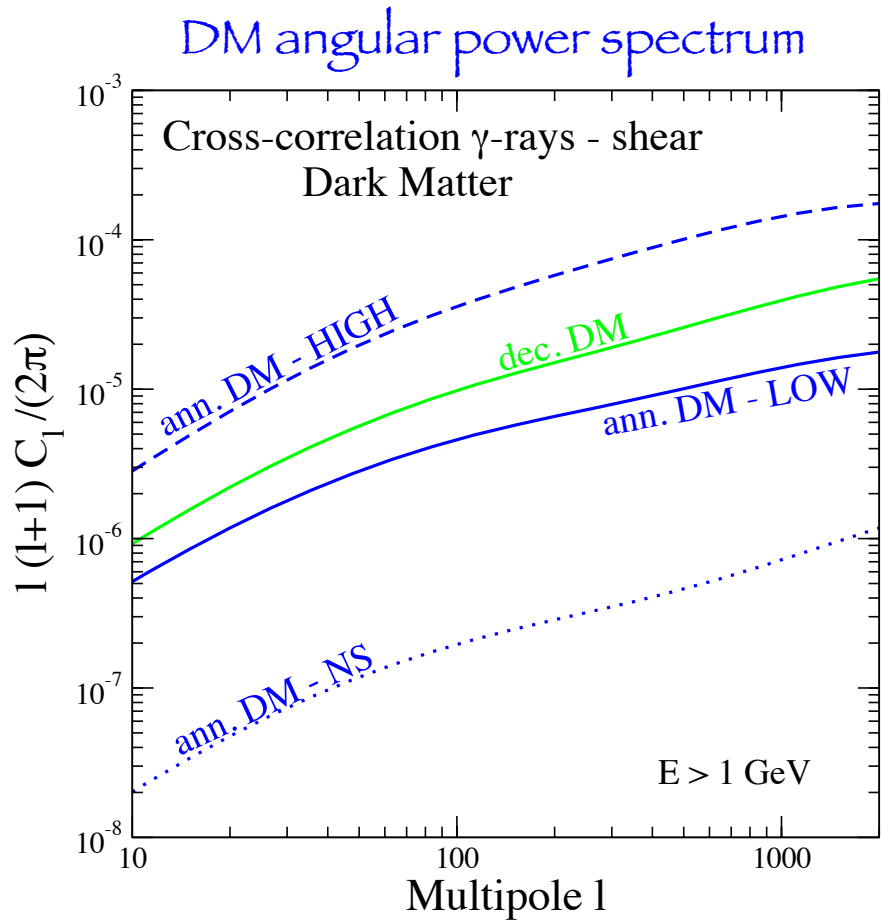
3D Power spectra: dark matter



Angular power spectrum

$$C_{\ell}^{(ij)} = \frac{1}{\langle I_i \rangle \langle I_j \rangle} \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij}(k = \ell/\chi, \chi)$$

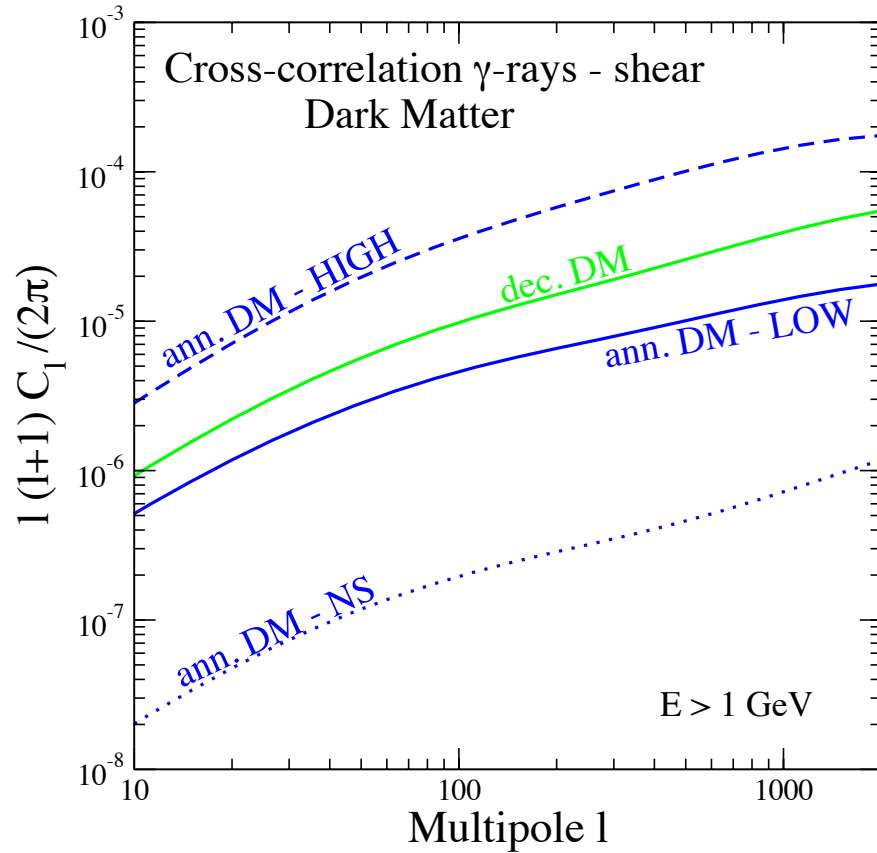
Angular power spectra



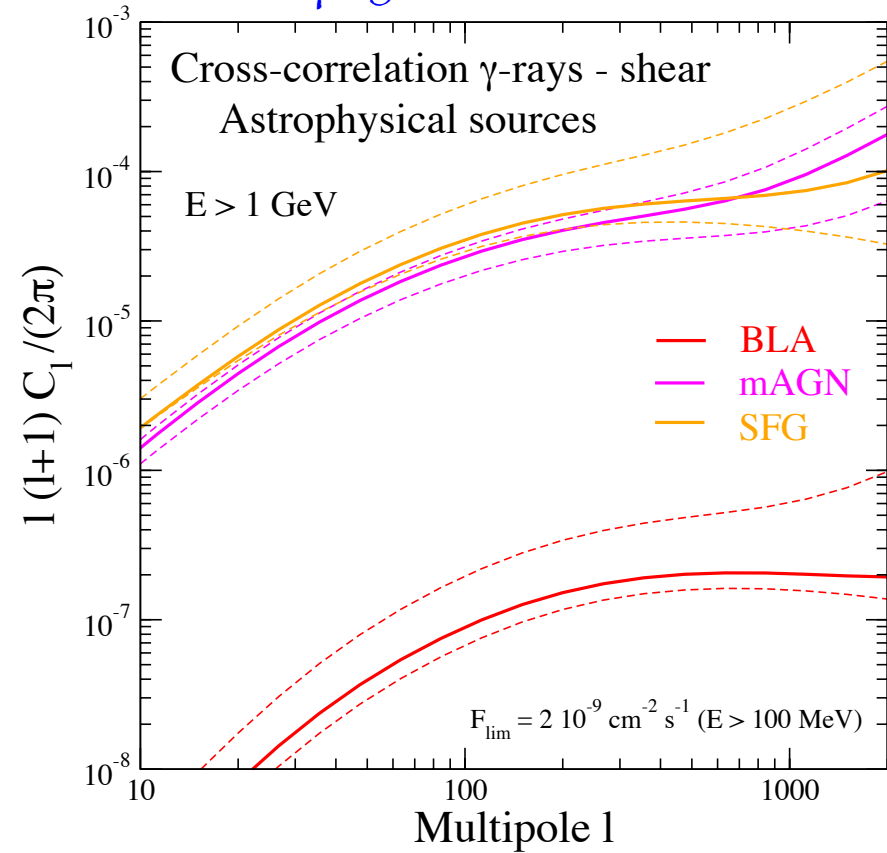
$$C_l^{(i,j)} \leftarrow W_i(\chi) W_j(z) P_{ij}(k = l/\chi, \chi)$$

Angular power spectra

Dark Matter APS



Astrophysical sources APS



Detectors

- Gamma-rays

Fermi-LAT

space based

$0.3 < E < 300 \text{ GeV}$

sensitivity: $10^{-9} \text{ cm}^{-2} \text{ s}^{-1}$

angular resolution: 0.1 deg at high-energy

full sky survey

until at least 2018

DAMPE, Gamma400, HERD

CTA

ground based

“10 GeV” $< E <$ “10 TeV”

few square degrees, but allows to explore higher multipoles

- Cosmic-shear

DES

$0.3 < z < 1.5$

13.3 gal / arcmin²

5000 squared degrees

3 redshift bins

2012-2017

Euclid

$0 < z < 2.5$

30 gal / arcmin²

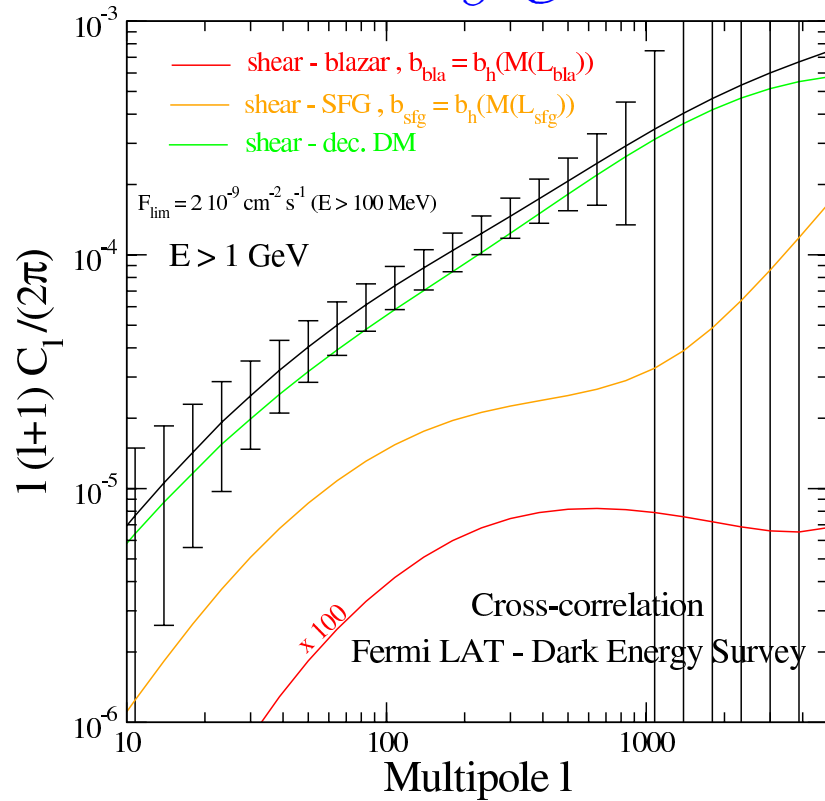
20000 squared degrees

10 redshift bins

2020-2026

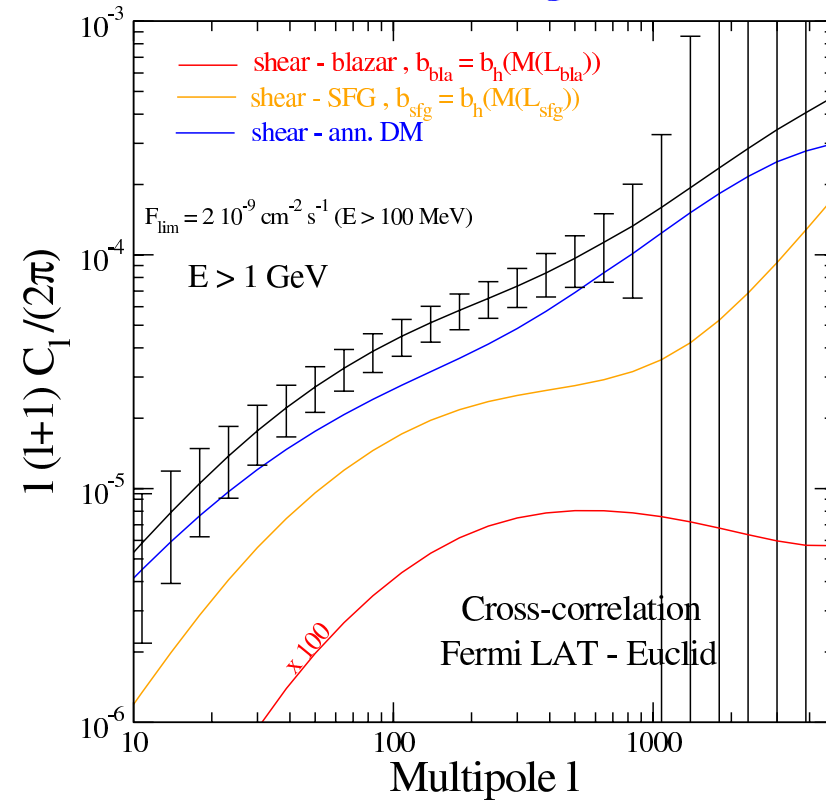
Cross-correlation predictions

Decaying DM



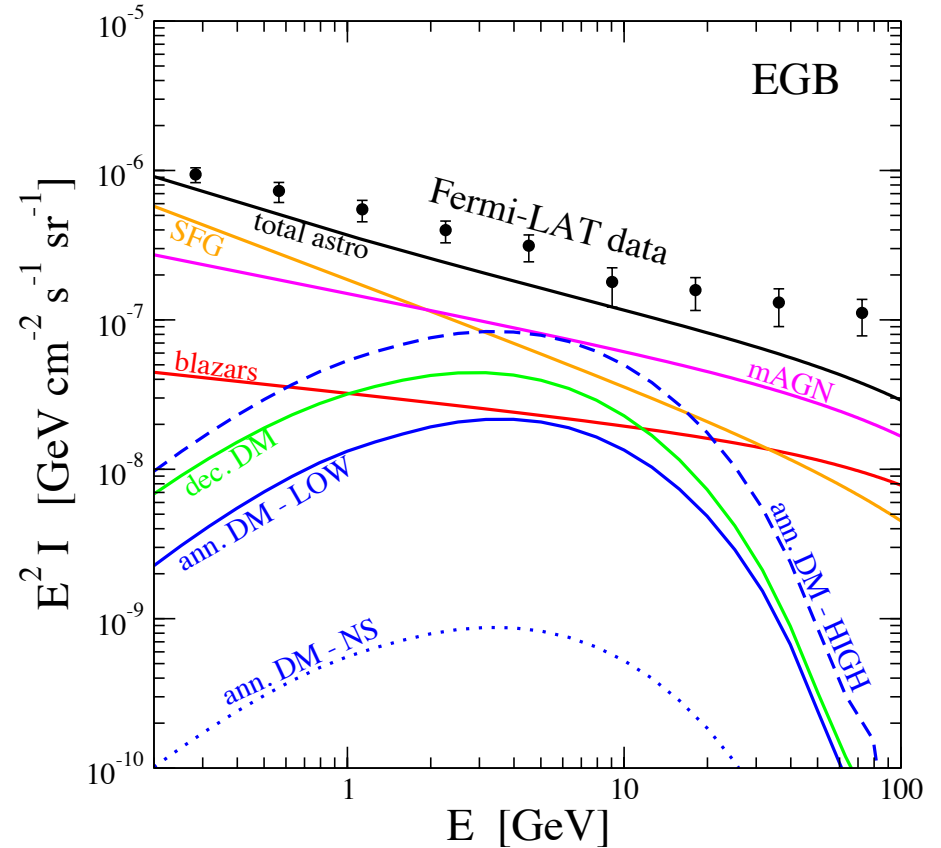
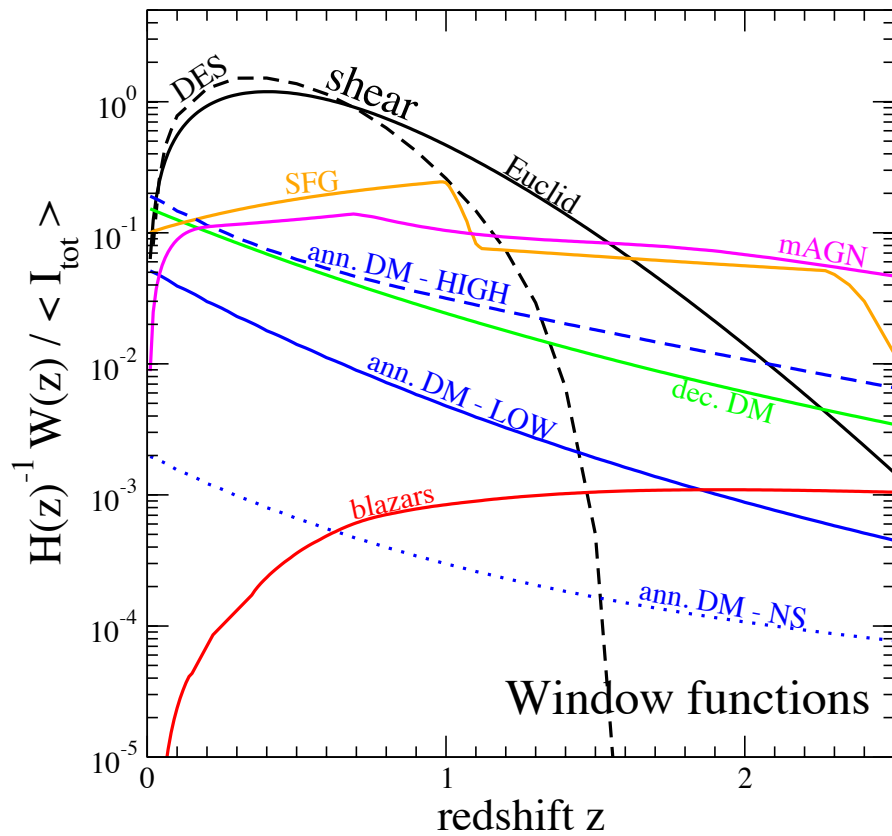
Fermi-LAT/5-yr with DES

Annihilating DM



Fermi-LAT/5-yr with Euclid

Tomographic-Spectral approach



Redshift information in shear: can help in “filtering” signal sources

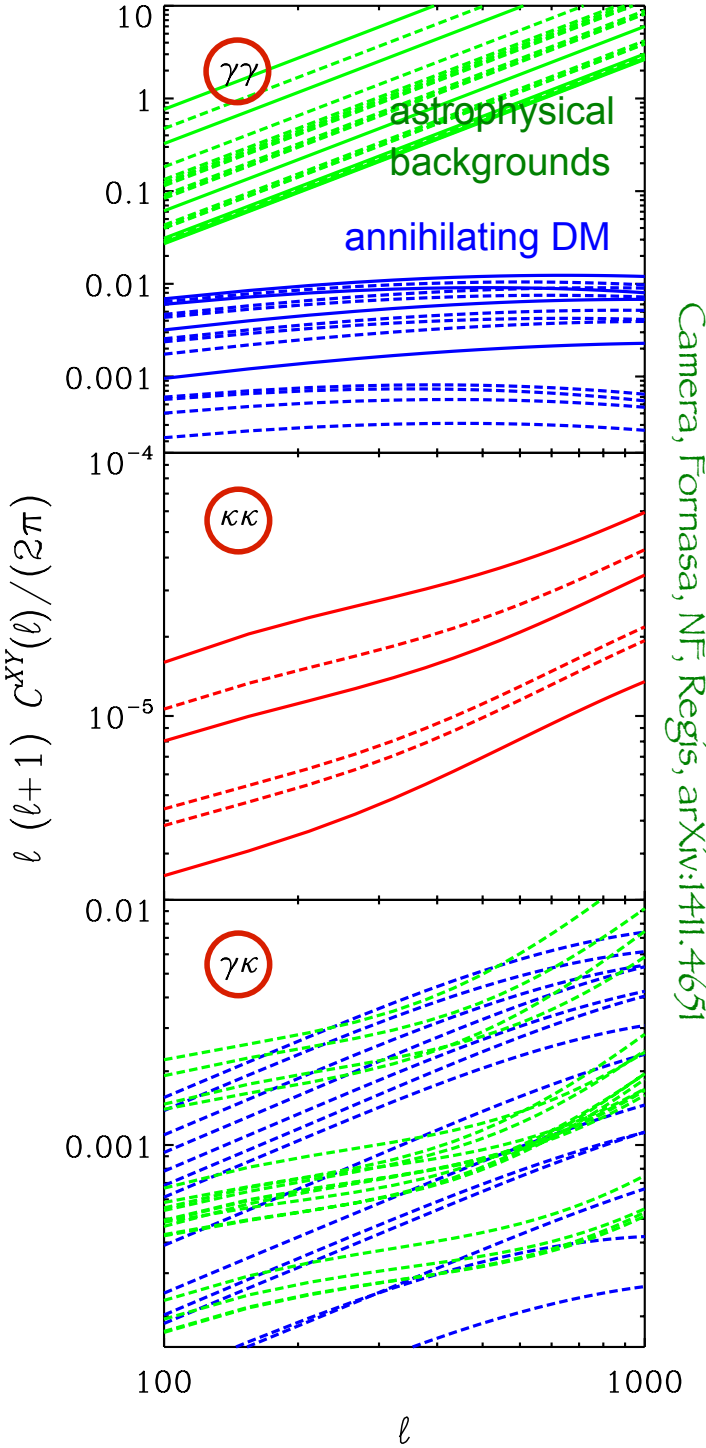
Energy spectrum of gamma-rays: can help in DM-mass reconstruction

Cross-correlation matrix

$$C_l^{\gamma\kappa} = C_l^{\gamma\text{DM}\kappa} + C_l^{\gamma\text{BLA}\kappa} + C_l^{\gamma\text{mAGN}\kappa} + C_l^{\gamma\text{SFG}\kappa}$$

$$C_l^{\gamma\kappa} = \begin{pmatrix} C_l^{\gamma_1\kappa_1} & \dots & C_l^{\gamma_1\kappa_{N_z}} \\ \vdots & \ddots & \vdots \\ C_l^{\gamma_{N_E}\kappa_1} & \dots & C_l^{\gamma_{N_E}\kappa_{N_z}} \end{pmatrix}$$

energy bin
redshift bin



Bayesian forecasts

Likelihood function

$$L(\vartheta)$$

Parameters

$$\vartheta = \{m_{\text{DM}}, \langle \sigma_a v \rangle, \mathcal{A}_{\text{BLA}}, \mathcal{A}_{\text{SFG}}, \mathcal{A}_{\text{mAGN}}\}$$

Covariance matrix

$$[\Gamma_{\ell\ell'}^{\gamma\kappa}]^{ai,bj} = \frac{\widehat{C}_\ell^{\gamma_a\kappa_j} \widehat{C}_\ell^{\gamma_b\kappa_i} + \widehat{C}_\ell^{\gamma_a\gamma_b} \widehat{C}_\ell^{\kappa_i\kappa_j}}{(2\ell + 1)\Delta\ell f_{\text{sky}}} \delta_K^{\ell\ell'}$$

Observables

$$\widehat{C}_\ell^{XY} = \underbrace{\mathbf{C}_\ell^{XY}}_{\text{Signal}} + \underbrace{\mathcal{N}_\ell^{XY}}_{\text{Noise}}$$

$$\mathcal{N}_\ell^{\gamma_a\gamma_b} = \delta_K^{ab} \frac{4\pi f_{\text{sky}}}{\bar{N}_{\gamma_a}} \mathcal{W}_\ell^{-2}$$

$$\mathcal{N}_\ell^{\kappa_i\kappa_j} = \delta_K^{ij} \frac{\sigma_\epsilon^2}{\bar{N}_{g_i}}$$

$$\mathcal{N}_\ell^{\gamma\kappa} = 0$$

Fisher matrix

$$\mathbf{F}_{\alpha\beta} = \sum_{\ell,\ell'=\ell_{\min}}^{\ell_{\max}} \frac{\partial \mathbf{C}_\ell^{\gamma\kappa}}{\partial \vartheta_\alpha} [\Gamma_{\ell\ell'}^{\gamma\kappa}]^{-1} \frac{\partial \mathbf{C}_{\ell'}^{\gamma\kappa}}{\partial \vartheta_\beta}$$

1-sigma marginal error

$$\sigma(\vartheta_\alpha) = \sqrt{(\mathbf{F}^{-1})_{\alpha\alpha}}$$

Bayesian Forecasts

- Bounds in the $(m_{\text{DM}}, \langle\sigma v\rangle)$ plane in case the DM contribution is strongly suppressed
- Discovery potential (5σ) in the $(m_{\text{DM}}, \langle\sigma v\rangle)$ plane
- Strength in parameter reconstruction (on specific benchmark models)
- In all cases, the astrophysical components in the gamma emission (AGN, Blazars, SFG) are allowed to vary and are marginalized over

$$\mathcal{A}_{\text{AGN}} : (0.2 - 2)$$

$$\mathcal{A}_{\text{SFG}} : (0.1 - 10)$$

$$\mathcal{A}_{\text{BLA}} : (0.05 - 50)$$

Detectors and configurations

Parameter	Description	DES	Euclid
f_{sky}	Surveyed sky fraction	0.12	0.36
\bar{N}_g [arcmin ⁻²]	Galaxy density	13.3	30
$z_{\text{min}} - z_{\text{max}}$	Redshift range	0.3 – 1.5	0 – 2.5
N_z	Number of bins	3	10
Δ_z	Bin width	0.4	0.25
$\sigma_z/(1+z)$	Redshift uncertainty	–	0.03
σ_ϵ	Intrinsic ellipticity	0.3	0.3

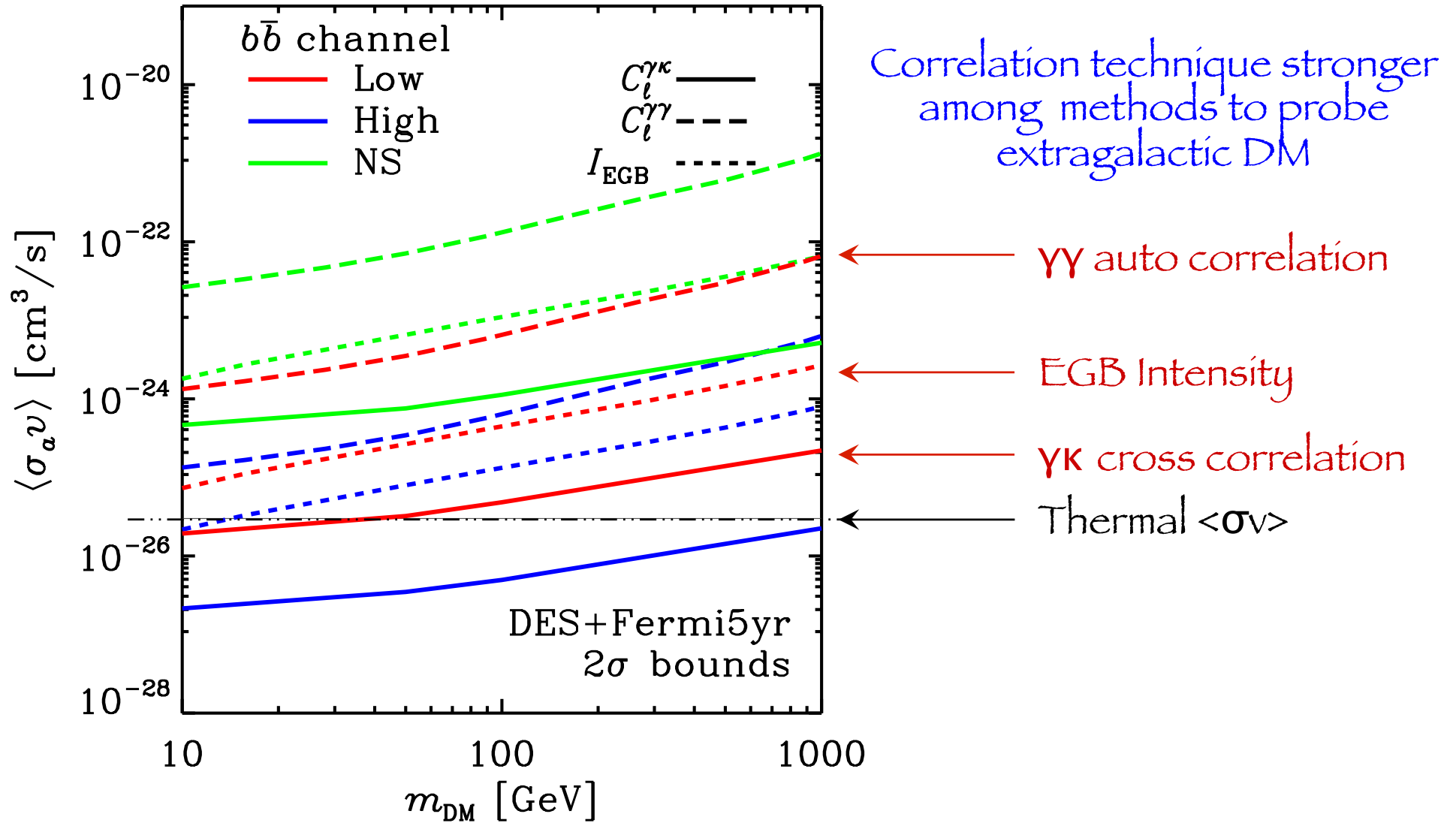
Parameter	Description	Fermi-5yr	Fermi-10yr	“Fermissimo”
f_{sky}	Surveyed sky fraction	1	1	1
$E_{\text{min}} - E_{\text{max}}$ [GeV]	Energy range	1 – 300	1 – 300	0.3 – 1000
N_E	Number of bins	6	6	8
ϵ [cm ² s]	Exposure	1.6×10^{12}	3.2×10^{12}	4.2×10^{12}
$\langle \sigma_b \rangle$ [deg]	Average beam size	0.18	0.18	0.027

DES + Fermi 5 yr (expected to be available this year)

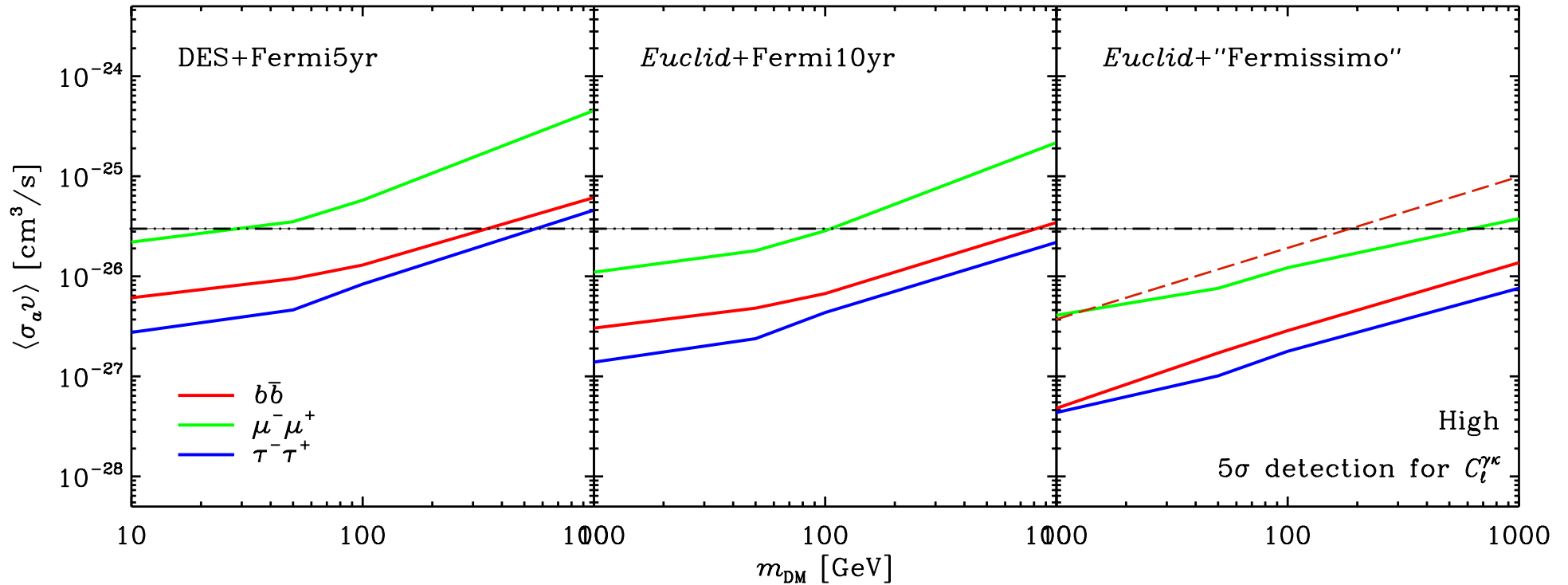
Euclid + Fermi 10 yr

Euclid + “Fermissimo”

Forecasts: 2σ bounds



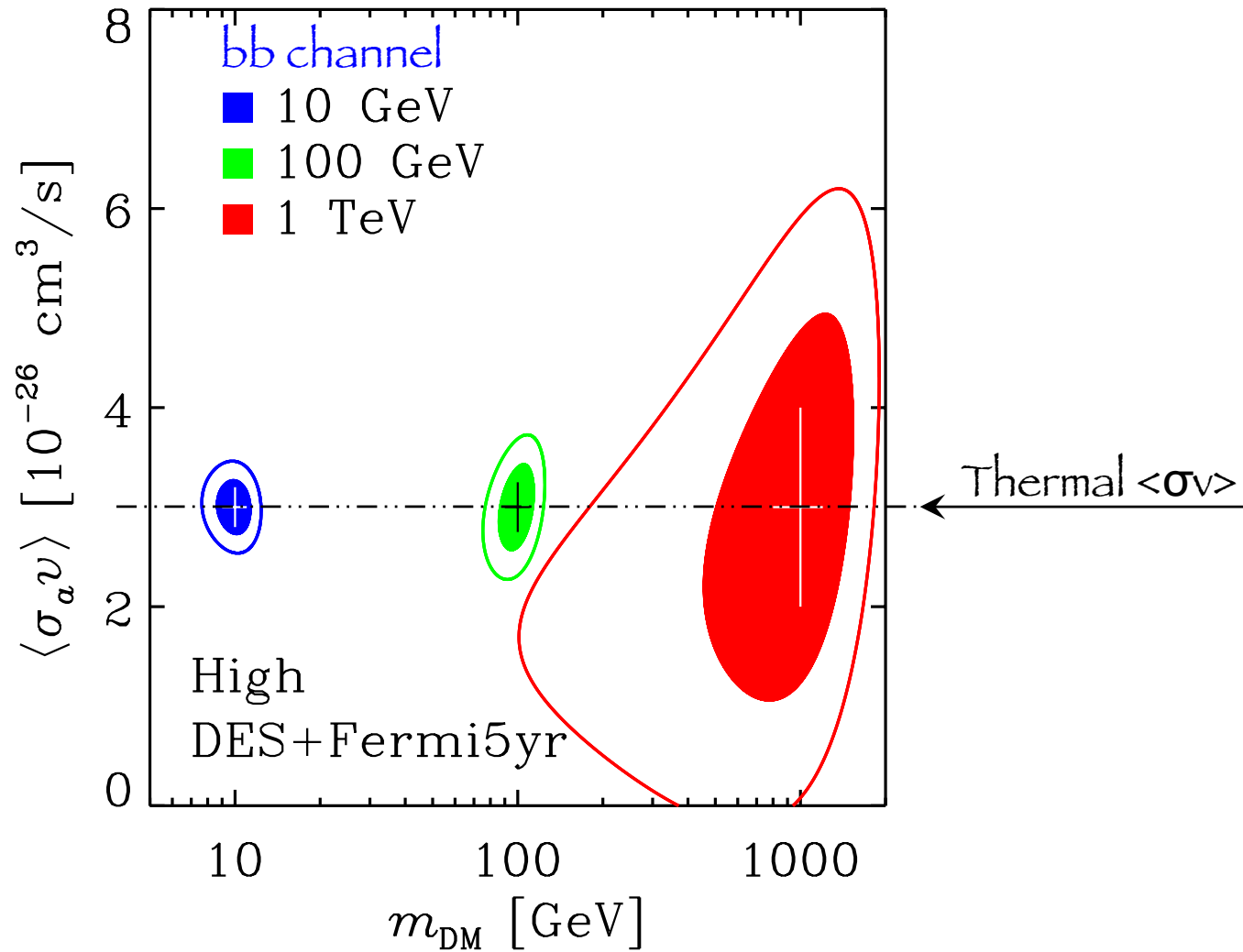
Forecasts: 5σ discovery potential



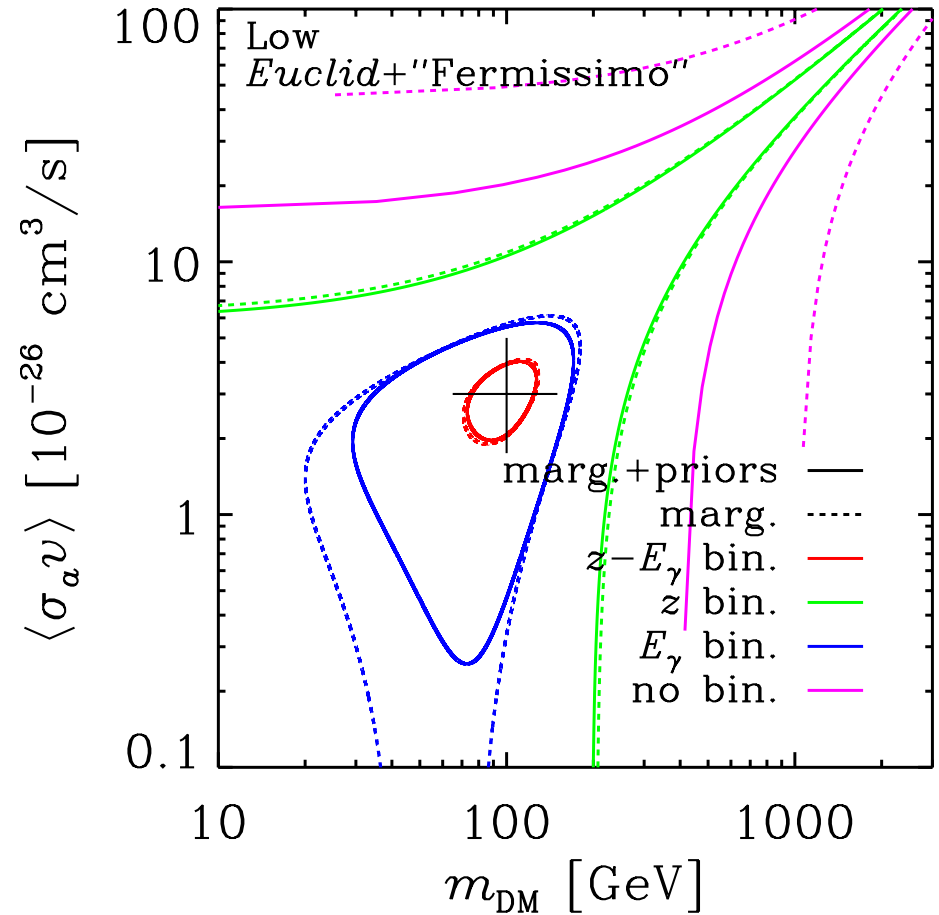
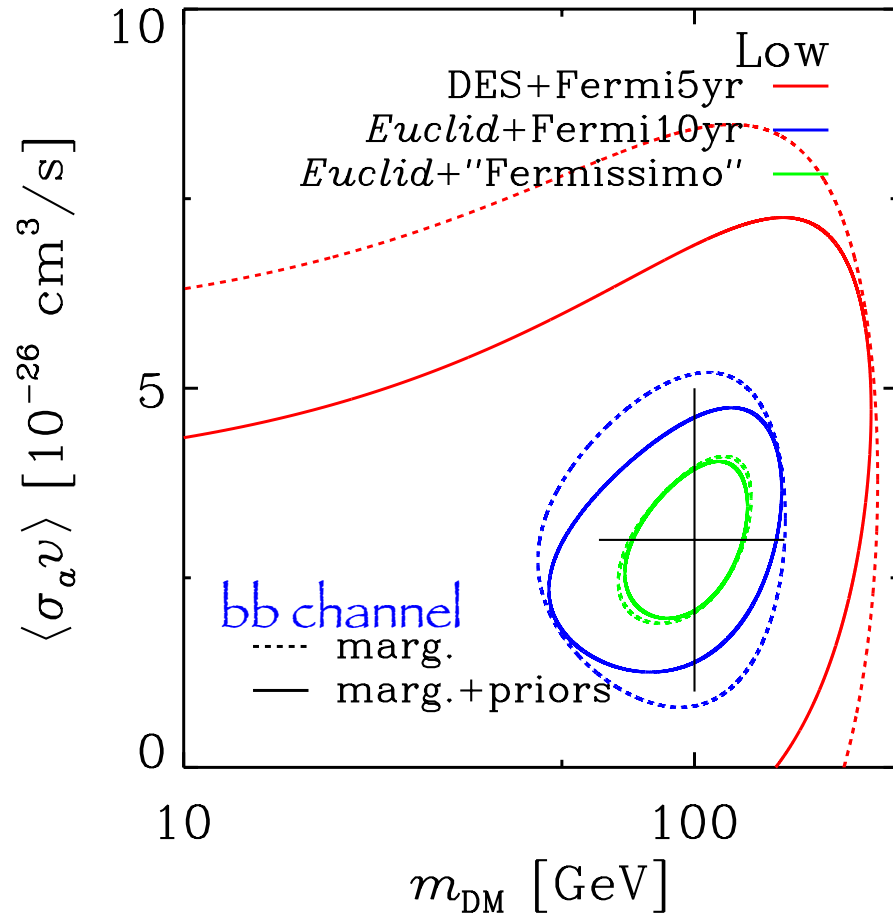
LOW clustering model: one order of magnitude less

Contributions from astrophysical components (AGN, Blazars, SFG) are modeled and marginalized over

Forecasts on parameter reconstruction



Forecasts on parameters reconstruction



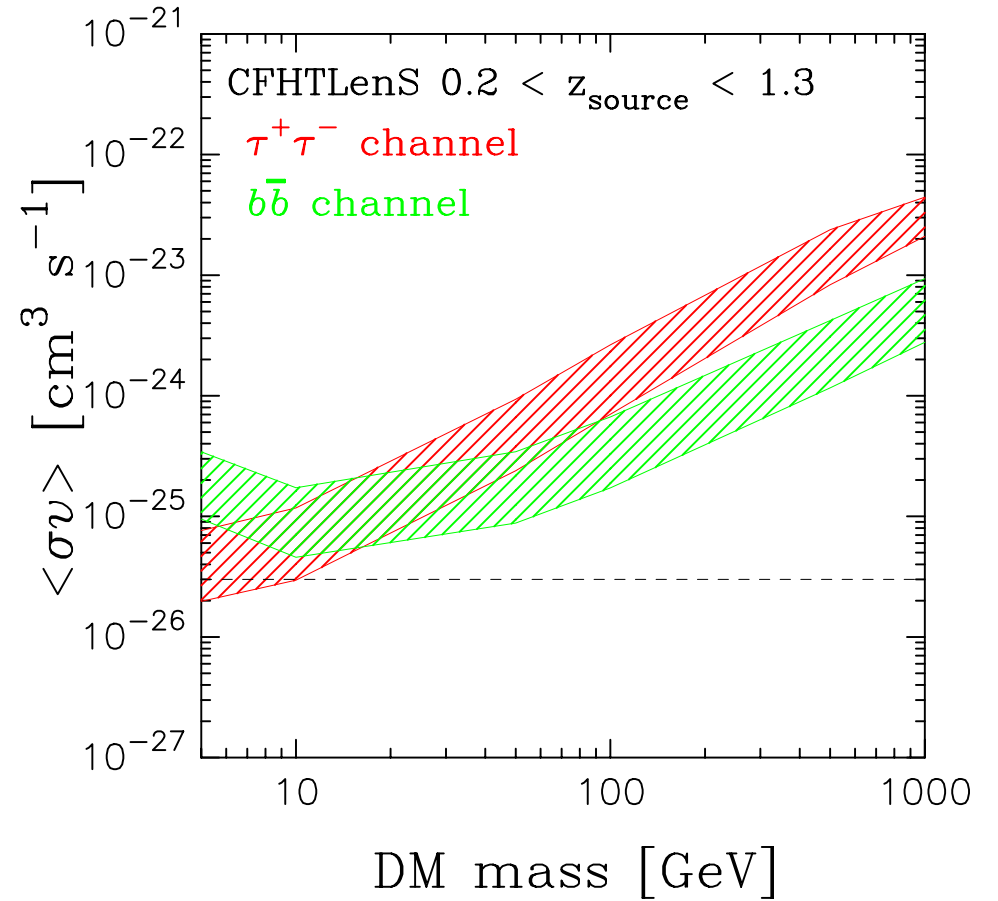
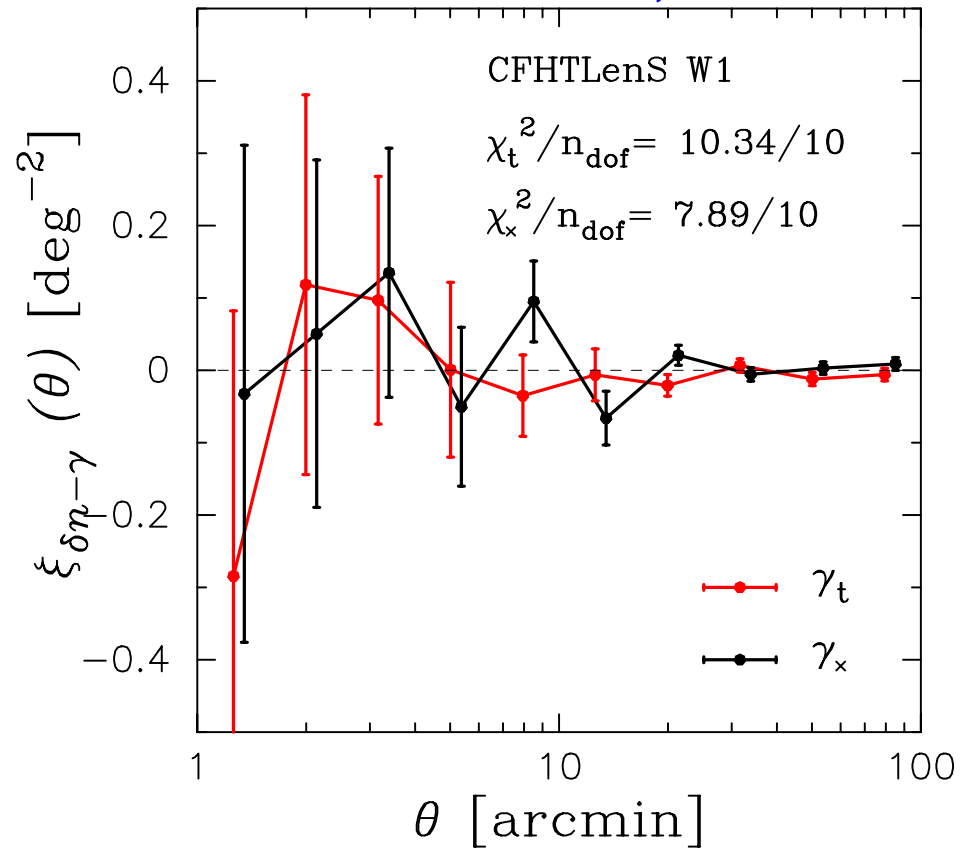
$m_{\text{DM}} [\text{GeV}]$	$\langle \sigma_a v \rangle [10^{-26} \text{ cm}^3 \text{ s}^{-1}]$	$m_{\text{DM}} [\text{GeV}]$	$\Gamma_d [10^{-27} \text{ s}^{-1}]$
10 ± 0.53	3 ± 0.20	20 ± 4.9	0.33 ± 0.062
100 ± 18	3 ± 0.68	200 ± 19	0.33 ± 0.039
1000 ± 951	3 ± 3.7	2000 ± 119	0.33 ± 0.020

Comments

- The cross-correlation between gamma-rays + cosmic-shear looks promising
- **Fermi** has already accumulated 6+ yr of data
- **DES** will likely release its first data this or next year
- For the future:
 - **Fermi** will double its statistics
 - **Successors** of Fermi are under discussion/preparation
 - **Euclid** will largely improve over DES

Attempt on data with a small survey

Patch W1: 72 sq. deg



CFHTLenS + Fermi/5yr

CROSS CORRELATIONS EXTENSION OF THE APPROACH



Extension of the cross-correlation approach

- Gravitational tracers:

- Weak lensing surveys (cosmic shear) G_i traces the whole DM
- CMB lensing
- LSS surveys traces light \rightarrow bias

- Electromagnetic signals:

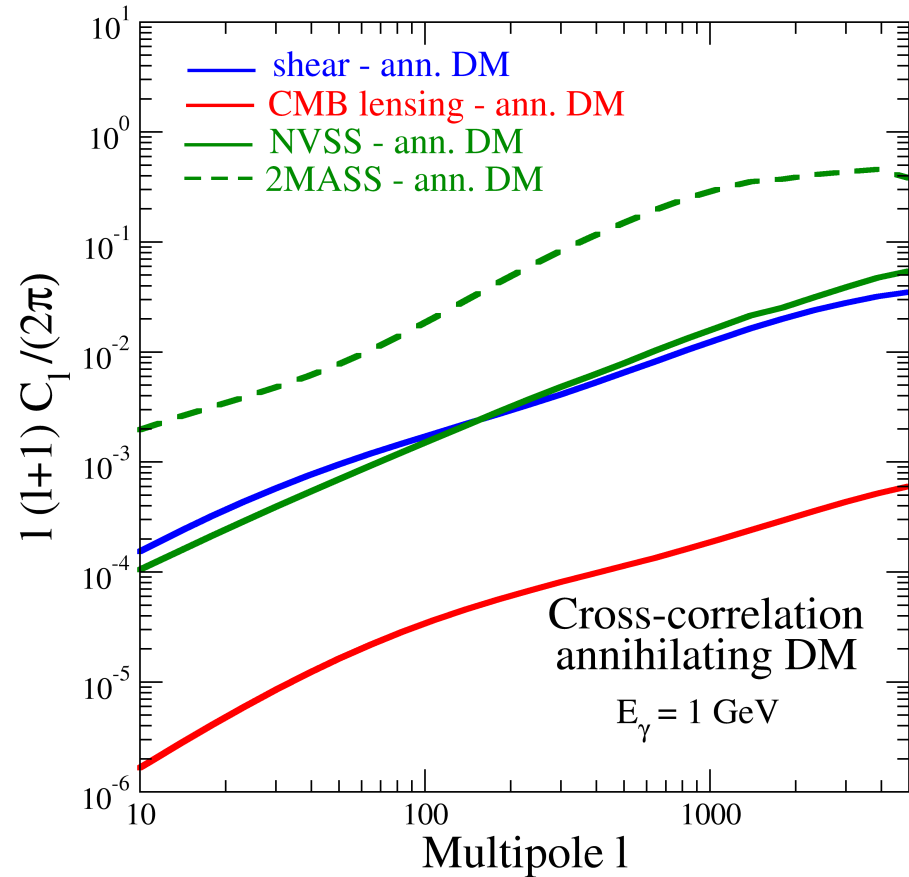
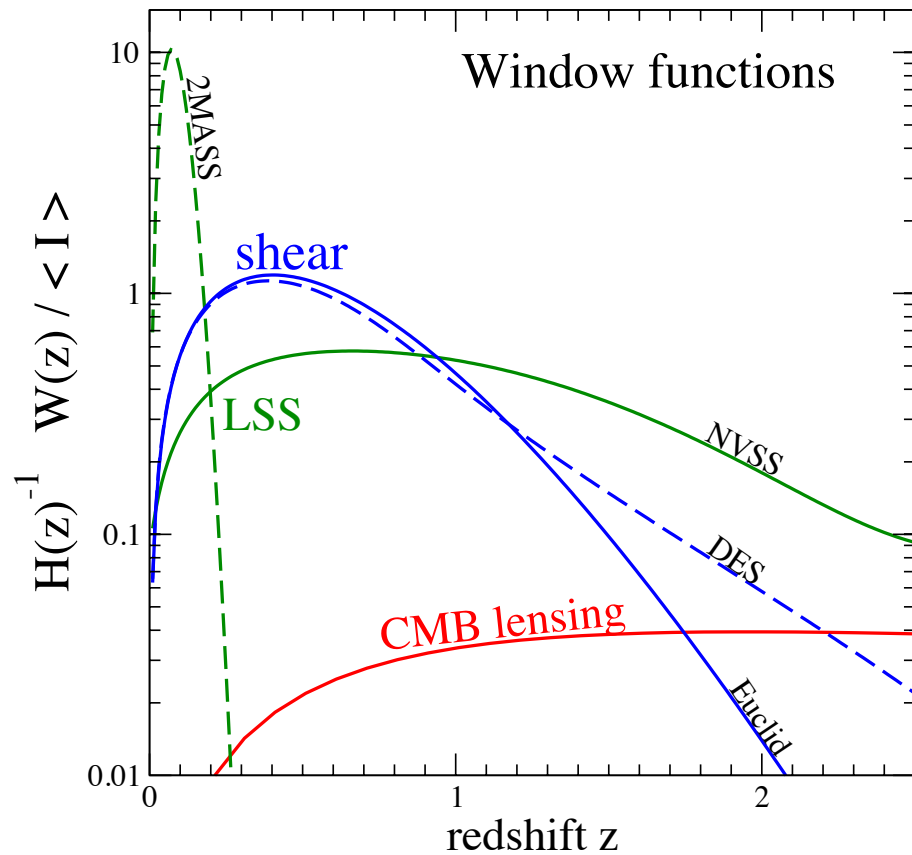
- Radio
- X
- Gamma

E_a

$$\langle G_i \times E_b \rangle$$

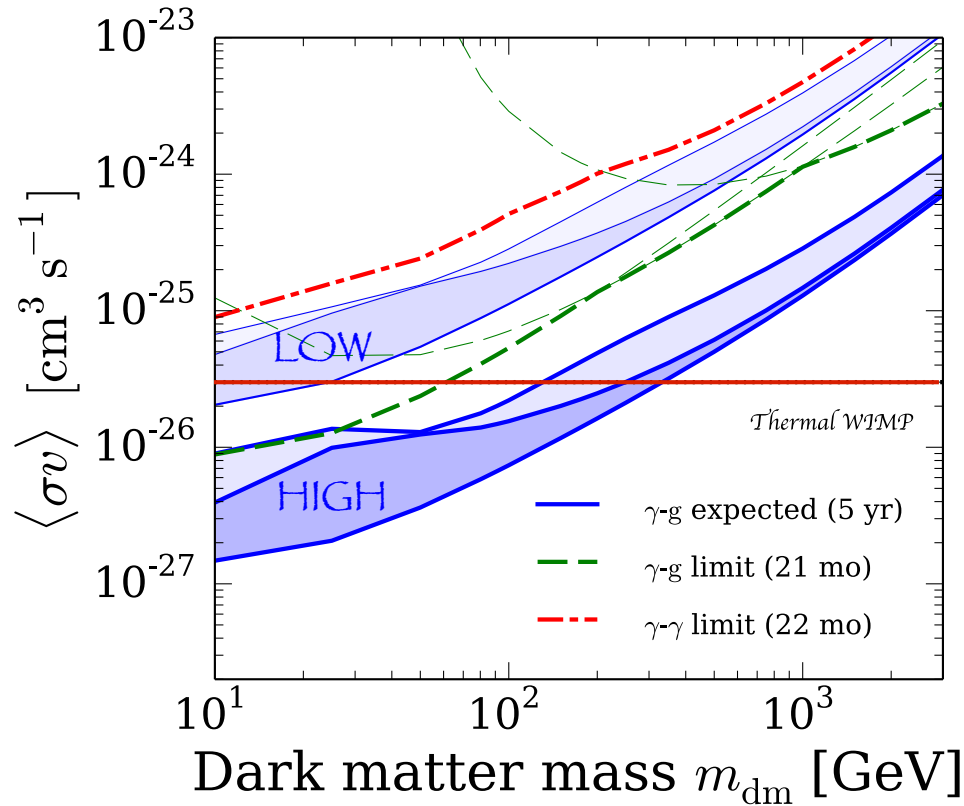
$$\langle E_a \times E_b \rangle$$

Additional cross correlations channels

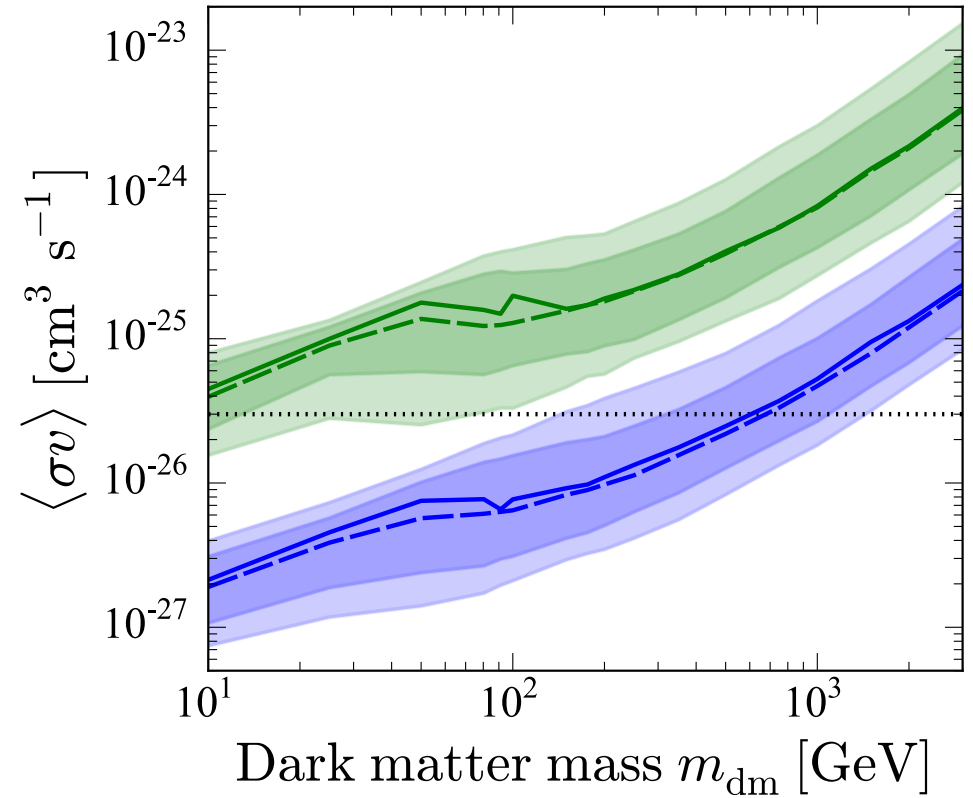


Multiwavelength signals with
LSS tracers and gravitational probes

Fermi + 2MASS



Bounds based on non-observation
of correlation in [*]

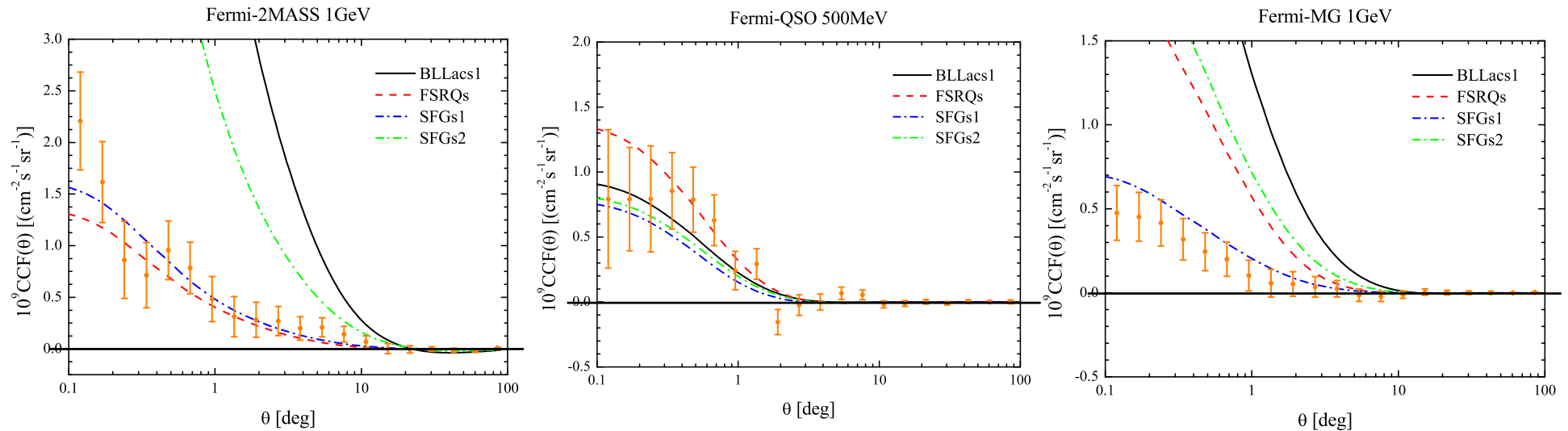


Forecasts
includes tomography

Ando, Benoit-Levy, Komatsu, PRD 90 (2014) 023514
 [*] Xia, Cuoco, Branchini, Fornasa, Viel, MNRAS 416 (2011) 2247

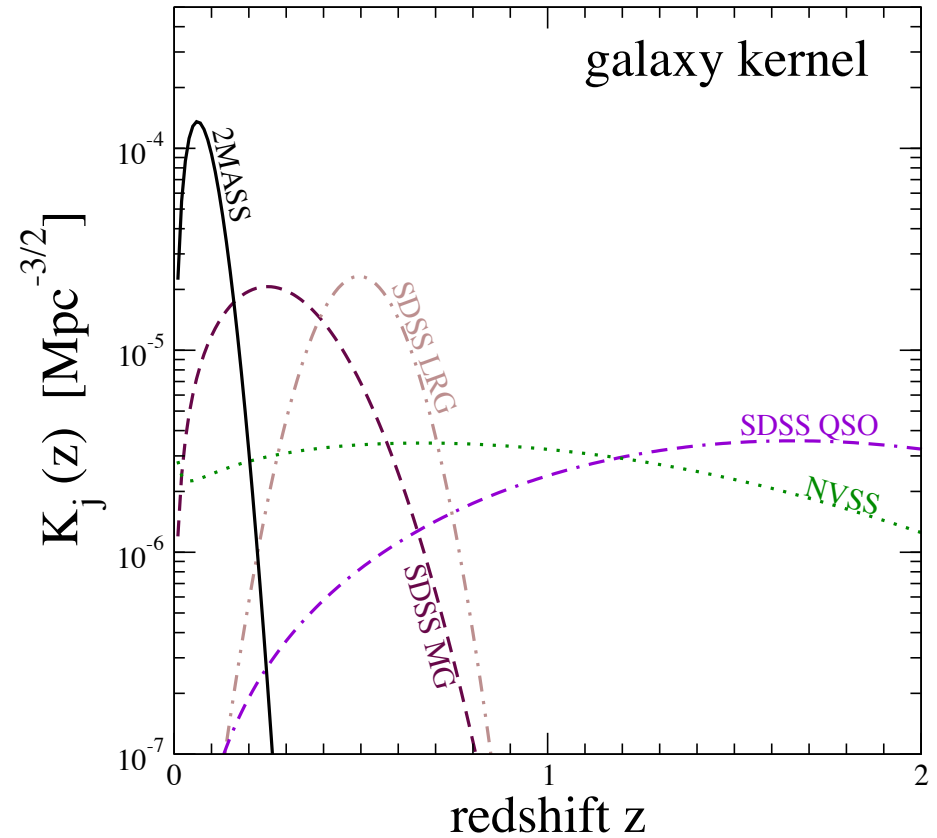
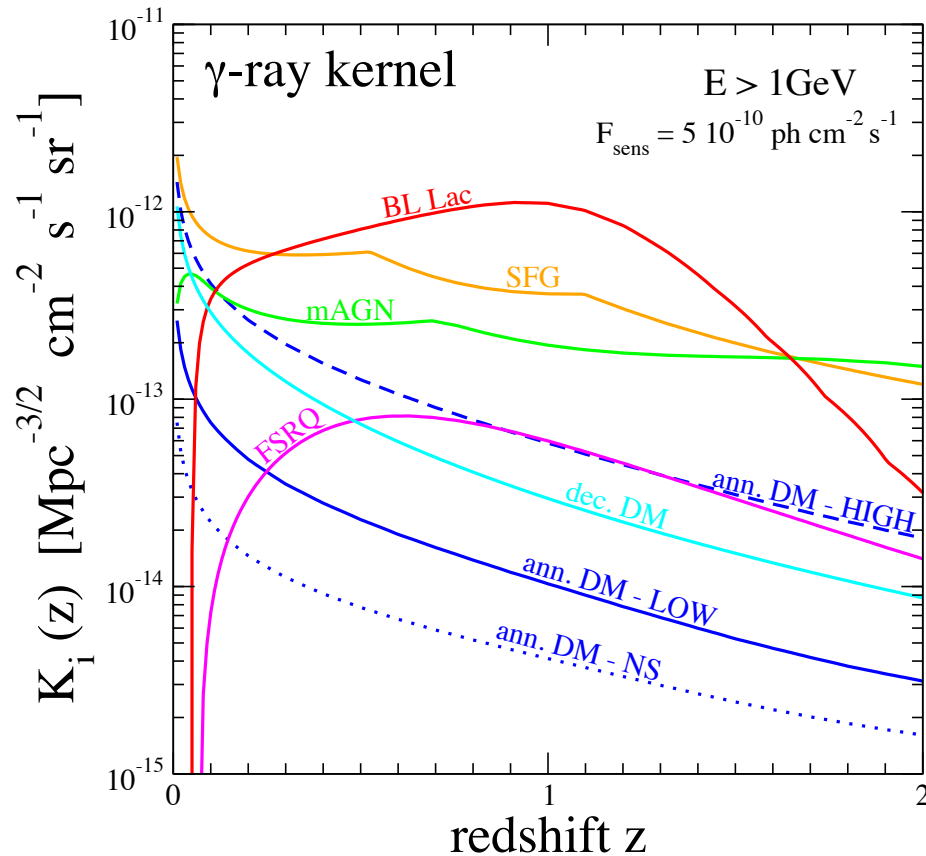
Ando, JCAP 1410 (2014) 061

Fermi/gamma + LSS: correlation now observed



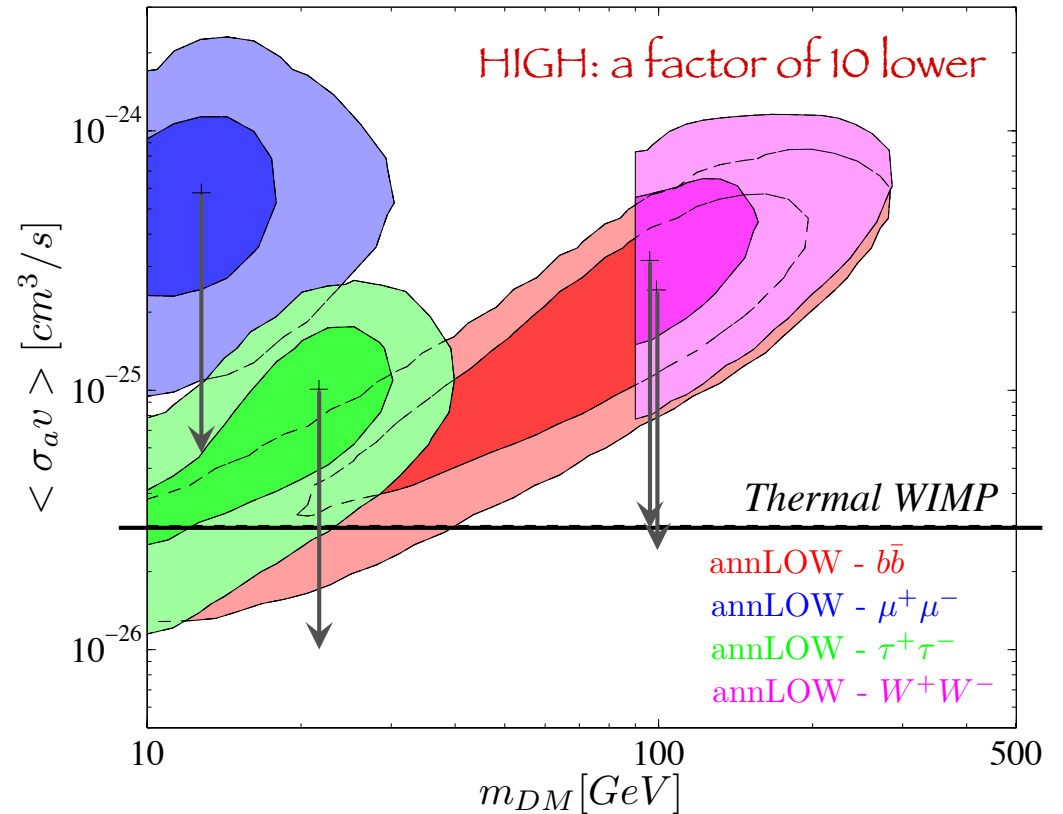
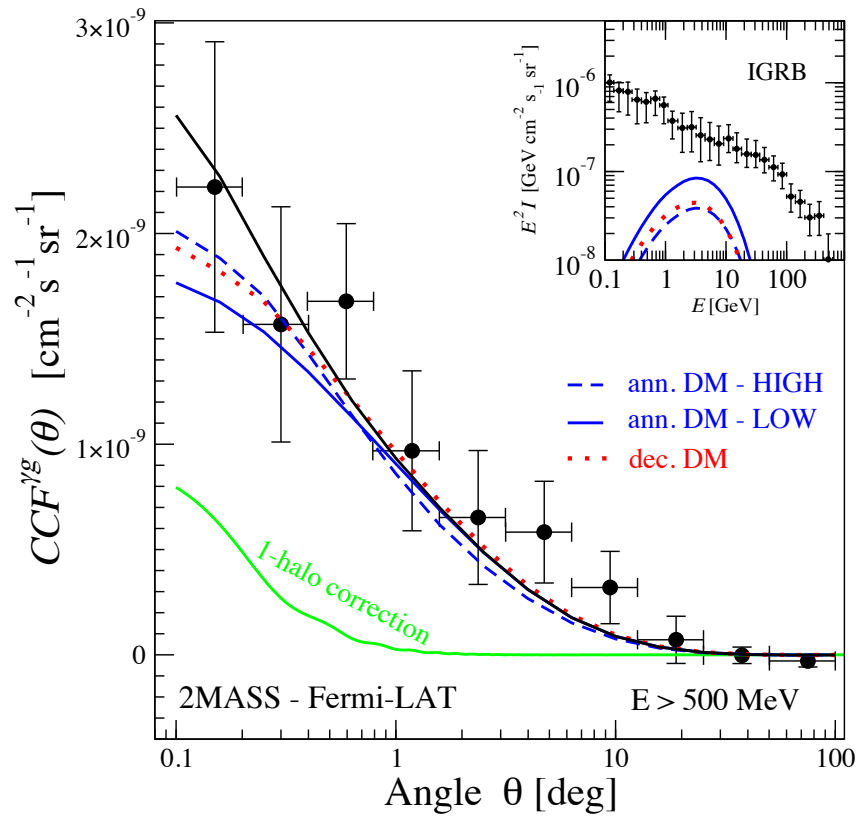
- 2MASS, QSO and NVSS: $>3.5 \sigma$
- SDSS galaxies: 3.0σ
- Signal is stronger in two energy bands: $E > 0.5 \text{ GeV}$ and $E > 1 \text{ GeV}$
- Also seen at $E > 10 \text{ GeV}$
- Results robust against the choice of statistical estimator, estimate of errors, map cleaning procedure and instrumental effects

Fermi + 2MASS: DM interpretation



The DM kernel peaks at low redshift, as well as the 2MASS one
 Best option for DM studies: cross-correlate with 2MASS

Fermi + 2MASS: DM analysis

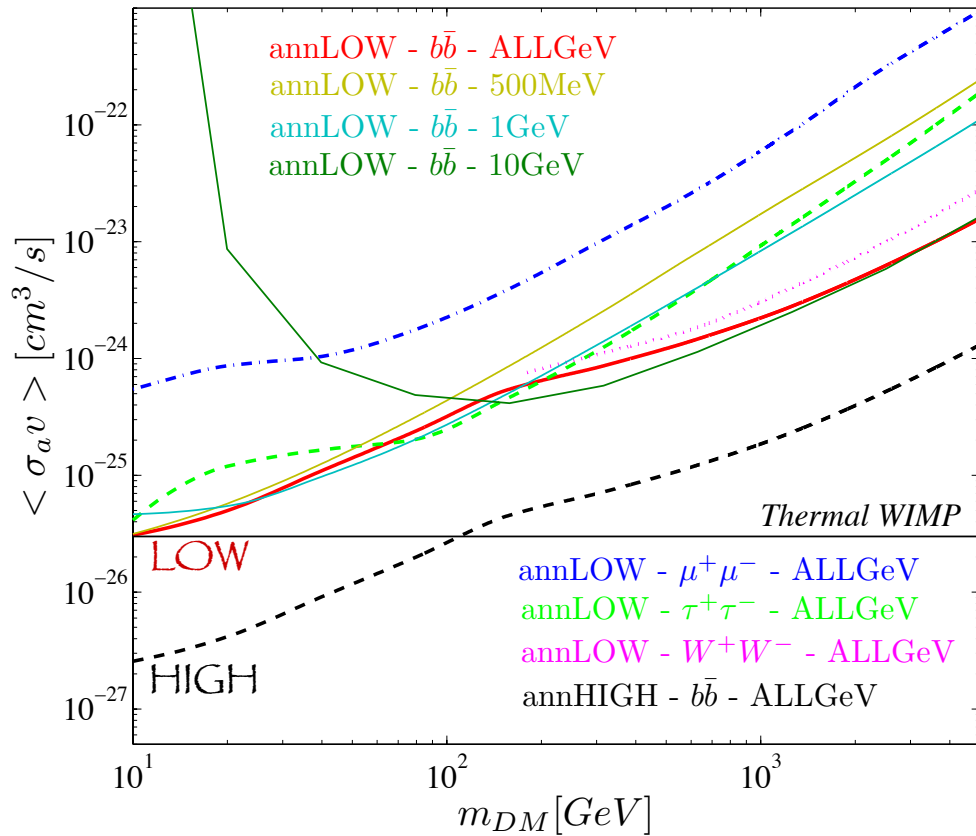


The observed cross-correlation is perfectly reproduced (both in shape and size) by a DM contribution

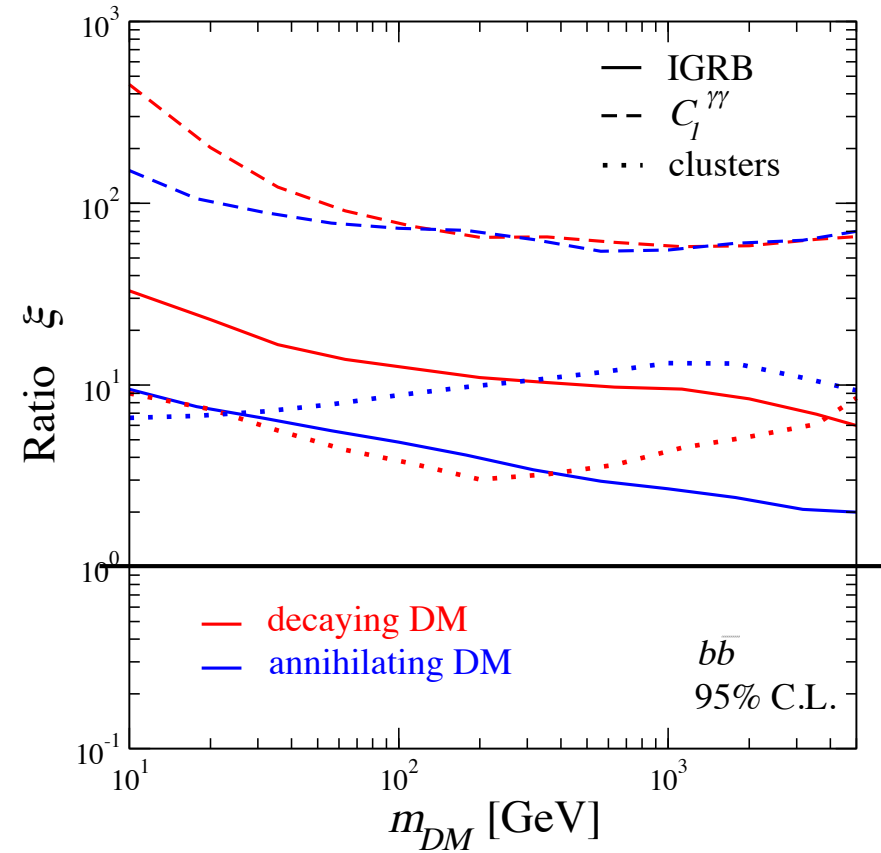
While the DM emission is largely subdominant in the total intensity

Analysis includes spectral information (3 energy bins)

Fermi + 2MASS: DM analysis

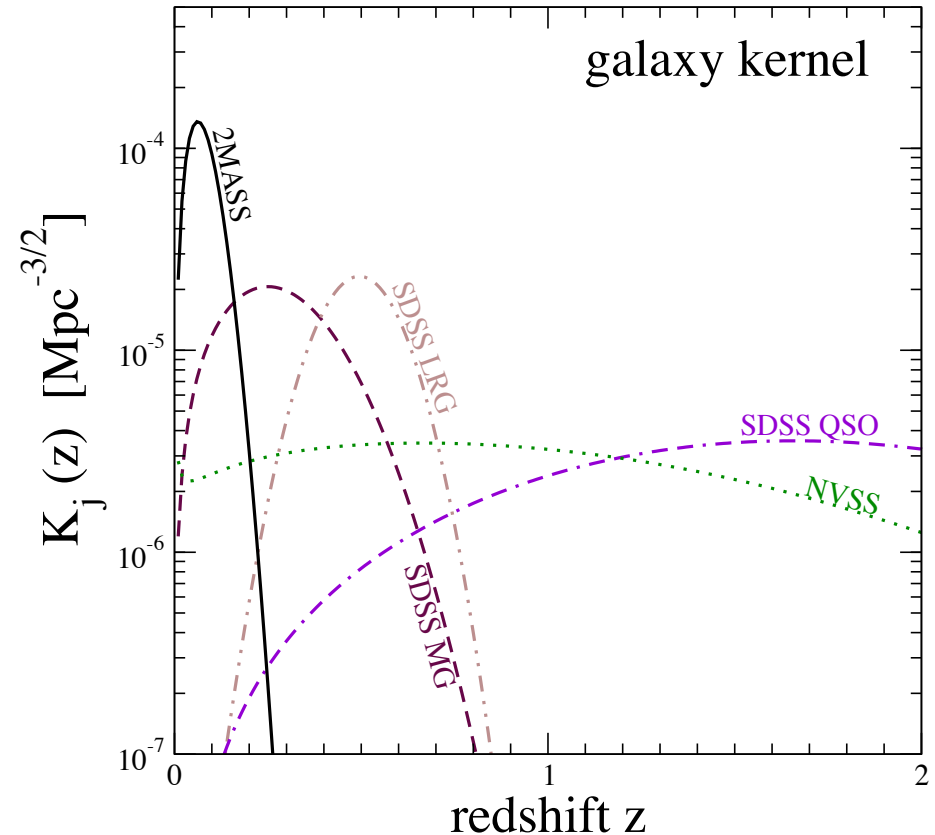
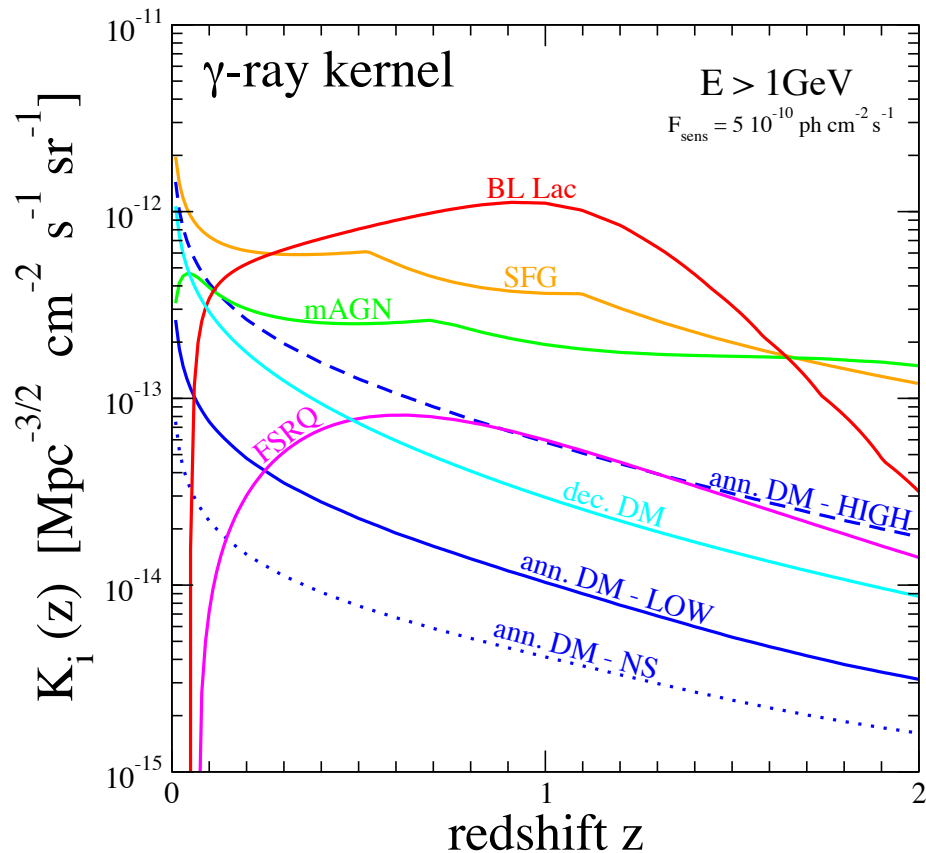


Bound from cross correlation



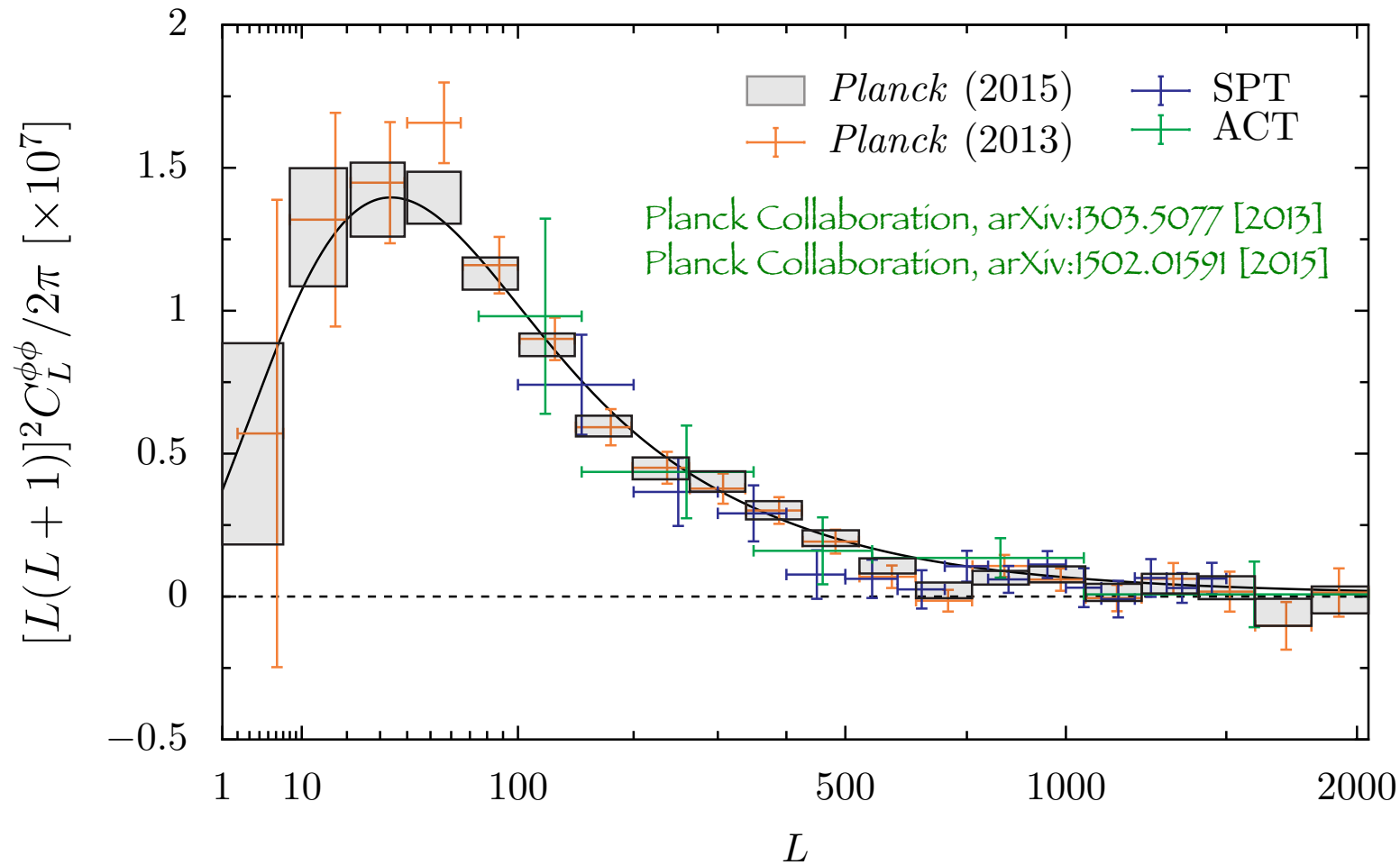
Bounds ratios
Correlation technique stronger

Fermi + all LSS catalogs: DM + astro sources



The different behaviour of kernels can help to discriminate the sources
 (Analysis is under way)

Planck CMB lensing



- CMB-lensing autocorrelation is measured: 40σ significance
- CMB-lensing: integrated measure of DM distribution up to last scattering
- It might exhibit correlation with gamma-rays emitted in DM structures

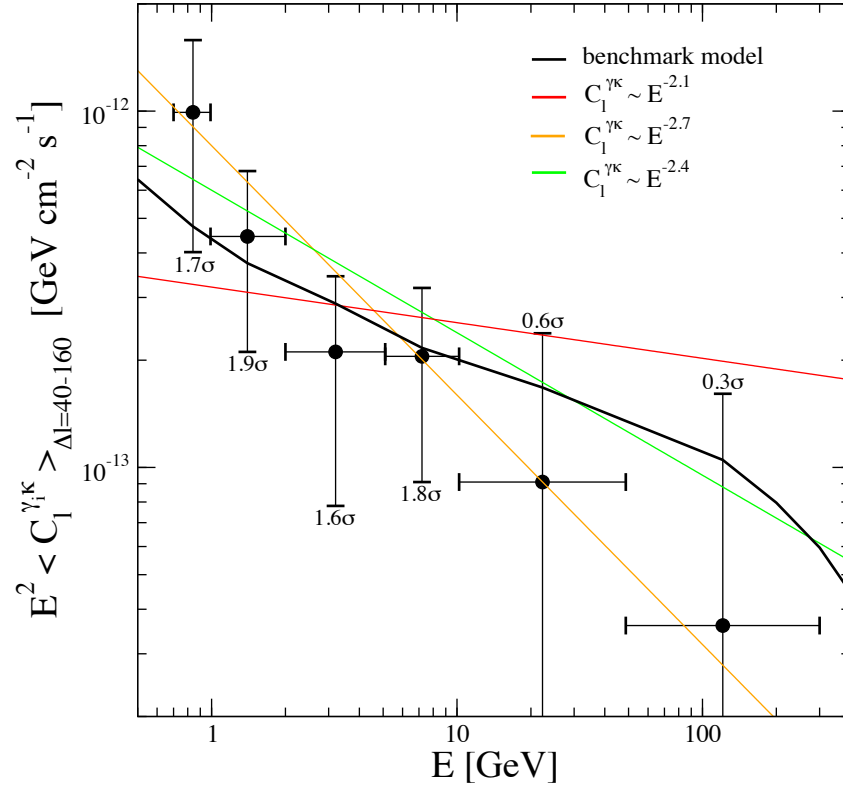
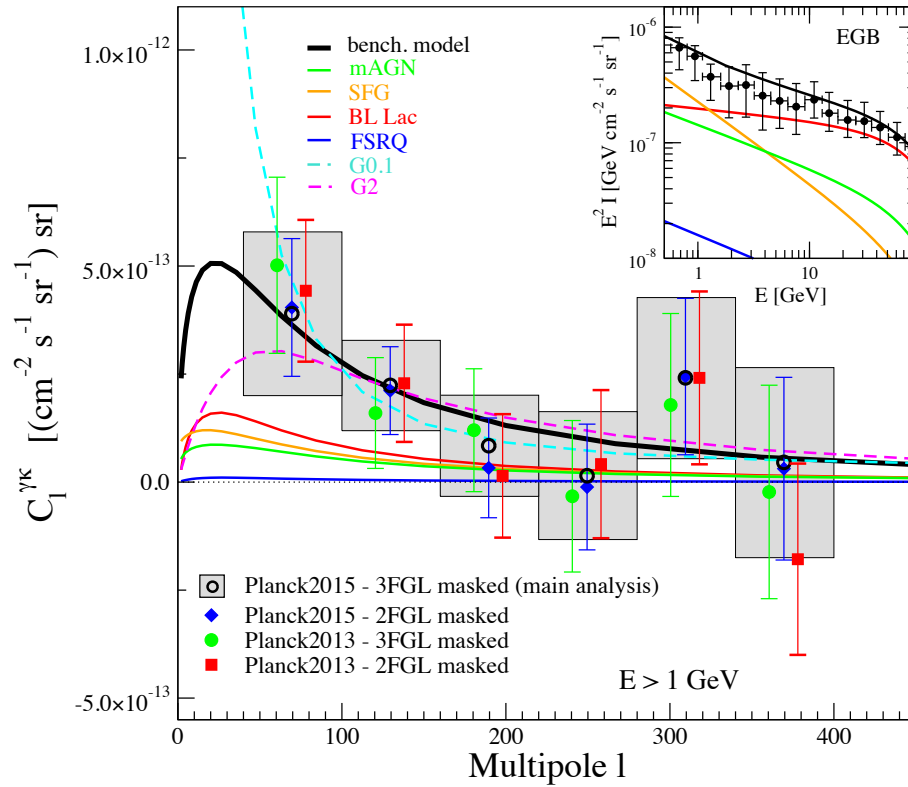
Fermi/gamma + Planck/CMB lensing

Analysis:

- Fermi-LAT 68 months
- Planck 2013 and 2015 lensing releases
- Galactic emission subtracted
- Masks for CMB lensing:
 - Planck official masks (available sky fraction 70%)
 - 5 deg apodized
- Masks for gamma rays:
 - Planck masks + $|b| < 25$ deg cut
 - 1 deg cut around 2FGL (3FGL) Fermi source catalogs apodized 3 deg/2 deg sky fraction 24% (23%)

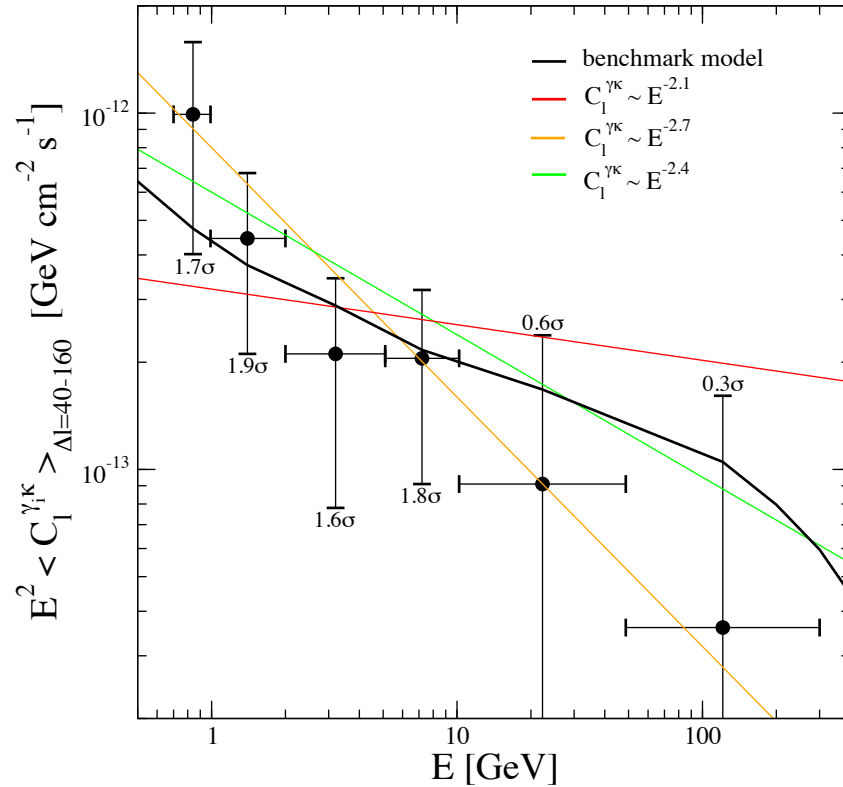
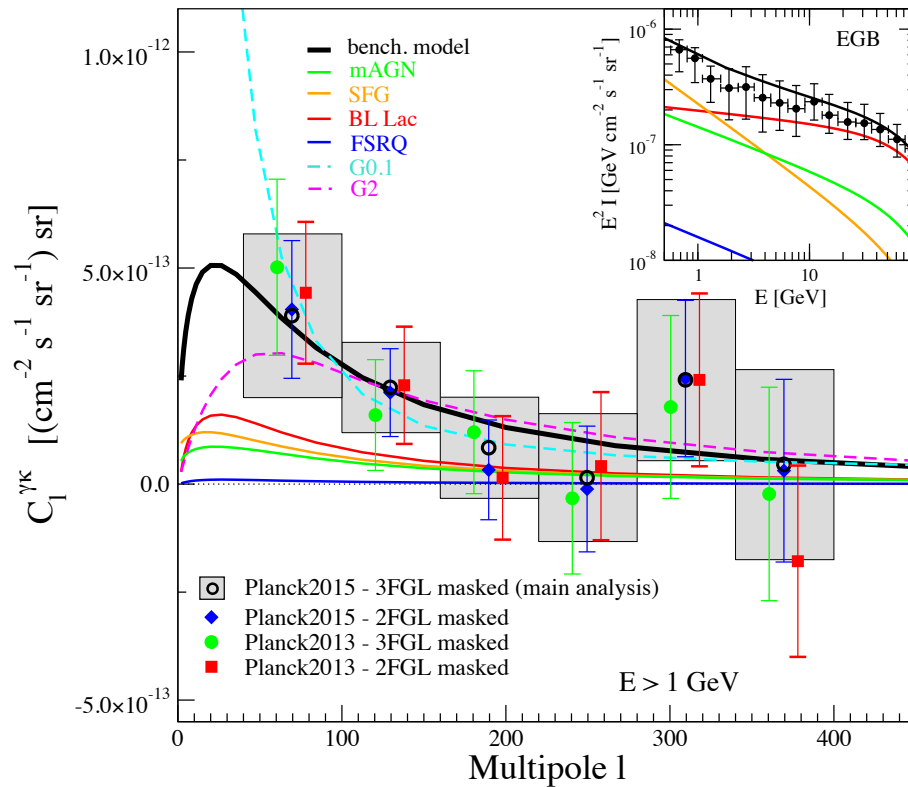
Results stable for different sets of apodization and galactic masks, including Fermi bubble mask

Fermi/gamma + Planck/CMB lensing



Energy		Multipole		Statistical test	Significance			
					P15-3FGL	P15-2FGL	P13-3FGL	P13-2FGL
Single E -bin	[1, 300] GeV	Single l -bin	$40 \leq l < 160$	$\langle l C_l^{\gamma,k} \rangle / \delta \langle l C_l^{\gamma,k} \rangle$	1.7σ	1.8σ	1.5σ	2.1σ
6 E -bins	[0.7, 300] GeV	Single l -bin	$40 \leq l < 160$	$\langle l C_l^{\gamma,k} \rangle / \delta \langle l C_l^{\gamma,k} \rangle$	3.0σ	3.3σ	2.8σ	3.2σ
6 E -bins	[0.7, 300] GeV	6 l -bins, $\Delta l = 60$	$40 \leq l < 400$	Model fitting	3.0σ	3.2σ	2.7σ	3.0σ

Fermi/gamma + Planck/CMB lensing



Cross-correlation: **3.0 σ** evidence

Compatible with AGN + SFG + BLA gamma-rays emission

Points toward a direct evidence of extragalactic origin of the IGRB

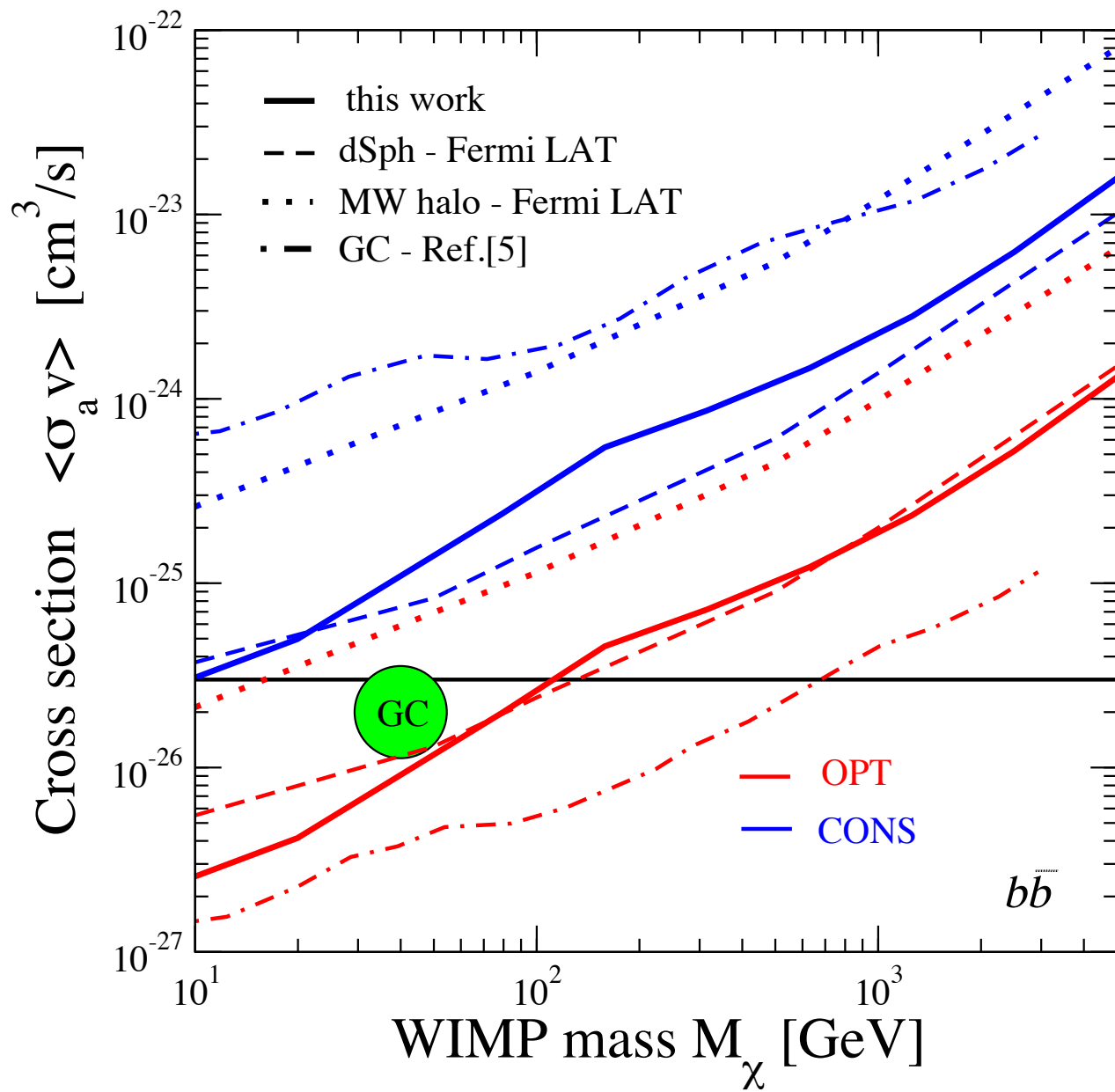
Conclusions

- In order to separate a DM non-gravitational signal from other astrophysical emissions, a **filter** based on the DM properties (i.e. the **associated gravitational potential**) appears to be very promising
- **Cross-correlations** offer an emerging opportunity:
 - DM particle signal: **multiwavelength emission** (radio, X, gamma)
 - DM gravitational signal: **cosmic-shear, LSS surveys, CMB lensing**
- **Gamma rays + cosmic shear** is the cleanest possibility and it appears to be quite powerful
- First relevant observational opportunity hopefully this year with DES
- High-sensitivity will require Euclid (or LSST), together with the total accumulated Fermi statistics (plus possible novel gamma-ray detectors)

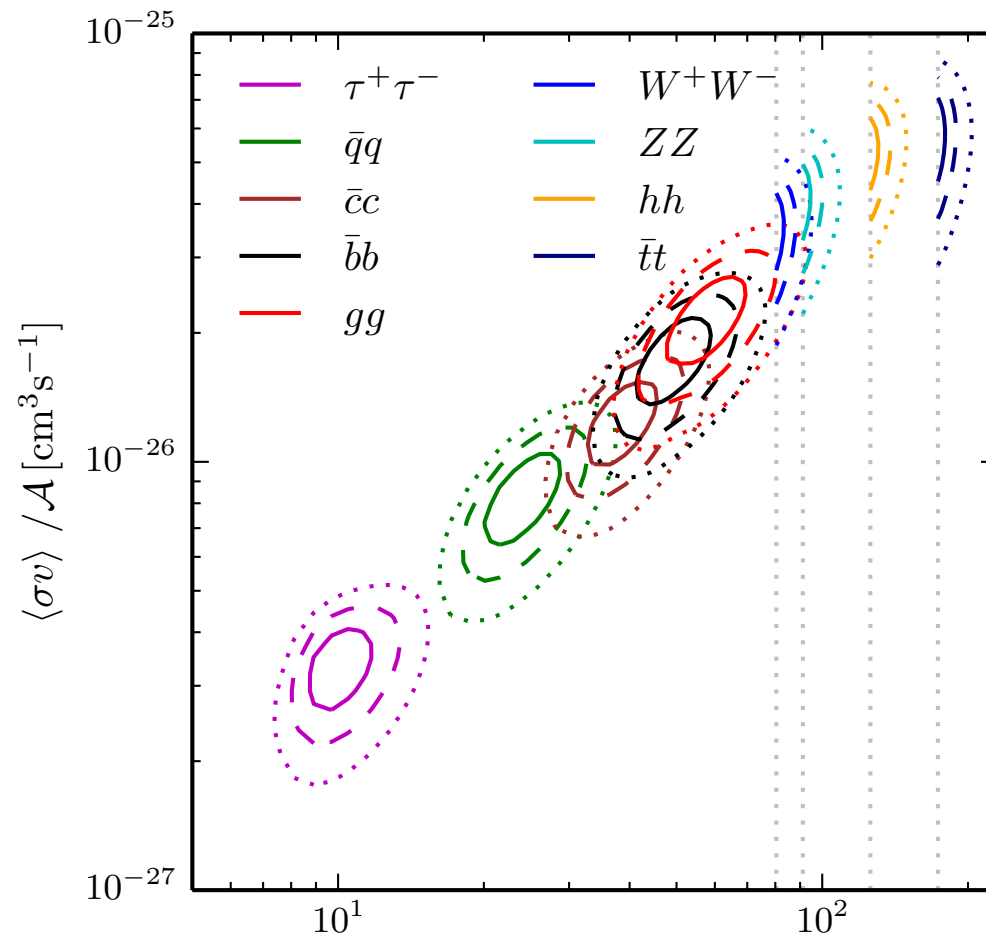
Conclusions

- In the meanwhile, two gamma-rays/gravity-tracers correlations have been measured:
 - Cross-correlation with galaxy catalogues and LSS objects (3.5σ)
 - Cross-correlation with CMB-lensing (3.0σ)
- Implications for DM start to be intriguing
- Cross-correlations represent the strongest technique to investigate DM and its clustering properties outside the local neighbourhood, setting a critical bridge between the CMB and the local environment (galactic center, dwarf galaxies) scales

Backup slides



Galactic center



Dwarf galaxies

