Super-Heavy Dark Matter From Coleman-Weinberg Inflation

Kristjan Kannike

NICPB, Estonia

K.K., A. Racioppi, M. Raidal [arXiv:1605.09378]

2 Direct Detection of WIMPs



Adapted from Snowmass [1310.8327]

3 Dark Matter: WIMPy, Light or Heavy?

- No dark matter has been seen yet
- Direct detection experiments are closing in on the 'WIMP miracle' parameter space
- New experiments will probe the light dark matter frontier
- Another frontier: super-heavy dark matter

3 Dark Matter: WIMPy, Light or Heavy?

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4 Super-Heavy Dark Matter

- Super-heavy dark matter a.k.a. WIMPzilla produced gravitationally in inflation
- Mass range about 10¹² GeV to 10¹⁶ GeV

Chung, Kolb & Riotto, *Phys.Rev.* **D59** (1999) 023501, [hep-ph/9802238]; Kuzmin & Tkachev, *JETP Lett.* **68** (1998) 271–275, [hep-ph/9802304]; etc.

5 Production of SHDM

Preheating (requires large portal couplings)Gravitational production in inflation

6 Production of SHDM

Planck

7 Production of SHDM

Relic density of gravitationally produced SHDM is

$$\Omega_{X}(t_{0}) \simeq 10^{-3} \Omega_{R} \frac{8\pi}{3} \left(\frac{T_{\rm RH}}{T_{0}}\right) \left(\frac{m_{\phi}}{M_{P}}\right)^{2} \left(\frac{m_{\chi}}{m_{\phi}}\right)^{5/2} e^{-2m_{\chi}/m_{\phi}}$$

Ω_R ≃ 4 × 10⁻⁵ is the radiation density today
 T₀ ≃ 2.3 × 10⁻¹³ GeV is the CMB temperature today

8 Production of SHDM

- Dark matter is at least coupled to gravity
- Gravitationally produced dark matter must be super-heavy to be relevant today
- Inflation scale is about
 10¹³ GeV for simple models
- Super-heavy dark matter is as natural as the WIMP

9 Problems with SHDM

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- Unlike for WIMPs, model building is missing
- Unlike for WIMPS, signals are missing
- Coleman-Weinberg inflation offers concrete models & signals

$$V^{J} = \frac{1}{4}\lambda_{\phi}(\phi)\phi^{4}$$

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$$V^{j} = rac{1}{4} \lambda_{\phi}(\phi) \phi^{2}$$

- Coleman-Weinberg inflation involves new super-heavy particles to make $\lambda_{\phi}(\phi)$ run
- Inflaton is the pseudo-Goldstone boson of classical scale invariance
- Inflaton gets its mass at loop level, other particles at tree level
- A nonminimal coupling $\xi_{\phi} \phi^2 R$ to gravity can induce general relativity



Super-heavy scalar mass

$$m_X^2 = \lambda_{\phi X} v_{\phi}^2$$

In minimal setup

$$\frac{m_{\rm X}}{m_{\phi}} \approx 10^{3-4}$$

• Generations of X_i are necessary

13 Generalised CW Inflation

$$\sqrt{-g^{J}}\mathcal{L}^{J} = \sqrt{-g^{J}} \left[\mathcal{L}_{R} + \mathcal{L}_{\phi} + \mathcal{L}_{\sigma,\psi,A_{\mu}}^{J} + \Lambda^{4} \right],$$

where

$$\mathcal{L}_{R}=-\frac{M_{EH}^{2}+\xi_{\phi}\phi^{2}}{2}R,$$

and

$$\mathcal{L}_{\phi} = rac{(\partial \phi)^2}{2} - V^{J}(\phi),$$

where due to classical scale invariance,

$$V^{j} = \frac{1}{4} \lambda_{\phi}(\phi) \phi^{4}$$

14 Requirements on the Potential

Reproduce the Planck mass:

$$M_{EH}^2 + \xi_{\phi} v_{\phi}^2 = \bar{M}_P^2$$

Fix the cosmological constant:

$$\frac{1}{4}\lambda_{\phi}(v_{\phi})v_{\phi}^{4} + \Lambda^{4} \simeq 0$$

15 Minimum via the CW Mechanism

$$\frac{\mathrm{d}V^{J}}{\mathrm{d}\phi}\Big|_{\phi=v_{\phi}} = \frac{1}{4}\beta_{\lambda_{\phi}}(v_{\phi}) + \lambda_{\phi}(v_{\phi}) = 0,$$

Two types of solutions:

$$\beta_{\lambda_{\phi}}(v_{\phi}) > 0, \ \lambda_{\phi}(v_{\phi}) < 0 \tag{1}$$

and

$$\beta_{\lambda_{\phi}}(v_{\phi}) = \lambda_{\phi}(v_{\phi}) = 0$$
⁽²⁾

A Coleman-Weinberg inflation with a new scalar

Kannike, Racioppi & Raidal, JHEP 1406 (2014) 154, [1405.3987]

B Type (1) Coleman-Weinberg induced gravity inflation

Kannike, Racioppi, Raidal JHEP 01 (2016) 035 [1509.05423]

C Type (2) Coleman-Weinberg induced gravity inflation

Kannike, Hütsi, Pizza, Racioppi, Raidal, Strumia, JHEP 1505 (2015) 065, [1502.01334]

17 Inflationary Observables

Spectral tilt

$$n_{\rm s} = 0.968 \pm 0.006$$

Tensor-to-scalar ratio

r < 0.07

Amplitude of the spectrum

$$A_s = (2.14 \pm 0.05) \times 10^{-9}$$

Planck [1502.02114]; BICEP2/Keck and Planck, Phys. Rev. Lett. 114, 101301, 2015; Keck Array and BICEP2, Phys. Rev. Lett. 116, 031302, 2015

18 Inflationary Predictions



19 SHDM Isocurvature Constraints Local non-Gaussianities

$$f_{NL}^{\text{local}} \approx 30 \left(\frac{a}{0.07}\right)^{3/2},$$

where the isocurvature parameter

$$a = \frac{A_{\delta X}}{A_{\rm s} + A_{\delta X}}$$

and

$$A_{\delta X} \simeq \frac{25\pi^2}{96} \frac{M_P^4}{m_X m_\phi^3} (A_s r)^2 \exp\left(4\frac{m_X}{m_\phi} - \frac{5280Q}{\pi A_s r} \frac{m_X^2}{M_P^2}\right)$$

20 SHDM Isocurvature Constraints

- Local non-Gaussianities $f_{NL}^{\text{local}} = 0.8 \pm 5.0$ (future measurements constrain $f_{NL}^{\text{local}} \sim \mathcal{O}(1)$)
- Isocurvature parameter *a* < 0.0019

21 Reheating Temperature in (A)



22 Number of Generations in (B)





24 Conclusions

- Gravitationally produced SHDM is as natural as WIMP
- SHDM can arise from new particles necessary in Coleman-Weinberg inflation
- SHDM mass about 1 to 10 inflaton masses
- Can be observed in isocurvature if below 4 inflaton masses