

Extra Higgs bosons and spin-1 heavy vector bosons

Ryo Nagai (Tohoku U.)

based on
RN and T.Abe PRD 95 075022 [arXiv: 1607.03706]

SCALARS 2017 @ University of Warsaw
Sat, Dec 2, 2017

Extra spin-1 particles (V')

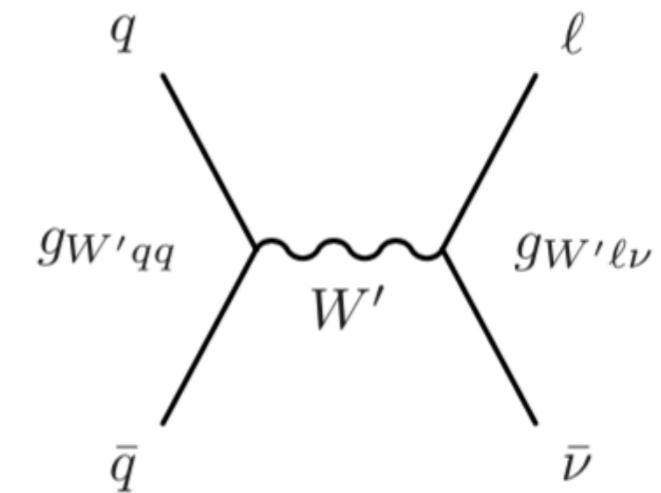
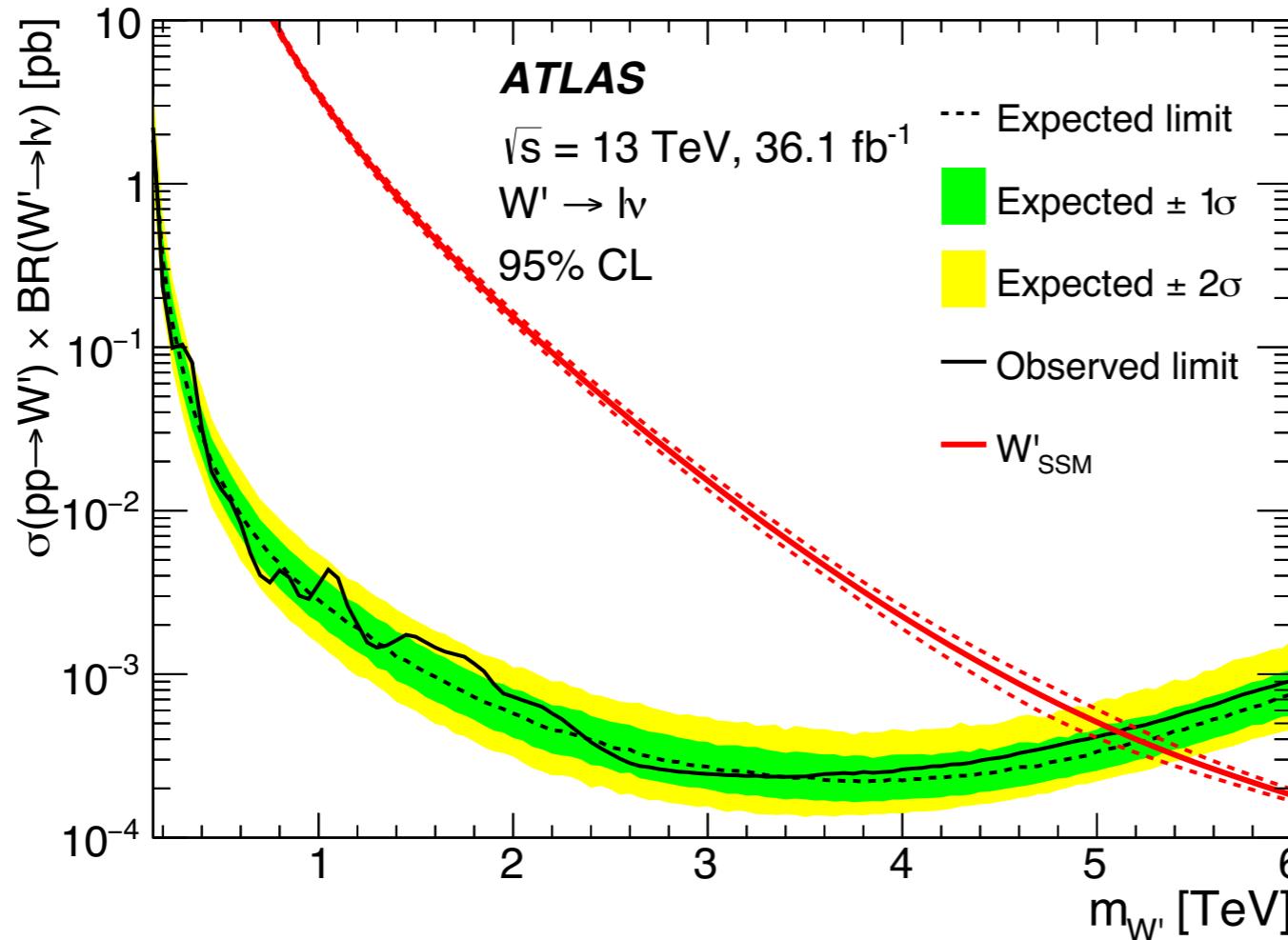
What is $V' = W'/Z'$?

- Heavier version of W/Z boson.

Various BSMs predict them

- Extra dimension models (KK gauge boson)
- Unification models (W_R ,)
- Dynamical EWSB scenarios (ρ' meson)
-

Current bound on V'



CERN-EP-2017-082

- $m_{W'} > 5 \text{ TeV}$ with the assumption, $g_{W'ff} = g_{Wff}$ (SM).
- This bound depends on W' couplings.

Question

Property of V' ??

Question

Property of V' ??

- Couplings to the SM particles

$$g_{V'ff} = g_{Vff} \text{ (SM)} \quad ??$$

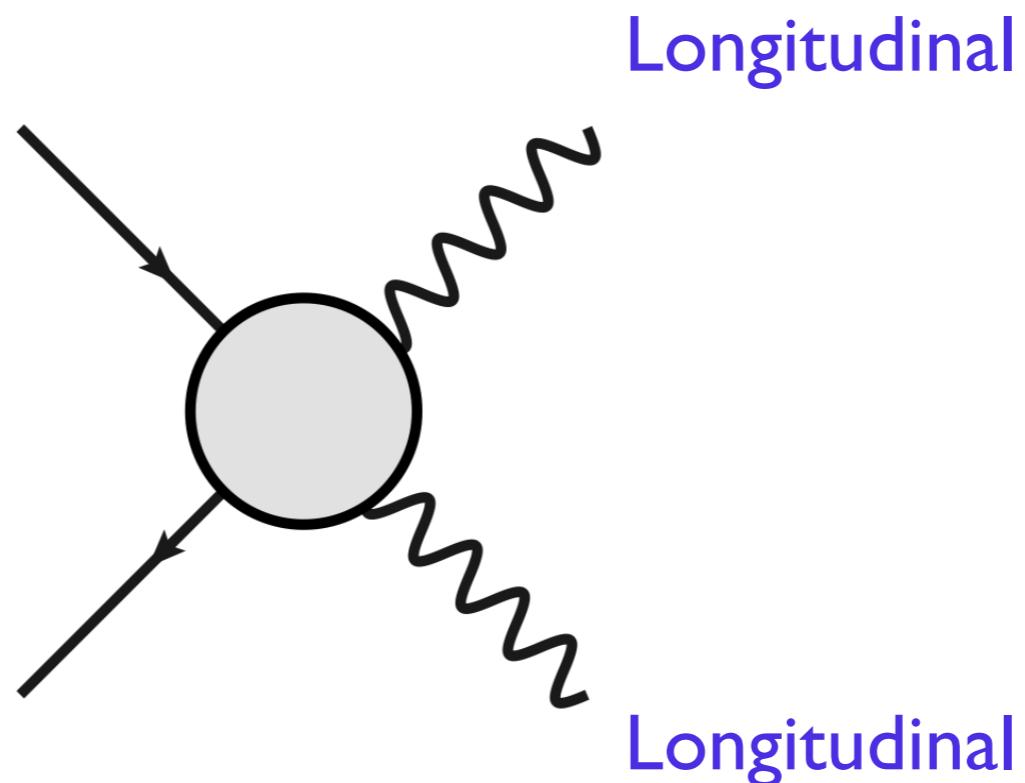
- Main decay mode of V'

V' → Fermions ??

or → Bosons ??

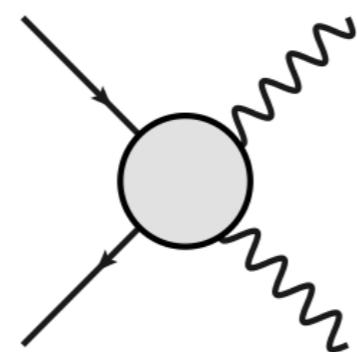
Strategy

Let us focus on V_L/V'_L scattering processes



Strategy

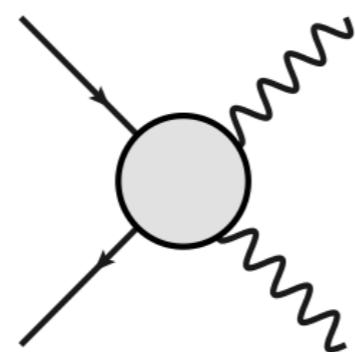
Let us focus on V_L/V'_L scattering processes



$$\simeq A \frac{E^2}{m^2} + B \frac{E}{m}$$

Strategy

Let us focus on V_L/V'_L scattering processes

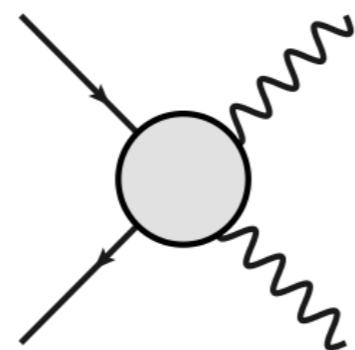


$$\simeq A \frac{E^2}{m^2} + B \frac{E}{m}$$

- If the model keep unitarity in high-energy limit, $A = B = 0$.
"Unitarity sum rules"

Strategy

Let us focus on V_L/V'_L scattering processes



$$\simeq A \frac{E^2}{m^2} + B \frac{E}{m}$$

- If the model keep unitarity in high-energy limit, $A = B = 0$.
"Unitarity sum rules"
- Unitarity sum rules tell us model-independent features of V' .

Setup

- Let us focus on the following simple class of models.

SM + V' + (h', h'', h''', ...)

CP-even neutral Higgses

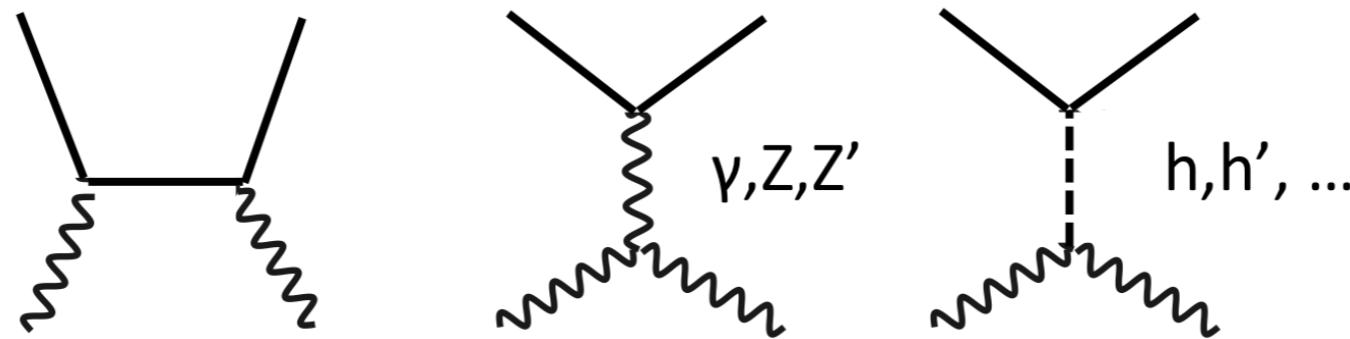
- For simplicity,
 - Right-handed fermions are singlet under SU(2).
 - Minimal flavour violation.
 - No CP-violation in Higgs sector

Perturbative Unitarity

$ff \rightarrow W_L W'_L$ scattering

Perturbative Unitarity

ff $\rightarrow W_L W'_L$ scattering



$$\mathcal{M}_{-+} = \textcolor{blue}{s} \mathcal{A} \sin \theta + \mathcal{O}(s^0)$$

(\pm : twice of helicity)

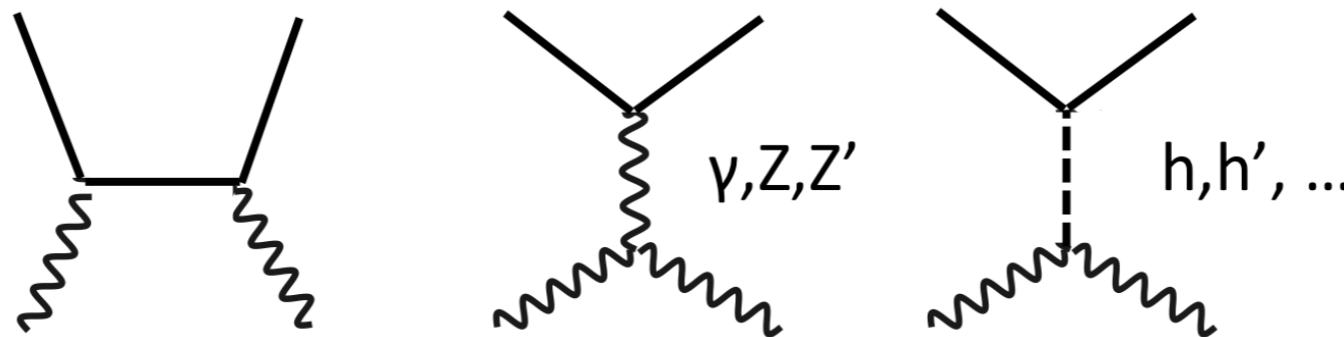
$$\mathcal{M}_{+-} = \textcolor{blue}{s} \mathcal{B} \sin \theta + \mathcal{O}(s^0)$$

$$\mathcal{M}_{++} = \sqrt{s} (\mathcal{C}^{(0)} + \mathcal{C}^{(1)} \cos \theta) + \mathcal{O}(s^0)$$

$$\mathcal{M}_{++} = \sqrt{s} (\mathcal{D}^{(0)} + \mathcal{D}^{(1)} \cos \theta) + \mathcal{O}(s^0)$$

Perturbative Unitarity

ff → W_L W'_L scattering



Unitarity Sum Rules $A = B = C^{(0)} = C^{(1)} = D^{(0)} = D^{(1)} = 0$

$$g_{Wff}g_{W'ff} = \sum_{V=Z,Z'} g_{WW'V}g_{Vff} \quad (A - B = 0)$$

$$\sum_{V=Z,Z'} g_{WW'V}g_{Vff} \frac{M_W^2 - M_{W'}^2}{M_V^2} = 0 \quad (C^{(0)} - D^{(0)} = 0)$$

PU and W'couplings

- To ensure perturbative unitarity of $ff \rightarrow W_L W'_L$ scattering,

$$g_{W'ff}^2 = g_{WW'Z}^2 \frac{m_Z^4}{m_{Z'}^4} \left(1 - \frac{m_Z^2}{m_{Z'}^2}\right)^2 \frac{g_{Zff}^2}{g_{Wff}^2}$$

The diagram consists of two green arrows. One arrow points from the term $g_{W'ff}^2$ in the equation to the term $g_{W'ff}$ in the label below. Another arrow points from the term $g_{WW'Z}^2$ in the equation to the term $g_{WW'Z}$ in the label below.

PU and W'couplings

- To ensure perturbative unitarity of $ff \rightarrow W_L W'_L$ scattering,

$$g_{W'ff}^2 = g_{WW'Z}^2 \frac{m_Z^4}{m_{Z'}^4} \left(1 - \frac{m_Z^2}{m_{Z'}^2}\right)^2 \frac{g_{Zff}^2}{g_{Wff}^2}$$


W'ff coupling W'WZ coupling

- Let us focus on

$$R = \frac{\Gamma(W' \rightarrow WZ)}{\sum_f \Gamma(W' \rightarrow ff)} \simeq \frac{1}{48} \frac{m_{W'}^4}{m_W^2 m_Z^2} \frac{g_{WW'Z}^2}{g_{W'ff}^2}$$

PU and W'couplings

- To ensure perturbative unitarity of $ff \rightarrow W_L W'_L$ scattering,

$$g_{W'ff}^2 = g_{WW'Z}^2 \frac{m_Z^4}{m_{Z'}^4} \left(1 - \frac{m_Z^2}{m_{Z'}^2}\right)^2 \frac{g_{Zff}^2}{g_{Wff}^2}$$


W'ff coupling W'WZ coupling

- Above relation leads to

$$R = \frac{\Gamma(W' \rightarrow WZ)}{\sum_f \Gamma(W' \rightarrow ff)} \simeq \frac{1}{48} \times \frac{m_{W'}^4}{m_{Z'}^4} \times \frac{g_{Wff}^2 m_Z^2}{g_{Zff}^2 m_W^2}$$



PU and W'couplings

- We find that perturbative unitarity of $ff \rightarrow WW'$ scattering in the model with W'/Z' and neutral scalars requires.

$$\begin{aligned} \text{Br}(W' \rightarrow WZ) &= \frac{\Gamma(W' \rightarrow WZ)}{\Gamma(W' \rightarrow WZ) + \sum_f \Gamma(W' \rightarrow ff) + \sum_X \Gamma(W' \rightarrow X)} \\ &\leq \frac{\Gamma(W' \rightarrow WZ)}{\Gamma(W' \rightarrow WZ) + \sum_f \Gamma(W' \rightarrow ff)} \simeq 0.02 \end{aligned}$$

- If W' is discovered in WZ decay channel in future, it implies

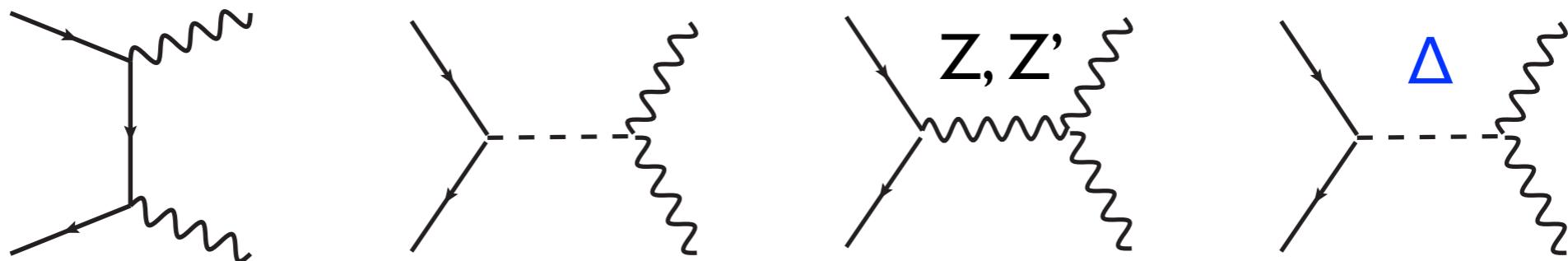
[1] The existence of other new particles

[2] Non-perturbative $ff \rightarrow WW'$ scattering

PU and W'couplings

- CP-odd scalar can make $\text{Br}(W' \rightarrow WZ) \gg 2\%$.

$ff \rightarrow W_L W'_L$ scattering



Unitarity sum rules

E²-term:

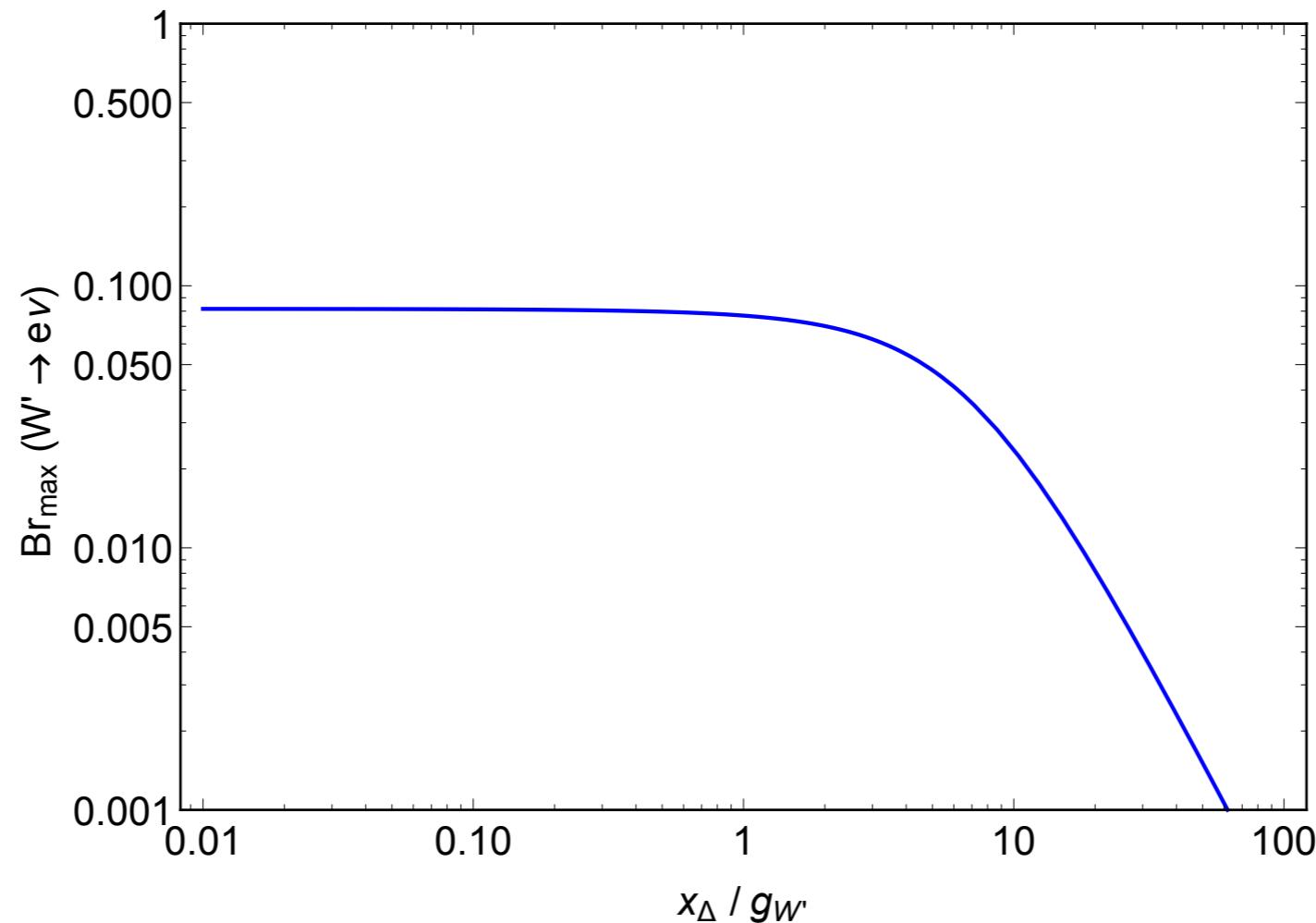
$$\sum_{V=Z,Z'} g_{WW'V} g_{Vff} = g_{Wff} g_{W'ff}$$

E-term:

$$m_f \sum_{V=Z,Z'} g_{WW'V} g_{Vff} \frac{m_W^2 - m_{W'}^2}{m_V^2} = \frac{1}{2} \sum_{\Delta} g_{ff\Delta} g_{W'W\Delta}$$

PU and W'couplings

- CP-odd scalar can make $\text{Br}(W' \rightarrow WZ) \gg 2\%$.



$$x_\Delta = \sum_\Delta \frac{g_{ff\Delta}}{m_f} \frac{g_{WW'\Delta}}{g_{Wff}}$$

- Concrete example: T.Abe and R. Kitano (2013)

Summary

- We discussed the property of V' by focusing the perturbative unitarity.
- We show that $\text{Br}(W' \rightarrow WZ) \sim 2\%$ in the system that contains V' and CP-even scalars as well as the SM particles.
- CP-odd scalar helps to make $\text{Br}(W' \rightarrow WZ) \gg 2\%$.
- The existence of the CP-odd scalar couplings is a useful guideline to construct models that predict $\text{Br}(W' \rightarrow WZ) \gg 2\%$.

Back-up slides

Explicit examples

$V' \rightarrow \text{Fermions}$

	$SU(2)_0$	$SU(2)_1$	$U(1)_2$
q_L	1	2	1/6
u_R	1	1	2/3
d_R	1	1	-1/3
l_L	1	2	-1/2
e_R	1	1	-1
H_1	2	2	0
H_2	1	2	1/2

Barger-Keung-Ma (1980)

Pappadopulo-Thamm-Torre-Wulzer (2014)

$V' \rightarrow \text{Bosons}$

	$SU(2)_0$	$SU(2)_1$	$U(1)_2$
q_L	2	1	1/6
u_R	1	1	2/3
d_R	1	1	-1/3
l_L	2	1	-1/2
e_R	1	1	-1
H_1	2	2	0
H_2	1	2	1/2
H_3	2	1	1/2

Abe-Kitano (2013)